INSTITUTE OF AERONAUTICAL ENGINEERING (Autonomous) Dundigal, Hyderabad - 500043

MECHANICAL ENGINEERING

## TUTORIAL QUESTION BANK

| Course Title | ENGINEERING MECHANICS |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Course Code | AMEB03 |  |  |  |  |
| Program | B.Tech |  |  |  |  |
| Semester | III ME |  |  |  |  |
| Course Type | Foundation |  |  |  |  |
| Regulation | IARE - R18 |  |  |  |  |
| Course Structure | Theory |  |  | Practical |  |
|  | Lectures | Tutorials | Credits | Laboratory | Credits |
|  | 3 | 1 | 4 | - | - |
| Chief Coordinator | Dr. Ch. Sandeep, Associate Professor |  |  |  |  |
| Course Faculty | Dr. Ch. Sandeep, Associate Professor <br> Mrs. V. Prasanna, Assistant Professor |  |  |  |  |

## COURSE OBJECTIVES:

| I | Students should develop the ability to work comfortably with basic engineering mechanics concepts <br> required for analyzing static structures. |
| :---: | :--- |
| II | Identify an appropriate structural system to studying a given problem and isolate it from its environment, <br> model the problem using good free-body diagrams and accurate equilibrium equations. |
| III | Understand the meaning of centre of gravity (mass)/centroid and moment of Inertia using integration <br> methods and method of moments. |
| IV | To solve the problem of equilibrium by using the principle of work and energy, impulse momentum and <br> vibrations for preparing the students for higher level courses such as Mechanics of Solids, Mechanics of <br> Fluids, Mechanical Design and Structural Analysis etc. |

## COURSE OUTCOMES (COs):

| CO 1 | Understand the concepts of laws of mechanics, force systems and friction forces. |
| :--- | :--- |
| CO 2 | Analyze the spatial systems, forces in frames and the concepts of centroids and centre of gravity. |
| CO 3 | Understand the concepts of kinetics and kinematics to solve the problems related to motion of the body. |
| CO 4 | Understand the concept of impulse forces, work energy relations for connected systems. |
| CO 5 | Explore the knowledge on vibrations and simple harmonic motion. |

COURSE LEARNING OUTCOMES (CLOs)

| AMEB03.01 | A basic understanding of the laws and principle of mechanics |
| :--- | :--- |
| AMEB03.02 | The ability to solve simple force system problems in mechanics |
| AMEB03.03 | Determine the resultant and apply conditions of static equilibrium to a plane force system |
| AMEB03.04 | Solve the problems of simple systems with the friction, calculate the linear moving bodies <br> in general plane motion and applications of friction |
| AMEB03.05 | Analyze planer and spatial systems to determine the force in the members of truss and <br> frames |
| AMEB03.06 | Solve the problems on different types of beams |
| AMEB03.07 | Obtain the centroid, center of gravity, first moment and second moment of area |
| AMEB03.08 | Understand the concept of virtual work and an ability to solve practical problems |
| AMEB03.09 | Understand the concepts of kinematics of the particles and rectilinear motion |
| AMEB03.10 | Explore knowledge \& ability to solve various particle motion problems. |
| AMEB03.11 | Derive the D' Alembert's principle and apply it to various field problems of kinetic motion. |
| AMEB03.12 | Determine the impact, impulse and impulsive forces occurring in the system and able to <br> solve the problems |
| AMEB03.13 | Develop the work energy relations and apply to connected systems. |
| AMEB03.14 | Understand the fixed axis rotation theory and solving the field problems by application of <br> work energy method. |
| AMEB03.15 | Introduction to concepts of vibration and explain the relation between simple harmonic <br> motion and the equilibrium systems. |
| AMEB03.16 | Derive the expressions for the concepts of simple, compound and torsional pendulums. |
| AMEB03.17 | Explore the use of modern engineering tools, software and equipment to prepare for <br> competitive exams, higher studies etc. |


| INTRODUCTION TO ENGINEERING MECHANICS |  |  |  |
| :---: | :---: | :---: | :---: |
| PART - A (SHORT ANSWER QUESTIONS) |  |  |  |
| S No | QUESTIONS | $\begin{gathered} \text { Blooms } \\ \text { Taxonomy } \\ \text { Level } \end{gathered}$ | Course Learning Outcomes (CLOs) |
| 1 | State Varignon's theorem | Remember | AMEB03:01 |
| 2 | What is a couple? | Understand | AMEB03:01 |
| 3 | Define principle of transmissibility. | Remember | AMEB03:02 |
| 4 | State the triangular law of forces? | Understand | AMEB03:01 |
| 5 | What is a moment of a couple? | Understand | AMEB03:01 |
| 6 | Explain free body diagram with one example. | Understand | AMEB03:02 |
| 7 | State and explain Newton's law of gravitation | Understand | AMEB03:01 |
| 8 | Define the term resultant and equilibrant | Understand | AMEB03:01 |
| 9 | What is a rigid body? | Understand | AMEB03:01 |
| 10 | What is a couple? State its characteristics | Remember | AMEB03:02 |
| 11 | Define concurrent force? | Remember | AMEB03:01 |
| 12 | What is a force system? | Understand | AMEB03:01 |
| 13 | Explain about resolution for forces? | Remember | AMEB03:02 |
| 14 | State the laws of mechanics? | Understand | AMEB03:01 |
| 15 | Define parallelogram law of forces | Understand | AMEB03:01 |
| 16 | Explain about trigonometric method? | Understand | AMEB03:02 |
| 17 | Define equilibrium and equilibrant forces | Understand | AMEB03:01 |
| 18 | What is a non parallel non concurrent force? | Understand | AMEB03:01 |
| 19 | Explain the concept of Varignon's theorem? | Understand | AMEB03:01 |
| 20 | State the law of transmissibility? | Remember | AMEB03:02 |

