## LAB MANUAL

| Academic Year | $:$ |
| :--- | :--- |
| Course Code | $:$ |
| AIT102 |  |
| Regulations | $:$ |
| IARE - R16 |  |
| Semester | $:$ |
| Branch | $:$ |

Prepared by<br>Dr. M Madhubala, Professor



# INSTITUTE OF AERONAUTICAL ENGINEERING 

# INSTITUTE OF AERONAUTICAL ENGINEERING <br> (Autonomous) Dundigal - 500 043, Hyderabad. 

INFORMATION TECHNOLOGY

## 1. PROGRAM OUTCOMES:

| B.TECH - PROGRAM OUTCOMES (POS) |  |
| :---: | :---: |
| PO-1 | Engineering knowledge: Apply the knowledge of mathematics, science, engineering fundamentals, and an engineering specialization to the solution of complex engineering problems. |
| PO-2 | Problem analysis: Identify, formulate, review research literature, and analyze complex engineering problems reaching substantiated conclusions using first principles of mathematics, natural sciences, and engineering sciences. |
| PO-3 | Design/development of solutions: Design solutions for complex engineering problems and design system components or processes that meet the specified needs with appropriate consideration for the public health and safety, and the cultural, societal, and environmental considerations. |
| PO-4 | Conduct investigations of complex problems: Use research-based knowledge and research methods including design of experiments, analysis and interpretation of data, and synthesis of the information to provide valid conclusions. |
| PO-5 | Modern tool usage: Create, select, and apply appropriate techniques, resources, and modern engineering and IT tools including prediction and modeling to complex engineering activities with an understanding of the limitations. |
| PO-6 | The engineer and society: Apply reasoning informed by the contextual knowledge to assess societal, health, safety, legal and cultural issues and the consequent responsibilities relevant to the professional engineering practice. |
| PO-7 | Environment and sustainability: Understand the impact of the professional engineering solution sin societal and environmental contexts, and demonstrate the knowledge of, and need for sustainable development. |
| PO-8 | Apply ethical principles and commit to professional ethics and responsibilities and norms of the engineering practice (Ethics). |
| PO-9 | Individual and team work: Function effectively as an individual, and as a member or leader in diverse teams, and in multidisciplinary settings. |
| PO-10 | Communication: Communicate effectively on complex engineering activities with the engineering community and with society at large, such as, being able to comprehend and write effective reports and design documentation, make effective presentations, and give and receive clear instructions. |
| PO-11 | Project management and finance :Demonstrate knowledge and understanding of the engineering and management principles and apply these to one's own work, as a member and leader in a team, to manage projects and in multidisciplinary environments. |
| PO-12 | Life-long learning: Recognize the need for, and have the preparation and ability to engage in independent and life-long learning in the broadest context of technological change. |
| 2. PROGRAM SPECIFIC OUTCOMES: |  |
| PROGRAM SPECIFIC OUTCOMES (PSO's) |  |
| PSO-1 | Professional Skills: The ability to understand, analyze and develop computer programs in the areas related to algorithms, system software, multimedia, web design, big data analytics, and networking for efficient design of computer-based systems of varying complexity. |
| PSO-2 | Problem-Solving Skills: The ability to apply standard practices and strategies in software project development using open-ended programming environments to deliver a quality product for business success. |
| PSO-3 | Successful Career and Entrepreneurship: The ability to employ modern computer languages, environments, and platforms in creating innovative career paths to be an entrepreneur, and a zest for higher studies. |

## 3. ATTAINMENT OF PROGRAM OUTCOMES AND PROGRAM SPECIFIC OUTCOMES

| Week No | Experiment | Program Outcomes Attained | Program Specific <br> Outcomes Attained |
| :--- | :--- | :--- | :---: |
| WEEK-1 | Matrix Operations | PO 1; PSO 1 | PSO2 |
| WEEK-2 | Linear Algebra on Matrices | PO1; PO 2 | PSO 1; PSO 2 |
| WEEK-3 | Understanding Data | PO 1; PO 2 | PSO 1; PSO 2 |
| WEEK-4 | Correlation Matrix | PO 1; PO 2 | PSO 1; PSO 2 |
| WEEK-5 | Data Preprocessing - Handling <br> Missing Values | PO 1; PO 2 | PSO 1; PSO 2 |
| WEEK-6 | Association Rule Mining- <br> Apriori | PO 1; PO 2; PO 3; PO 4; PO 5 | PSO 1; PSO 2; PSO 3 |
| WEEK-7 | Classification - Logistic <br> Regression | PO 1; PO 2; PO 3; PO 4; PO 5 | PSO 2; PSO 3 |
| WEEK-8 | Classification - Knn | PO 1; PO 2; PO 3; PO 4; PO 5 | PSO 2; PSO 3 |
| WEEK-9 | Classification - Decision Trees | PO1; PO 2; PO 3; PO 4; PO 5 | PSO 1; PSO 2; PSO 3 |
| WEEK-10 | Classification - Bayesian <br> Network | PO 1; PO 2; PO 3; PO 4; PO 5 | PSO 2; PSO 3 |
| WEEK-11 | Classification - Support Vector <br> Machines (Svm) | PO 1; PO 2; PO 3; PO 4; PO 5 | PSO 1; PSO 2; PSO 3 |
| WEEK-12 | Classification - Bayesian <br> Network | PO 1; PO 2; PO 3; PO 4; PO 5 | PSO 1; PSO 2; PSO 3 |

## 4. MAPPING COURSE OBJECTIVES LEADING TO THE ACHIEVEMENT OF PROGRAM OUTCOMES AND PROGRAM SPECIFIC OUTCOMES:

| Course | Program Outcomes |  |  |  |  |  |  |  |  |  |  |  | Program Specific Outcomes |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Objectiv | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 | P011 | PO12 | PSO1 | PSO2 | PSO3 |
| I | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ |  |  |  |  |  |  |  | $\checkmark$ | $\checkmark$ |  |
| II | $\checkmark$ | $\sqrt{ }$ |  |  | $\checkmark$ |  |  |  |  |  |  |  | $\checkmark$ | $\checkmark$ |  |
| III | $\checkmark$ | $\sqrt{ }$ | $\checkmark$ | $\checkmark$ | $\checkmark$ |  |  |  |  |  |  |  | $\sqrt{ }$ | $\checkmark$ | $\checkmark$ |
| IV | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ |  |  |  |  |  |  |  | $\checkmark$ | $\checkmark$ | $\checkmark$ |
| V | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ |  |  |  |  |  |  |  | $\checkmark$ | $\checkmark$ | $\checkmark$ |

## 5. SYLLABUS:

| VI Semester: IT \| CSE |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Course Code | Category | Hours / Week |  |  | $\begin{gathered} \hline \text { Credits } \\ \text { C } \\ \hline \end{gathered}$ | Maximum Marks |  |  |
| AIT102 | Core | L | T | P |  | CIA | SEE | Total |
|  |  | - |  | 3 | 2 | 30 | 70 | 100 |
| Contact Classes: Nil | Tutorial Classes: Nil | Practical Classes: 36 |  |  |  | Total Classes: 36 |  |  |
| LIST OF EXPERIMENTS |  |  |  |  |  |  |  |  |
| WEEK-1 MATRIX OPERATIONS |  |  |  |  |  |  |  |  |
| Introduction to Python libraries for Data Mining : NumPy, SciPy, Pandas, Matplotlib, Scikit-Learn Write a Python program to do the following operations: <br> Library: NumPy |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  |
| a) Create multi-dimensional arrays and find its shape and dimension |  |  |  |  |  |  |  |  |
| b) Create a matrix full of zeros and ones |  |  |  |  |  |  |  |  |
| c) Reshape and flatten data in the array |  |  |  |  |  |  |  |  |
| d) Append data vertically and horizontally |  |  |  |  |  |  |  |  |

