## INSTITUTE OF AERONAUTICAL ENGINEERING

(Autonomous)
Dundigal, Hyderabad - 500043
INFORMATION TECHOLOGY

DEFINITIONS AND TERMINOLOGY

| Course Name | $:$ | THEORY OF COMPUTATION |
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| Course Code | $:$ | AIT002 |
| Program | $:$ | B.Tech |
| Semester | $:$ | IV |
| Branch | $:$ | INFORMATION TECHNOLOGY |
| Section | $:$ | A,B |
| Academic Year | $:$ | 2018- 2019 |
| Course Faculty | $:$ | Mr. Ch Suresh Kumar Raju, Assistant Professor, CSE <br> Dr.K Srinivasa Reddy, Professor and HOD, IT |

OBJECTIVES

| I | To help students to consider in depth the terminology and nomenclature used in the syllabus. |
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| II | To focus on the meaning of new words / terminology/nomenclature |

DEFINITIONS AND TERMINOLOGYQUESTION BANK

| S No | QUESTION | ANSWER | Blooms Level | CLO | CLO Code |
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| UNIT - I |  |  |  |  |  |
| 1 | What is proper Suffix of a String? | A group of trailing symbols other than the string is called as proper suffix. Ex: Proper Suffixes of sting abc are <br> $\varepsilon, \mathrm{a}, \mathrm{bc}$ | Remember | CLO 1 | AIT002.01 |
| 2 | What is power of alphabet? | Consider $\sum=\{0,1\}$ the following are the powers. <br> 1. $\Sigma^{0}=\{\varepsilon\}$ <br> 2. $\Sigma^{1}=\{0,1\}$ <br> 3. $\Sigma^{2}=\{00,01,10,11\}$ $\Sigma^{3}=\{000,001,010,011,100,101,110,111\}$ | Remember | CLO 1 | AIT002.01 |
| 3 | Define kleen closure? | The set of all strings over on alphabet. It is denoted as $\Sigma^{*}=\Sigma^{0} U \Sigma^{1} U \Sigma^{2} U \Sigma^{3} U \ldots$ | Remember | CLO 1 | AIT002.01 |
| 4 | What is positive closure? | The set of all strings except $\varepsilon$ over on alphabet. It is denoted as $\Sigma^{+}=\Sigma^{1} U \Sigma^{2} U \Sigma^{3} \mathrm{U} \ldots$ | Remember | CLO 1 | AIT002.01 |
| 5 | Define Language? | A language is a set of strings, chosen form some $\Sigma^{*}$ or A language is a subset of $\Sigma^{*}$. A language which can be formed over ' $\Sigma$ ' can be Finite or Infinite. <br> Language that contains strings over $\Sigma=\{a, b\} \text { are }\{\varepsilon, a, b, a a, a b, \ldots .\}$ | Remember | CLO 2 | AIT002.02 |
| 6 | What is grammar? | It contains set of rules to generate the strings of a language. | Remember | CLO 2 | AIT002.02 |
| 7 | Define formal languages? | Formal language is set of all strings where each string restricted over particular forms of strings. String with given input. | Remember | CLO 2 | AIT002.02 |
| 8 | What are the types of formal languages? | There are four types <br> 1. Regular languages <br> 2. Context Free languages <br> 3. Context Sensitive languages <br> Recursively Enumerable languages | Remember | CLO 2 | AIT002.02 |
| 9 | What are the types of automation? | There are four types: <br> 1. Finite Automation <br> 2. Push Down Automation <br> 3. Linear Bound Automation <br> Turing Machine | Remember | CLO 2 | AIT002.02 |
| 10 | What is finite automata? | An automation the accepts regular language is called finite automata. | Remember | CLO 2 | AIT002.02 |