PART - B (LONG ANSWER QUESTIONS)

| 1 | State Lami's theorem with a neat sketch? | Remember | AMEB03:01 |
| :---: | :--- | :--- | :--- |
| 2 | State the Parallelogram law of forces? | Understand | AMEB03:01 |
| 3 | State Newton's three laws of motion? | Remember | AMEB03:01 |
| 4 | What differences exist between Kinetics and Kinematics | Remember | AMEB03:01 |
| 5 | Compare 'Resultant' and 'Equilibrant' | Remember | AMEB03:01 |
| 6 | Distinguish between couple and moment. | Understand | AMEB03:01 |
| 7 | Explain the procedure to find the resultant of several forces acting at <br> a point | Remember | AMEB03:02 |
| 8 | Determine the magnitude and the direction of the resultant of two <br> forces 7 N and 8 N acting at a point with an included angle of 60o <br> with between them. The force of 7 N being horizontal | Understand | AMEB03:02 |
| 9 | Two coplanar forces act towards a point with an angle of 450 <br> between them. If their resultant is 100kN and one of the forces is <br> 20kN calculate the other force | Understand | AMEB03:03 |
| 10 | Two forces act at an angle of 1200. The bigger forces is 60N and the <br> resultant is perpendicular to the smaller one. Find the smaller force. | Understand | AMEB03:02 |
| 11 | Determine the magnitude and the direction of the resultant of two <br> forces 15 N and 12 N acting at a point with an included angle of <br> 45 | Remember | AMEB03:01 |


| 12 | Two coplanar forces act towards a point with an angle of $25^{0}$ between <br> them. If their resultant is 100 kN and one of the forces is 20 kN <br> calculate the other force | Understand | AMEB03:01 |  |  |  |  |  |
| :---: | :--- | :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| 13 | Two forces act at an angle of $120^{\circ}$. The bigger forces is 60N and the <br> resultant is perpendicular to the smaller one. Find the smaller force. | Remember | AMEB03:01 |  |  |  |  |  |
| 14 | What differences exist between Kinetics and Kinematics | Remember | AMEB03:01 |  |  |  |  |  |
| 15 | Compare 'Equilibrium' and 'Equilibrant' | Remember | AMEB03:01 |  |  |  |  |  |
| 16 | Distinguish between force and force system. | Understand | AMEB03:01 |  |  |  |  |  |
| 17 | What differences exist between Rigid body and deformable body? | Remember | AMEB03:02 |  |  |  |  |  |
| 18 | Explain about parallel force systems? | Understand | AMEB03:02 |  |  |  |  |  |
| 19 | Explain the procedure for resolution of forces? | Understand | AMEB03:03 |  |  |  |  |  |
| 20 | What is the difference between force diagram and space diagram? | Understand | AMEB03:02 |  |  |  |  |  |
| PART - C (PROBLEM SOLVING AND CRITICAL THINKING QUESTIONS) |  |  |  |  |  |  |  |  |


| 1 | A force P is applied at ' O ' to the string AOB as shown in fig. If the tension in each part of string is 50 N , Find the direction and magnitude of force P for equilibrium conditions. | Remember | AMEB03:02 |
| :---: | :---: | :---: | :---: |
| 2 | Determine the resultant of system of forces acting as shown in fig. | Remember | AMEB03:02 |
| 3 | A system of connected flexible cables as shown in figure is supporting two vertical forces 240 N and 300 N at points B and D. Determine the forces in various segments of the cable. | Remember | AMEB03:03 |


