

BASIC SIMULATION WITH MATLAB LABORATORY LAB MANUAL

Academic Year : 2019-2020
Course Code : AAEB01
Regulation : R18
Class : II Sem
Branch : AE

**Prepared
By**

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AERONAUTICAL ENGINEERING

INSTITUTE OF AERONAUTICAL ENGINEERING

(Autonomous)

Dundigal, Hyderabad - 500 043



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AERONAUTICALENGINEERING

Program Outcomes	
PO1	Engineering knowledge: Apply the knowledge of mathematics, science, engineering fundamentals, and an engineering specialization to the solution of complex engineering problems.
PO2	Problem analysis: Identify, formulate, review research literature, and analyze complex engineering problems reaching substantiated conclusions using first principles of mathematics, natural sciences, and engineering sciences.
PO3	Design/development of solutions: Design solutions for complex engineering problems and design system components or processes that meet the specified needs with appropriate consideration for the public health and safety, and the cultural, societal, and environmental considerations.
PO4	Conduct investigations of complex problems: Use research-based knowledge and research methods including design of experiments, analysis and interpretation of data, and synthesis of the information to provide valid conclusions.
PO5	Modern tool usage: Create, select, and apply appropriate techniques, resources, and modern engineering and IT tools including prediction and modeling to complex engineering activities with an understanding of the limitations.
PO6	The engineer and society: Apply reasoning informed by the contextual knowledge to assess societal, health, safety, legal and cultural issues and the consequent responsibilities relevant to the professional engineering practice.
PO7	Environment and sustainability: Understand the impact of the professional engineering solutions in societal and environmental contexts, and demonstrate the knowledge of, and need for sustainable development.
PO8	Ethics: Apply ethical principles and commit to professional ethics and responsibilities and norms of the engineering practice.
PO9	Individual and team work: Function effectively as an individual, and as a member or leader in diverse teams, and in multidisciplinary settings.
PO10	Communication: Communicate effectively on complex engineering activities with the engineering community and with society at large, such as, being able to comprehend and write effective reports and design documentation, make effective presentations, and give and receive clear instructions.
PO11	Project management and finance: Demonstrate knowledge and understanding of the engineering and management principles and apply these to one's own work, as a member and leader in a team, to manage projects and in multidisciplinary environments.
PO12	Life-long learning: Recognize the need for, and have the preparation and ability to engage in independent and life-long learning in the broadest context of technological change.



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Program Specific Outcomes	
PSO1	Professional skills: Able to utilize the knowledge of aeronautical/aerospace engineering in innovative, dynamic and challenging environment for design and development of new products
PSO2	Problem solving skills: imparted through simulation language skills and general purpose CAE packages to solve practical, design and analysis problems of components to complete the challenge of airworthiness for flightvehicles
PSO3	Practical implementation and testing skills: Providing different types of in house and training and industry practice to fabricate and test and develop the products with more innovative technologies.
PSO4	Successful career and entrepreneurship: To prepare the students with broad aerospace knowledge to design and develop systems and subsystems of aerospace and allied systems and become technocrats





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Certificate

*This is to certify that it is a bonafied record of practical work done by
Sri/Kum. _____ bearing
the Roll No. _____ of _____ class
_____ branch in the
_____ laboratory during the academic
year _____ under our supervision.*

Head of the Department

Lecturer In-Charge

External Examiner

Internal Examiner

ATTAINMENT OF PROGRAM OUTCOMES & PROGRAM SPECIFIC OUTCOMES

Expt. No.	Program Outcomes Attained	Program Specific Outcomes Attained
I	PO1, PO2, PO3, PO4, PO5, PO12	PSO1, PSO2
II	PO1, PO2, PO3, PO4, PO5, PO12	PSO1, PSO2
III	PO1, PO2, PO3, PO4, PO5, PO12	PSO1, PSO2
IV	PO1, PO2, PO3, PO4, PO5, PO12	PSO1, PSO2
V	PO1, PO2, PO3, PO4, PO5, PO12	PSO1, PSO2
VI	PO1, PO2, PO3, PO4, PO5, PO12	PSO1, PSO2
VII	PO1, PO2, PO3, PO4, PO5, PO12	PSO1, PSO2
VIII	PO1, PO2, PO3, PO4, PO5, PO12	PSO1, PSO2
IX	PO1, PO2, PO3, PO4, PO5, PO12	PSO1, PSO2
X	PO1, PO2, PO3, PO4, PO5, PO12	PSO1, PSO2
XI	PO1, PO2, PO3, PO4, PO5, PO12	PSO1, PSO2
XII	PO1, PO2, PO3, PO4, PO5, PO12	PSO1, PSO2



BASIC SIMULATION WITH MAT LABORATORY

II Semester: AE								
Course Code	Category	Hours / Week			Credits	Maximum Marks		
AAEB01	Foundation	L	T	P	C	CIE	SEE	Total
		0	0	3	1.5	30	70	100
Contact Classes: Nil	Tutorial Classes: Nil	Practical Classes: 24			Total Classes: 24			
OBJECTIVES:								
The course should enable the students to:								
I. Understand the procedures, algorithms, and concepts require to solve specific problems.								
II. Analyze the concepts of algebra, calculus and numerical solutions using MATLAB software.								
III. Enrich the knowledge in MATLAB and can apply for projectworks.								
IV. Interpret and visualize simple mathematical functions and operations thereon using plots/display.								
LIST OF EXPERIMENTS								
Week-1	BASIC FEATURES							
a. Features and uses.								
b. Local environment setup.								
Week-2	ALGEBRA							
a. Solving basic algebraic equations.								
b. Solving system of equations.								
c. Two dimensional plots.								
Week-3	CONTROL STRUCTURES							
a. For Loop.								
b. While Loop.								
c. If- else if- else control structure.								
Week-4	MATRICES							
a. Addition, subtraction and multiplication of matrices.								
b. Transpose of a matrix.								
c. Inverse of a matrix.								
Week-5	SYSTEM OF LINEAR EQUATIONS							
a. Rank of a matrix.								
b. Gauss Jordan method.								
c. LU decomposition method.								
Week-6	LINEAR TRANSFORMATION							
a. Characteristic equation.								
b. Eigenvalues.								
c. Eigen vectors.								
Week-7	DIFFERENTIATION AND INTEGRATION							
a. Higher order differential equations.								
b. Double integrals.								
c. Triple integrals.								
Week-8	NUMERICAL DIFFERENTIATION AND INTEGRATION							
a. Trapezoidal, Simpson's method.								
b. Euler method.								
c. Runge Kutta method								
Week-9	3D PLOTTING							
a. Line plotting.								
b. Surface plotting.								
c. Volume plotting.								

Week-10	DEFLECTION OF SIMPLY SUPPORTED BEAM
	<ul style="list-style-type: none"> a. Calculating vertical displacement with pointload. b. Calculating vertical displacement with uniformly distributedload. c. Calculating vertical displacement with uniformly varyingload.
Week-11	DEFLECTION OF CANTILEVER BEAM
	<ul style="list-style-type: none"> b. Calculating vertical displacement with pointload. c. Calculating vertical displacement with uniformly distributedload. c. Calculating vertical displacement with uniformly varying load
Week-12	FORMULATION OF IDEAL AND REAL GAS EQUATIONS
	<ul style="list-style-type: none"> a. Calculating the pressure, temperature, density for Earth's atmospheric conditions atdifferent altitudes. b. Calculating the pressure, temperature, density for other planets at differentaltitudes.
Reference Books:	
<ul style="list-style-type: none"> 1. Cleve Moler, "Numerical Computing with MATLAB", SIAM, Philadelphia, 2nd Edition, 2008. 2. Dean G. Duffy, "Advanced Engineering Mathematics with MATLAB", CRC Press, Taylor& Francis Group, 6th Edition,2015. 3. Delores M. Etter, David C. Kuncicky, Holly Moore, "Introduction to MATLAB 7", Pearson Education Inc, 1st Edition,2009. 4. Rao. V. Dukkipati , "MATLAB for ME Engineers", New Age Science, 1st Edition,2008. 	
Web Reference:	
<ul style="list-style-type: none"> 1. http://www.tutorialspoint.com/matlab/ 2. http://www.iare.ac.in 	
SOFTWARE AND HARDWARE REQUIREMENTS FOR A BATCH OF 30 STUDENTS:	
SOFTWARE: Microsoft Windows 7 and MATLAB – V 8.5, which is also R2015a	
HARDWARE: 30 numbers of Intel Desktop Computers with 2 GB RAM	



EXPERIMENT 1

BASIC FEATURES

OBJECTIVES:

- a. To know the history, features and uses of MATLAB
- b. To know the local environment of MATLAB

CONTENT:

Introduction:

MATLAB is a high-level language and interactive environment for numerical computation, visualization, and programming. Using MATLAB, you can analyse data, develop algorithms, and create models and applications. The language, tools, and built-in math functions enable you to explore multiple approaches and reach a solution faster than with spread sheets or traditional programming languages, such as C/C++ or Java. You can use MATLAB for a range of applications, including signal processing and communications, image and video processing, control systems, test and measurement, computational finance, and computational biology. More than a million engineers and scientists in industry and academia use MATLAB, the language of technical computing.

History:

1. Developed primarily by Cleve Moler in the 1970's Derived from FORTRAN subroutines LINPACK and EISPACK, linear and eigenvalue systems.
2. Developed primarily as an interactive system to access LINPACK and EISPACK.
3. Gained its popularity through word of mouth, because it was not socially distributed.
4. Rewritten in C in the 1980's with more functionality, which include plotting routines.
5. The Math Works Inc. was created (1984) to market and continue development of MATLAB.

Strengths:

1. MATLAB may behave as a calculator or as a programming language
2. MATLAB combine nicely calculation and graphic plotting.
3. MATLAB is relatively easy to learn
4. MATLAB is interpreted (not compiled), errors are easy to fix
5. MATLAB is optimized to be relatively fast when performing matrix operations
6. MATLAB does have some object-oriented elements

Weaknesses:

1. MATLAB is not a general purpose programming language such as C, C++, or FORTRAN
2. MATLAB is designed for scientific computing, and is not well suitable for other applications
3. MATLAB is an interpreted language, slower than a compiled language such as C++
4. MATLAB commands are specific for MATLAB usage. Most of them do not have a direct equivalent with other programming language commands

Competition:

One of MATLAB's competitors is Mathematica the symbolic computation program. MATLAB is more convenient for numerical analysis and linear algebra. It is frequently used in engineering community. Mathematica has superior symbolic manipulation, making it popular among physicists. There are other competitors: Scilab, GNU Octave, and Rlab.

Key Features:

1. It is a high-level language for numerical computation, visualization and application development.
2. It also provides an interactive environment for iterative exploration, design and problem solving.
3. It provides vast library of mathematical functions for linear algebra, statistics, Fourier analysis, filtering, optimization, numerical integration and solving ordinary differential equations.
4. It provides built-in graphics for visualizing data and tools for creating custom plots.
5. MATLAB's programming interface gives development tools for improving code quality, maintainability, and maximizing performance.
6. It provides tools for building applications with custom graphical interfaces.

