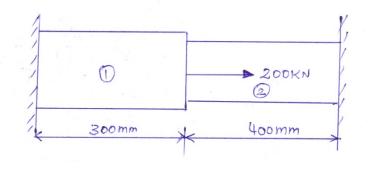


$\mathbf{MODULE}-\mathbf{I}$

- (a) A simply supported beam of length 'l' subjected to a UDL on the entire span and a point load P at the center of the span. Using Rayleigh Ritz method to determine the deflection at the mid span and slope.
 [BL: Apply] CO: 1|Marks: 7]
 - (b) Consider a bar as shown in Figure 1. An axial load of 200kN is applied at point P. Take $A_1 = 2400mm^2$, $E_1 = 70GPa$, $A_2 = 600mm^2$ and $E_2 = 200GPa$. Calculate the following
 - i) The nodal displacement at point P
 - ii) Stress in each material
 - iii) Reaction forces

[BL: Apply] CO: 1|Marks: 7]

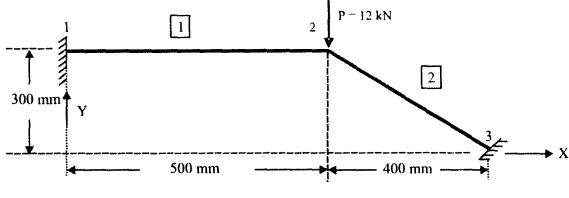




$\mathbf{MODULE}-\mathbf{II}$

- 2. (a) Explain the principle of minimum potential energy. Determine the shear forces and bending moments for the cantilever beam having length 'l'. [BL: Apply] CO: 2[Marks: 7]
 - (b) Determine the nodal displacements, element stresses and support reactions in the truss structure shown in Figure 2, assuming points 1 and 3 are fixed. Use E = 70 GPa and $A = 200mm^2$

[BL: Apply] CO: 2|Marks: 7]





$\mathbf{MODULE}-\mathbf{III}$

- 3. (a) Summarize about CST element. State its properties and applications. How an LST element can be considered as CST element? [BL: Understand| CO: 3|Marks: 7]
 - (b) For a constant strain triangular element shown in Figure 3, assemble strain-displacement matrix. Take t= 20mm and $E = 200 \times 10^5 N/mm^2$. All dimensions are in mm

[BL: Apply] CO: 3|Marks: 7]

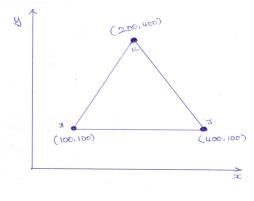


Figure 3

- 4. (a) List the conditions for a problem to be axi-symmetric. Obtain shape function for an eight noded quadrilateral element. [BL: Understand] CO: 4[Marks: 7]
 - (b) For an isoparametric quadrilateral element shown in Figure 4, determine the local coordinates of the point P which has cartesian coordinates (7, 4). [BL: Apply] CO: 4|Marks: 7]

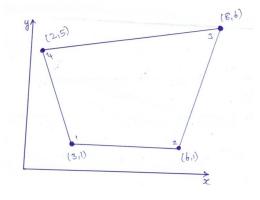


Figure 4

$\mathbf{MODULE}-\mathbf{IV}$

- 5. (a) Determine the one dimensional equation for one dimensional heat conduction element with free end convection. [BL: Apply] CO: 5|Marks: 7]
 - (b) A wall of 0.9m thickness is having thermal conductivity of 1.2W/m K. The wall is to be insulated with a material of thickness 0.09m having an average thermal conductivity 0.3W/m K. The surface temperature is 1000°C and outside insulation exposed to atmospheric air at 40°C with heat transfer coefficient $35W/m^2K$. Use finite element method to calculate the nodal temperature.

[BL: Apply] CO: 5|Marks: 7]

- 6. (a) Obtain the stiffness matrix for heat flow in a rectangular fin, where k, h and P denotes thermal conductivity, convective heat coefficient and perimeter of fin. [BL: Apply] CO: 5|Marks: 7]
 - (b) Consider a brick wall of thickness 0.3 m, k = 0.7 W/m K. The inner surface is at 28°C and the outer surface is exposed to cold air at -15°C. The heat transfer coefficient associated with the outside surface is $40W/m^2K$. Determine the steady state temperature distribution within the wall and also the heat flux through the wall. Use two elements and obtain the solution.

[BL: Apply] CO: 5|Marks: 7]

$\mathbf{MODULE}-\mathbf{V}$

- 7. (a) Find the natural frequencies of vibrations of a simple cantilever beam. Mention the convergence requirements in the finite element method. [BL: Apply] CO: 6|Marks: 7]
 - (b) Give the consistent and lumped mass matrix for the following elements
 - i) Beam element
 - ii) Bar element

[BL: Apply] CO: 6|Marks: 7]

- 8. (a) Differentiate between boundary value problem and initial value problem. Explain the importance of element mass matrix in FEM with suitable example. [BL: Understand] CO: 6|Marks: 7]
 - (b) Find the natural frequencies of longitudinal vibrations of the same stepped shaft of areas A and 2A and of equal lengths (L), when it is constrained at one end, as shown in Figure 5.

[BL: Apply| CO: 6|Marks: 7]

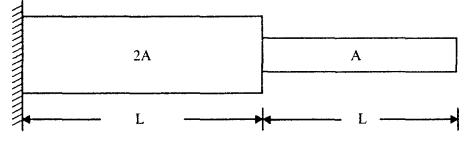


Figure 5

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