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| 11 | Define Automata? | It is an abstract model of digital computer. It has a mechanism for reading input. | Remember | 1 | AIT002.01 |
| 12 | Define Symbol? | Symbol is the smallest building block, which can be letter or digit or any picture. Ex: a, b, 0,1.. | Remember | 1 | AIT002.01 |
| 13 | Define Alphabet? | Alphabet is set of symbols, which are always finite. It is denoted by $\sum$. Ex: $\{0,1\},\{a, b\},\{a, b, c\} . . . .$. | Remember | 1 | AIT002.01 |
| 14 | What is String? | String is a finite sequence of symbols from some alphabet. String is generally denoted as w. <br> Ex: String over $\sum=\{a, b\}$ is ababa | Remember | 1 | AIT002.01 |
| 15 | What is length of string? | The number of symbols in the given string is called length of the string. length of a string is denoted as $\|\mathrm{w}\|$. <br> Example: $\|\mathrm{abb}\|=3$ over $\sum=\{\mathrm{a}, \mathrm{b}\}$ | Remember | 1 | AIT002.01 |
| 16 | What is substring of a string? | Any sequence of 0 or more consecutive symbols of the given string over an alphabet is called substring. <br> Example: For string abb the substrings are $\varepsilon$, $a, a b, a b b$ | Remember | 1 | AIT002.01 |
| 17 | Define Null String? | Empty string is the string with zero occurrences of symbol, represented as $\varepsilon$. | Remember | 1 | AIT002.01 |
| 18 | What is Prefix of a String? | A group of leading symbols of string is called as prefix. <br> Ex: Prefixes of sting $a b c$ are $\varepsilon, a, a b, a b c$ | Remember | 1 | AIT002.01 |
| 19 | What is Suffix of a String? | A group of trailing symbols of string is called as suffix. Ex: Suffixes of sting abc are $\varepsilon, \mathrm{a}, \mathrm{bc}, \mathrm{abc}$ | Remember | 1 | AIT002.01 |
| UNIT - II |  |  |  |  |  |
| 1 | Identify the equivalent identity rule for $R \varepsilon$ or $\varepsilon R$ | The equivalent identity rule for $\mathrm{R} \varepsilon$ or $\varepsilon \mathrm{R}$ is R | Remember | CLO 5 | AIT002.05 |
| 2 | Identify the equivalent identity rule for $\emptyset \mathrm{L}$ or $\mathrm{L} \emptyset$ | The equivalent identity rule for $\varnothing \mathrm{L}$ or $\mathrm{L} \emptyset$ is $\emptyset$ | Remember | CLO 5 | AIT002.05 |
| 3 | Identify the equivalent identity rule for $\varepsilon+\mathrm{RR}^{*}$ | The equivalent identity rule for $\varepsilon+\mathrm{RR}^{*}$ is R* | Remember | CLO 5 | AIT002.05 |
| 4 | Identify the equivalent identity rule for (PQ)*P | The equivalent identity rule for (PQ)*P is $\mathrm{P}(\mathrm{QP})^{*}$ | Remember | CLO 5 | AIT002.05 |