7. It provides functions for integrating MATLAB based algorithms with external applications and languages such as C, Java, .NET and MicrosoftExcel.

MATLAB's Power of Computational Mathematics:

MATLAB is used in every facet of computational mathematics. Following are some commonly used mathematical calculations where it is used most commonly:

1. Dealing with Matrices and Arrays
2. 2-D and 3-D Plotting and graphics
3. Linear Algebra
4. Algebraic Equations
5. Non-linear Functions
6. Statistics
7. Data Analysis
8. Calculus and Differential Equations
9. Numerical Calculations
10. Integration
11. Transforms
12. Curve Fitting
13. Various other special functions

Uses of MATLAB:

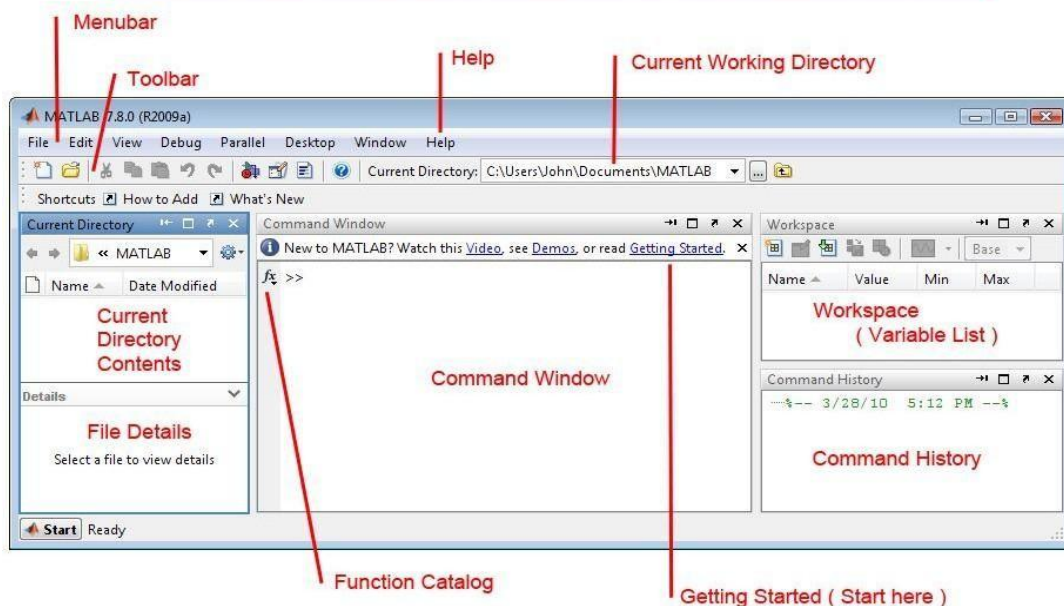
MATLAB is widely used as a computational tool in science and engineering encompassing the fields of physics, chemistry, math and all engineering streams. It is used in a range of applications including:

1. Signal processing and Communications
2. Image and video Processing
3. Control systems
4. Test and measurement
5. Computational finance
6. Computational biology

Understanding the MATLAB Environment:

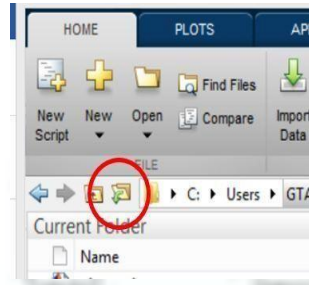
MATLAB development IDE can be launched from the icon created on the desktop. The main working window in MATLAB is called the desktop. When MATLAB is started, the desktop appears in its default layout:

The MATLAB Work Environment



The desktop includes these panels:

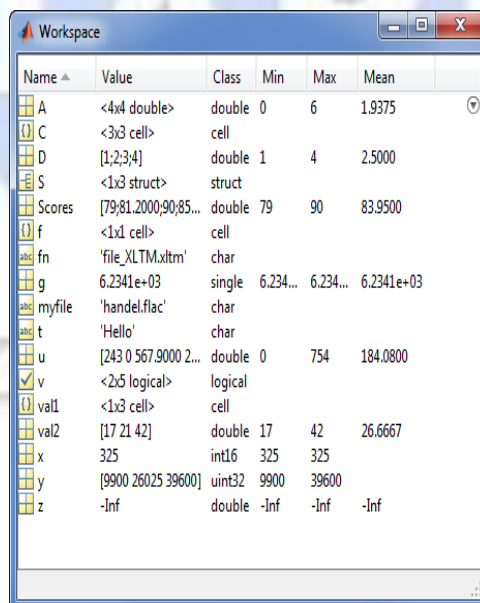
Current Folder - This panel allows you to access the project folders and files.



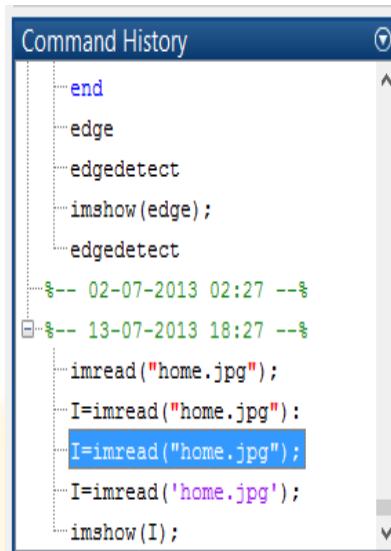
Command Window - This is the main area where commands can be entered at the command line. It is indicated by the command prompt (>>).



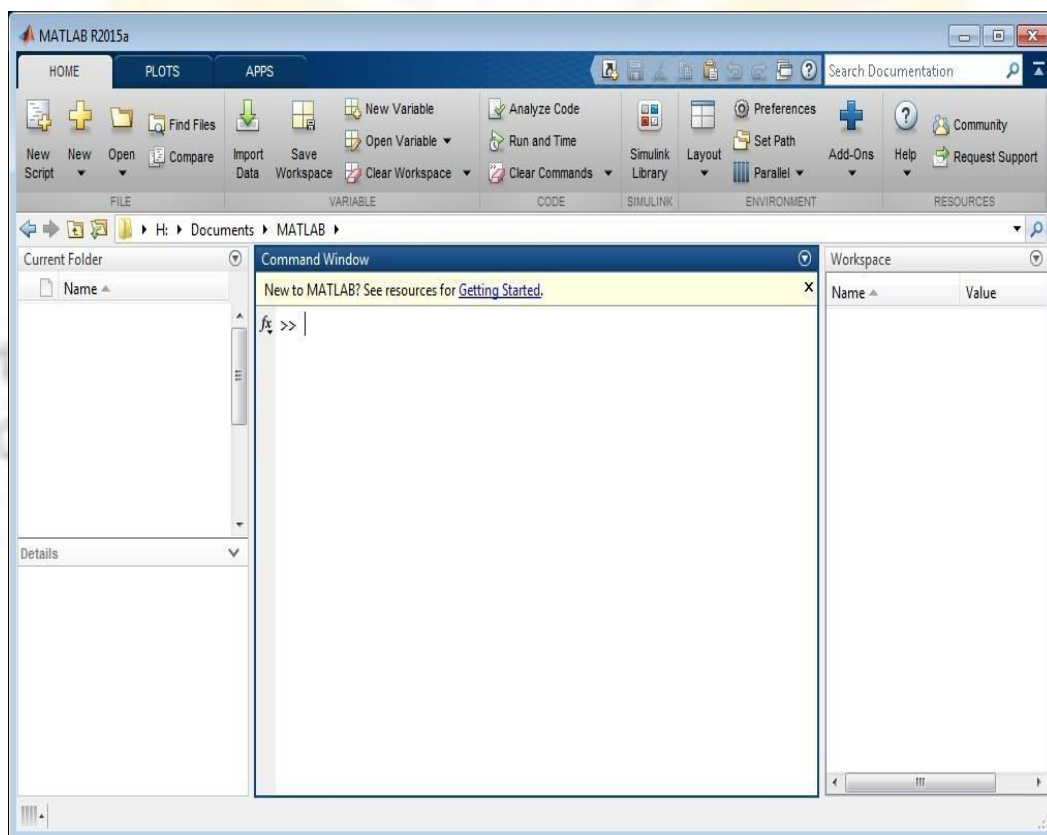
Workspace - The workspace shows all the variables created and/or imported from files.



Command History - This panel shows or rerun commands that are entered at the command line.



```
end
edge
edgedetect
imshow(edge);
edgedetect
02-07-2013 02:27
13-07-2013 18:27
imread("home.jpg");
I=imread("home.jpg");
I=imread('home.jpg');
imshow(I);
```



You are now faced with the MATLAB desktop on your computer, which contains the prompt (>>) in the Command Window. Usually, there are 2 types of prompt:

>> For full version
EDU> for educational version

Note:

1. To simplify the notation, we will use this prompt, >>, as a standard prompt sign, though our MATLAB version is for educational purpose.
2. MATLAB adds variable to the workspace and displays the result in the Command Window.

Managing workspace and file commands:

Command	Description
cd	Change current directory
clc	Clear the Command Window
clear (all)	Removes all variables from the workspace
clear x	Remove x from the workspace
copy file	Copy file or directory
delete	Delete files
dir	Display directory listing
exist	Check if variables or functions are defined
help	Display help for MATLAB functions
look for	Search for specified word in all help entries
mkdir	Make new directory
move file	Move file or directory
pwd	Identify current directory
rmdir	Remove directory
type	Display contents of file
what	List MATLAB files in current directory
which	Locate functions and files
who	Display variables currently in the workspace
whos	Display information on variables in the workspace

Commonly used Operators and Special Characters:

MATLAB supports the following commonly used operators and special characters:

Operator	Purpose
+	Plus; addition operator.
-	Minus; subtraction operator.
*	Scalar and matrix multiplication operator.
.*	Array multiplication operator.
^	Scalar and matrix exponentiation operator.
.^	Array exponentiation operator.
\	Left-division operator.
/	Right-division operator.
.\	Array left-division operator.
./	Array right-division operator.
:	Colon; generates regularly spaced elements and represents an entire row or column.

()	Parentheses; encloses function arguments and array indices; overrides precedence.
[]	Brackets; enclosures array elements.
.	Decimal point.
...	Ellipsis; line-continuation operator
,	Comma; separates statements and elements in a row
;	Semicolon; separates columns and suppresses display.
%	Percent sign; designates a comment and specifies formatting.
_	Quote sign and transpose operator.
._	Non-conjugated transpose operator.
=	Assignment operator.

Note:

If you end a statement with a semicolon, MATLAB performs the computation, but suppresses the display of output in the Command Window.

Special Variables and Constants:

MATLAB supports the following special variables and constants:

Name	Meaning
ans	Most recent answer.
eps	Accuracy of floating-point precision.
i,j	The imaginary unit $\sqrt{-1}$.
Inf	Infinity.
NaN	Undefined numerical result (not a number).
pi	The number π

Naming Variables:

Variable names consist of a letter followed by any number of letters, digits or underscore. MATLAB is **case-sensitive**. Variable names can be of any length; however, MATLAB uses only first N characters, where N is given by the function **namelengthmax**.

