

## LINEAR ALGEBRA AND ORDINARY DIFFERENTIAL EQUATION

<b>I Semester: AE   CSE   IT   ECE   EEE   ME   CE</b>								
Course Code	Category	Hours / Week			Credits	Maximum Marks		
AHS002	<b>Foundation</b>	L	T	P	C	CIA	SEE	Total
		3	1	-	4	30	70	100
<b>Contact Classes: 45</b>		<b>Tutorial Classes: 15</b>		<b>Practical Classes: Nil</b>		<b>Total Classes: 60</b>		
<p><b>OBJECTIVES:</b></p> <p><b>The course should enable the students to:</b></p> <ol style="list-style-type: none"> <li>I. Understand the basic theory of complex functions to express the power series.</li> <li>II. Evaluate the contour integration using Cauchy residue theorem.</li> <li>III. Enrich the knowledge of probability on single random variables and probability distributions.</li> </ol> <p><b>COURSE LEARNING OUTCOMES (CLOs):</b></p> <ol style="list-style-type: none"> <li>1. Demonstrate knowledge of matrix calculation as an elegant and powerful mathematical language in connection with rank of a matrix.</li> <li>2. Finding rank by reducing the matrix to Echelon and Normal forms.</li> <li>3. Determine inverse of the matrix by Gauss Jordon Method.</li> <li>4. Apply the method of LU Decomposition and solve the simultaneous equations.</li> <li>5. Use the method of LU factorization real world problems such as circuit designing and solving complex circuits.</li> <li>6. Use the method of LU factorization real world problems such as economize and accumulate sums in double precision Computer Programme.</li> <li>7. Interpret the Eigen values and Eigen vectors of matrix for a linear transformation and use properties of Eigen values.</li> <li>8. Understand the concept of Eigen values in real world problems of control field where they are pole of closed loop system.</li> <li>9. Apply the concept of Eigen values in real world problems of mechanical systems where Eigen values are natural frequency and mode shape.</li> <li>10. Use the system of linear equations and matrix to determine the dependency and independency.</li> <li>11. Determine a modal matrix, and reducing a matrix to diagonal form.</li> <li>12. Evaluate inverse and powers of matrices by using Cayley-Hamilton theorem.</li> <li>13. Solving differential equations of first order.</li> <li>14. Finding orthogonal trajectories of Cartesian and polar equations.</li> <li>15. Apply the first order differential equations in real world problems such as Newton's Law of cooling and Law of natural growth and decay.</li> <li>16. Solving Second and higher order differential equations with constant coefficients.</li> <li>17. Apply the second order differential equations for real world problems of electrical circuits and simple harmonic motion.</li> <li>18. Apply the Mean value theorems for the single variable functions.</li> <li>19. Understand the basic concepts of Partial Differential equations.</li> <li>20. Determine Jacobin for the coordinate transformation.</li> </ol>								

<p>21. Apply the technique of Jacobin and inverse Jacobian relation to real world problems such as kinematics and inverse kinematic solutions of robot manipulators.</p> <p>22. Understand the techniques of multidimensional change –of –variables to transform the coordinates by utilizing the Jacobian.</p> <p>23. Apply maxima and minima for functions of several variable’s and Lagrange’s method of multipliers.</p> <p>24. Understand the concept and acquire the knowledge for attempting the competitive exams.</p>		
<b>Unit-I</b>	<b>THEORY OF MATRICES</b>	<b>Classes: 10</b>
<p>Real Matrices: Symmetric, skew-symmetric and orthogonal matrices; Complex matrices: Hermitian, Skew-Hermitian and unitary matrices; Elementary row and column transformations, elementary matrix, finding rank of a matrix by reducing to Echelon form and normal form; Finding the inverse of a matrix using elementary row/column transformations: Gauss-Jordan method; Solving of linear system of equations by LU decomposition method.</p>		
<b>Unit -II</b>	<b>LINEAR TRANSFORMATIONS</b>	<b>Classes: 08</b>
<p>Cayley-Hamilton theorem: Statement, verification, finding inverse and powers of a matrix; Linear dependence and independence of vectors; Linear transformation; Eigen values and eigen vectors of a matrix; Properties of eigen values and eigen vectors of real and complex matrices; Diagonalization of matrix.</p>		
<b>Unit -III</b>	<b>DIFFERENTIAL EQUATIONS OF FIRST ORDER AND THEIR APPLICATIONS</b>	<b>Classes: 10</b>
<p>Formation of a differential equation; Differential equations of first order and first degree: Exact, non exact, linear equations; Bernoulli equation; Applications of first order differential equations: Orthogonal trajectories; Newton’s law of cooling; Law of natural growth and decay.</p>		
<b>Unit -IV</b>	<b>HIGHER ORDINARY LINEAR DIFFERENTIAL EQUATIONS AND THEIR APPLICATIONS</b>	<b>Classes: 09</b>
<p>Linear differential equations of second and higher order with constant coefficients, non homogeneous term of the type <math>f(x) = e^{ax}, \sin ax, \cos ax</math> and <math>f(x) = x^n, e^{ax}v(x), x^n v(x)</math>; Method of variation of parameters; Applications to electrical circuits and simple harmonic motion.</p>		
<b>Unit -V</b>	<b>FUNCTIONS OF SINGLE AND SEVERAL VARIABLES</b>	<b>Classes: 08</b>
<p>Mean value theorems: Rolle’s theorem, Lagrange’s theorem, Cauchy’s theorem and generalized mean value theorems-without proofs. Functions of several variables: Functional dependence, Jacobian, maxima and minima of functions of two variables without constraints and with constraints; Method of Lagrang multipliers.</p>		
<b>Text Books:</b>		
<p>1. Kreyszig, “Advanced Engineering Mathematics”, John Wiley &amp; Sons Publishers, 9<sup>th</sup> Edition, 2014.  2. B. S. Grewal, “Higher Engineering Mathematics”, Khanna Publishers, 42<sup>nd</sup> Edition, 2012.</p>		
<b>Reference Books:</b>		
<p>1. RK Jain &amp; SRK Iyengar, “Advanced Engineering Mathematics”, Narosa Publishers, 5<sup>th</sup> Edition, 2016.  2. Ravish R Singh, Mukul Bhatt, “Engineering Mathematics-1”, Tata Mc Graw Hill Education, 1<sup>st</sup> Edition, 2009.</p>		

3. Srimanthapal & Suboth C.Bhunia, "Engineering Mathematics", Oxford Publishers, 3<sup>rd</sup> Edition, 2015.

**Web References:**

1. [http://www.efunda.com/math/math\\_home/math.cfm](http://www.efunda.com/math/math_home/math.cfm)
2. <http://www.ocw.mit.edu/resources/#Mathematics>
3. <http://www.sosmath.com>

**E-Text Books:**

1. <http://www.keralatechnologicaluniversity.blogspot.in/2015/06/erwin-kreyszig-advanced-engineering-mathematics-ktu-ebook-download.html>
2. <http://www.faadooengineers.com/threads/13449-Engineering-Maths-II-eBooks>.