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| 5 | What are the applications of pumping lemma? | Pumping lemma is used to check if a language is regular or not. <br> (i) Assume that the language $(\mathrm{L})$ is regular. <br> (ii) Select a constant ' $n$ '. <br> (iii) Select a string(z) in $L$, such that $\|z\|>n$. <br> (iv) Split the word z into $\mathrm{u}, \mathrm{v}$ and w such that $\|\mathrm{uv}\|\langle=\mathrm{n}$ and $\| \mathrm{v}\rangle=1$. <br> (v) You achieve a contradiction to pumping lemma that there exists an ' i ' | Remember | CLO 7 | AIT002.07 |
| 6 | What is Arden's Theorem? | Arden's theorem helps in checking the equivalence of two regular expressions. The regular expression R is given as : $\mathrm{R}=\mathrm{Q}+\mathrm{RP}$ <br> Which has a unique solution as $\mathrm{R}=\mathrm{QP}$ *. | Remember | CLO 6 | AIT002.06 |
| 7 | What is the closure property of regular sets? | The regular sets are closed under union, concatenation and Kleene closure. $\begin{aligned} & \mathrm{r} 1 \mathrm{Ur} 2=\mathrm{r} 1+\mathrm{r} 2 \\ & \mathrm{r} 1 . \mathrm{r} 2=\mathrm{r} 1 \mathrm{r} 2(\mathrm{r})^{*}=\mathrm{r}^{*} \end{aligned}$ <br> The class of regular sets are closed under complementation, substitution, homomorphism and inverse homomorphism. | Remember | CLO 5 | AIT002.05 |
| 8 | Identify the RE for string length exactly 2 ? | The regular expression for strings of length exactly 2 is $(a+b)(a+b)$ | Understand | CLO 4 | AIT002.04 |
| 9 | Identify the RE for string length exactly 3 | The regular expression for strings of length exactly 3 is $(a+b)(a+b)(a+b)$ | Understand | CLO 4 | AIT002.04 |
| 10 | Identify the RE for string length atleast 2 | The regular expression for strings of length exactly 2 is $(a+b)(a+b)(a+b)$ | Understand | CLO 4 | AIT002.04 |
| 11 | What is a regular expression? | A regular expression is a string that describes the whole set of strings according to certain syntax rules. | Remember | 5 | AIT002.05 |
| 12 | Define acceptor? | An automaton that computes a Boolean function is called an acceptor. All the states of an acceptor is either accepting or rejecting the inputs given to it. | Remember | 5 | AIT002.05 |
| 13 | What is a regular language? | A language accepted by the regular expression is called as Regular Language. | Remember | 5 | AIT002.05 |
| 14 | What is a regular set? | A regular language which is accepted by finite automata is called regular set. | Remember | 5 | AIT002.05 |
| 15 | What is Kleen closure? | Kleen closure is defined as * that is 0 or more occurrence. | Remember | 5 | AIT002.05 |
| 16 | What is positive closure ? | positive closure is defined as + that is 1 or more occurrence. | Remember | 5 | AIT002.05 |
| 17 | Identify the equivalent identity rule for RR* | The equivalent identity rule for $\mathrm{RR}^{*}$ is $\mathrm{R} * \mathrm{R}$ | Remember | 5 | AIT002.05 |
| 18 | Identify the equivalent identity rule for $\left(\mathrm{R}^{*}\right)^{*}$ | The equivalent identity rule for ( $\left.\mathrm{R}^{*}\right)^{*}$ is $\mathrm{R} *$ | Remember | 5 | AIT002.05 |


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| 19 | Identify the equivalent identity rule for $\mathrm{R}^{*}$ R* | The equivalent identity rule for $\mathrm{R} * \mathrm{R} *$ is $\mathrm{R} *$ | Remember | 5 | AIT002.05 |
| 20 | Identify the equivalent identity rule for $\mathrm{R}+\mathrm{R}$ | The equivalent identity rule for $\mathrm{R}+\mathrm{R}$ is R (Idempotent law) | Remember | 5 | AIT002.05 |
| UNIT - III |  |  |  |  |  |
| 1 | Write the three ways to simplify a context free grammar? | a)By removing the useless symbols from the set of productions. <br> b)By eliminating the empty productions. <br> c)By eliminating the unit productions. | understand | CLO 10 | AIT002.10 |
| 2 | Write about normal form? | By reducing the grammar, although the grammar gets minimized but does not get standardized. <br> This is because the RHS of productions have no specific format. In order to standardize the given grammar, we normalize it. | understand | CLO 10 | AIT002.10 |
| 3 | Differentiate sentences and sentential forms | A sentence is a string of terminal symbols. <br> A sentential form is a string containing a mix of variables and terminal symbols or all variables.This is an intermediate form in doing a derivation. | understand | CLO 9 | AIT002.09 |
| 4 | Define Chomsky normal form? | A grammar is said to be Chomsky Normal Form (CNF), if all its productions must derive either two non-terminals or a single terminal | Remember | CLO 10 | AIT002.10 |
| 5 | State the pumping lemma for CFLs. | Let L be any CFL. Then there is a constant n , depending only on L , such that if z is in $L$ and $\|z\|>=n$, then $z=u v w x y$ such that: <br> (i) $\|\mathrm{vx}\|>=1$ <br> (ii) $\|v w x\|<=n$ and <br> (iii) for all $\mathrm{i}>=0$ uviwxiy is in L . | Understand | CLO 12 | AIT002.12 |
| 6 | List the types of normal forms? | There are two types of normal form <br> a)Chomsky Normal Form (CNF) <br> b)Greibach Normal Form (GNF) | Remember | CLO 10 | AIT002.10 |
| 7 | What are the properties of Context free languages? | a)Context free languages are closed under union <br> b) Context free languages are closed under concatenation <br> c) Context free languages are closed under kleen closure <br> d) Context free languages are closed under intersection <br> e) Context free languages are closed under complement | Remember | $\begin{gathered} \hline \text { CLO } \\ 9 \end{gathered}$ | AIT002.09 |
| 8 | Define syntax tree? | Concrete syntax tree is an ordered, rooted tree that represents the syntactic structure of a string according to some context-free grammar. | Remember | CLO9 | AIT002.09 |
| 9 | List the applications of CFG? | a)For defining programming languages <br> b)For parsing the program by constructing syntax tree <br> c) For translation of programming languages <br> d)For describing arithmetic expression | Remember | CLO9 | AIT002.09 |