## f) Use statistical functions on array - Min, Max, Mean, Median and Standard Deviation

WEEK-2 LINEAR ALGEBRA ON MATRICES
Write a Python program to do the following operations:
Library: NumPy
a) Dot and matrix product of two arrays
b) Compute the Eigen values of a matrix
c) Solve a linear matrix equation such as $3 * x^{0}+x^{1}=9, x^{0}+2 * x^{1}=8$
d) Compute the multiplicative inverse of a matrix
e) Compute the rank of a matrix
f) Compute the determinant of an array

## WEEK-3 UNDERSTANDING DATA

Write a Python program to do the following operations:
Data set: brain_size.csv
Library: Pandas
a) Loading data from CSV file
b) Compute the basic statistics of given data - shape, no. of columns, mean
c) Splitting a data frame on values of categorical variables
d) Visualize data using Scatter plot

## WEEK-4 CORRELATION MATRIX

Write a python program to load the dataset and understand the input data
Dataset : Pima Indians Diabetes Dataset
Library : Scipy
a) Load data, describe the given data and identify missing, outlier data items
b) Find correlation among all attributes
c) Visualize correlation matrix

## WEEK -5 DATA PREPROCESSING - HANDLING MISSING VALUES

Write a python program to impute missing values with various techniques on given dataset.
a) Remove rows/ attributes
b) Replace with mean or mode
c) Write a python program to perform transformation of data using Discretization (Binning) and normalization (MinMaxScaler or MaxAbsScaler) on given dataset.

## WEEK -6 $\quad$ ASSOCIATION RULE MINING- APRIORI

Write a python program to find rules that describe associations by using Apriori algorithm between different products given as 7500 transactions at a French retail store.
Libraries: NumPy, SciPy, Matplotlib, Pandas
Dataset: https://drive.google.com/file/d/1y5DYn0dGoSbC22xowBq2d4po6h1JxcTQ/view?usp=sharing
a) Display top 5 rows of data
b) Find the rules with min_confidence : .2, min_support= 0.0045 , min_lift=3, min_length=2

## WEEK - 7 CLASSIFICATION - LOGISTIC REGRESSION

## Classification of Bank Marketing Data

The data is related with direct marketing campaigns of a Portuguese banking institution. The marketing campaigns were based on phone calls. Often, more than one contact to the same client was required, in order to access if the product (bank term deposit) would be ('yes') or not ('no') subscribed. The dataset provides the bank customers' information. It includes 41,188 records and 21 fields. The classification goal is to predict whether the client will subscribe (1/0) to a term deposit (variable y).
Libraries: Pandas, NumPy, Sklearn, Seaborn
Write a python program to
a) Explore data and visualize each attribute
b) Predict the test set results and find the accuracy of the model
c) Visualize the confusion matrix
d) Compute precision, recall, F-measure and support

## WEEK-8 CLASSIFICATION - KNN

Dataset: The data set consists of 50 samples from each of three species of Iris: Iris setosa, Iris virginica and Iris versicolor. Four features were measured from each sample: the length and the width of the sepals and petals, in centimetres.
Libraries: import numpy as np
Write a python program to

## a) Calculate Euclidean Distance. b) Get Nearest Neighbors c) Make Predictions.

## WEEK-9 CLASSIIFICATION - DECISION TREES

Write a python program
a) to build a decision tree classifier to determine the kind of flower by using given dimensions.
b) training with various split measures( Gini index, Entropy and Information Gain)
c) Compare the accuracy

## WEEK -10 CLUSTERING - K-MEANS

Predicting the titanic survive groups:
The sinking of the RMS Titanic is one of the most infamous shipwrecks in history. On April 15, 1912, during her maiden voyage, the Titanic sank after colliding with an iceberg, killing 1502 out of 2224 passengers and crew. This sensational tragedy shocked the international community and led to better safety regulations for ships. One of the reasons that the shipwreck led to such loss of life was that there were not enough lifeboats for the passengers and crew. Although there was some element of luck involved in surviving the sinking, some groups of people were more likely to survive than others, such as women, children, and the upper-class.
Libraries: Pandas, NumPy, Sklearn, Seaborn, Matplotlib
Write a python program
a)to perform preprocessing
b)to perform clustering using k-means algorithm to cluster the records into two i.e. the ones who survived and the ones who did not.

## WEEK -11 $\quad$ CLASSIFICATION - BAYESIAN NETWORK

Predicting Loan Defaulters :
A bank is concerned about the potential for loans not to be repaid. If previous loan default data can be used to predict which potential customers are liable to have problems repaying loans, these "bad risk" customers can either be declined a loan or offered alternative products.
Dataset: The stream named bayes_bankloan.str, which references the data file named bankloan.sav.
These files are available from the Demos directory of any IBM® SPSS® Modeler installation and can be accessed from the IBM SPSS Modeler program group on the Windows Start menu. The bayes_bankloan.str file is in the streams directory.
a) Build Bayesian network model using existing loan default data
b) Visualize Tree Augmented Naïve Bayes model
a) Predict potential future defaulters, and looks at three different Bayesian network model types (TAN, Markov, Markov-FS) to establish the better predicting model.
WEEK-12 $\quad$ CLASSIFICATION - SUPPORT VECTOR MACHINES (SVM)
A wide dataset is one with a large number of predictors, such as might be encountered in the field of bioinformatics (the application of information technology to biochemical and biological data). A medical researcher has obtained a dataset containing characteristics of a number of human cell samples extracted from patients who were believed to be at risk of developing cancer. Analysis of the original data showed that many of the characteristics differed significantly between benign and malignant samples.
Dataset: The stream named svm_cancer.str, available in the Demos folder under the streams subfolder. The data file is cell_samples.data. The dataset consists of several hundred human cell sample records, each of which contains the values of a set of cell characteristics.
a) Develop an SVM model that can use the values of these cell characteristics in samples from other patients to give an early indication of whether their samples might be benign or malignant.
Hint: Refer UCI Machine Learning Repository for data set.

## References:

1. https://www.dataquest.io/blog/sci-kit-learn-tutorial/
2. https://www.ibm.com/support/knowledgecenter/en/SS3RA7_sub/modeler_tutorial_ddita/modeler_tuto rial_ddita-gentopic1.html
3. https://archive.ics.uci.edu/ml/datasets.php

SOFTWARE AND HARDWARE REQUIREMENTS FOR A BATCH OF 24 STUDENTS:
HARDWARE: Intel Desktop Systems: 24 Nos
SOFTWARE: Application Software: Python, IBM SPSS Modeler - CLEMENTINE

| S. No | List of Experiments | Page No |
| :---: | :--- | :---: |
| 1 | WEEK-1:MATRIX OPERATIONS |  |
| 2 | WEEK-2 : LINEAR ALGEBRA ON MATRICES |  |
| 3 | WEEK-3 :UNDERSTANDING DATA |  |
| 4 | WEEK-4 :CORRELATION MATRIX |  |
| 5 | WEEK-5 :DATA PREPROCESSING - HANDLING MISSING <br> VALUES |  |
| 6 | WEEK-6 :ASSOCIATION RULE MINING - APRIORI |  |
| 7 | WEEK-7 :CLASSIFICATION - LOGISTIC REGRESSION |  |
| 8 | WEEK-8 :CLASSIFICATION - KNN |  |
| 9 | WEEK- :CLASSIFICATION - DECISION TREES |  |
| 10 | WEEK-10 :CLASSIFICATION - BAYESIAN NETWORK |  |
| 11 | WEEK-11:CLASSIFICATION - SUPPORT VECTOR MACHINES <br> (SVM) |  |
| 12 | WEEK-12 :CLASSIFICATION - BAYESIAN NETWORK |  |

## WEEK-1

## MATRIC OPERATIONS

## OBJECTIVE:

Introduction to Python libraries for Data Mining :NumPy, SciPy, Pandas, Matplotlib, Scikit-Learn
Write a Python program to do the following operations:
Library: NumPy
a) Create multi-dimensional arrays and find its shape and dimension
b) Create a matrix full of zeros and ones
c) Reshape and flatten data in the array
d) Append data vertically and horizontally
e) Apply indexing and slicing on array
f) Use statistical functions on array - Min, Max, Mean, Median and Standard Deviation