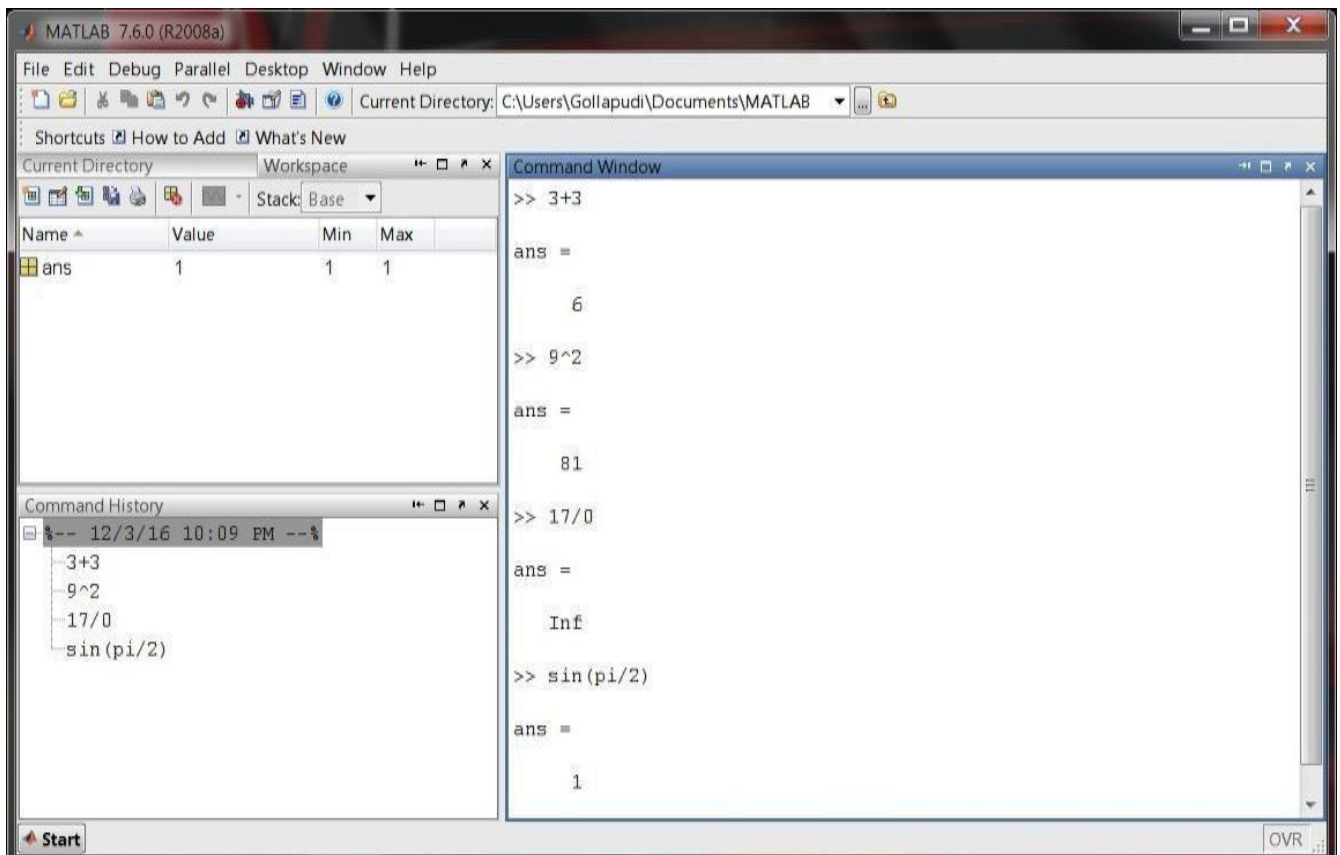
Saving Your Work:

The **save** command is used for saving all the variables in the workspace, as a file with .mat extension, in the current directory.

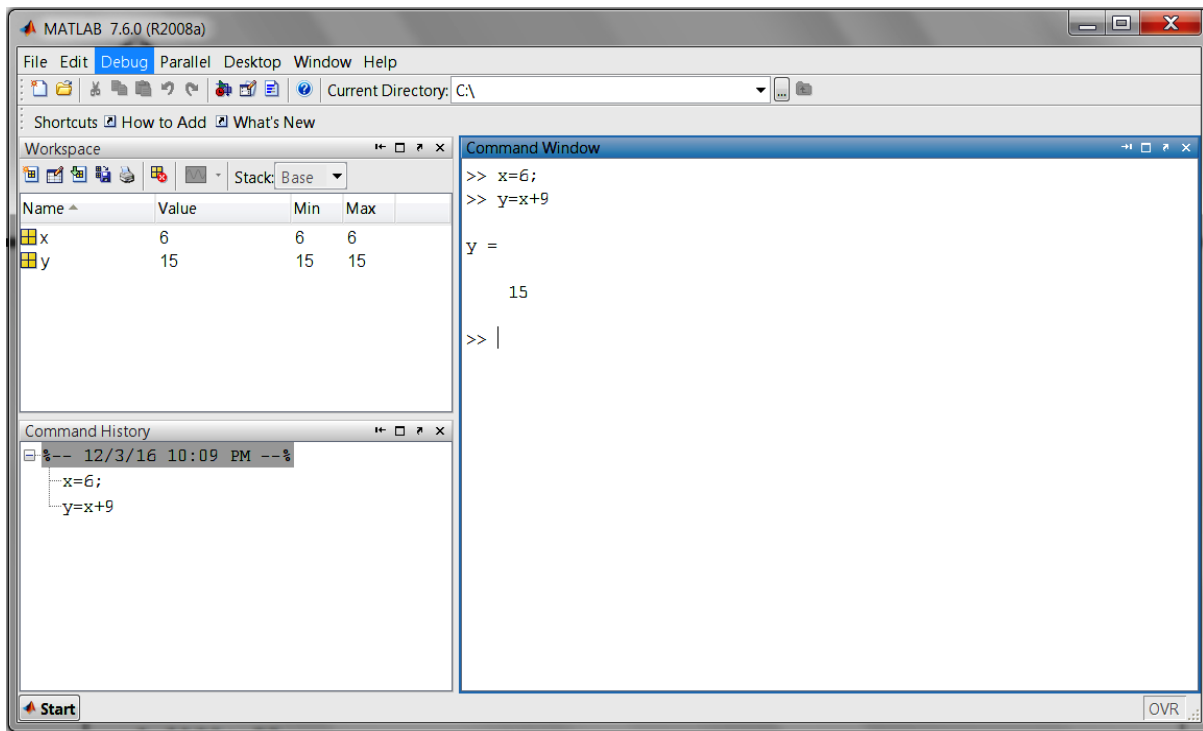
For example, save myfile

You can reload the file anytime later using the **load** command. load myfile

Example 1:



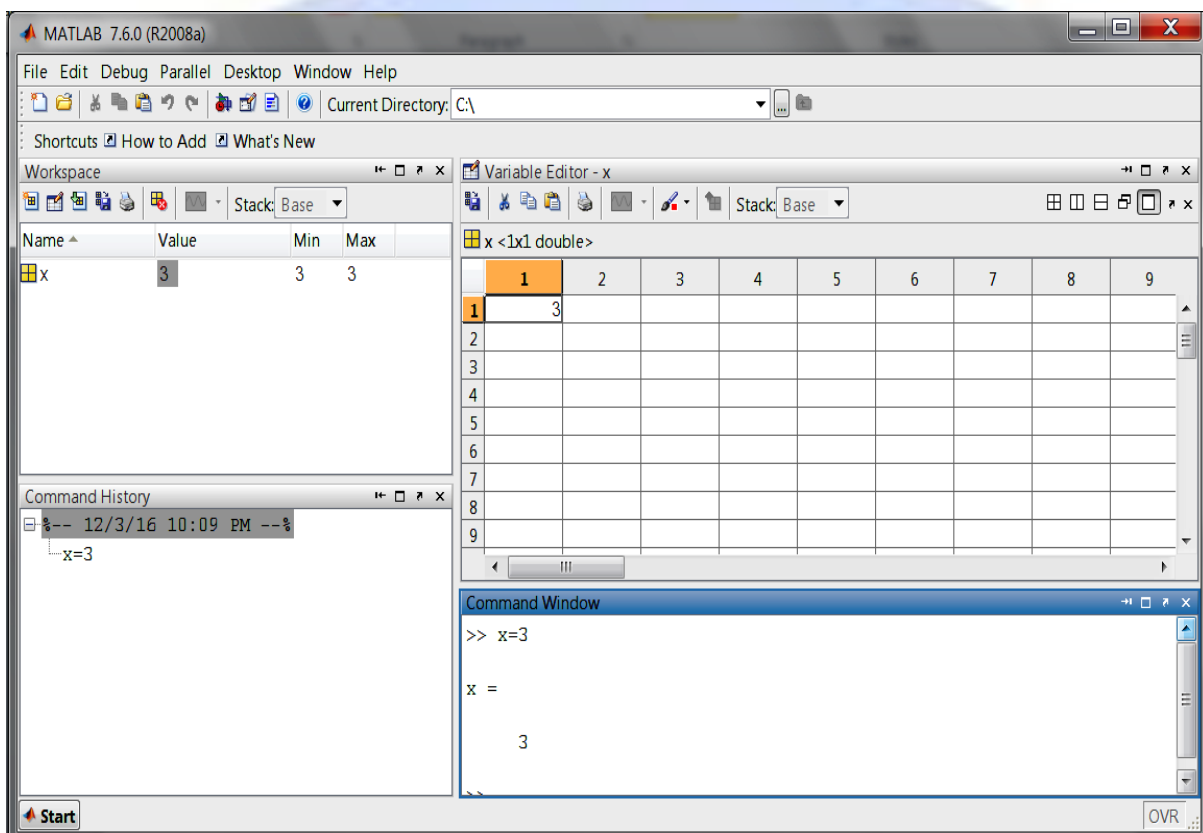
Example 2:



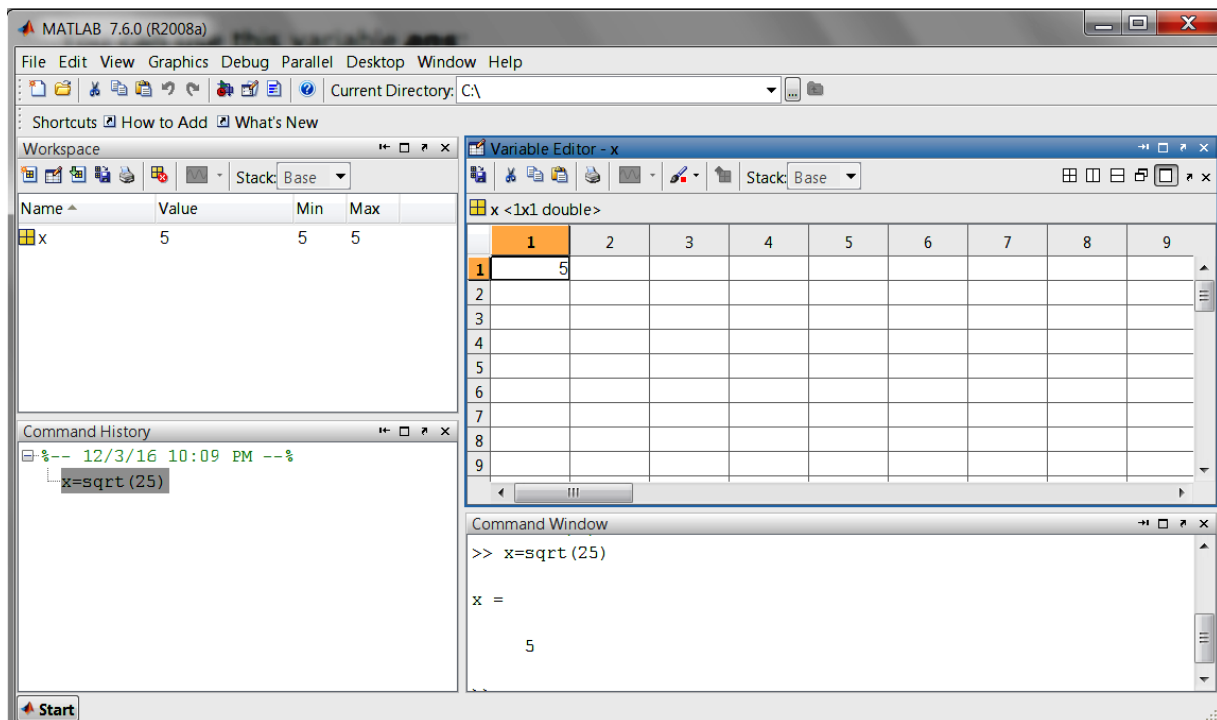
In MATLAB environment, every variable is an array or matrix.

Example 3:

In the above example it creates a 1-by-1 matrix named 'x' and stores the value 3 in its element.



Example 4:

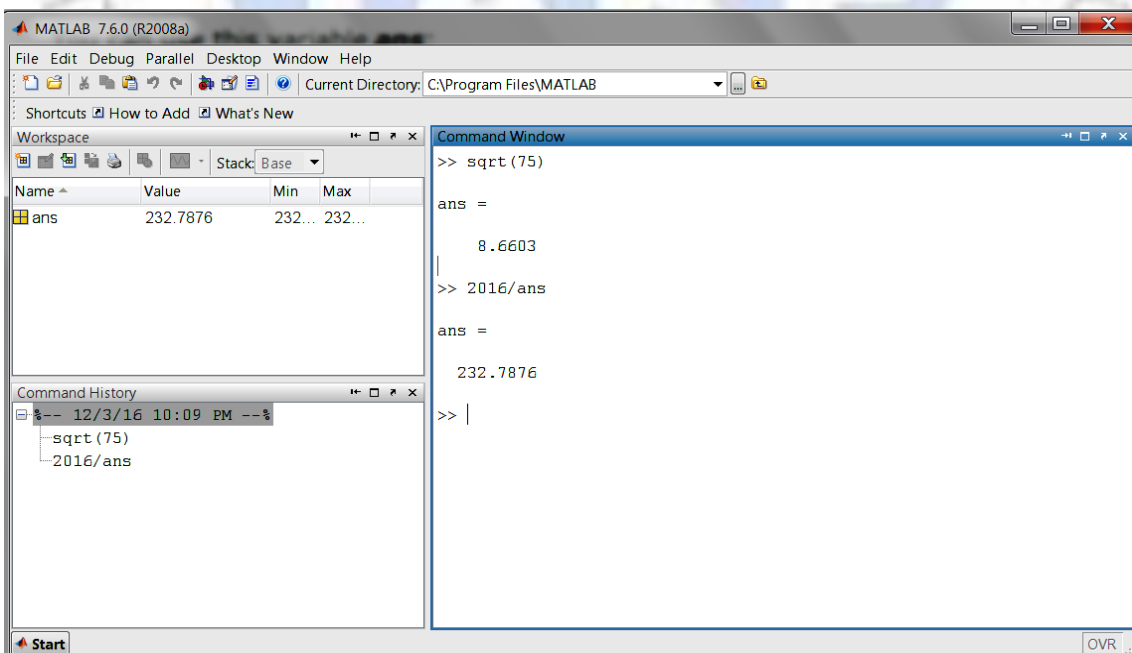


In this example `x` is used to find the square root of 25. It creates a 1-by-1 matrix named 'x' and stores the value 5 in its element.

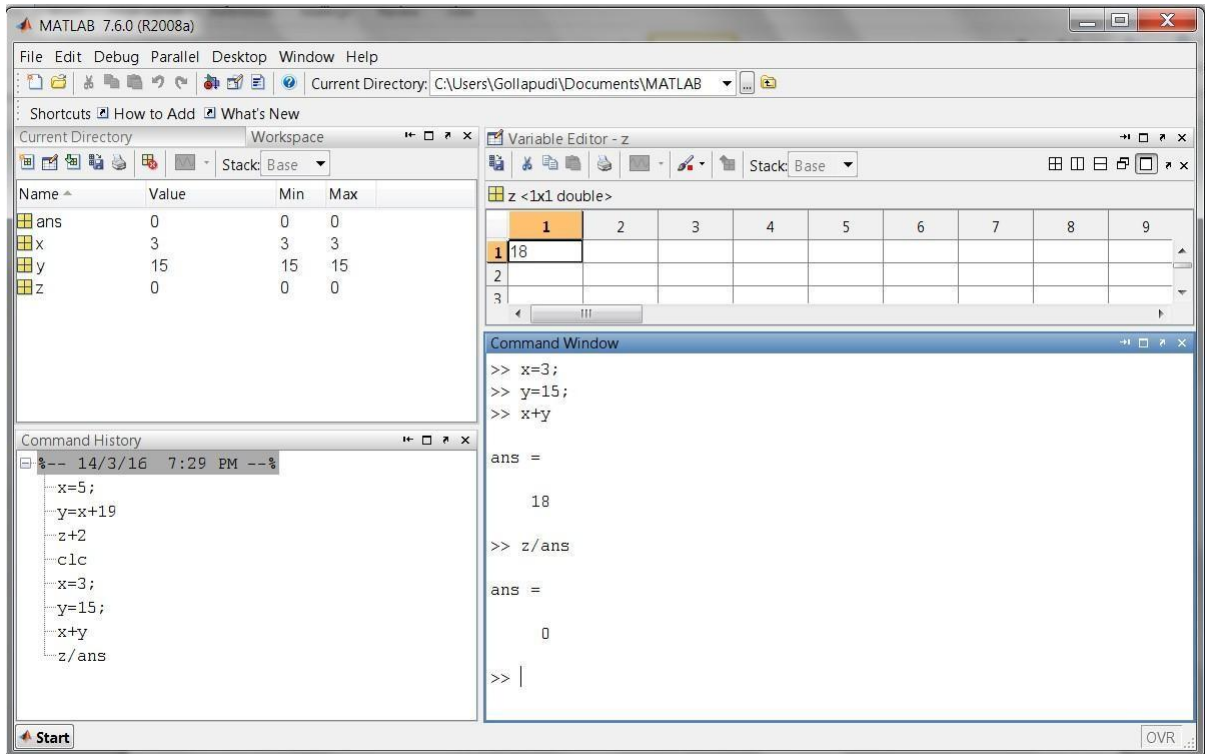
Note:

1. Once a variable is entered into the system, you can refer to it later.
2. Variables must have values before they are used.
3. When you do not specify an output variable, MATLAB uses the variable `ans`, short for *answer*, to store the results of your calculation.

Example 5:



Example 6:



In the above example we have multiple assignments



EXPERIMENT 2

ALGEBRA

OBJECTIVES:

- Find the roots of the equations $6x^5 - 41x^4 + 97x^3 - 97x^2 + 41x - 6$
- Find the values of x, y, z of the equations $x+y+z=3, x+2y+3z=4, x+4y+9z=6$
- For $f(x)=8x^8 - 7x^7 + 12x^6 - 5x^5 + 8x^4 + 13x^3 - 12x + 9$ compute $f(2)$, roots of $f(x)$ and plot for $0 \leq x \leq 20$

SOFTWARE REQUIRED:

- MATLAB R2013a.
- Windows 7/XP SP2.

PROCEDURE:

- Open MATLAB
- Open new M-file
- Type the program
- Save in current directory
- Compile and Run the program
- For the output see command window \ Figure window

PROGRAM:

Roots of the equations $6x^5 - 41x^4 + 97x^3 - 97x^2 + 41x - 6$

```
v = [6, -41, 97, -97, 41, -6]; % writing the coefficients
s = roots(v);
disp('The first root is: '), disp(s(1));
disp('The second root is: '), disp(s(2));
disp('The third root is: '), disp(s(3));
disp('The fourth root is: '), disp(s(4));
disp('The fifth root is: '), disp(s(5));
```

Values of x, y, z of the equations $x+y+z=3, x+2y+3z=4, x+4y+9z=6$

```
A=[1, 1, 1; 1, 2, 3; 1, 4, 9];
b=[3; 4; 6];
inv(A)
inv(A)*b
```

$f(2)$, roots and plot of $f(x)$

```
p=[8 -7 12 -5 8 13 0 -12 9];
polyval(p,2)
roots(p)
x=0:0.1:20;
y=polyval(p,x);
plot(x,y)
```


OUTPUT:

Roots of the equations $6x^5 - 41x^4 + 97x^3 - 97x^2 + 41x - 6$

The first root is:

3.0000

The second root is:

2.0000

The third root is:

1.0000

The fourth root is:

0.5000

The fifth root is:

0.3333

Values of x,y,z of the equations $x+y+z=3, x+2y+3z=4, x+4y+9z=6$

ans =

3.0000 -2.5000 0.5000
-3.0000 4.0000 -1.0000
1.0000 -1.5000 0.5000

ans =

2.0000
1.0000
0.0000

f(2).roots and plot of f(x)