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|  |  | e)For construction of compilers |  |  |  |
| 10 | What are decisions to be considered during derivation? | During parsing two decisions are taken. These are as follows: <br> a) Decide the non-terminal which is to be replaced. <br> b) Decide the production rule by which the non-terminal will be replaced. | Remember | CLO10 | AIT002.10 |
| 11 | What are the applications of Context free languages? | Context free languages are used in: <br> a)Defining programming languages. <br> b)Formalizing the notion of parsing. c)Translation of programming languages. <br> d)String processing applications. | Remember | CL09 | AIT002.09 |
| 12 | Define a context free grammar | A context free grammar (CFG) is denoted as $\mathrm{G}=(\mathrm{V}, \mathrm{T}, \mathrm{P}, \mathrm{S})$ where <br> $\mathrm{V}=$ Finite non-empty set of variables / non-terminal symbols <br> $\mathrm{T}=$ Finite set of terminal symbols <br> $\mathrm{P}=$ Finite non-empty set of production rules of the form $\mathrm{A} \rightarrow \alpha$ where $\mathrm{A} \in \mathrm{V}$ and $\alpha \in$ <br> ( $\mathrm{V} \cup \mathrm{T}$ )* <br> $\mathrm{S}=$ Start symbol | Remember | CLO9 | AIT002.09 |
| 13 | Define left-most Derivation? | In the left most derivation, the input is scanned and replaced with the production rule from left to right. So in left most derivatives read the input string from left to right. | Remember | CLO9 | AIT002.09 |
| 14 | What is right-most Derivation? | In the right most derivation, the input is scanned and replaced with the production rule from right to left. So in right most derivatives read the input string from right to left. | Remember | CLO 9 | AIT002.09 |
| 15 | What is CFL? | L is a context free language (CFL) if it is $\mathrm{L}(\mathrm{G})$ for some CFG G.. | Remember | CLO 9 | AIT002.09 |
| 16 | What is Derivation? | Derivation is a sequence of production rules. It is used to get the input string through these production rules | Remember | CLO 9 | AIT002.09 |
| 17 | Define parse tree? | Parse tree is the graphical representation of symbol. The symbol can be terminal or non-terminal.In parsing, the string is derived using the start symbol. The root of the parse tree is that start symbol. | Remember | CLO 9 | AIT002.09 |
| 18 | Define subtree? | A subtree of a derivation tree is a particular vertex of the tree together with all its descendants ,the edges connecting them and their labels.The label of the root may not be the start symbol of the grammar. | Remember | CLO 9 | AIT002.09 |
| 19 | If S->aSb \|aAb, A->bAa, A->ba .Find out the CFL | S->aAb=>abab <br> $S->a S b=>a \operatorname{aAb} b=>a \operatorname{a}$ ba $b$ b(sub S->aAb) S->aSb $=>a \mathrm{aSb} b=>a \mathrm{a} a \mathrm{a} b \mathrm{~b}$ b=>a a a babbb <br> Thus $\mathrm{L}=\{$ anbmambn, where $\mathrm{n}, \mathrm{m}>=1\}$ | Analyze | CLO 10 | AIT002.09 |