## RESOURCES:

Python 3.7.0
Install : pip installer, NumPy library

## PROCEDURE:

1. Create: Open a new file in Python shell, write a program and save the program with .py extension.
2. Execute: Go to Run -> Run module (F5)

## PROGRAM LOGIC:

a) Create multi-dimensional arrays and find its shape and dimension

Import numpy as np
\#creation of multi-dimensional array
$\mathrm{a}=\mathrm{np} . \operatorname{array}([[1,2,3],[2,3,4],[3,4,5]])$

## \#shape

$\mathrm{b}=\mathrm{a}$.shape
print("shape:",a.shape)

## \#dimension

$\mathrm{c}=\mathrm{a} . \mathrm{ndim}$
print("dimensions:",a.ndim)

## b) Create a matrix full of zeros and ones

\#matrix full of zeros
$\mathrm{z}=\mathrm{np} . z \operatorname{eros}((2,2))$
print("zeros:",z)

## \#matrix full of ones

$\mathrm{o}=\mathrm{np}$.ones((2,2))
print("ones:",o)
c) Reshape and flatten data in the array

## \#matrix reshape

a=np.array([[1,2,3,4],[2,3,4,5],[3,4,5,6],[4,5,6,7]])
$\mathrm{b}=\mathrm{a}$.reshape $(4,2,2)$
print("reshape:",b)

## \#matrix flatten

$\mathrm{c}=\mathrm{a}$.flatten()
print("flatten:",c)
d) Append data vertically and horizontally
\#Appending data vertically
$x=n p . \operatorname{array}([[10,20],[80,90]])$
$\mathrm{y}=\mathrm{np} . \operatorname{array}([[30,40],[60,70]])$
$\mathrm{v}=\mathrm{np} . \mathrm{vstack}((\mathrm{x}, \mathrm{y}))$
print("vertically:",v)
\#Appending data horizontally
$\mathrm{h}=\mathrm{np} . \mathrm{hstack}((\mathrm{x}, \mathrm{y}))$
print("horizontally:",h)
e) Apply indexing and slicing on array
\#indexing
$a=n p . \operatorname{array}([[1,2,3,4],[2,3,4,5],[3,4,5,6],[4,5,6,7]])$
temp $=\mathrm{a}[[0,1,2,3],[1,1,1,1]]$
print("indexing",temp)
\#slicing
$\mathrm{i}=\mathrm{a}[: 4,:: 2]$
print("slicing",i)
f) Use statistical functions on array - Min, Max, Mean, Median and Standard Deviation
\#min for finding minimum of an array
$a=n p . \operatorname{array}([[1,3,-1,4],[3,-2,1,4]])$
$\mathrm{b}=\mathrm{a} . \min ()$
print("minimum:",b)
\#max for finding maximum of an array
$\mathrm{C}=\mathrm{a} \cdot \max ()$
Print("maximum",c)

## \#mean

$a=n p . \operatorname{array}([1,2,3,4,5])$
d=a.mean()
print("mean:",d)

## \#median

e=np.median(a)
print("median:",e)

## \#standard deviation

$\mathrm{f}=\mathrm{a} . \mathrm{std}($ )
print("standard deviation",f)

## INPUT/OUTPUT:

a) shape: $(3,3)$
dimensions: 2
zeros:
[ [0. 0.]
[0. 0.]]
ones:
[[1. 1.]
[1. 1.]]
b) reshape:
[[[1 2]
[34]]
[[23]
[45]]
[ [3 4]
[5 6]]
[ [4 5]
[67]]]
flatten: [1234234534564567]
c) vertically: [[10 20]
[80 90]
[30 40]
[60 70]]
horizontally: [[10 2030 40]
[80 9060 70]]
d) indexing [2 34 5]
slicing [[1 3]
[24]
[35]
[46]]
e) minimum: -2
maximum: 4
mean: 3
median: 3
standard deviation: 1.4142135623730951

## WEEK-2 <br> LINEAR ALGEBRA ON MATRICES

## OBJECTIVE:

Write a Python program to do the following operations:
Library: NumPy
a) Dot and matrix product of two arrays
b) Compute the Eigen values of a matrix
c) Solve a linear matrix equation such as $3 * x^{0}+x^{1}=9, x^{0}+2 * x^{1}=8$
d) Compute the multiplicative inverse of a matrix
e) Compute the rank of a matrix
f) Compute the determinant of an array

## RESOURCES:

Python 3.7.0
Install : pip installer, NumPy library

## PROCEDURE:

1. Create: Open a new file in Python shell, write a program and save the program with .py extension.
2. Execute: Go to Run -> Run module (F5)

## PROGRAM LOGIC:

a) Dot and matrix product of two arrays

## \#dot product of two arrays

Import numpy as $n p$
$\mathrm{a}=\mathrm{np}$.array $([1,2,3])$
$\mathrm{b}=\mathrm{np} . \operatorname{array}([2,3,4])$
print("dot product of one dimension is:", np.dot(a,b))

## \#matrix elements multiplication

$\mathrm{a}=\mathrm{np} . \operatorname{array}([[1,2],[3,4]])$
$\mathrm{b}=\mathrm{np} . \operatorname{array}([[1,2],[3,4]])$
print("element multiplication of matrix;", np.multiply(a,b))

## \#matrix multiplication

print("matrix multiplication", np.matmul( $\mathrm{a}, \mathrm{b}$ ))

## b) Compute the Eigen values of a matrix

## \#eigen values of a matrix

Import numpy as np
a=np.array ([[1,2],[3,4]])
eigvalues, eigvectors=np.linalg.eig(a)
print("eigen value:",eigvalues,"eigen vector:",eigvectors)
c) Solve a linear matrix equation such as $3 * x^{0}+x^{1}=9, x^{0}+2 * x^{1}=8$

## \#linear matric equation

importnumpy as np
$a=n p . \operatorname{array}([[3,1],[1,2]])$
$\mathrm{b}=\mathrm{np} . \operatorname{array}([[9],[8]])$
a_inv=np.linalg.inv(a)
e=np.matmul(a_inv,b)
print("linear equation:",e)

## d) Compute the multiplicative inverse of a matrix

## \#multiplicative inverse

import numpy as np
$\mathrm{a}=$ np.array $([[3,1],[1,2]])$
a_inv=np.linalg.inv(a)
print("a inverse:",a_inv)
e) Compute the rank of a matrix

## \#matric rank

a=np.array([[3,1],[1,2]])
$\mathrm{b}=$ np.linalg.matrix_rank(a)
print("rank:",b)
f) Compute the determinant of an array
$a=n p . \operatorname{array}([[3,1],[1,2]])$
$\mathrm{b}=\mathrm{np}$.linalg.det(a)
print("determinant:",b)

## INPUT/OUTPUT:

a)
dot product of one dimension is: 20
element multiplication of matrix;
[[ 14 4]
[ 9 16]]
matrix multiplication
[[ 7 10]
[15 22]]
b)
eigen value:
[-0.37228132 5.37228132]
eigen vector:
[ [-0.82456484-0.41597356]
[0.56576746-0.90937671]]
c)
linear equation:
[ 3.6 -1.8]
[-1.6 4.8]]
d)
a inverse:
[[ 0.4 -0.2]
[-0.2 0.6$]$ ]
e)
rank: 2
f)
determinant: 5.000000000000001

## WEEK-3

## UNDERSTANDING DATA

## OBJECTIVE:

Write a Python program to do the following operations:
Dataset: brain_size.csv
Library: Pandas, matplotlib
a) Loading data from CSV file
b) Compute the basic statistics of given data - shape, no. of columns, mean
c) Splitting a data frame on values of categorical variables
d) Visualize data using Scatter plot

## RESOURCES:

a) Python 3.7.0
b) Install: pip installer, Pandas library

## PROCEDURE:

1. Create: Open a new file in Python shell, write a program and save the program with .py extension.
2. Execute: Go to Run -> Run module (F5)

## PROGRAM LOGIC:

## a) Loading data from CSV file \#loading file csv

import pandas as pd
pd.read_csv("P:/python/newfile.csv")
b) Compute the basic statistics of given data - shape, no. of columns, mean \#shape
a=pd.read_csv("C:/Users/admin/Documents/diabetes.csv") print('shape :',a.shape)
\#no of columns
cols=len(a.axes[1])
print('no of columns:',cols)