| 4 | Two forces are applied to an eye bolt fastened to a beam. Determine the magnitude and direction of their resultant. | Remember | AMEB03:02 |
| :---: | :---: | :---: | :---: |
| 5 | Find the magnitude of two forces such that if they act at right angle, their resultant is $\sqrt{ } 10$, but they act at $60^{\circ}$ their resultant is $\sqrt{ } 13$ | Remember | AMEB03:03 |
| 6 | The five forces $20 \mathrm{~N}, 30 \mathrm{~N}, 40 \mathrm{~N}, 50 \mathrm{~N}$ and 60 N are acting at one of the angular points of a regular hexagon, towards the other five angular points taken in order. Find the direction and magnitude of the resultant force | Understand | AMEB03:02 |
| 7 | The following forces act at a point <br> a. 30 kN inclined at $35^{\circ}$ towards North to East. <br> b. 22 kN towards North <br> c. 30 kN inclined at $30^{\circ}$ towards North to West <br> d. 35 kN inclined at $25^{\circ}$ towards South to West. <br> Find the magnitude and direction of the resultant force. | Understand | AMEB03:02 |
| 8 | Determine the horizontal force P to be applied to a block of weight of 1800 N to hold it in position on a smooth inclined plane, which makes an angle $30^{\circ}$ with horizontal reference line. | Understand | AMEB03:03 |
| 9 | A uniform plank ABC of weight of 30 N and 2 m long is supported one end A and at a point B 1.4 m from A . find the maximum weight W that can be placed at C, so that the plank does not topple | Understand | AMEB03:02 |
| 10 | The force of magnitudes $10 \mathrm{KN}, 20 \mathrm{KN}, 25 \mathrm{KN}$ \& 40 KN are concurrent in space and are directed through the points $A(3,2,5)$, $\mathrm{B}(1,7,4), \mathrm{C}(4,-2,4) \& \mathrm{D}(-2,4,-3)$ respectively. Determine the resultant of the force system of forces. Given that system of forces are concurrent at the origin. | Understand | AMEB03:03 |
| MODULE - II |  |  |  |
| FRICTION AND BASICS STRUCTURAL ANALYSIS |  |  |  |
| PART - A (SHORT ANSWER QUESTIONS) |  |  |  |
| 1 | Explain the types of friction with examples? | Understand | AMEB03:04 |
| 2 | Define the following i) Friction ii) Angle of friction | Understand | AMEB03:04 |
| 3 | Define the following (i)Angle of Repose (ii)Coefficient of frictions | Understand | AMEB03:04 |
| 4 | Differentiate between static and dynamic friction? | Understand | AMEB03:01 |
| 5 | State laws of solid friction | Understand | AMEB03:04 |
| 6 | What do you understand by the limiting friction? And define angle of repose. | Remember | AMEB03:04 |
| 7 | What is the principle of a screw jack? | Remember | AMEB03:04 |
| 8 | Define a beam? And explain different types of beams with neat sketches? | Remember | AMEB03:06 |
| 9 | Define the term Limiting friction | Understand | AMEB03:04 |
| 10 | Differentiate between beam and column | Remember | AMEB03:06 |
| 11 | What do you understand by the limiting friction? And define angle of repose. | Understand | AMEB03:04 |
| 12 | What is the principle of a differential screw jack? | Understand | AMEB03:04 |
| 13 | Define a beam? And explain different types of beams with neat sketches? | Understand | AMEB03:04 |
| 14 | Define the term Limiting friction | Understand | AMEB03:01 |
| 15 | Differentiate between beam and column | Understand | AMEB03:04 |
| 16 | What are the wedges and their applications? | Remember | AMEB03:04 |


| 17 | What is angle of repose? | Remember | AMEB03:04 |
| :---: | :---: | :---: | :---: |
| 18 | What is rolling friction? | Remember | AMEB03:06 |
| 19 | Define the wheel resistance? | Understand | AMEB03:04 |
| 20 | What is the maximum and minimum force required in friction? | Remember | AMEB03:06 |
| PART - B (LONG ANSWER QUESTIONS) |  |  |  |
| 1 | Derive an expression for the minimum effort required along the inclined plane to keep a body in equilibrium position when it is at point of sliding downwards on a inclined plane. | Remember | AMEB03:06 |
| 2 | Solve reactions at points A \& B | Understand | AMEB03:06 |
| 3 | Explain the difference between coefficient of friction and angle of friction | Remember | AMEB03:04 |
| 4 | Derive an expression for the maximum force required along the horizontal plane to keep a body in equilibrium position when it is at point of sliding downwards on a inclined plane. | Remember | AMEB03:04 |
| 5 | Two $6^{0}$ of wedges are used to push a block horizontally as shown figure. Calculate the minimum force reqiured to push the block of weight 10 KN . Take coefficient of friction as 0.25 for all contact surfaces. | Remember | AMEB03:04 |
| 6 | A body of weight 300 N is lying on arough horizontal surface having coefficient of friction as 0.3 . find the magnitude of force, which can move the body, while acting at an angle $25^{\circ}$ with the horizontal. | Remember | AMEB03:04 |
| 7 | A body resting on a rough horizontal plane, required a pull of 180 N inclined at $30^{\circ}$ to the plane just to move it. It is found that a push of 220 N inclined at $30^{\circ}$ to the plane just to move the body. Determine the weight of the body and coefficient of friction. | Remember | AMEB03:04 |
| 8 | A object of weight 100 N is kept in position on a inclined $30^{\circ}$ to the horizontal by a horizontal applied force. If the coefficient of friction of the surface of the inclined plane is 0.25 . determine the minimum magnitude of force. | Remember | AMEB03:04 |


| 9 | Find the fore and its nature in member AD and BC for given cantilever truss loaded by 40 KN as shown figure | Remember | AMEB03:05 |
| :---: | :---: | :---: | :---: |
| 10 | Find the forces in the members DF, DE, CE, and EF by method of joints for the pin-jointed frame as shown in figure <br> Fig. 7.2 | Understand | AMEB03:05 |
| 11 | A beam AB is supported and loaded as shown in fig.1. Find the reactions at the supports. | Understand | AMEB03:06 |
| 12 | A block of mass $M=10 \mathrm{~kg}$ is sitting on a surface inclined at angle $\theta=45^{\circ}$. Given that the coefficient of static friction is $\mu_{s}=0.5$ between block and surface, what is the minimum force $F$ necessary to prevent slipping? What is the maximum force $F$ that can be exerted without causing the block to slip? | Remember | AMEB03:06 |
| 13 | A conveyor is dumping sand onto a cone shaped pile. Given that the coefficient of static friction between the sand grains is $\mu_{s}$, what is the maximum angle $\theta$ ? | Understand | AMEB03:06 |
| 14 | A uniform ladder of length $L$ is leaning against the side of a building, as shown. A person of mass $m=75 \mathrm{~kg}$ is standing on it. The mass of the ladder is $M=10 \mathrm{~kg}$. The coefficient of static friction between the ground and ladder is $\mu_{s l}=0.5$, and the coefficient of static friction between the wall and ladder is $\mu_{\mathrm{s} 2}=0.3$. What is the minimum angle $\theta$ so that the ladder doesn't slip? | Remember | AMEB03:04 |
| 15 | Two boards are bolted together with two bolts, as shown. The squeeze force between the boards is 500 lbs . If the shear strength of each bolt is 5000 lbs and the coefficient of static friction between the boards is $\mu_{s}=0.5$, what is the maximum force $F$ that can be applied to the boards and not pull them apart? | Remember | AMEB03:04 |