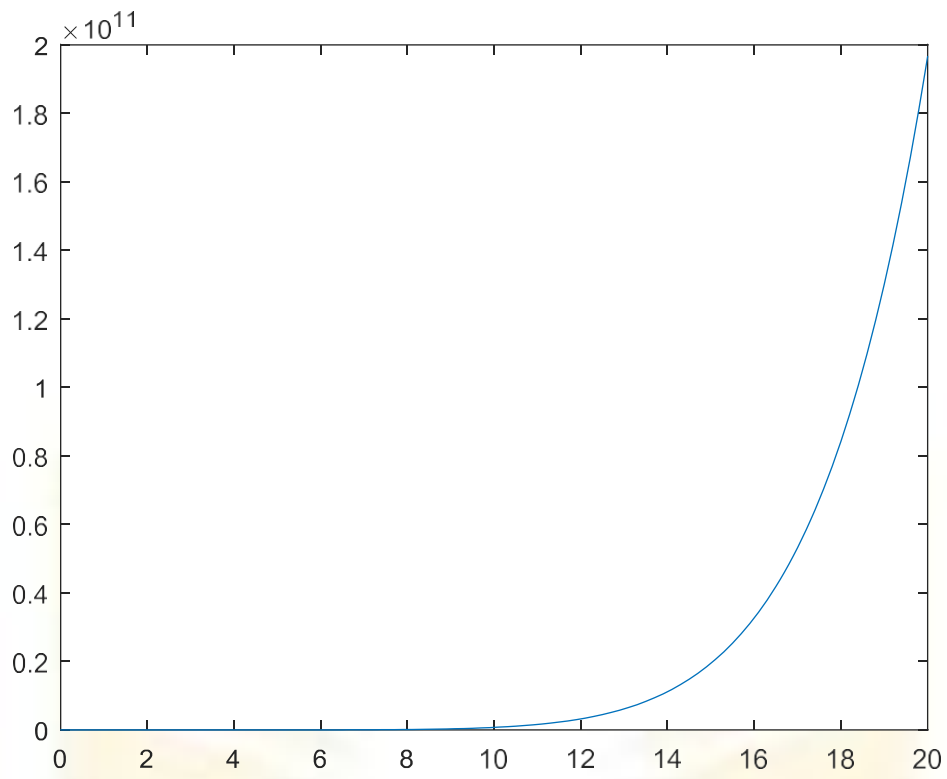
ans =

1977

ans =

-0.2079 + 1.3091i
-0.2079 - 1.3091i
-0.8053 + 0.4306i
-0.8053 - 0.4306i
0.8878 + 0.9318i
0.8878 - 0.9318i
0.5629 + 0.3828i
0.5629 - 0.3828i





EXPERIMENT 3

CONTROL STRUCTURES

OBJECTIVES:

- To know how to use For Loop with examples.
- To know how to use While Loop with examples.
- To know how to use If- else if- else control structure with examples.

SOFTWARE REQUIRED:

- MATLAB R2013a.
- Windows 7/XP/SP2.

PROCEDURE:

- Open MATLAB
- Open new M-file
- Type the program
- Save in current directory
- Compile and Run the program
- For the output see command window\ Figure window

PROGRAM:

while loop

The while loop repeatedly executes statements while a specified condition is true
The syntax of a while loop in MATLAB is as following:

Syntax

```
while <expression>  
    <statements>  
end
```

Example

```
a = 10;  
% while loop execution  
while( a < 20 )  
    fprintf('value of a: %d\n', a);  
    a = a + 1;  
end
```

for loop

A for loop is a repetition control structure that allows you to efficiently write a loop that needs to execute a specific number of times.

The syntax of a for loop in MATLAB is as following:

Syntax

```
for index = values  
    <program statements>  
    ...  
end
```

Example

```
for a = 10:20  
    fprintf('value of a: %d\n', a);  
end
```

if loop

if expression, statements, end evaluates an expression, and executes a group of statements when the expression is true. An expression is true when its result is nonempty and contains only nonzero elements (logical or real numeric). Otherwise, the expression is false.

The elseif and else blocks are optional. The statements execute only if previous expressions in the if...end block are false. An if block can include multiple elseifblocks.

Syntax

```
if expression
    statements
elseif expression
    statements
else
    statements
end
```

Example

```
nrows =4
ncols =6
A = ones(nrows,ncols)
for c = 1:ncols
    forr = 1:nrows
        if r == c
            A(r,c) = 2
        elseifabs(r-c) == 1
            A(r,c) = -1
        else
            A(r,c) = 0
        end
    end
end
end
```



OUTPUT:

While

loopvalue of
a: 10 value of
a: 11 value of
a: 12 value of
a: 13 value of
a: 14 value of
a: 15 value of
a: 16 value of
a: 17 value of
a: 18 value of
a:19

for loopvalue
of a: 10 value
of a: 11 value
of a: 12 value
of a: 13 value
of a: 14 value
of a: 15 value
of a: 16 value
of a: 17 value
of a: 18 value
of a: 19 value
of a:20

if loop

nrows =

4

ncols =

6

A =

```
1 1 1 1 1 1
1 1 1 1 1 1
1 1 1 1 1 1
1 1 1 1 1 1
```

A =

```
2 1 1 1 1 1
1 1 1 1 1 1
1 1 1 1 1 1
1 1 1 1 1 1
```



A =

$$\begin{bmatrix} 2 & 1 & 1 & 1 & 1 & 1 \\ -1 & 1 & 1 & 1 & 1 & 1 \\ 1 & 1 & 1 & 1 & 1 & 1 \\ 1 & 1 & 1 & 1 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & 1 & 1 & 1 & 1 & 1 \\ -1 & 1 & 1 & 1 & 1 & 1 \\ 0 & 1 & 1 & 1 & 1 & 1 \\ 1 & 1 & 1 & 1 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & 1 & 1 & 1 & 1 & 1 \\ -1 & 1 & 1 & 1 & 1 & 1 \\ 0 & 1 & 1 & 1 & 1 & 1 \\ 0 & 1 & 1 & 1 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 1 & 1 & 1 & 1 \\ -1 & 1 & 1 & 1 & 1 & 1 \\ 0 & 1 & 1 & 1 & 1 & 1 \\ 0 & 1 & 1 & 1 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 1 & 1 & 1 & 1 \\ -1 & 2 & 1 & 1 & 1 & 1 \\ 0 & 1 & 1 & 1 & 1 & 1 \\ 0 & 1 & 1 & 1 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 1 & 1 & 1 & 1 \\ -1 & 2 & 1 & 1 & 1 & 1 \\ 0 & -1 & 1 & 1 & 1 & 1 \\ 0 & 1 & 1 & 1 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 1 & 1 & 1 & 1 \\ -1 & 2 & 1 & 1 & 1 & 1 \\ 0 & -1 & 1 & 1 & 1 & 1 \\ 0 & 0 & 1 & 1 & 1 & 1 \end{bmatrix}$$


A =

$$\begin{bmatrix} 2 & -1 & 0 & 1 & 1 & 1 \\ -1 & 2 & 1 & 1 & 1 & 1 \\ 0 & -1 & 1 & 1 & 1 & 1 \\ 0 & 0 & 1 & 1 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 0 & 1 & 1 & 1 \\ -1 & 2 & -1 & 1 & 1 & 1 \\ 0 & -1 & 1 & 1 & 1 & 1 \\ 0 & 0 & 1 & 1 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 0 & 1 & 1 & 1 \\ -1 & 2 & -1 & 1 & 1 & 1 \\ 0 & -1 & 2 & 1 & 1 & 1 \\ 0 & 0 & 1 & 1 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 0 & 1 & 1 & 1 \\ -1 & 2 & -1 & 1 & 1 & 1 \\ 0 & -1 & 2 & 1 & 1 & 1 \\ 0 & 0 & -1 & 1 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 0 & 0 & 1 & 1 \\ -1 & 2 & -1 & 1 & 1 & 1 \\ 0 & -1 & 2 & 1 & 1 & 1 \\ 0 & 0 & -1 & 1 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 0 & 0 & 1 & 1 \\ -1 & 2 & -1 & 0 & 1 & 1 \\ 0 & -1 & 2 & 1 & 1 & 1 \\ 0 & 0 & -1 & 1 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 0 & 0 & 1 & 1 \\ -1 & 2 & -1 & 0 & 1 & 1 \\ 0 & -1 & 2 & -1 & 1 & 1 \\ 0 & 0 & -1 & 1 & 1 & 1 \end{bmatrix}$$



A =

$$\begin{bmatrix} 2 & -1 & 0 & 0 & 1 & 1 \\ -1 & 2 & -1 & 0 & 1 & 1 \\ 0 & -1 & 2 & -1 & 1 & 1 \\ 0 & 0 & -1 & 2 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 0 & 0 & 0 & 1 \\ -1 & 2 & -1 & 0 & 1 & 1 \\ 0 & -1 & 2 & -1 & 1 & 1 \\ 0 & 0 & -1 & 2 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 0 & 0 & 0 & 1 \\ -1 & 2 & -1 & 0 & 0 & 1 \\ 0 & -1 & 2 & -1 & 1 & 1 \\ 0 & 0 & -1 & 2 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 0 & 0 & 0 & 1 \\ -1 & 2 & -1 & 0 & 0 & 1 \\ 0 & -1 & 2 & -1 & 0 & 1 \\ 0 & 0 & -1 & 2 & 1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 0 & 0 & 0 & 1 \\ -1 & 2 & -1 & 0 & 0 & 1 \\ 0 & -1 & 2 & -1 & 0 & 1 \\ 0 & 0 & -1 & 2 & -1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 0 & 0 & 0 & 0 \\ -1 & 2 & -1 & 0 & 0 & 1 \\ 0 & -1 & 2 & -1 & 0 & 1 \\ 0 & 0 & -1 & 2 & -1 & 1 \end{bmatrix}$$

A =

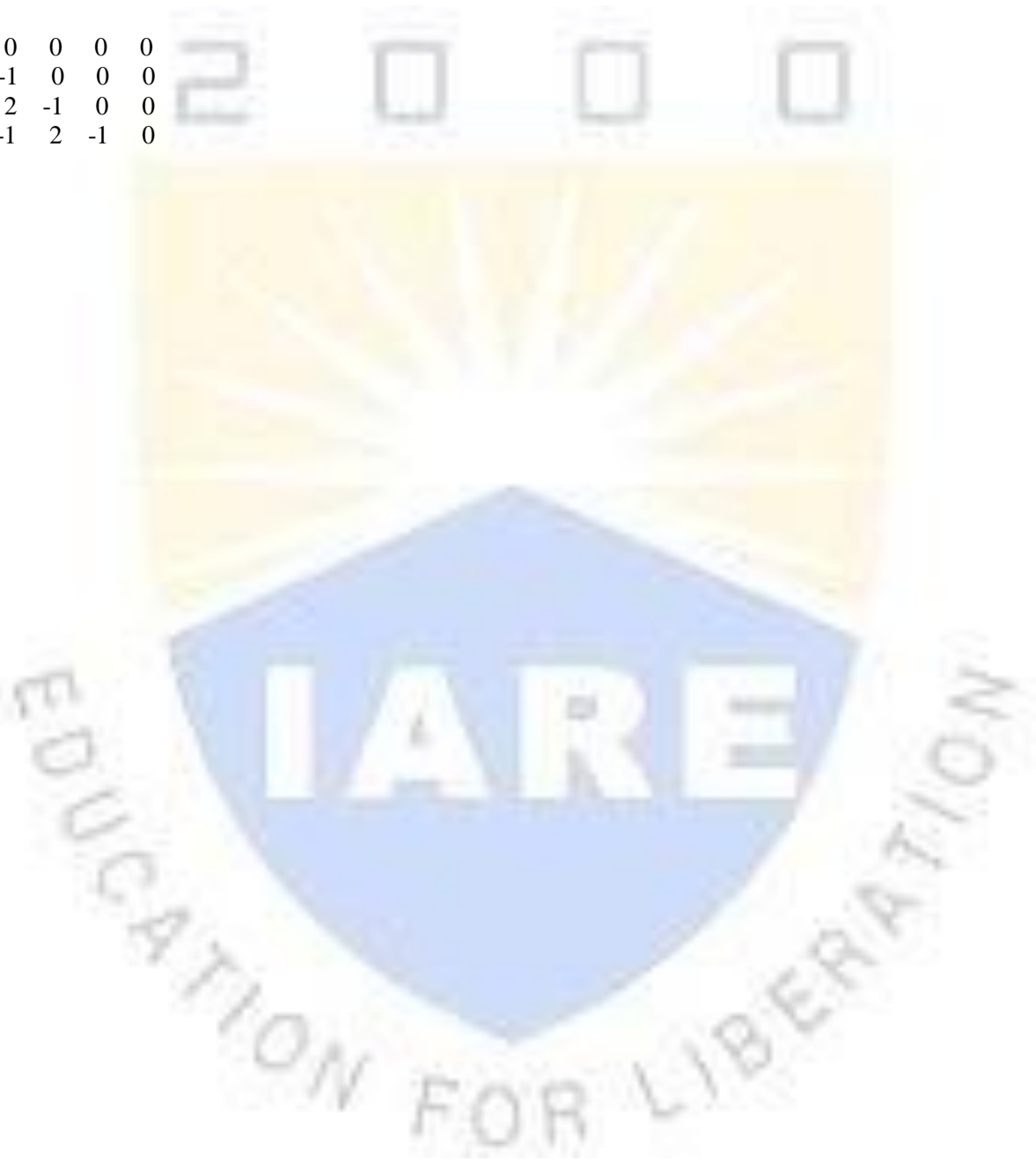
$$\begin{bmatrix} 2 & -1 & 0 & 0 & 0 & 0 \\ -1 & 2 & -1 & 0 & 0 & 0 \\ 0 & -1 & 2 & -1 & 0 & 1 \\ 0 & 0 & -1 & 2 & -1 & 1 \end{bmatrix}$$