## \#mean of data

$\mathrm{m}=\mathrm{a}$ ["Age"].mean()
print('mean of Age:',m)
c) Splitting a data frame on values of categorical variables

## \#adding data

a['address']=["hyderabad,ts","Warangal,ts","Adilabad,ts","medak,ts"]
\#splitting dataframe
a_split=a['address'].str.split(',',1)
a['district']=a_split.str.get(0)
a['state']=a_split.str.get(1)
del(a['address'])
d) Visualize data using Scatter plot
\#visualize data using scatter plot

```
importmatplotlib as plt
a.plot.scatter(x='marks',y='rollno',c='Blue')
```


## INPUT/OUTPUT:

a)
student rollno marks
$\begin{array}{llll}0 & \text { a1 } & 121 & 98\end{array}$
$1 \quad$ a2 $122 \quad 82$
$\begin{array}{llll}2 & \text { a3 } & 123 & 92\end{array}$
$3 \quad$ a4 $124 \quad 78$
b)
shape: $(4,3)$
no of colums: 3
mean: 87.5
c)
before:
student rollno marks address
$0 \quad$ a1 $121 \quad 98$ hyderabad,ts
$1 \quad$ a2 $\quad 122 \quad 82$ Warangal,ts
2 a3 $123 \quad 92$ Adilabad,ts
$\begin{array}{lllll}3 & \text { a4 } & 124 & 78 & \text { medak,ts }\end{array}$
After:
student rollno marks district state
$0 \quad$ a1 $121 \quad 98$ hyderabadts
1 a2 $122 \quad 82$ Warangal ts
$\begin{array}{lllll}2 & \text { a3 } & 123 & 92 & \text { Adilabadts }\end{array}$
$\begin{array}{lllll}3 & \text { a4 } & 124 & 78 & \text { medakts }\end{array}$
d)


## WEEK-4 <br> CORRELATION MATRIX

## OBJECTIVE:

Write a python program to load the dataset and understand the input data
Dataset: Pima Indians Diabetes Dataset
https://www.kaggle.com/uciml/pima-indians-diabetes-database\#diabetes.csv
Library: Scipy
a) Load data, describe the given data and identify missing, outlier data items
b) Find correlation among all attributes
c) Visualize correlation matrix

## RESOURCES:

a) Python 3.7 .0
b) Install: pip installer, pandas, SciPy library

## PROCEDURE:

1. Create: Open a new file in Python shell, write a program and save the program with .py extension.
2. Execute: Go to Run -> Run module (F5)

## PROGRAM LOGIC:

a) Load data
import pandas as pd
importnumpy as np
importmatplotlib as plt
\%matplotlib inline
\#Reading the dataset in a dataframe using Pandas
df = pd.read_csv("C:/Users/admin/Documents/diabetes.csv")
\#describe the given data
print(df. describe())
\#Display first 10 rows of data
print(df.head(10))
\#Missing values
In Pandas missing data is represented by two values:
None: None is a Python singleton object that is often used for missing data in Python code.
$\mathbf{N a N}$ : NaN (an acronym for Not a Number), is a special floating-point value recognized by all systems

- isnull()
- notnull()
- dropna()
- fillna()
- replace()
- interpolate()
\# identify missing items
print(df.isnull())


## \#outlier data items

Methods
Z-score method
Modified Z-score method
IQR method
\#Z-score function defined in scipy library to detect the outliers
importnumpy as np
defoutliers_z_score(ys):
threshold $=3$
mean_y = np.mean(ys)
stdev_y = np.std(ys)
z_scores $=\left[\left(y-m e a n \_y\right) /\right.$ stdev_y for $y$ in $\left.y s\right]$
returnnp.where(np.abs(z_scores) > threshold)
b) Find correlation among all attributes
\# importing pandas as pd
import pandas as pd
\# Making data frame from the csv file
df = pd.read_csv("nba.csv")
\# Printing the first 10 rows of the data frame for visualization
df[:10]
\# To find the correlation among columns
\# using pearson method
df.corr(method ='pearson')
\# using 'kendall' method.
df.corr(method ='kendall')
c) Visualize correlation matrix

INPUT/OUTPUT:
import pandas as pd
df = pd.read_csv("C:/Users/admin/Documents/diabetes.csv")
print(df. describe())
print(df.head(10))

|  | Pregnancies | Glucose | $\cdots$ |  | Age |
| :--- | ---: | ---: | ---: | ---: | ---: | Outcome


|  | Pregnancies | Glucose | BloodPressure | . . | DiabetesPedigreeFunction | Age | Outcome |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 6 | 148 | 72 | . . . | 0.627 | 50 | 1 |
| 1 | 1 | 85 | 66 | . . - | 0.351 | 31 | 0 |
| 2 | 8 | 183 | 64 | . - | 0.672 | 32 | 1 |
| 3 | 1 | 89 | 66 | . . | 0.167 | 21 | 0 |
| 4 | 0 | 137 | 40 | . . | 2.288 | 33 | 1 |
| 5 | 5 | 116 | 74 | . . | 0.201 | 30 | 0 |
| 6 | 3 | 78 | 50 | . - | 0.248 | 26 | 1 |
| 7 | 10 | 115 | 0 | . $\cdot$ | 0.134 | 29 | 0 |
| 8 | 2 | 197 | 70 |  | 0.158 | 53 | 1 |
| 9 | 8 | 125 | 96 | . | 0.232 | 54 | 1 |

[10 rows x 9 columns]

## WEEK -5

## DATA PREPROCESSING - HANDLING MISSING VALUES

## OBJECTIVE:

Write a python program to impute missing values with various techniques on given dataset.
a) Remove rows/ attributes
b) Replace with mean or mode
c) Write a python program to perform transformation of data using Discretization (Binning) and normalization (MinMaxScaler or MaxAbsScaler) on given dataset.
https://www.kaggle.com/uciml/pima-indians-diabetes-database\#diabetes.csv
Library: Scipy

## RESOURCES:

a) Python 3.7 .0
b) Install: pip installer, pandas, SciPy library

## PROCEDURE:

1. Create: Open a new file in Python shell, write a program and save the program with .py extension.
2. Execute: Go to Run -> Run module (F5)

## PROGRAM LOGIC:

## \# filling missing value using fillna()

df.fillna(0)
\# filling a missing value with previous value
df.fillna(method ='pad')
\#Filling null value with the next ones
df.fillna(method ='bfill')
\# filling a null values using fillna()
data["Gender"].fillna("No Gender", inplace = True)
\# will replace Nan value in dataframe with value -99
data.replace $($ to_replace $=n p . n a n$, value $=-99$ )

## \# Remove rows/ attributes

\# using dropna() function to remove rows having one Nan
df.dropna()
\# using dropna() function to remove rows with all Nan
df.dropna(how = 'all')
\# using dropna() function to remove column having one Nan
df.dropna $($ axis $=1)$
\# Replace with mean or mode
mean_y = np.mean(ys)
\# Perform transformation of data using Discretization (Binning)

Binning can also be used as a discretization technique. Discretization refers to the process of converting or partitioning continuous attributes, features or variables to discretized or nominal attributes/ features/ variables/ intervals.

For example, attribute values can be discretized by applying equal-width or equal-frequency binning, and then replacing each bin value by the bin mean or median, as in smoothing by bin means or smoothing by bin medians, respectively. Then the continuous values can be converted to a nominal or discretized value which is same as the value of their corresponding bin.

There are basically two types of binning approaches -
Equal width (or distance) binning : The simplest binning approach is to partition the range of the variable into k equal-width intervals. The interval width is simply the range $[A, B]$ of the variable divided by $k, w=(B-A) / k$

Thus, $\mathrm{i}^{\text {th }}$ interval range will be $[\mathrm{A}+(\mathrm{i}-1) \mathrm{w}, \mathrm{A}+\mathrm{iw}]$ where $\mathrm{i}=1,2,3 \ldots . . \mathrm{k}$
Skewed data cannot be handled well by this method.
Equal depth (or frequency) binning : In equal-frequency binning we divide the range [ $\mathrm{A}, \mathrm{B}$ ] of the variable into intervals that contain (approximately) equal number of points; equal frequency may not be possible due to repeated values.