| 16 | A 50 kg crate is being pushed on a horizontal floor at constant velocity. Given that the coefficient of kinetic friction between crate and floor is $\mu_{k}=0.1$, what is the push force $F$ ? | Remember | AMEB03:04 |
| :---: | :---: | :---: | :---: |
| 17 | In the previous problem we are given that the coefficient of static friction between crate and floor is $\mu_{s}=0.2$. What is the minimum force $F$ to overcome friction with the floor? | Remember | AMEB03:04 |
| 18 | Two children throw a rope over a tree branch and hang off each end. The children have a mass of 40 kg and 50 kg . What is the minimum coefficient of static friction between rope and tree branch so that the rope doesn't slip? To solve this consider the general equation $T_{2}=T_{1} e^{\mu \theta}$, where $T_{1}$ and $T_{2}$ are the rope tensions on the two ends (with $T_{2}>T_{1}$ ), $\mu$ is the coefficient of static friction between rope and tree branch, and $\theta$ is the angle of contact between rope and branch, in radians. For example, if the rope wraps completely around the branch then the angle $\theta=2 \pi$. | Remember | AMEB03:04 |
| 19 | The minimum force required to prevent slipping is the minimum force that will prevent the block from sliding down the incline. It is $F_{\text {min }}=10 g \sin \left(45^{\circ}\right)-10 g \cos \left(45^{\circ}\right) \times 0.5$. The maximum force that can be exerted without causing the block to slip is the maximum force that can be exerted without causing the block to slide up the incline. It is $F_{\max }=10 g \sin \left(45^{\circ}\right)+10 g \cos \left(45^{\circ}\right) \times 0.5$. | Remember | AMEB03:04 |
| 20 | To pull the boards apart the friction force between the boards, plus the shear strength of the bolts, must be exceeded. Therefore the maximum pull force must be below the force needed to do this. Hence, $F_{\max }=2 \times 5000+500 \times 0.5$. | Remember | AMEB03:05 |
| PART - C (PROBLEM SOLVING AND CRITICAL THINKING) |  |  |  |
| 1 | A ladder 6 m long and with 300 N weight is resting against a wall at an angle of $60^{\circ}$ to the ground. A man weighing 750 N climbs the ladder. At what position along the ladder from bottom does he induce slipping? The coefficient of friction for both wall and the ground with ladder is 0.2 . | Understand | AMEB03:04 |
| 2 | A uniform ladder of length of 3.25 m \& weight of 250 N is placed against a smooth wall with its lower end 1.25 M from the wall. Coefficient of friction between the ladder and floor is 0.3 . what is the frictional force acting on the ladder at the point of contact between the ladder and the floor? Show that the ladder will remain in equilibrium in this position. | Understand | AMEB03:04 |
| 3 | A block of mass 150 kg is raised by a $10^{0}$ wedge weight 50 kg under it and by appling a horizontal force at its end. Taking coefficient of friction between all surfaces of contact as 0.3 , find minimum force that should be applied to raise the block. | Remember | AMEB03:04 |
| 4 | A ladder of 7 M length rests against a vertical wall with which it makes an angle of $45^{\circ}$. The coefficient of friction for wall and the flooe are 0.33 and 0.50 respectively. If a man whose weigth is onehalf of that of the ladder. How far he will be able to climb the ladder. | Remember | AMEB03:04 |
| 5 | A screw jack has mean diameter of 50 mm and pitch 10 mm . if the coefficient of friction between its screw and nut is 0.15 , find the effort required at the end of the 700 mm long handle to raise a load of 10 KN | Remember | AMEB03:04 |



| 4 | Determine the co-ordinates of centroid of the shaded area shown in <br> figure. | Remember | AMEB03:08 |
| :--- | :--- | :--- | :--- |


| 16 | The radius of gyration of a plane area is 20 cm and the corresponding second moment of area is $1 \mathrm{~cm}^{4}$. Find out the area of the plane | Remember | AMEB03:08 |
| :---: | :---: | :---: | :---: |
| 17 | A uniform rod of mass $M$ is pinned at one end and a force $P$ is applied at the other end. A spring of spring constant $k$ is attached at the mid-point of the rod. Find out the critical load above which the spring will become unstable. | Remember | AMEB03:07 |
| 18 | A disk of radius $r$ is having the angular velocity ${ }^{\omega}$ and an angular acceleration of $\alpha$. A particle P moves in the opposite direction around the circumference with uniform relative velocity $v_{r}$. Find the absolute acceleration of P | Remember | AMEB03:07 |
| 19 | The acceleration of a particle is given by $\vec{a}=3 t \hat{i}-2 t^{2^{\hat{j}}}+5 t^{3} \hat{\mathrm{k}} \mathrm{~m} / \mathrm{sec}^{2}$ <br> Particle starts with zero velocity at the origin. After 5 second find out particle's position, displacement, distance travelled, velocity speed and acceleration. | Remember | AMEB03:07 |
| 20 | Obtain the velocity and acceleration of a slider crank mechanism as a function of $\theta$. | Remember | AMEB03:07 |
| PART - C (PROBLEM SOLVING AND CRITICAL THINKING) |  |  |  |
| 1 | Find the centre of gravity of the "T "lamina as shown in figure. All dimensions are in mm | Remember | AMEB03:07 |
| 2 | Find the centroid of the plane lamina shown in Figure | Remember | AMEB03:07 |
| 3 | Uniform lamina shown in fig consists of rectangle, a semi circle and a triangle. Find the centre of gravity. | Remember | AMEB03:07 |
| 4 | Derive an expression for centroid of triangular area. | Remember | AMEB03:07 |
| 5 | Derive an expression for centroid of circle. | Remember | AMEB03:07 |