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| 20 | Define ambiguous grammar? | A grammar is said to be ambiguous if it has more than one derivation trees for a sentence or in other words if it has more than one leftmost derivation or more than one rightmost derivation | Remember | CLO 9 | AIT002.09 |
| UNIT - IV |  |  |  |  |  |
| 1 | Show the notation of the input state in PDA ? |  | Remember | CLO 14 | AIT002.14 |
| 2 | What is meant by empty stack acceptability | A PDA accepts a string when, after reading the entire string, the PDA has emptied its stack. <br> For a PDA $\left(\mathrm{Q}, \Sigma, \mathrm{S}, \delta, \mathrm{q}_{0}, \mathrm{I}, \mathrm{F}\right)$, the language accepted by the empty stack is - $\mathrm{L}(\mathrm{PDA})=\left\{\mathrm{w} \mid\left(\mathrm{q}_{0}, \mathrm{w}, \mathrm{I}\right) \vdash^{*}(\mathrm{q}, \varepsilon, \varepsilon), \mathrm{q} \in \mathrm{Q}\right\}$ | Remember | CLO 12 | AIT002.12 |
| 3 | Show the notation of the output state in PDA ? |  | Remember | CLO 14 | AIT002.14 |
| 4 | Define acceptance of PDA by Final State | In final state acceptability, a PDA accepts a string when, after reading the entire string, the PDA is in a final state. From the starting state, we can make moves that end up in a final state with any stack values. The stack values are irrelevant as long as we end up in a final state. <br> For a PDA $\left(\mathrm{Q}, ~ \Sigma, \mathrm{~S}, \delta, \mathrm{q}_{0}, \mathrm{I}, \mathrm{F}\right)$, the language accepted by the set of final states F is - $\mathrm{L}(\mathrm{PDA})=\left\{\mathrm{w} \mid\left(\mathrm{q}_{0}, \mathrm{w}, \mathrm{I}\right) \vdash^{*}(\mathrm{q}, \varepsilon, \mathrm{x}), \mathrm{q} \in \mathrm{~F}\right\}$ <br> for any input stack string $\mathbf{x}$. | Remember | CLO 14 | AIT002.14 |
| 5 | Define acceptance of PDA by empty Stack? | In final state acceptability, a PDA accepts a string when, after reading the entire string, the PDA is in a final state. <br> For a PDA $\left(\mathrm{Q}, \Sigma, \mathrm{S}, \delta, \mathrm{q}_{0}, \mathrm{I}, \mathrm{F}\right)$, the language accepted by the empty stack is - | Remember | CLO 15 | AIT002.15 |


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|  |  | $\mathrm{L}(\mathrm{PDA})=\left\{\mathrm{w} \mid\left(\mathrm{q}_{0}, \mathrm{w}, \mathrm{I}\right) \vdash^{*}(\mathrm{q}, \varepsilon, \varepsilon), \mathrm{q} \in \mathrm{Q}\right\}$ |  |  |  |
| 6 | Show the notation of the transition symbol between two states in PDA ? |  | Remember | CLO 14 | AIT002.14 |
| 7 | Why input tape is used in PDA ? | Input tape is a buffer ,which is divided into cells and each cell stores a one input symbol from the give string input symbols are read by control head from left to right. \$ is placed at the end of the string. | Remember | CLO 14 | AIT002.14 |
| 8 | Why stack is used in the PDA ? | finite control reads the input symbols and places them in stack which is last in first out data structure | Remember | CLO 14 | AIT002.14 |
| 9 | Why pop operation is used in PDA? | while reading the input symbols from input tape based on the condition top of the stack symbol is popped from stack to recognize a particular string | Remember | CLO 14 | AIT002.14 |
| 10 | Define NPDA | A nondeterministic pushdown automaton (npda) is basically an nfa with a stack added to it. | Remember | CLO 14 | AIT002.14 |
| 11 | What is the PDA? Why it is developed? | PDA is a tool to implement CFLs.The FA has no memory to remember the count of input symbols or to match the relationship between the different types of symbols occurring in the string, that's why PDA is developed | Remember | CLO 14 | AIT002.14 |
| 12 | Define Push Down Automata? | A pushdown automaton is a way to implement a context-free grammar in a similar way we design DFA for a regular grammar. A DFA can remember a finite amount of information, but a PDA can remember an infinite amount of information. <br> Basically a pushdown automaton is - <br> "Finite state machine" + "a stack" <br> A pushdown automaton has three components - <br> - an input tape, <br> - a control unit, and <br> - a stack with infinite size. | Remember | CLO 14 | AIT002.14 |
| 13 | How to represent the initial store of PDA ? | A Special pushdown symbol called the initial symbol on push down store represented by $\mathrm{Z}_{0}$ | Remember | CLO 14 | AIT002.14 |
| 14 | How to represent the PDA? | PDA M $=\left(\mathrm{Q}, ~, \Gamma, \sum, \delta, \mathrm{q}_{0}, \mathrm{Z}_{0}, \mathrm{~F}\right)$ | Remember | CLO 14 | AIT002.14 |
| 15 | How to represent transition function in PDA? | $\delta: \mathrm{Q} \times \sum \mathrm{x} \Gamma=>\mathrm{Q} \times \Gamma$ | Remember | CLO 14 | AIT002.14 |