There are three approaches to perform smoothing -

Smoothing by bin means : In smoothing by bin means, each value in a bin is replaced by the mean value of the bin.
Smoothing by bin median : In this method each bin value is replaced by its bin median value.
Smoothing by bin boundary : In smoothing by bin boundaries, the minimum and maximum values in a given bin are identified as the bin boundaries. Each bin value is then replaced by the closest boundary value.

Example:
Sorted data for price(in dollar) : 2, 6, 7, 9, 13, 20, 21, 25, 30

```
Partition using equal frequency approach:
Bin 1 : 2, 6, 7
Bin 2 : 9, 13, 20
Bin 3 : 21, 24, }3
Smoothing by bin mean :
Bin 1 : 5, 5, 5
Bin 2 : 14, 14, }1
Bin 3 : 25, 25, 25
Smoothing by bin median :
Bin 1 : 6, 6, 6
Bin 2 : 13, 13, }1
Bin 3 : 24, 24, 24
Smoothing by bin boundary :
Bin 1 : 2, 7, 7
Bin 2 : 9, 9, 20
Bin 3 : 21, 21, }3
```


## import numpy as np

import math

## from sklearn.datasets import load_iris

from sklearn import datasets, linear_model, metrics

> \# load iris data set
> dataset = load_iris()
> a = dataset.data
> b = np.zeros $(150)$
\# take 1st column among 4 column of data set
for i in range (150):
$\mathrm{b}[\mathrm{i}]=\mathrm{a}[\mathrm{i}, 1]$
b=np.sort(b) \#sort the array
\# create bins
bin1=np.zeros((30,5))
bin2=np.zeros((30,5))
bin3=np.zeros((30,5))
\# Bin mean
for i in range $(0,150,5)$ :
$\mathrm{k}=\mathrm{int}(\mathrm{i} / 5)$
mean $=(\mathrm{b}[\mathrm{i}]+\mathrm{b}[\mathrm{i}+1]+\mathrm{b}[\mathrm{i}+2]+\mathrm{b}[\mathrm{i}+3]+\mathrm{b}[\mathrm{i}+4]) / 5$
for j in range(5):
bin1[k,j]=mean
print("Bin Mean: \n",bin1)
\# Bin boundaries
for i in range $(0,150,5)$ :
$\mathrm{k}=\mathrm{int}(\mathrm{i} / 5)$
for j in range (5):
if $(\mathrm{b}[\mathrm{i}+\mathrm{j}]-\mathrm{b}[\mathrm{i}])$ < $(\mathrm{b}[\mathrm{i}+4]-\mathrm{b}[i+j])$ :
bin2[k,j]=b[i]
else:
bin2[k,j]=b[i+4]
print("Bin Boundaries: \n",bin2)
\# Bin median
for i in range $(0,150,5)$ :
$\mathrm{k}=\mathrm{int}(\mathrm{i} / 5)$
for j in range (5):
bin3[k,j]=b[i+2]
print("Bin Median: \n",bin3)

## OUTPUT:

| Bin Mean: | Bin Boundaries: | Bin Median: |
| :---: | :---: | :---: |
| [[2.18 2.18 2.18 2.18 2.18] | [ [2. 2.3 2.3 2.3 2.3] | [[2.2 2.2 2.2 2.2 2.2] |
| [2.34 2.342 .342 .342 .34$]$ | [2.3 2.3 2.3 2.4 2.4] | [2.3 2.3 2.3 2.3 2.3] |
| [2.48 2.482 .482 .48 2.48] | [2.42.4 2.5 2.5 2.5] | [2.5 2.52 .5 2.5 2.5] |
| [2.52 2.52 2.52 2.52 2.52] |  | [2.5 2.5 2.5 2.5 2.5] |
| [2.62 2.62 2.62 2.62 2.62] | [2.6 2.6 2.6 2.6 2.7] | [2.6 2.6 2.6 2.6 2.6] |


| $\left[\begin{array}{llllll}2.7 & 2.7 & 2.7 & 2.7 & 2.7\end{array}\right]$ | $\left[\begin{array}{lllllll}2.7 & 2.7 & 2.7 & 2.7 & 2.7\end{array}\right]$ | $\left[\begin{array}{llllll}2.7 & 2.7 & 2.7 & 2.7 & 2.7\end{array}\right]$ |
| :---: | :---: | :---: |
| [2.74 2.742 .742 .742 .74$]$ | [ $\left.\begin{array}{llll}2.7 & 2.7 & 2.7 & 2.8 \\ 2.8\end{array}\right]$ | [ $\left.\begin{array}{llll}2.7 & 2.7 & 2.7 & 2.7 \\ 2.7\end{array}\right]$ |
| $\left[\begin{array}{llllll}2.8 & 2.8 & 2.8 & 2.8 & 2.8\end{array}\right]$ | [2.8 2.8 .82 .82 .82 .8 ] | [ $\left.\begin{array}{llllll}2.8 & 2.8 & 2.8 & 2.8 & 2.8\end{array}\right]$ |
| $\left[\begin{array}{llllll}2.8 & 2.8 & 2.8 & 2.8 & 2.8\end{array}\right]$ | [ $\left.\begin{array}{lllll}2.8 & 2.8 & 2.8 & 2.8 & 2.8\end{array}\right]$ | [ $\left.\begin{array}{llllll}2.8 & 2.8 & 2.8 & 2.8 & 2.8\end{array}\right]$ |
| [2.86 2.862 .862 .86 2.86] | [ $\left.\begin{array}{llll}2.8 & 2.8 & 2.9 & 2.9 \\ 2.9\end{array}\right]$ | [ $\left.\begin{array}{llll}2.9 & 2.9 & 2.9 & 2.9 \\ 2.9\end{array}\right]$ |
| $\left[\begin{array}{llllll}2.9 & 2.9 & 2.9 & 2.9 & 2.9\end{array}\right]$ | [2.9 2.9 2.9 2.9 |  |
| [2.96 2.96 2.962 .962 .96 ] | [2.9 2.9 3. 3. 3.] | [3, 3, 3, 3, 3.] |
| [3.3.3. 3. 3. ] | [3, 3, 3, 3, 3.] | [3,3,3,3,3.] |
| [3.3.3.3.3.] | [3, 3, 3, 3, 3.] | [3, 3, 3, 3, 3.] |
| [3.3.3.3.3.] | [3, 3, 3, 3, 3.] | [3, 3, 3, 3, 3.] |
| [3.3.3.3.3. ] | [3, 3, 3, 3, 3.] | [3, 3, 3, 3, 3.] |
| [3.04 3.04 3.04 3.04 3.04] | [3.3.3. 3.13 .1$]$ | [3.3.3.3.3.] |
| $\left[\begin{array}{llllll}3.1 & 3.1 & 3.1 & 3.1 & 3.1\end{array}\right]$ |  |  |
|  |  |  |
| $\left[\begin{array}{llllll}3.2 & 3.2 & 3.2 & 3.2 & 3.2\end{array}\right]$ |  | [3.2 3.2 3.2 3.2 3.2] |
| $\left[\begin{array}{lllllll}3.2 & 3.2 & 3.2 & 3.2 & 3.2\end{array}\right]$ | [ $\left.\begin{array}{llllll}3 & 3 & 3 & 2 & 3.2 & 3.2 \\ 3.2\end{array}\right]$ | [3.23.2 3.2 3.2 3.2] |
| [3.26 3.26 3.26 3.26 3.26] | $\left[\begin{array}{llllll}3.2 & 3.2 & 3.3 & 3.3 & 3.3\end{array}\right]$ | $\left[\begin{array}{lllllll}3.3 & 3.3 & 3.3 & 3.3 & 3.3\end{array}\right]$ |
| [3.34 3.34 3.34 3.34 3.34] |  |  |
| $\left[\begin{array}{llllll}3.4 & 3.4 & 3.4 & 3.4 & 3.4\end{array}\right]$ | [3.4 3.4 3.4 3.4 3.4] | [3.4 3.4 3.4 3.4 3.4] |
| $\left[\begin{array}{lllllll}3.4 & 3.4 & 3.4 & 3.4 & 3.4\end{array}\right]$ | [3.4 3.4 3.4 3.4 3.4] | [3.4 3.4 3.4 3.4 3.4] |
| $\left[\begin{array}{lllllll}3.5 & 3.5 & 3.5 & 3.5 & 3.5\end{array}\right]$ | $\left[\begin{array}{llllll}3.5 & 3.5 & 3.5 & 3.5 & 3.5\end{array}\right]$ | [3.5 3.5 3.5 3.5 3.5] |
| [3.58 3.58 3.58 3.58 3.58] | [3.5 3.6 3.6 3.6 3.6] | [3.6 3.6 3.6 3.6 3.6] |
| [ 3.743 .743 .743 .74 3.74] | [3.73.7 3.7 3.8 3.8] | [3.73.7 3.7 3.7 3.7] |
| [3.82 3.82 3.82 3.82 3.82] | [ 3.83 .8 3.8 3.8 3.8 3.9] | [ 3.83 .833 .83 .8 3.8] |
| [4.12 4.12 4.12 4.12 4.12]] | [3.9 3.9 3.9 4.4 4.4]] | [4.1 4.1 4.1 4.1 4.1]] |