A =

$$\begin{bmatrix} 2 & -1 & 0 & 0 & 0 & 0 \\ -1 & 2 & -1 & 0 & 0 & 0 \\ 0 & -1 & 2 & -1 & 0 & 0 \\ 0 & 0 & -1 & 2 & -1 & 1 \end{bmatrix}$$

A =

$$\begin{bmatrix} 2 & -1 & 0 & 0 & 0 & 0 \\ -1 & 2 & -1 & 0 & 0 & 0 \\ 0 & -1 & 2 & -1 & 0 & 0 \\ 0 & 0 & -1 & 2 & -1 & 0 \end{bmatrix}$$


EXPERIMENT 4

MATRICES

OBJECTIVES:

- a) Find the addition, subtraction and multiplication of matrix

$$A = \begin{bmatrix} 1 & 2 & -9 \\ 2 & -1 & 2 \\ 3 & -4 & 3 \end{bmatrix}$$

$$B = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix}$$

- b) Find the transpose of matrix

$$A = \begin{bmatrix} 1 & 2 & -9 \\ 2 & -1 & 2 \\ 3 & -4 & 3 \end{bmatrix}$$

- c) Find the inverse of matrix

$$A = \begin{bmatrix} 1 & 2 & 3 \\ 2 & 3 & 2 \\ 1 & 2 & 5 \end{bmatrix}$$

SOFTWARE REQUIRED:

1. MATLAB R2013a.
2. Windows 7/XP SP2.

PROCEDURE:

1. Open MATLAB
2. Open new M-file
3. Type the program
4. Save in current directory
5. Compile and Run the program
6. For the output see command window \ Figure window

PROGRAM:

Addition, Subtraction and Multiplication of matrix

```
a=[1 2 -9 ; 2 -1 2; 3 -4 3];
b=[1 2 3; 4 5 6; 7 8 9];
disp('The matrix a= ');a
disp('The matrix b=');b
% to find sum of a and b
c=a+b;
disp('The sum of a and b is ');c
% to find difference of a and b
d=a-b;
disp('The difference of a and b is ');d
%to find multiplication of a and b
e=a*b;
disp('The product of a and b is ');e
% to find element-by-element multiplication
```

Transpose of matrix

$A = [1, 2, -9; 2, -1, 2; 3, -4, 3]$

$B = A.'$

Inverse of matrix

$a = [1 \ 2 \ 3; 2 \ 3 \ 4; 1 \ 2 \ 5]$

$\text{inv}(a)$



OUTPUT:

Addition, Subtraction and Multiplication of matrix

The matrix a=

a =

1 2 -9
2 -1 2
3 -4 3

The matrix b=

b =

1 2 3
4 5 6
7 8 9

The sum of a and b is

c =

2 4 -6
6 4 8
10 4 12

The difference of a and b is

d =

0 0-12
-2 -6 -4
-4 -12 -6

The product of a and b is

e =

-54 -60 -66
12 15 18
8 10 12

Transpose of matrix

A =

1 2 -9
2 -1 2
3 -4 3

B =

1 2 3
2 -1 -4
-9 2 3



Inverse of matrix

a =

1 2 3
2 3 4
1 2 5

ans =

-3.5000 2.0000 0.5000
3.0000 -1.0000 -1.0000
-0.5000 0 0.5000



EXPERIMENT 5

SYSTEM OF LINEAR EQUATIONS

OBJECTIVES:

- a) Find the rank of matrix

$$A = \begin{bmatrix} 1 & 2 & 3 \\ 5 & 6 & 7 \\ 9 & 10 & 11 \\ 13 & 14 & 15 \end{bmatrix}$$

- b) Find the row echelon form

$$A = \begin{bmatrix} 1 & 2 & 3 \\ 5 & 6 & 7 \\ 9 & 10 & 11 \\ 13 & 14 & 15 \end{bmatrix}$$

- c) Find the LU decomposition of the matrix

$$\begin{bmatrix} 2 & -3 & -1 \\ 1/2 & 1 & -1 \\ 0 & 1 & -1 \end{bmatrix}$$

SOFTWARE REQUIRED:

1. MATLAB R2013a.
2. Windows 7/XP SP2.

PROCEDURE:

1. Open MATLAB
2. Open new M-file
3. Type the program
4. Save in current directory
5. Compile and Run the program
6. For the output see command window \ Figure window

PROGRAM:

Rank of matrix

```
A = [1, 2, 3; 5, 6, 7; 9, 10, 11; 13, 14, 15]
rank (A)
```

Row echelon form

```
A = [1, 2, 3; 5, 6, 7; 9, 10, 11; 13, 14, 15]
R = rref(A)
```

LU decomposition

```
A = [2 -3 -1; 1/2 1 -1; 0 1 -1]
[L, U] = lu(A)
```

OUTPUT:

Rank of matrix

A =

1 2 3
5 6 7
9 10 11
13 14 15

ans =

2

Row echelon form

A =

1 2 3
5 6 7
9 10 11
13 14 15

R =

1 0 -1
0 1 2
0 0 0
0 0 0

LU decomposition

A =

2.0000 -3.0000 -1.0000
0.5000 1.0000 -1.0000
0 1.0000 -1.0000

L =

1.0000 0 0
0.2500 1.0000 0
0 0.5714 1.0000

U =

2.0000 -3.0000 -1.0000
0 1.7500 -0.7500
0 0 -0.5714

2 0 0 0



EXPERIMENT 6

LINEAR TRANSFORMATION

OBJECTIVES:

- a) Find the characteristic equation of the matrix

$$\begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 0 \end{bmatrix}$$

- b) Find the eigen values of the matrix

$$\begin{bmatrix} 1 & 8 & -10 \\ -4 & 2 & 4 \\ -5 & 2 & 8 \end{bmatrix}$$

- c) Find the eigen vector of the matrix

$$\begin{bmatrix} 3 & 1 & 1 \\ 1 & 0 & 2 \\ 1 & 2 & 0 \end{bmatrix}$$

SOFTWARE REQUIRED:

1. MATLAB R2013a.
2. Windows 7/XP/SP2.

PROCEDURE:

1. Open MATLAB
2. Open new M-file
3. Type the program
4. Save in current directory
5. Compile and Run the program
6. For the output see command window \ Figure window

PROGRAM:

Characteristics equation

```
A = [1 2 3; 4 5 6; 7 8 0]
p = poly(A)
```

Eigen values

```
A = [1 8 -10; -4 2 4; -5 2 8]
e = eig(A)
```

Eigen vector

```
A=[3,1,1;1,0,2;1,2,0];
[eigenvector, eigenvalue] = eig(A)
```

OUTPUT:

Characteristics equation

A =

1	2	3
4	5	6
7	8	0

p =

1.0000 -6.0000 -72.0000 -27.0000

Eigen values

A =

1	8	-10
-4	2	4
-5	2	8

e =

11.6219 +0.0000i
-0.3110 +2.6704i
-0.3110 - 2.6704i

Eigenvector

eigenvector=

0.0000	0.5774	-0.8165
0.7071	-0.5774	-0.4082
-0.7071	-0.5774	-0.4082

eigenvalue =

-2.0000	0	0
0	1.0000	0
0	0	4.0000



EXPERIMENT 7

DIFFERENTIATION AND INTEGRATION

OBJECTIVES:

a) Solve

$$(D^2 + 5D + 6)y = e^x$$

b) Solve

$$\int_0^5 \int_0^{x^2} x(x^2 + y^2) dx dy$$

c) Solve

$$\int_0^3 \int_0^{3-x} \int_0^{3-x-y} xyz dx dy dz$$

SOFTWARE REQUIRED:

1. MATLABR2013a.
2. Windows 7/XPSP2.

PROCEDURE:

1. Open MATLAB
2. Open new M-file
3. Type the program
4. Save in current directory
5. Compile and Run the program
6. For the output see command window \ Figure window

PROGRAM:

Higher order differential

```
dsolve('D2y+5*Dy+6*y=exp(x)', 'x')
```

Double Integration

```
syms x y
firstint=int(x*(x^2+y^2), y, 0, x^2)
answer=int(firstint, x, 0, 5)
```

Triple Integration

```
syms x y z
firstans=int(int(int(x*y*z, z, 0, 3-x-y), y, 0, 3-x), x, 0, 3)
```

OUTPUT:

Higher order differential

ans =

$$\exp(x)/12 + C1*\exp(-2*x) + C2*\exp(-3*x)$$

Double Integration

firstint =

$$(x^5*(x^2 + 3))/3$$

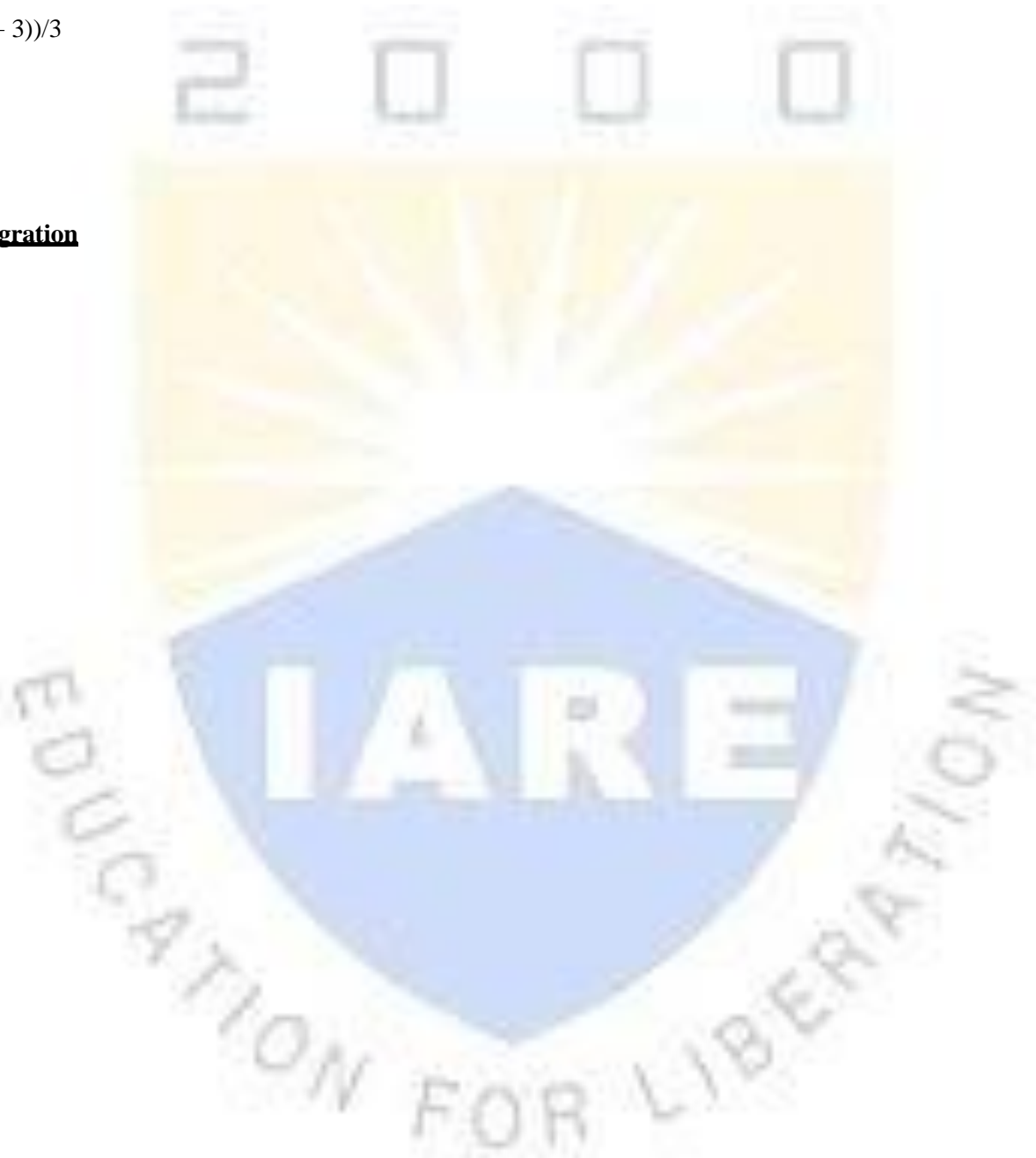
answer =

$$453125/24$$

Triple Integration

firstans =

$$81/80$$



EXPERIMENT 8

NUMERICAL DIFFERENTIATION AND INTEGRATION

OBJECTIVES:

- a) Evaluate by using trapezoidal and simpsonsmethod

$$\int_0^{1.2} e^x$$

- b) Evaluate

$$y' = x + y, y(0) = 1$$

of size $h=0.2$ by using eulers and range kutta method

SOFTWARE REQUIRED:

1. MATLABR2013a.
2. Windows 7/XPSP2.

PROCEDURE:

1. OpenMATLAB
2. Open newM-file
3. Type theprogram
4. Save in currentdirectory
5. Compile and Run theprogram
6. For the output see command window\ Figurewindow

PROGRAM:

Trapezoidal Method:

```
x=0:0.2:1.2;  
y=exp(x);  
trapz(x,y)
```

Simpson's Method:

```
quad('exp(x)', 0, 1.2)
```

Euler's and Runge-Kutta method:

```
f=@(x,y) (x+y);  
[x,y]=ode23(f,[0:0.2:1],1)  
[x,y]=ode45(f,[0:0.2:1],1)
```

OUTPUT:

Trapezoidal Method:

ans =

2.3278

Simpson's Method:

ans =

2.3201

Euler's method

x =

0
0.2000
0.4000
0.6000
0.8000
1.0000

y =

1.0000
1.2428
1.5836
2.0442
2.6510
3.4364

Runge-Kutta method

x =

0
0.2000
0.4000
0.6000
0.8000
1.0000

y =

1.0000
1.2428
1.5836
2.0442
2.6511
3.4366



EXPERIMENT 9

3D PLOTTING

OBJECTIVES:

a) Evaluate

$$\iint (3x^2 - 8y^2)dx + (4y - 6xy)dy$$

Where the region is bounded by

$$y = x^2, y = \sqrt{x}$$

b) Plot the surface for

$$f = (2 - \cos \pi x)e^y$$

c) Plot the surface for

$$2 + \cos t$$

SOFTWARE REQUIRED:

1. MATLAB R2013a.
2. Windows 7/XP/SP2.

PROCEDURE:

1. Open MATLAB
2. Open new M-file
3. Type the program
4. Save in current directory
5. Compile and Run the program
6. For the output see command window \ Figure window

PROGRAM:

Line

Integral

```
clear all clc
syms x y
f=[3*x.^2-8*y.^2 4*y-6*x*y];
disp('Along the curve y=x.^2')
a=subs(f,y,x.^2);
b=diff(x.^2,x);
c=b*a(2);
d=int(a(1),x,0,1);
e=int(c,x,0,1);
u=d+e
disp('Along the curve y=sqrt(x)')
p=subs(f,y,sqrt(x));
q=diff(sqrt(x),x);
r=q*p(2);
s=int(p(1),x,1,0);
t=int(r,x,1,0);
v=s+t
I=u+v
x=-2:0.5:2;
y2=sqrt(x);
y1=x.^2;
plot(x,y1,'r', x,y2,'g');
grid on
```

Surface

```
x=-1:0.1:1;  
y=0:0.1:1.5;  
[X,Y]=meshgrid(x,y);  
F=(2-cos(pi*X)).*exp(Y);  
surf(X,Y,F);  
xlabel('x');  
ylabel('y');
```

Volume

```
t = 0:pi/10:2*pi;  
figure  
[X,Y,Z] = cylinder(2+cos(t));  
surf(X,Y,Z)  
axis square
```



OUTPUT:

Line Integral

Along the curve $y=x.^2$

$u =$

-1

Along the curve $y=\text{sqrt}(x)$

$v =$

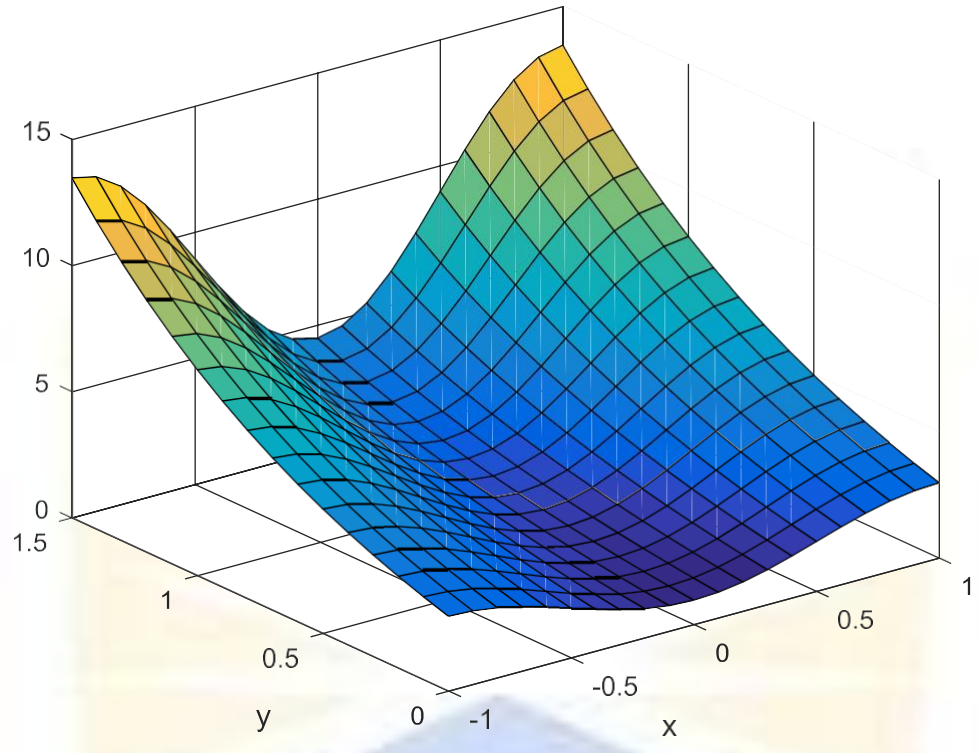
$5/2$

$I =$

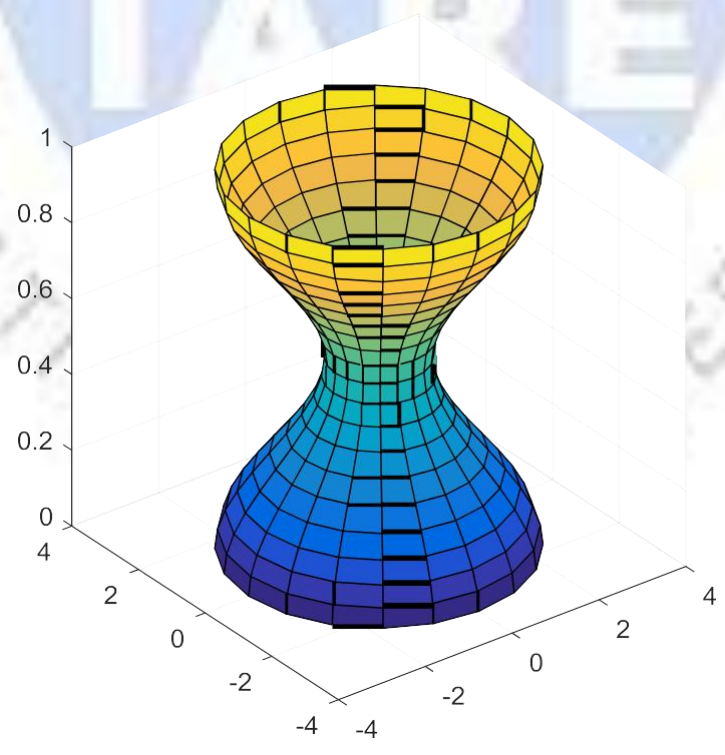
$3/2$



Surface



Volume




```
title('Shear Force Diagram')
xlabel('Length of Beam in mm')
ylabel('Shear Force in kN')
subplot(2,1,2)
plot(x,bm,x,bm1)
title('Bending moment Diagram')
xlabel('Length of Beam in mm')
ylabel('Bending Moment in kN-mm')
```