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| 16 | Name the 7 tuples of PDA | $\begin{aligned} & \mathrm{Q}=\text { Set Of All States } \\ & \Gamma=\text { stack symbols } \\ & \sum=\text { input alphabet } \\ & \delta=\text { transition function } \\ & \mathrm{q}_{0}=\text { start state } \\ & \mathrm{Z}_{0}=\text { Initial stack top symbol } \\ & \mathrm{F}=\text { Final/accepting states } \end{aligned}$ | Remember | CLO 14 | AIT002.14 |
| 17 | How many operations are performed on the stack ? | A stack does two operations <br> - Push - a new symbol is added at the top. <br> - Pop - the top symbol is read and removed. | Remember | CLO 14 | AIT002.14 |
| 18 | How to represent the empty stack initially? | Initially we put a special symbol '\$' into the empty stack. | Remember | CLO 14 | AIT002.14 |
| 19 | Define Deterministic Contextfree Language? | Deterministic CFL are subset of CFL which can be recognized by Deterministic PDA. Deterministic PDA has only one move from a given state and input symbol. | Remember | CLO 14 | AIT002.14 |
| 20 | Show the notation of the empty string in PDA | If $\|\mathbf{S}\|=0$, it is called an empty string (Denoted by $\lambda$ or $\varepsilon$ ) | Remember | CLO 14 | AIT002.14 |
| UNIT - V |  |  |  |  |  |
| 1 | Context-sensitive grammar | Context sensitive grammars generates context-sensitive languages. <br> The productions must be in the form: $\alpha \rightarrow \beta$, with the following condition <br> $\|\beta\|>=\|\alpha\|$,i.e. length of $\beta$ is greater than length of $\alpha$. | Remember | CLO19 | AIT002.19 |
| 2 | Unrestricted grammar | Type-0 grammars generate recursively enumerable languages. The productions have no restrictions. They are any phase structure grammar including all formal grammars. <br> They generate the languages that are recognized by a Turing machine. | Remember | CLO19 | AIT002.19 |


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| 3 | Pushdown automata | A pushdown automaton is a way to implement a context-free grammar in a similar way we design DFA for a regular grammar. A DFA can remember a finite amount of information, but a PDA can remember an infinite amount of information. <br> Basically a pushdown automaton is - <br> "Finite state machine" + "a stack" <br> A pushdown automaton has three components - <br> - an input tape, <br> - a control unit, and <br> - a stack with infinite size. <br> The stack head scans the top symbol of the stack. | Remember | CLO19 | AIT002.19 |
| 4 | Multi-tape Turing Machine | Multi-tape Turing Machines have multiple tapes where each tape is accessed with a separate head. Each head can move independently of the other heads. Initially the input is on tape 1 and others are blank. At first, the first tape is occupied by the input and the other tapes are kept blank. Next, the machine reads consecutive symbols under its heads and the TM prints a symbol on each tape and moves its heads. | Remember | CLO19 | AIT002.19 |
| 5 | Turing machine with multiple tapes | Multi-tape Turing Machines have multiple tapes where each tape is accessed with a separate head. Each head can move independently of the other heads. Initially the input is on tape 1 and others are blank. At first, the first tape is occupied by the input and the other tapes are kept blank. Next, the machine reads consecutive symbols under its heads and the TM prints a symbol on each tape and moves its heads. | Remember | CLO19 | AIT002.19 |
| 6 | Chomsky hierarchy of grammars | Type-0, Type-1, Type-2 and Type-3 grammars | Remember | CLO19 | AIT002.19 |
| 7 | Turing machine with two dimensional tapes | Turing machine with two dimensional tapes that have one finite control, one readwrite head and one two dimensional tape. The tape has the top end and the left end but extends indefinitely to the right and down. It is divided into rows of small squares. | Remember | CLO19 | AIT002.19 |
| 8 | Turing machine with infinite tape | a tape has infinite length and divided into cells | Remember | CLO19 | AIT002.19 |
| 9 | Deterministic Turing machine | Turing machines are a model of computation. It is believed that anything that can be computed can be by a Turing Machine | Remember | CLO19 | AIT002.19 |
| 10 | Multi-track Turing machines | Multi-track Turing machines, a specific type of Multi-tape Turing machine, contain multiple tracks but just one tape head reads and writes on all tracks. Here, a single tape | Remember | CLO19 | AIT002.19 |