| 6 | Derive an expression for centroid of rectangle area. | Understand | AMEB03:13 |
| :---: | :---: | :---: | :---: |
| 7 | Determine the distance in which a car moving at 90kmph can come to rest after the power switched off if coefficient of friction is 0.8 on road and tyres. | Understand | AMEB03:10 |
| 8 | Derive the expression for range along an inclined plane. What is the necessary condition for obtaining maximum range along an inclined plane? | Remember | AMEB03:15 |
| 9 | A body $A$ is projected vertically upwards from the top of a tower with a velocity of $40 \mathrm{~m} / \mathrm{s}$, the tower being 180 m high. After $t$ seconds, another body $B$ is allowed to fall from the same point. Both the bodies reach the ground simultaneously. Calculate $t$ and the velocities of $A$ and $B$ on reaching the ground. | Remember | AMEB03:14 |
| 10 | A mean radius of the screw of a square threaded screw jack is 25 mm . the pitch of thread is 7.5 mm . if the coefficient of the friction is 0.12 , what effort applied at the end of the lever 60 cm length is needed to raise a weight of 2 KN | Remember | AMEB03:15 |

## MODULE-IV

PARTICLE DYNAMICS AND INTRODUCTION TO KINETICS
PART - A (SHORT ANSWER QUESTIONS)

| 1 | Define the terms velocity and acceleration | Understand | AMEB03:13 |
| :---: | :--- | :--- | :--- |
| 2 | Define angular displacement, angular velocity and angular <br> acceleration | Understand | AMEB03:13 |
| 3 | Define the terms Kinetics and kinematics | Understand | AMEB03:13 |
| 4 | Define the term rigid body | Remember | AMEB03:13 |
| 5 | State D'Alembert's principle. | Remember | AMEB03:13 |
| 6 | Compare Newton's second law with D'Alembert's principle. | Remember | AMEB03:13 |
| 7 | Define the term momentum of a body with units | Remember | AMEB03:13 |
| 8 | Distinguish between mass and weight. | Remember | AMEB03:13 |
| 9 | Write governing equations of velocity and acceleration of fixed axis <br> rotation | Remember | AMEB03:13 |
| 10 | Define instantaneous centre of velocity | Remember | AMEB03:13 |
| 11 | Define the terms velocity and acceleration | Understand | AMEB03:13 |
| 12 | Define angular acceleration | Understand | AMEB03:13 |
| 13 | Define the terms Kinetics and kinematics | Understand | AMEB03:13 |
| 14 | Define the term rigid body | Remember | AMEB03:13 |
| 15 | State D'Alembert's principle. | Remember | AMEB03:13 |
| 16 | Compare Newton's second law with D'Alembert's principle. | AMEB03:13 |  |
| 17 | Define the term momentum of a body with units | Remember | AMEB03:13 |
| 18 | Distinguish between mass and weight. | Remember | AMEB03:13 |
| 19 | Write governing equations of velocity and acceleration of fixed axis <br> rotation | AMEB03:13 |  |
| 20 | Define instantaneous centre of velocity | AMEB03:13 |  |
|  |  |  |  |

PART - B (LONG ANSWER QUESTIONS)

| 1 | Derive an expression F=ma | Understand | AMEB03:13 |
| :---: | :--- | :---: | :---: |
| 2 | The rectilinear motion of a particle is defined by the displacement- <br> time equation as $x=x 0+v 0 t+(1 / 2) \mathrm{at}^{2}$. Find the displacement and <br> velocity at time $\mathrm{t}=2 \mathrm{~s}$ while $\mathrm{x} 0=250 \mathrm{~mm}, \quad \mathrm{v} 0=125 \mathrm{~mm} / \mathrm{s}$ and <br> $\mathrm{a}=0.5 \mathrm{~mm} / \mathrm{s}^{2}$. | AMEB03:13 |  |