\# Perform transformation of data using normalization (MinMaxScaler or MaxAbsScaler) on given dataset.
In preprocessing, standardization of data is one of the transformation task. Standardization is scaling features to lie between a given minimum and maximum value, often between zero and one, or so that the maximum absolute value of each feature is scaled to unit size. This can be achieved using MinMaxScaler or MaxAbsScaler, respectively.

The motivation to use this scaling include robustness to very small standard deviations of features and preserving zero entries in sparse data.

Example to scale a toy data matrix to the $[0,1]$ range:
from sklearn.preprocessing import MinMaxScaler
data $=[[-1,2],[-0.5,6],[0,10],[1,18]]$
scaler $=$ MinMaxScaler()
print(scaler.fit(data))
MinMaxScaler()
print("data:\n",scaler.data_max_)
print("Transformed data:\n",scaler.transform(data))

## OUTPUT

MinMaxScaler(copy=True, feature_range=(0, 1))

## data:

[ 1. 18.]
Transformed data:
[ $\left[\begin{array}{ll}0 . & 0 .\end{array}\right]$
[0.25 0.25]
[0.5 0.5 ]
[1. 1. ]]

## WEEK - 6

## ASSOCIATION RULE MINING - APRIORI

Write a python program to find rules that describe associations by using Apriori algorithm between different products given as 7500 transactions at a French retail store.
a) Display top 5 rows of data
b) Find the rules with min_confidence : .2, min_support= $\mathbf{0 . 0 0 4 5}$, min_lift=3, min_length=2

Libraries: NumPy, SciPy, Matplotlib, Pandas
Dataset: https://drive.google.com/file/d/1y5DYn0dGoSbC22xowBq2d4po6h1JxcTQ/view?usp=sharing

## RESOURCES:

c) Python 3.7 .0
d) Install: pip installer, pandas, SciPy library

## PROCEDURE:

1. Create: Open a new file in Python shell, write a program and save the program with .py extension.
2. Execute: Go to Run -> Run module (F5)

## PROGRAM LOGIC:

## Install Anaconda

## Open spyder IDE:

Spyder is an Integrated Development Environment (IDE) for scientific computing, written in and for the Python programming language. It comes with an Editor to write code, a Console to evaluate it and view the results at any time, a Variable Explorer to examine the variables defined during evaluation, and several other facilities

## Steps in Apriori:

1. Set a minimum value for support and confidence. This means that we are only interested in finding rules for the items that have certain default existence (e.g. support) and have a minimum value for co-occurrence with other items (e.g. confidence).
2. Extract all the subsets having higher value of support than minimum threshold.
3. Select all the rules from the subsets with confidence value higher than minimum threshold.
4. Order the rules by descending order of Lift.

## Example:

from apyori import apriori
transactions $=$ [
['beer', 'nuts'],
['beer', 'cheese'],
]

## \#CASE1:

results $=$ list(apriori(transactions))
association_results $=$ list(results)
print(results[0])
\#CASE2: min support=.5,minconfidence $=.8$
results $=$ list(apriori(transactions,min_support $=0.5$, min_confidence $=0.8$ ) $)$
association_results $=$ list(results)
print(len(results))
print(association_results)

## OUTPUT:

## 5

RelationRecord(items=frozenset( $\{$ 'beer' \}), support=1.0, ordered_statistics=[OrderedStatistic(items_base=frozenset(), items_add=frozenset(\{'beer'\}), confidence=1.0, lift=1.0)])
Case 2:
3
[RelationRecord(items=frozenset(\{'beer'\}), support=1.0,
ordered_statistics=[OrderedStatistic(items_base=frozenset(), items_add=frozenset(\{'beer'\}),
confidence $=1.0$, lift $=1.0$ )]),
RelationRecord(items=frozenset(\{'cheese', 'beer'\}), support=0.5,
ordered_statistics=[OrderedStatistic(items_base=frozenset(\{'cheese'\}), items_add=frozenset(\{'beer'\}), confidence $=1.0$, lift=1.0)]),

RelationRecord(items=frozenset(\{'nuts', 'beer'\}), support=0.5,
ordered_statistics=[OrderedStatistic(items_base=frozenset(\{'nuts'\}), items_add=frozenset(\{'beer'\}), confidence=1.0, lift=1.0)]]]
Three major measures to validate Association Rules:

- Support
- Confidence
- Lift

Suppose a record of 1 thousand customer transactions. Consider two items e.g. burgers and ketchup. Out of one thousand transactions, 100 contain ketchup while 150 contain a burger. Out of 150 transactions where a burger is purchased, 50 transactions contain ketchup as well. Using this data, Find the support, confidence, and lift.

## Support:

Support(B) $=$ (Transactions containing (B))/(Total Transactions)
For instance if out of 1000 transactions, 100 transactions contain Ketchup then the support for item Ketchup can be calculated as:

Support(Ketchup) $=($ Transactions containingKetchup $) /($ Total Transactions $)$
$\operatorname{Support}($ Ketchup $)=100 / 1000=10 \%$

## Confidence

Confidence refers to the likelihood that an item B is also bought if item A is bought. It can be calculated by finding the number of transactions where A and B are bought together, divided by total number of transactions where A is bought.
Confidence $(\mathrm{A} \rightarrow \mathrm{B})=($ Transactions containing both $(\mathrm{A}$ and B$)) /($ Transactions containing A$)$
A total of 50 transactions where Burger and Ketchup were bought together. While in 150 transactions, burgers are bought. Then we can find likelihood of buying ketchup when a burger is bought can be represented as confidence of Burger -> Ketchup and can be mathematically written as:

Confidence $($ Burger $\rightarrow$ Ketchup $)=($ Transactions containing both $($ Burger and Ketchup $)) /($ Transactions containing A)

Confidence $($ Burger $\rightarrow$ Ketchup $)=50 / 150=33.3 \%$

## Lift

Lift (A -> B) refers to the increase in the ratio of sale of B when A is sold. Lift(A -> B) can be calculated by dividing Confidence(A -> B) divided by Support(B). Mathematically it can be represented as:
Lift $(\mathrm{A} \rightarrow \mathrm{B})=($ Confidence $(\mathrm{A} \rightarrow \mathrm{B})) /($ Support $(\mathrm{B}))$
In Burger and Ketchup problem, the Lift (Burger -> Ketchup) can be calculated as:
Lift (Burger $\rightarrow$ Ketchup) $=($ Confidence $($ Burger $\rightarrow$ Ketchup) $) /($ Support (Ketchup) $)$
$\operatorname{Lift}($ Burger $\rightarrow$ Ketchup $)=33.3 / 10=3.33$