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|  |  | head reads n symbols from $\mathbf{n}$ tracks at one step. It accepts recursively enumerable languages like a normal single-track single-tape Turing Machine accepts. |  |  |  |
| 11 | Define Turing machine? | A Turing machine consists of a tape of infinite length on which read and writes operation can be performed. The tape consists of infinite cells on which each cell either contains input symbol ora special symbol called blank. It also consists of a head pointer which points to cell currently being read and it can move in both directions. | Remember | CLO16 | AIT002.16 |
| 12 | Define recursively enumerable languages? | A language is recursively enumerable if there exists a Turing machine that accepts every string of the language, and does not accept strings that are not in the language. | Remember | CLO16 | AIT002.16 |
| 13 | Define recursive languages? | A language is recursive if there exists a Turing machine that accepts every string of the language and rejects every string that is not in the language. | Remember | CLO16 | AIT002.16 |
| 14 | Define Church's hypothesis? | The Church-Turing thesis (formerly commonly known simply as Church's thesis) says that any real-world computation can be translated into an equivalent computation involving a Turing machine. | Remember | CLO16 | AIT002.16 |
| 15 | Define counter machine? | Counter machine has the same structure as the multi-stack machine but in place of each stack is a counter. Counters hold any non-negative integer, but we can only distinguish between zero and nonzero counters. That's the move of the counter machine depends on its state,input symbol and which if any of the counters are zero. | Remember | CLO16 | AIT002.16 |
| 16 | Define linear bounded automata? | A linear bounded automaton is a multi-track non-deterministic Turing machine with a tape of some bounded finite length. <br> Length $=$ function $($ Length of the initial input string, constant c$)$ <br> Here, <br> Memory information $\leq \mathrm{c} \times$ Input information <br> The computation is restricted to the constant bounded area. The input alphabet contains two special symbols which serve as left end markers and right end markers which mean the transitions neither move to the left of the left end marker nor to the right of the right end marker of the tape. | Remember | CLO16 | AIT002.16 |
| 17 | Define context sensitive language? | Type-1 grammars generate context-sensitive languages. | Remember | CLO16 | AIT002.16 |
| 18 | Define Chomsky hierarchy of languages? | One way showing the relationship among the languages if Chomsky hierarchy. <br> Type 0 known as unrestricted grammar. | Remember | CLO16 | AIT002.16 |


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|  |  | Type 1 known as context sensitive grammar. <br> Type 2 known as context free grammar. <br> Type 3 Regular Grammar. |  |  |  |
| 19 | Define Regular Grammar? | Type-3 grammars generate regular languages. Type-3 grammars must have a single non-terminal on the left-hand side and a right-hand side consisting of a single terminal or single terminal followed by a single non-terminal. <br> The productions must be in the form $\mathrm{X} \rightarrow \mathrm{a}$ or $\mathrm{X} \rightarrow \mathrm{aY}$ <br> where $\mathrm{X}, \mathrm{Y} \in \mathrm{N}$ (Non terminal) <br> and $\mathrm{a} \in \mathrm{T}$ (Terminal) <br> The rule $S \rightarrow \varepsilon$ is allowed if $S$ does not appear on the right side of any rule. | Remember | CLO16 | AIT002.16 |
| 20 | Define Type-2 grammars ? | Type-2 grammars generate context-free languages. <br> The productions must be in the form $\mathrm{A} \rightarrow \gamma$ <br> where $\mathrm{A} \in \mathrm{N}$ (Non terminal) <br> and $\gamma \in(T \cup N)^{*}$ (String of terminals and non-terminals). <br> These languages generated by these grammars are be recognized by a nondeterministic pushdown automaton. | Remember | CLO16 | AIT002.16 |