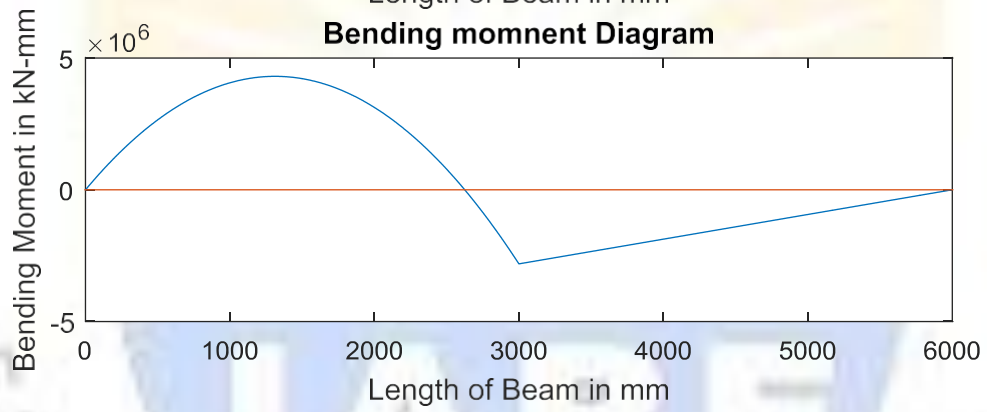
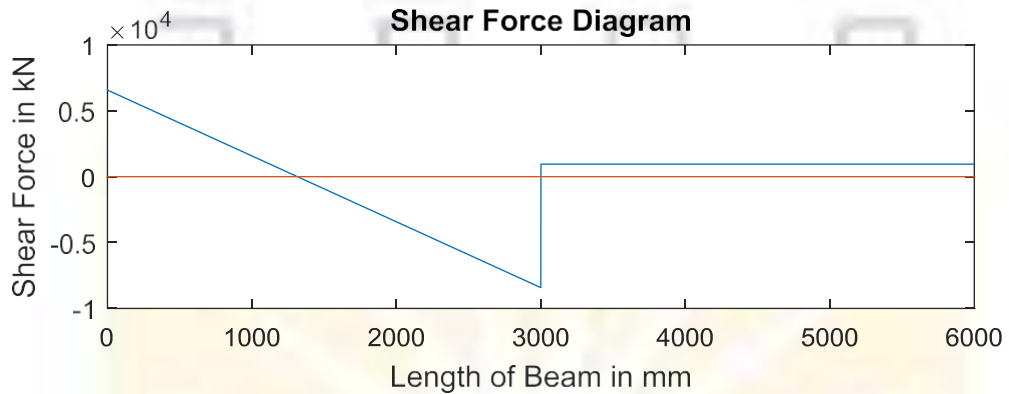
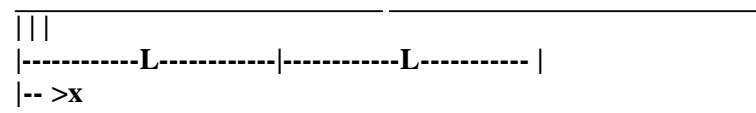


OUTPUT:

| SSB with UDL and at Half span |

UDL

||||||||||||||||



EXPERIMENT 11

DEFLECTION OF CANTILEVER BEAM

OBJECTIVES:

- Calculating vertical displacement with point load.
- Calculating vertical displacement with uniformly distributed load.
- Calculating vertical displacement with uniformly varying load.

SOFTWARE REQUIRED:

- MATLAB R2013a.
- Windows 7/XP SP2.

PROCEDURE:

- Open MATLAB
- Open new M-file
- Type the program
- Save in current directory
- Compile and Run the program
- For the output see command window \ Figure window

PROGRAM:

```
clear all
clc
fprintf('Fixed beam with point load at the quarter span \n')
fprintf(' PL \n')
fprintf('| | \n')
fprintf('| _____ | \n')
fprintf('| | | \n')
fprintf('| |---L/2---|-----L/2-----| \n')
fprintf(' |---> x \n')
%Dimensions of Beam
L = 3000% in mm;
B = 300% in mm;
D = 300% in mm;
% Grade of Concrete
GC = 25% in N/mm^2;
% Loading Conditions
PL= 5;
% Fixed end moments
Ma=((PL*L)/6);
Mb=((PL*L)/24);
Mc=-((PL*L)/48);
%Reactions at support
Ra=(PL/2)+((Ma+Mb)/L);
Rc=((Ma-Mb)/(2*L));
Rb=PL-Ra-Rc;
i=0;
for x=0:0.1:(3*L)
i=i+1;
if x<(L/2);
sf(i)=Ra;
sf1(i)=0;
bm(i)=((Ra*x)-Ma);
bm1(i)=0;
else if (L/2)<x<L;
sf(i)=(Ra-PL);
sf1(i)=0;
bm(i)=(Ra*x)+(PL*(x-(L/2)))-Ma;
bm1(i)=0;
else L<x<(3*L);
```



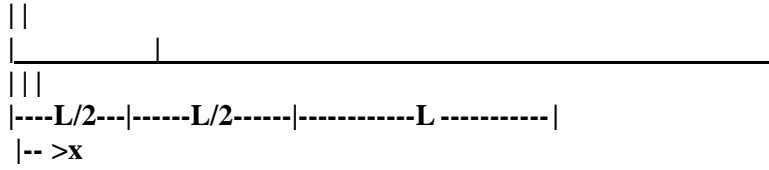
```
sf(i)=(Ra-PL+Rb);  
sf1(i)=0;  
bm(i)=((Ra*x)+(PL*(x-(L/2)))-Ma+Rb*(x-L));  
bm1(i)=0;  
end  
end  
end  
x=0:0.1:(3*L);  
subplot(2,1,1)  
plot(x,sf,x,sf1)  
title('Shear ForceDiagram')  
xlabel('Length of Beam in mm')  
ylabel('Shear Force in kN')  
subplot(2,1,2)  
plot(x,bm,x,bm1)  
title('Bending momnent Diagram')  
xlabel('Length of Beam in mm')  
ylabel('Bending Moment in kN-mm')
```



OUTPUT:

Fixed beam with point load at the quarter span

PL



L =

3000

B =

300

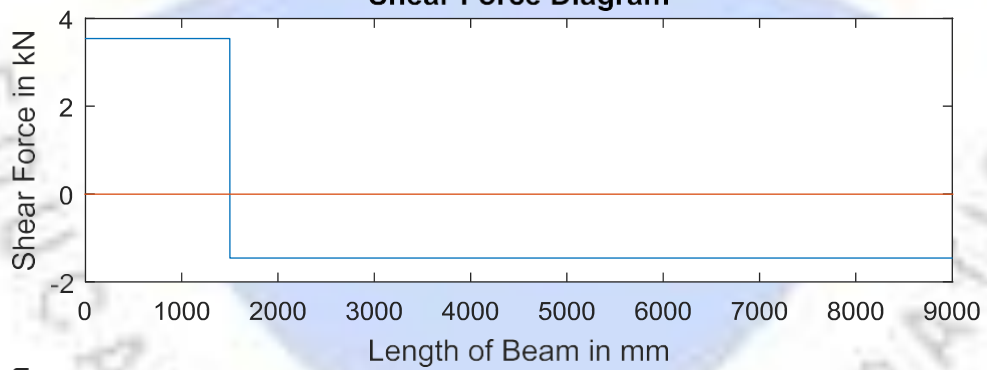
D =

300

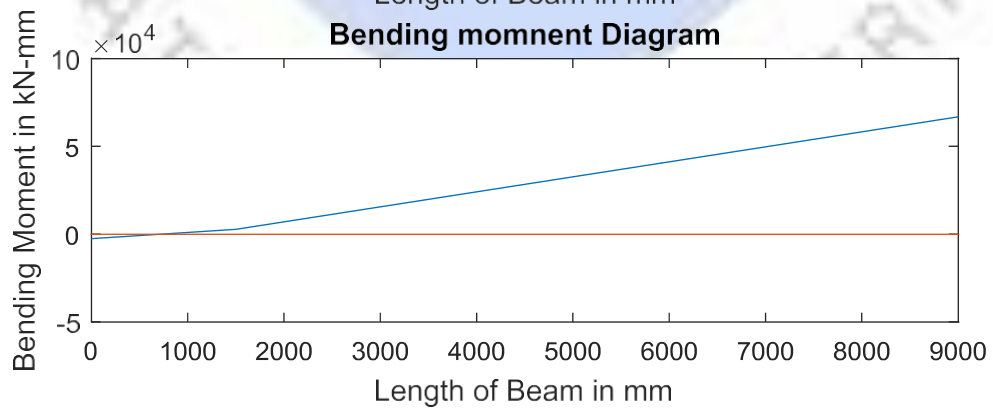
GC =

25

Shear Force Diagram



Bending moment Diagram



EXPERIMENT 12

FORMULATION OF IDEAL AND REAL GAS EQUATIONS

OBJECTIVES:

- Calculating the pressure, temperature, density for Earth's atmospheric conditions at different altitudes.
- Calculating the pressure, temperature, density for other planets at different altitudes.

SOFTWARE REQUIRED:

- MATLAB R2013a.
- Windows 7/XP SP2.

PROCEDURE:

- Open MATLAB
- Open new M-file
- Type the program
- Save in current directory
- Compile and Run the program
- For the output see command window \ Figure window

PROGRAM:

Pressure, temperature, density for Earth's atmospheric conditions at different altitudes

```
%PRESSURE PROFILE
```

```
clc;
clear all;
T=288.15;
G=9.81;
P1=101325;
R=287;
H=0:1000:100000;
P=P1*exp((-G*H)/(R*T));
plot(P,H)
title('PRESSURE PROFILE')
xlabel('P')
ylabel('H')
```

```
%ISA PROFILE
```

```
clc;
clear all;
t(1)=288.15;
x(1)=0;
i=1;
for h=1000:1000:32000
x(i+1)=h;
if x(i)>=0 && x(i)<11000
lp=-0.0065;
alt(i)=x(i+1)-x(i);
t(i+1)=t(i)+lp*alt(i);
elseif x(i)>=11000 && x(i)<=20000
lp=0;
alt(i)=x(i+1)-x(i);
t(i+1)=t(i)+lp*alt(i);
else
lp=0.001;
alt(i)=x(i+1)-x(i);
t(i+1)=t(i)+lp*alt(i);
end
i=i+1;
end
plot(t,x)
xlabel('temperature')
```

```
ylabel('altitude')
%DENSITY PROFILE
clc;
clear all;
T=288.15;
G=9.81;
RH01=1.225;
R=287;
H=0:1000:100000;
RHO=RHO1*exp((-G*H)/(R*T));
plot(RHO,H)
title('DENSITY PROFILE')
xlabel('RHO')
ylabel('H')
```



OUTPUT:

Pressure, temperature, density for Earth's atmospheric conditions at different altitudes