## a) Display top 5 rows of data

import numpy as np
import matplotlib.pyplot as plt
import pandas as pd
from apyori import apriori
store_data = pd.read_csv("D:/datasets/store_data.csv")
print(store_data.head())
print('Structure of store dataln',str(store_data))

## OUTPUT:

shrimp almonds avocado vegetables mix green grapes \}

| 0 | burgers meatballs | eggs | NaN | NaN |  |
| :--- | :--- | ---: | :--- | :--- | :--- |
| 1 | chutney | NaN | NaN | NaN | NaN |
| 2 | turkey avocado | NaN | NaN | NaN |  |

3 mineral water milk energy bar whole wheat rice green tea
4 low fat yogurt NaN NaN NaN NaN
whole weat flour yams cottage cheese energy drink tomato juice \}

| 0 | NaN NaN | NaN | NaN | NaN |
| :--- | :--- | :--- | :--- | :--- |
| 1 | NaN NaN | NaN | NaN | NaN |
| 2 | NaN NaN | NaN | NaN | NaN |
| 3 | NaN NaN | NaN | NaN | NaN |
| 4 | NaN NaN | NaN | NaN | NaN |

low fat yogurt green tea honey salad mineral water salmon antioxydant juice \}

| 0 | NaN | NaN | NaN | NaN | NaN | NaN | NaN |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 1 | NaN | NaN | NaN | NaN | NaN | NaN | NaN |
| 2 | NaN | NaN | NaN | NaN | NaN | NaN | NaN |


| 3 | NaN | NaN | NaN | NaN | NaN | NaN | NaN |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 4 | NaN | NaN | NaN | NaN | NaN | NaN | NaN |

frozen smoothie spinach olive oil

| 0 | NaN | NaN | NaN |
| :--- | :--- | :--- | :--- |
| 1 | NaN | NaN | NaN |
| 2 | NaN | NaN | NaN |
| 3 | NaN | NaN | NaN |
| 4 | NaN | NaN | NaN |

Structure of store data
shrimp almonds avocado vegetables mix \}

| 0 | burgers | meatballs | eggs | NaN |
| :---: | :---: | :---: | :---: | :---: |
| 1 | chutney | NaN | NaN | NaN |
| 2 | turkey | avocado | NaN | NaN |

3 mineral water milk energy bar whole wheat rice
4 low fat yogurt $\mathrm{NaN} \quad \mathrm{NaN} \quad \mathrm{NaN}$
7495 butter light mayo fresh bread NaN

| 7496 | burgers frozen vegetables |  | eggs | french fries |
| :--- | :---: | :---: | :---: | :---: |
| 7497 | chicken | NaN | NaN | NaN |
| 7498 | escalope | green tea | NaN | NaN |
| 7499 | eggs |  | frozen smoothie yogurt cake | low fat yogurt |

green grapes whole weat flour yams cottage cheese energy drink $\backslash$

| 0 | NaN | NaN NaN | NaN | NaN |
| :---: | :---: | :---: | :---: | :---: |
| 1 | NaN | NaN NaN | NaN | NaN |
| 2 | NaN | NaN NaN | NaN | NaN |
| 3 | green tea | NaN NaN | NaN | NaN |
| 4 | NaN | NaN NaN | NaN | NaN |
| $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ |
| 7495 | NaN | NaN NaN | NaN | NaN |
| 7496 | magazines | green tea NaN | NaN | NaN |
| 7497 | NaN | NaN NaN | NaN | NaN |
| 7498 | NaN | NaN NaN | NaN | NaN |
| 7499 | NaN | NaN NaN | NaN | NaN |

tomato juice low fat yogurt green tea honey salad mineral water salmon $\backslash$

| 0 | NaN | NaN | NaN | NaN | NaN | NaN | NaN |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 1 | NaN | NaN | NaN | NaN | NaN | NaN | NaN |
| 2 | NaN | NaN | NaN | NaN | NaN | NaN | NaN |


antioxydant juice frozen smoothie spinach olive oil

| 0 | NaN | NaN | NaN | NaN |
| :--- | :--- | :--- | :--- | :--- |
| 1 | NaN | NaN | NaN | NaN |
| 2 | NaN | NaN | NaN | NaN |
| 3 | NaN | NaN | NaN | NaN |
| 4 | NaN | NaN | NaN | NaN |
| $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ |
| 7495 | NaN | NaN | NaN | NaN |
| 7496 | NaN | NaN | NaN | NaN |
| 7497 | NaN | NaN | NaN | NaN |
| 7498 | NaN | NaN | NaN | NaN |
| 7499 | NaN | NaN | NaN | NaN |

[7500 rows x 20 columns]
c) Find the rules with $\min \_$confidence : . 2 , min_support $=0.0045$, min_lift=3, min_length $=2$

Let's suppose that we want rules for only those items that are purchased at least 5 times a day, or $7 \times 5=35$ times in one week, since our dataset is for a one-week time period.

The support for those items can be calculated as $35 / 7500=0.0045$.
The minimum confidence for the rules is $20 \%$ or 0.2 .
Similarly, the value for lift as 3 and finally min_length is 2 since at least two products should exist in every rule.

## \#Converting data frame to list

records $=[]$
for i in range ( 0,7500 ):
records.append([str(store_data.values $[i, j])$ for $j$ in range $(0,20)])$

## \#Generating association rules using apriori()

\#association_rules $=$ apriori $($ records, min_support $=\mathbf{0 . 0 0 4 5}$, min_confidence= $\mathbf{0 . 2}$, min_lift=3, min_length=2)
association_rules $=$ apriori(records, min_support= $=0.0045$, min_confidence=0.2, min_lift=3, min_length=5)
association_results $=$ list(association_rules)
print(len(association_results))
print(association_results[0])
for item in association_rules:
\# first index of the inner list
\# Contains base item and add item
pair $=$ item[0]
items $=[\mathrm{x}$ for x in pair $]$
print("Rule: " + items[0] + " -> " + items[1])
\#second index of the inner list
print("Support: " + str(item[1]))
\#third index of the list located at 0th
\#of the third index of the inner list
print("Confidence: " + str(item[2][0][2]))
print("Lift: " + str(item[2][0][3]))
print("======================================")

## OUTPUT:

\#association_rules = apriori(records, $\boldsymbol{m i n}$ _support $=\mathbf{0 . 0 0 4 5}$, min_confidence= $\mathbf{0 . 2}$, min_lift=3, min_length=2)
RelationRecord(items=frozenset(\{'light cream', 'chicken'\}), support=0.004533333333333334, ordered_statistics=[OrderedStatistic(items_base=frozenset(\{'light cream'\}), items_add=frozenset(\{'chicken'\}), confidence $=0.2905982905982906$, lift $=4.843304843304844$ )]

## \#association_rules = apriori(records, min_support=0.0045, min_confidence=0.2, min_lift=3, min_length=5)

No of Rules: 48
RelationRecord(items=frozenset(\{'chicken', 'light cream'\}), support=0.004533333333333334, ordered_statistics=[OrderedStatistic(items_base=frozenset(\{ 'light cream'\}), items_add=frozenset(\{'chicken'\}), confidence $=0.2905982905982906$, lift $=4.843304843304844$ )]

Rule: light cream -> chicken Support: 0.004532728969470737 Confidence: 0.29059829059829057 Lift:
4.84395061728395

Rule: mushroom cream sauce -> escalope Support: 0.005732568990801126 Confidence: 0.3006993006993007 Lift: 3.790832696715049

Rule: escalope -> pasta Support: 0.005865884548726837 Confidence: 0.3728813559322034 Lift:
4.700811850163794

Rule: ground beef -> herb \& pepper Support: 0.015997866951073192 Confidence: 0.3234501347708895 Lift: 3.2919938411349285

