## INSTITUTE OF AERONAUTICAL ENGINEERING

(Autonomous)
Dundigal, Hyderabad - 500043
CIVIL ENGINEERING
DEFINITIONS AND TERMINOLOGY QUESTION BANK

| Course Name | $:$ | MATHEMATICAL TRANSFORM TECHNIQUES |
| :--- | :---: | :--- |
| Course Code | $:$ | AHSB03 |
| Program | $:$ | B.Tech |
| Semester | $:$ | IV |
| Branch | $:$ | CIVIL ENGINEERING |
| Section | $:$ | A \& B |
| Academic Year | $:$ | 2018- 2019 |
| Course Faculty | $:$ | Dr. S Jagadha, Professor <br> Mrs V Subbha Laxmi, Assistant Professor |

OBJECTIVES

| I | To help students to consider in depth the terminology and nomenclature used in the syllabus. |
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| II | To focus on the meaning of new words / terminology/nomenclature |

## DEFINITIONS AND TERMINOLOGYQUESTION BANK

| S No | QUESTION | ANSWER | Blooms Level | CLO | CLO Code |
| :---: | :---: | :---: | :---: | :---: | :---: |
| UNIT - I |  |  |  |  |  |
| 1 | Define Polynomial function | A function $\mathrm{f}(\mathrm{x})$ is said to be a polynomial function if it is a polynomial in x . | Remember | CLO 1 | AHSB11.01 |
| 2 | Define Algebraic function | A function which is a sum or difference or product of two polynomials. | Remember | CLO 1 | AHSB11.01 |
| 3 | Define transcendental function | A function which is a combination of trigonometry, exponential and logarithm function. | Remember | CLO 1 | AHSB11.01 |
| 4 | Define root of an equation | A real or complex number is the solution of an equation resulting zero. | Remember | CLO 1 | AHSB11.01 |
| 4 | Define root graphically | The roots of an equation are the abscissa of the points where the graph of function of independent variable cuts the axis of function framed by dependent variable. | Remember | CLO 1 | AHSB11.01 |
| 5 | Define iteration method | The process to obtain better approximation from initial condition. | Remember | CLO 2 | AHSB11.02 |
| 6 | Describe direct method | The solution which is obtained by solving linear and quadratic equations. | Understand | CLO 2 | AHSB11.02 |
| 7 | Describe analytical method | The solution which is obtained by solving cubic and biquadratic equations. | Understand | CLO 2 | AHSB11.02 |
| 8 | State disadvantage of analytical method | Polynomial equation of degree greater than 4 and transcendental equation are not solvable. | Understand | CLO 2 | AHSB11.02 |
| 9 | Describe bisection method | Better approximation of the root is obtained by taking average of points at each iteration. | Understand | CLO 1 | AHSB11.01 |
| 10 | Explain the term convergent in numerical methods regarding root | The iterative value tends to move towards origin. | Understand | CLO 1 | AHSB11.01 |
| 12 | State approximate root | The iterative value lies between opposite signs of values obtained from the function framed by dependent variables. | Remember | CLO 1 | AHSB11.01 |
| 13 | State exact root | The real or complex number statisfies the function framed by dependent variables. | Remember | CLO 1 | AHSB11.01 |
| 14 | Explain Newton Raphson method | The initial approximate value is chosen close to the root and converges very fast | Understand | CLO 2 | AHSB11.02 |
| 15 | State differences of a polynomial | If n is the degree of the polynomial and the values of x are equally spaced then n times of forward difference is a constant. | Understand | CLO 3 | AHSB11.03 |
| UNIT - II |  |  |  |  |  |