| 3 | A particle starts from rest and moves along a straight line with constant acceleration a. If it acquires a velocity $v=3 \mathrm{~mm} / \mathrm{s}^{2}$, after having travelled a distance $S=7.5 \mathrm{~m}$, find the magnitude of the acceleration. | Remember | AMEB03:14 |
| :---: | :---: | :---: | :---: |
| 4 | A flywheel of diameter 50 cm starts from rest with constant angular acceleration of $2 \mathrm{rad} / \mathrm{s}^{2}$. Determine the tangential and the normal components of acceleration of a point on its rim 3 s after the motion began. | Understand | AMEB03:13 |
| 5 | Derive the expression for range along an inclined plane. What is the necessary condition for obtaining maximum range along an inclined plane? | Understand | AMEB03:14 |
| 6 | A car of mass 1000 kg descends a hill of $\sin ^{-1}(1 / 6)$. The frictional resistance to motion is 200 N . Calculate using work energy method, the average braking effort to bring the car to rest from 48 kmph in 30 m . | Understand | AMEB03:13 |
| 7 | A hammer of mass 400 kg falls through a height of 3 m on a pile of negligible mass. If it drives the pile 1 m into the ground, find the average resistance of the ground for penetration. | Remember | AMEB03:13 |
| 8 | A mass of 5 kg is dropped from a height of 2 metres upon a spring whose stiffness is $10 \mathrm{~N} / \mathrm{mm}$. Calculate the speed of the mass when a spring is compressed through a distance of 100 mm . | Understand | AMEB03:13 |
| 9 | For the system of connected bodies as shown in the figure given below, calculate the force F required to make the motion impending to the left. Use the method of virtual work and take coefficient of friction for all contiguous surfaces except pulleys as 0.25 . | Understand | AMEB03:13 |
| 10 | A pulley whose axis passes through the centre ' O ' carries a load as shown in figure given below. Neglect the inertia of pulley and assuming that the cord is inextensible; determine the acceleration of the block A. How much weight should be added to or taken away from the block A if the acceleration of the block A is required to be $\mathrm{g} / 3$ downwards? | Understand | AMEB03:13 |
| 11 | A particle starts from rest and moves along a straight line with constant acceleration a. If it acquires a velocity $v=3 \mathrm{~mm} / \mathrm{s}^{2}$, after having travelled a distance $S=7.5 \mathrm{~m}$, find the magnitude of the acceleration. | Understand | AMEB03:13 |
| 12 | A flywheel of diameter 50 cm starts from rest with constant angular acceleration of $2 \mathrm{rad} / \mathrm{s}^{2}$. Determine the tangential and the normal components of acceleration of a point on its rim 3 s after the motion began. | Remember | AMEB03:13 |
| 13 | Derive the expression for range along an inclined plane. What is the necessary condition for obtaining maximum range along an inclined plane? | Remember | AMEB03:14 |


| 14 | A car of mass 1000 kg descends a hill of $\sin ^{-1}(1 / 6)$. The frictional resistance to motion is 200 N . Calculate using work energy method, the average braking effort to bring the car to rest from 48 kmph in 30 m . | Understand | AMEB03:13 |
| :---: | :---: | :---: | :---: |
| 15 | A hammer of mass 400 kg falls through a height of 3 m on a pile of negligible mass. If it drives the pile 1 m into the ground, find the average resistance of the ground for penetration. | Understand | AMEB03:14 |
| 16 | A mass of 5 kg is dropped from a height of 2 metres upon a spring whose stiffness is $10 \mathrm{~N} / \mathrm{mm}$. Calculate the speed of the mass when a spring is compressed through a distance of 100 mm . | Understand | AMEB03:13 |
| 17 | Derive an expression $\mathrm{F}=\mathrm{ma}$ | Remember | AMEB03:13 |
| 18 | The rectilinear motion of a particle is defined by the displacementtime equation as $x=x 0+v 0 t+(1 / 2) a t^{2}$. Find the displacement and velocity at time $t=2 \mathrm{~s}$ while $\mathrm{x} 0=250 \mathrm{~mm}, \quad \mathrm{v} 0=125 \mathrm{~mm} / \mathrm{s}$ and $\mathrm{a}=0.5 \mathrm{~mm} / \mathrm{s}^{2}$. | Understand | AMEB03:13 |
| 19 | A particle starts from rest and moves along a straight line with constant acceleration a. If it acquires a velocity $v=3 \mathrm{~mm} / \mathrm{s}^{2}$, after having travelled a distance $S=7.5 \mathrm{~m}$, find the magnitude of the acceleration. | Understand | AMEB03:13 |
| 20 | A hammer of mass 400 kg falls through a height of 3 m on a pile of negligible mass. If it drives the pile 1 m into the ground, find the average resistance of the ground for penetration. | Understand | AMEB03:13 |
| PART - C (PROBLEM SOLVING AND CRITICAL THINKING) |  |  |  |
| 1 | An aeroplane is flying in horizontal direction of $540 \mathrm{~km} / \mathrm{hr}$ and at a height of 2200 m as shown in figure. When it is vertically above the point $A$ on the ground, a body is dropped from it. The body strike the ground at point $B$. Calculate the distance $A B$ ignoring air resistance. Also find velocity at $B$ and time taken to reach $B$. | Understand | AMEB03:13 |
| 2 | A particle starts moving along a straight line with initial velocity of $25 \mathrm{~m} / \mathrm{s}$, from O under a uniform acceleration of $-2.5 \mathrm{~m} / \mathrm{s} 2$. Deterime <br> (i) Velocity, displacement and the distance travelled at $\mathrm{t}=5$ sec <br> (ii) How long the particle moves in the same direction? What is its velocity, displacement and the distance covered then? <br> (iii) The instantaneous velocity, displacement and the distance covered at $\mathrm{t}=15 \mathrm{sec}$ <br> (iv) The time required to come back to O, velocity, displacement and distance covered then <br> (v) Instantaneous velocity, , displacement and distance covered at $\mathrm{t}=25 \mathrm{sec}$ | Remember | AMEB03:13 |
| 3 | A stone is dropped from the top of a tower. When it has travelled a distance of 10 m , another stone is dropped from a point 38 m below the top of the tower. If both the stones reach the ground at the same time, calculate <br> (i) The height of the tower and <br> (ii) The velocity of the stone when they reach the ground | Understand | AMEB03:12 |