## WEEK－ 7

## CLASSIFICATION－LOGISTIC REGRESSION

## Classification of Bank Marketing Data

The data is related with direct marketing campaigns of a Portuguese banking institution．The marketing campaigns were based on phone calls．Often，more than one contact to the same client was required，in order to access if the product（bank term deposit）would be（＇yes＇）or not（＇no＇）subscribed．The dataset provides the bank customers＇information．It includes $\mathbf{4 1 , 1 8 8}$ records and 21 fields．The classification goal is to predict whether the client will subscribe（ $1 / 0$ ）to a term deposit（variable $y$ ）．
Write a python program to
a）Explore data and visualize each attribute
b）Predict the test set results and find the accuracy of the model
c）Visualize the confusion matrix
d）Compute precision，recall，F－measure and support

## RESOURCES：

e）Python 3．7．0
f）Install：pip installer，pandas，SciPy，NumPy，Sklearn，Seaborn library

## PROCEDURE：

1．Create：Open a new file in Python shell，write a program and save the program with ．py extension．
2．Execute：Go to Run－＞Run module（F5）

## PROGRAM LOGIC：

a）Explore data and visualize each attribute
import pandas as pd
import numpy as np
import pandas as pd
import numpy as $n p$
import seaborn as sns
from pandas．plotting import scatter＿matrix
from sklearn．linear＿model import LogisticRegression
\＃Reading dataset
bank＝pd．read＿csv（＂D：／datasets／bank－additional－full．csv＂，index＿col＝0）
\＃index＿col will remove the index column from the csv file
\＃Assign outcome as 0 if income $<=50 \mathrm{~K}$ and as 1 if income $>50 \mathrm{~K}$
bank［＇y＇］$=[0$ if $x==$＇no＇else 1 for $x$ in bank［＇y＇］］
\＃Assign X as a DataFrame of features from bank dataset and y as a Series of the outcome variable
\＃axis ：$\{0$ or＇index＇， 1 or＇columns＇$\}$ ，default 0
\＃Whether to drop labels from the index（ 0 or＇index＇）or columns（ 1 or＇columns＇）．
$\mathrm{X}=$ bank．drop（＇ y ＇，1）\＃ 1 represents column，dropping y column for doing classification $\mathrm{y}=$ bank． y
X．describe（）

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y．describe（）

| count | 41188.0 |
| :--- | :---: |
| mean | 1.0 |
| std | 0.0 |
| min | 1.0 |
| $25 \%$ | 1.0 |
| $50 \%$ | 1.0 |
| $75 \%$ | 1.0 |
| $\max$ | 1.0 |

Name：y，dtype：float64
X．head（）

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| in | $\begin{aligned} & \text { Ư } \\ & \stackrel{y}{己} \\ & 0 \end{aligned}$ | $\begin{aligned} & \stackrel{\rightharpoonup}{E} \\ & \underset{B}{E} \end{aligned}$ |  | $\begin{aligned} & \tilde{y} \\ & 0 \\ & \text { E } \\ & \equiv \end{aligned}$ | $\stackrel{\circ}{\square}$ | 을 |  | ※̈g | \％ | $\stackrel{\square}{\square}$ | － | 大亏 | $\bigcirc$ | （ | ت | $\begin{aligned} & \dot{Z} \\ & \dot{\sigma} \end{aligned}$ | $\underset{\substack{\text { ® }}}{ }$ | $\begin{aligned} & \hat{\infty} \\ & + \\ & + \end{aligned}$ | 0 $\stackrel{1}{9}$ $\stackrel{1}{n}$ | $\stackrel{\square}{¢}$ |
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| ¢ | 兰 | $\begin{aligned} & \text { D } \\ & \text { E } \\ & = \end{aligned}$ |  | $\stackrel{\square}{\square}$ | $\stackrel{\circ}{\square}$ | 알 |  | 宫 | $\begin{aligned} & \text { ס్ם } \end{aligned}$ | $\stackrel{\square}{2}$ | － | فे | $\bigcirc$ |  | ت | $\begin{aligned} & \underset{\alpha}{\alpha} \\ & \dot{\sigma} \end{aligned}$ | $\stackrel{+}{\oplus}$ | $\begin{aligned} & \hat{\infty} \\ & \underset{\sim}{\circ} \end{aligned}$ | 0 $\stackrel{\rightharpoonup}{\circ}$ $\stackrel{\rightharpoonup}{n}$ | $\stackrel{\square}{¢}$ |
| $\stackrel{\square}{6}$ | $$ | ： | （ | 을 | $\stackrel{\circ}{\square}$ | $\stackrel{\leftrightarrow}{\sim}$ | 㞗 |  |  |  |  |  |  |  |  |  |  |  |  |  |

y.head()
age
560
570
370
400
560
Name: y, dtype: int64
\#Count of unique values( $\mathrm{y} / \mathrm{n}$ )
bank['y'].value_counts()

## OUTPUT:

\# 4640 people opened term deposit account and 36548 have not opened the term deposit account
036548
14640
Name: y, dtype: int64
\# Decide which categorical variables you want to use in model
for col_name in X.columns:
if X[col_name].dtypes == 'object':\# in pandas it is object
unique_cat $=$ len(X[col_name].unique())
print("Feature '\{col_name\}' has \{unique_cat \} unique categories".format(col_name=col_name,
unique_cat=unique_cat))
$\operatorname{print}(X[$ col_name].value_counts())
print()

## OUTPUT:

Feature 'job' has 12 unique categories
admin. 10422
blue-collar 9254
technician 6743
services 3969
management 2924
retired 1720
entrepreneur 1456
self-employed 1421
housemaid 1060
unemployed 1014
student 875
unknown 330
Name: job, dtype: int64
Feature 'marital' has 4 unique categories
married 24928
single 11568
divorced 4612
unknown 80
Name: marital, dtype: int64
Feature 'education' has 8 unique categories
university.degree 12168
high.school 9515
basic.9y 6045
professional.course 5243
basic. $4 \mathrm{y} \quad 4176$
basic.6y 2292
unknown 1731
illiterate $\quad 18$
Name: education, dtype: int64
Feature 'default' has 3 unique categories
no 32588
unknown 8597
yes 3
Name: default, dtype: int64
Feature 'housing' has 3 unique categories
yes 21576
no 18622
unknown 990
Name: housing, dtype: int64
Feature 'loan' has 3 unique categories
no 33950
yes 6248
unknown 990
Name: loan, dtype: int64
Feature 'contact' has 2 unique categories
cellular 26144
telephone 15044
Name: contact, dtype: int64
Feature 'month' has 10 unique categories
may 13769
jul 7174
aug 6178
jun 5318
nov 4101
apr 2632
oct 718
sep 570
mar 546
dec 182
Name: month, dtype: int64
Feature 'day_of_week' has 5 unique categories
thu 8623
mon 8514
wed 8134
tue 8090
fri 7827
Name: day_of_week, dtype: int64
Feature 'poutcome' has 3 unique categories
nonexistent 35563
failure 4252
success 1373
Name: poutcome, dtype: int64

## Visualizations

\#visualization of Predictor variable (y)
print(y.value_counts().plot.bar())

b) Predict the test set results and find the accuracy of the model
\#Create an Logistic classifier and train it on $70 \%$ of the data set.
clf $=$ LogisticRegression()
clf
LogisticRegression( $C=1.0$, class_weight=None, dual=False, fit_intercept=True, intercept_scaling $=1,11$ ratio=None, max_iter=100, multi_class='warn', n_jobs=None, penalty='12', random_state $=$ None, solver $=$ 'warn', tol $=0.0001$, verbose $=0$, warm_start=False)
clf.fit(X, y)
LogisticRegression( $\mathrm{C}=1.0$, class_weight=None, dual=False, fit_intercept=True,
intercept_scaling $=1,11 \_$ratio $=$None, max_iter $=100$,
multi_class='warn', n_jobs=None, penalty='12',
random_state $=$ None, solver='warn', tol $=0.0001$, verbose $=0$,
warm_start=False)
c) Visualize the confusion matrix
from sklearn.metrics import confusion_matrix
confusion_matrix = confusion_matrix(y_test, y_pred)
print(confusion_matrix)
d) Compute precision, recall, F-measure and support
from sklearn.metrics import classification_report
print(classification_report(y_test, y_pred))
**** https://towardsdatascience.com/building-a-logistic-regression-in-python-step-by-step-becd4d56c9c8