| S No | QUESTION | ANSWER | Blooms Level | CLO | CLO Code |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Describe curve fitting | To fit a unique curve through the given data points | Remember | CLO 6 | AHSB11.06 |
| 2 | Describe normal equations | The normal equations are obtained by the method of least squares consists of summation of squares of error of approximations | Remember | CLO 6 | AHSB11.06 |
| 3 | List numerical methods to solve ordinary differential equation | Taylor's series method, Euler's method, Modified Euler method and Rugne-Kutta method | Understand | CLO 7 | AHSB11.07 |
| 4 | Describe single step method | The information about the curve at one point is obtained and the solution is not iterated. | Understand | CLO 7 | AHSB11.07 |
| 5 | Describe step-by-step method | The information about the curve at one point is computed by short steps ahead for equal intervals $h$ of the independent variable. | Understand | CLO 7 | AHSB11.07 |
| 6 | Explain boundary-value problem | The solution is obtained by applying conditions on the dependent variable which is prescribed at $n$ distinct points. | Understand | CLO 7 | AHSB11.07 |
| 7 | Explain merit of Taylor series method | It is a single step method and the solution is not iterated. | Understand | CLO 7 | AHSB11.07 |
| 8 | Explain demerit of Taylor series method | Difficult to evaluate higher order derivatives of function | Understand | CLO 7 | AHSB11.07 |
| 9 | Explain merit of Euler's method | This method does not involve any derivatives and the solution is obtained by using initial condition | Understand | CLO 7 | AHSB11.07 |
| 10 | Explain disadvantage of R-K method | To calculate the derivatives is very difficult | Understand | CLO 7 | AHSB11.07 |
| 11 | State advantage of R-K method | To compute programming code is easier than comparing with other methods. | Remember | CLO 7 | AHSB11.07 |
| 12 | Explain relation between Euler and R-K method | Euler's method is the R-K method of the first order. | Remember | CLO 7 | AHSB11.07 |
| 13 | Explain reasons for existence of numerical methods becoming familiar | The solution of differential equations is obtained by using analytical methods are applicable only to a selected class of differential equations. | Remember | CLO 7 | AHSB11.07 |
| 14 | List number of R-K method | First order R-K method, second order R-K method, third order R-K method and fourth order R-K method. | Remember | CLO 7 | AHSB11.07 |
| 15 | Name the numerical methods to get approximate roots | Bisection method, Regular-false position method and Newton-Raphson method | Remember | CLO 7 | AHSB11.07 |
| UNIT - III |  |  |  |  |  |
| 1 | Define Laplace transform | Laplace transform of a function $f(t)$ is $f(t)$ is multiplied by $e^{-s t}$ and integrating from 0 to $\infty$ | Remember | CLO 9 | AHSB11.09 |