| 4 | Two blocks A and B are connected by an inextensible string moving over a frictionless pulley as shown in the figure given below. If the blocks are released from rest, determine the velocity of the system after the travel of 4 s . Take the masses of blocks A and $B$ as 20 and 60 kg respectively and coefficient of friction for all the contiguous surfaces as 0.3 | Understand | AMEB03:13 |
| :---: | :---: | :---: | :---: |
| 5 | A body $A$ is projected vertically upwards from the top of a tower with a velocity of $40 \mathrm{~m} / \mathrm{s}$, the tower being 180 m high. After $t$ seconds, another body $B$ is allowed to fall from the same point. Both the bodies reach the ground simultaneously. Calculate $t$ and the velocities of $A$ and $B$ on reaching the ground. | Understand | AMEB03:13 |
| 6 | Two cars $A$ and $B$ travelling in the same direction get stopped at a traffic signal. When the signal turns green, car $A$ accelerates at $0.75 \mathrm{~m} / \mathrm{s}^{2} .1 .75$ seconds later, car $B$ starts and accelerates at 1.1 $\mathrm{m} / \mathrm{s}^{2}$. Determine <br> i when and where $B$ will overtake $A$ and <br> ii The speed of each car at that time. | Understand | AMEB03:14 |
| 7 | A system of weights connected by string passing over pulleys A and B is shown in figure given below. Find the acceleration of three weights assuming weightless strings and ideal conditions for pulleys | Remember | AMEB03:13 |
| 8 | Two blocks A and B are connected with inextensible string as shown in figure given below. If the system is released from rest, determine the velocity of block A after if has moved 1.5 m . Assume the coefficient of friction between block A and the plane is 0.25 . Masses of block $A$ and $B$ are 200 kg and 300 kg respectively. | Understand | AMEB03:13 |


| 9 | A block of mass 5kg resting a 30 inclined plane is released. The <br> block after travelling a distance of 0.5m along inclined plane hits a <br> spring of stifness 15N/m as shown in figure given below. Find <br> the maximum compression of spring. Assume coefficient of <br> friction between block and the inclined plane as 0.2. | Understand | AMEB03:13 |
| :--- | :--- | :--- | :--- |


| 13 | Define the terms periodic time and frequency and give their units. | Remember | AMEB03:16 |
| :---: | :---: | :---: | :---: |
| 14 | Write the equation of simple harmonic motion with notations | Understand | AMEB03:15 |
| 15 | Draw the graphical representation for displacement, velocity and acceleration equations of SHM | Remember | AMEB03:15 |
| 16 | Discuss the different types of vibrations? | Understand | AMEB03:16 |
| 17 | Write the expression for time period of a simple pendulum | Understand | AMEB03:16 |
| 18 | Write the expression for time period of a compound pendulum | Understand | AMEB03:15 |
| 19 | Write the expression for time period of a torsional pendulum | Understand | AMEB03:16 |
| 20 | Define the term free vibration. | Understand | AMEB03:15 |
| PART - B (LONG ANSWER QUESTIONS) |  |  |  |
| 1 | Derive an expression for the time period of a simple pendulum. | Remember | AMEB03:15 |
| 2 | Derive an expression for the time period of a compound pendulum. | Remember | AMEB03:16 |
| 3 | Derive an expression for the time period of a torsional pendulum. | Remember | AMEB03:16 |
| 4 | A body performing simple harmonic motion has a velocity $12 \mathrm{~m} / \mathrm{s}$ when the displacement is 50 mm and $3 \mathrm{~m} / \mathrm{s}$ when the displacement is 100 mm , the displacement measured from the midpoint. Calculate the frequency and amplitude of the motion. What is the acceleration when the displacement is 75 mm . | Remember | AMEB03:16 |
| 5 | A body moving with SHM has amplitude of 1 m and period of oscillation of 2 seconds. What will be its velocity and acceleration at 0.4 s after passing an extreme position? | Remember | AMEB03:16 |
| 6 | A body moving with SHM has amplitude of 30 cm and the period of one complete oscillation is 2 s . What will be the speed and acceleration of the body $2 / 5$ of a second after passing the mid position | Remember | AMEB03:15 |
| 7 | A vertical shaft 5 mm in diameter and 1.2 m in length has its upper end fixed to the ceiling. At the lower end it carries a rotor of diameter 180 mm and weight 30 N . The modulus of rigidity for the material of the rotor is $0.85 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$. Calculate the frequency of torsional vibrations for the system. | Remember | AMEB03:16 |
| 8 | Derive an expression for the time period for a spring mass system subjected to free vibration. | Understand | AMEB03:15 |
| 9 | A weight of 10 N attached to a spring oscillates at a frequency of 60 oscillations per minute. If the maximum amplitude is 30 mm , find the tension induced in the spring. Also find the spring constant and the maximum velocity in the spring. | Understand | AMEB03:15 |
| 10 | A pendulum having a time period of 1 s is installed in a lift. Determine its time period when <br> a The lift is moving upwards with an acceleration of $\mathrm{g} / 10 \mathrm{~m} / \mathrm{s}^{2}$ <br> b The lift is moving downwards with an acceleration of $\mathrm{g} / 10 \mathrm{~m} / \mathrm{s}^{2}$ | Remember | AMEB03:15 |
| 11 | A body performing simple harmonic motion has a velocity $12 \mathrm{~m} / \mathrm{s}$ when the displacement is 50 mm and $3 \mathrm{~m} / \mathrm{s}$ when the displacement is 100 mm , the displacement measured from the midpoint. Calculate the frequency and amplitude of the motion. What is the acceleration when the displacement is 75 mm . | Remember | AMEB03:15 |