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| 2 | State sufficient conditions for the existence of Laplace transform of a function | The function $f(t)$ must be piece-wise continuous in any limited interval and the function is of exponential order | Understand | CLO 9 | AHSB11.09 |
| 3 | State piece-wise continuous function | A function $\mathrm{f}(\mathrm{t})$ is said to be piece-wise continuous over the closed interval [a,b] if it is divided into a finite number of subintervals where $f(t)$ is continuous and has right and left hand limits at every end point of the subinterval | Understand | CLO 9 | AHSB11.09 |
| 4 | State Linearity property | Laplace transform of the sum of two or more functions of $t$ is the sum of the Laplace transforms of the separate functions | Understand | CLO 9 | AHSB11.09 |
| 5 | State first shifting theorem | Laplace transform of a function $f(t)$ is multiplied by $e^{\text {at }}$ then changes to be made from $s$ to $\mathrm{s}-\mathrm{a}$ in resulting $\mathrm{L}[\mathrm{f}(\mathrm{t})]$ | Understand | CLO 9 | AHSB11.09 |
| 6 | Define Unit step function | The unit step function is defined as $\mathrm{u}(\mathrm{t}-\mathrm{a})$ if $\mathrm{t}<\mathrm{a}$ the value is 0 and $\mathrm{t}>\mathrm{a}$ the value is 1 | Remember | CLO 9 | AHSB11.09 |
| 7 | State change of scale property | $\mathrm{L}[\mathrm{f}(\mathrm{at})]$ is finding Laplace transform of function $\mathrm{f}(\mathrm{t})$ where changes to be made s to $\mathrm{s} / \mathrm{a}$, the whole is multiplied by $1 / \mathrm{a}$ | Understand | CLO 9 | AHSB11.09 |
| 8 | Define Laplace transform of derivatives | If $f(t)$ is continuous and of exponential order, and $f^{\prime}(t)$ is sectionally continuous then the $\mathrm{L}\left[\mathrm{f}^{\prime}(\mathrm{t})\right]=\mathrm{sL}[\mathrm{f}(\mathrm{t})]-\mathrm{f}(0)$ | Remember | CLO 9 | AHSB11.09 |
| 9 | Define Laplace transform of $\mathrm{t}^{\mathrm{n}} \mathrm{f}(\mathrm{t})$ | Laplace transform of $\mathrm{t}^{\mathrm{n}} \mathrm{f}(\mathrm{t})$ is $(-1)^{\mathrm{n}}$ is multiplied by $\mathrm{n}^{\text {th }}$ derivative of $\mathrm{L}[\mathrm{f}(\mathrm{t})$ ] | Remember | CLO 9 | AHSB11.09 |
| 10 | Define Laplace transform of integrals | The whole $\mathrm{L}[\mathrm{f}(\mathrm{t})]$ is divided by s | Remember | CLO 9 | AHSB11.09 |
| 12 | State Laplace transform of Dirac delta function | Laplace transform of Dirac delta function is $\mathrm{e}^{\text {-as }}$ | Understand | CLO 9 | AHSB11.09 |
| 13 | Define periodic function | A function $\mathrm{f}(\mathrm{t})$ is said to be periodic iff $\mathrm{f}(\mathrm{t}+\mathrm{T})=\mathrm{f}(\mathrm{t})$ | Remember | CLO 9 | AHSB11.09 |
| 14 | Define inverse Laplace transform | If $f(s)$ is the Laplace transform of a function $f(t)$ then $f(t)$ is called the inverse Laplace transform of $\mathrm{f}(\mathrm{s})$ | Remember | CLO 11 | AHSB11.11 |
| 15 | State use of partial fractions in finding inverse Laplace transform | If $f(s)$ is $g(s) / h(s)$ where $g$ and $h$ are polynomials in $s$ then $f(t)$ is obtained by resolving $f(s)$ into partial fractions and manipulating term by term | Understand | CLO 15 | AHSB11.15 |
| 16 | Define convolution theorem | $\mathrm{f}(\mathrm{t}) * \mathrm{~g}(\mathrm{t})$ is equal to integrating with respect to u from 0 to $t$ of $\mathrm{f}(\mathrm{u}) \mathrm{g}(\mathrm{t}-\mathrm{u})$ | Remember | CLO 15 | AHSB11.15 |
| UNIT - IV |  |  |  |  |  |
| 1 | Define transformation | A transformation is a mathematical device which changes one function into another function. | Remember | CLO 18 | AHSB11.18 |
| 2 | Name the transformations | Differentiation and integration | Remember | CLO 18 | AHSB11.18 |


| S No | QUESTION | ANSWER | Blooms Level | CLO | CLO Code |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 3 | Explain Fourier integral | Extension from periodic function to non-periodic functions defined in the infinite intervals. | Remember | CLO 18 | AHSB11.18 |
| 4 | State Dirichlet's condition | The function is a single valued function at a finite number of points defined in the interval and piece-wise continuous. | Remember | CLO 18 | AHSB11.18 |
| 5 | State Linearity property | Fourier transform of two or more functions is seperated as sum of the Fourier transform of each function multiplied by constants. | Understand | CLO 19 | AHSB11.19 |
| 6 | State shifting property | The resulting Fourier transform of function is multiplied by $\mathrm{e}^{\text {isa }}$ | Understand | CLO 19 | AHSB11.19 |
| 7 | List the Fourier transformations | Finite and infinite Fourier transformations | Understand | CLO 20 | AHSB11.20 |
| 8 | List Finite Fourier transformations | Fourier sine transformation and Fourier cosine transformation | Remember | CLO 20 | AHSB11.20 |
| 9 | List infinite Fourier transforms | Infinite Fourier sine transformation and infinite Fourier cosine transformation | Understand | CLO 20 | AHSB11.20 |
| 10 | Define Fourier cosine transform | Integrating from zero to infinity to the function multiplied by cospx. | Understand | CLO 20 | AHSB11.20 |
| 11 | Define Fourier sine transform | Integrating from zero to infinity to the function multiplied by sinpx. | Understand | CLO 20 | AHSB11.20 |
| 12 | Explain modulus of x is less than a | X lies between the value from - a to a | Remember | CLO 20 | AHSB11.20 |
| 13 | Explain modulus of x is greater than a | X lies between the value from a to infinity | Remember | CLO 9 | AHSB11.09 |
| 14 | Explain existence of infinite Fourier sine transform interval | Interval from zero to infinity | Understand | CLO 20 | AHSB11.20 |
| 15 | Explain existence of infinite Fourier cosine transform interval | Interval from zero to infinity | Understand | CLO 20 | AHSB11.20 |
| UNIT - V |  |  |  |  |  |
| 1 | Define partial differential equation | A differential equation which involves partial derivatives is called a partial differential equation | Remember | CLO 24 | AHSB11.24 |
| 2 | Define order of PDE | The order of PDE is the highest partial derivative appearing in the equation | Remember | CLO 24 | AHSB11.24 |
| 3 | Define degree of PDE | Degree of PDE is the highest order derivative | Remember | CLO 24 | AHSB11.24 |
| 4 | State the formation of PDE | PDE is formed either by the elimination of arbitrary constants or by the elimination of arbitrary functions from a relation involving three or more variables | Understand | CLO 25 | AHSB11.25 |


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| :---: | :---: | :---: | :---: | :---: | :---: |
| 5 | State the rule of PDE to be of first order | If the number of constants to be eliminated is equal to the number of independent variables the derived PDE is of first order | Understand | CLO 26 | AHSB11.26 |
| 6 | State the rule of PDE to be of second or higher order | If the number of constants to be eliminated is greater than the number of independent variables then the elimination of the constants will give rise to a PDE is of second or higher order | Understand | CLO 26 | AHSB11.26 |
| 7 | Define Lagrange's linear equation | A linear PDE of order one, involving a dependent variable z and two independent variables $x$ and $y$ of the form $P p+Q q=R$ where $P, Q, R$ are functions of $x, y, z$ is called Lagrange's linear equation | Remember | CLO 27 | AHSB11.27 |
| 8 | Define non-linear partial differential equation | A PDE which involves first order partial derivatives $p$ and $q$ with degree higher than one and the products of p and q is called a non-linear partial differential equation | Remember | CLO 27 | AHSB11.27 |
| 9 | Define complete integral | A solution in which the number of arbitrary constants is equal to the number of independent variables is called complete integral | Remember | CLO 27 | AHSB11.27 |
| 10 | Define particular integral | A solution obtained by giving particular values to the arbitrary constants in the complete integral is called a particular integral | Remember | CLO 27 | AHSB11.27 |
| 11 | Define singular integral | $\mathrm{f}(\mathrm{x}, \mathrm{y}, \mathrm{z}, \mathrm{p}, \mathrm{q})=0$ is a PDE whose complete integral is $\mathrm{g}(\mathrm{x}, \mathrm{y}, \mathrm{z}, \mathrm{a}, \mathrm{b})=0$ | Remember | CLO 27 | AHSB11.27 |
| 12 | Define singular integral | $\mathrm{f}(\mathrm{x}, \mathrm{y}, \mathrm{z}, \mathrm{p}, \mathrm{q})=0$ is a PDE whose complete integral is $\mathrm{g}(\mathrm{x}, \mathrm{y}, \mathrm{z}, \mathrm{a}, \mathrm{b})=0$ | Remember | CLO 27 | AHSB11.27 |
| 13 | Define standard form I | $\mathrm{f}(\mathrm{p}, \mathrm{q})=0$ | Remember | CLO 27 | AHSB11.27 |
| 14 | Define standard form II | $\mathrm{f}(\mathrm{z}, \mathrm{p}, \mathrm{q})=0$ | Remember | CLO 27 | AHSB11.27 |
| 15 | Define standard form III | $\mathrm{f} 1(\mathrm{x}, \mathrm{p})=\mathrm{f} 2(\mathrm{y}, \mathrm{q}) \longrightarrow$ | Remember | CLO 27 | AHSB11.27 |