| 12 | A body moving with SHM has amplitude of 1 m and period of oscillation of 2 seconds. What will be its velocity and acceleration at 0.4 s after passing an extreme position? | Remember | AMEB03:16 |
| :---: | :---: | :---: | :---: |
| 13 | A body moving with SHM has amplitude of 30 cm and the period of one complete oscillation is 2 s . What will be the speed and acceleration of the body $2 / 5$ of a second after passing the mid position. | Remember | AMEB03:16 |
| 14 | A vertical shaft 5 mm in diameter and 1.2 m in length has its upper end fixed to the ceiling. At the lower end it carries a rotor of diameter 180 mm and weight 30 N . The modulus of rigidity for the material of the rotor is $0.85 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$. Calculate the frequency of torsional vibrations for the system. | Remember | AMEB03:16 |
| 15 | Derive an expression for the time period of a simple pendulum. | Remember | AMEB03:16 |
| 16 | Derive an expression for the time period of a compound pendulum. | Remember | AMEB03:15 |
| 17 | Derive an expression for the time period for a spring mass system subjected to free vibration | Remember | AMEB03:16 |
| 18 | Derive an expression for the time period of a torsional pendulum. | Understand | AMEB03:15 |
| 19 | A vertical shaft 5 mm in diameter and 1.2 m in length has its upper end fixed to the ceiling. At the lower end it carries a rotor of diameter 180 mm and weight 30 N . The modulus of rigidity for the material of the rotor is $0.85 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$. Calculate the frequency of torsional vibrations for the system. | Understand | AMEB03:15 |
| 20 | Derive an expression for the time period for a spring mass system subjected to free vibration. | Remember | AMEB03:15 |
| PART - C (PROBLEM SOLVING AND CRITICAL THINKING) |  |  |  |
| 1 | In a mechanism, a cross head moves in straight guide with simple harmonic motion. At distance of 125 mm and 200 mm from its mean position, it has velocities of $6 \mathrm{~m} / \mathrm{s} 3 \mathrm{~m} / \mathrm{s}$ respectively. Find the amplitude, maximum velocity and period of vibration. If the cross head weighs 2 N , calculate the maximum force on it in the direction of motion. | Remember | AMEB03:15 |
| 2 | A clock with compound pendulum is running correct time at a place where the acceleration due to gravity is $9.81 \mathrm{~m} / \mathrm{s} 2$. Find the length of the pendulum. This clock is taken at a place where the acceleration due to gravity is $9.8 \mathrm{~m} / \mathrm{s} 2$. Find how much the clock will lose or gain in a day at this place? | Remember | AMEB03:16 |
| 3 | A load is suspended from a vertical spring. At rest it deflectsthe spring 12 mm . Calculate the time period. Ifit is displaced further 25 mm below the ret position and then released. | Understand | AMEB03:15 |
| 4 | The frequency of free vibrations of a weight W with spring constant k is 12 cycles $/ \mathrm{s}$. When the extra weight of 20 N is coupled with weight W , the frequency reduced to 10 cycles/s. Find the weight W and stiffness k of the spring. | Remember | AMEB03:17 |
| 5 | Determine the period of vibration of a weight P attached to springs of stiffness k1 and k2 in two different cases as shown in figure given below. <br> (a) <br> (b) | Remember | AMEB03:16 |


| 6 | A particle is moving with its acceleration directed to and proportional to its distance from a fixed point. When the distance of the particle from equilibrium position has values of 1.3 m and 1.8 m , the corresponding velocities are $5 \mathrm{~m} / \mathrm{s}$ and $2 \mathrm{~m} / \mathrm{s}$. Determine <br> a Amplitude and time period of oscillations <br> b Maximum velocity and maximum acceleration | Understand | AMEB03:15 |
| :---: | :---: | :---: | :---: |
| 7 | A vertical shaft 5 mm in diameter and 1 m in length has its upper end fixed to the ceiling. At the lower end it carries a rotor of diameter 200 mm and weight 20 N . The modulus of rigidity for the rotor is $0.85 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$. Calculate the frequency of torsional vibration for the system. | Remember | AMEB03:15 |
| 8 | A vertical shaft 7 mm in diameter and 1.7 m in length has its upper end fixed to the ceiling. At the lower end it carries a rotor of diameter 180 mm and weight 50 N . The modulus of rigidity for the material of the rotor is $0.95 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$. Calculate the frequency of torsional vibrations for the system. | Understand | AMEB03:15 |
| 9 | A body moving with SHM has amplitude of 50 cm and the period of one complete oscillation is 3 s . What will be the speed and acceleration of the body $1 / 5$ of a second after passing the mid position | Understand | AMEB03:15 |
| 10 | A body performing simple harmonic motion has a velocity $20 \mathrm{~m} / \mathrm{s}$ when the displacement is 40 mm and $3 \mathrm{~m} / \mathrm{s}$ when the displacement is 120 mm , the displacement measured from the midpoint. Calculate the frequency and amplitude of the motion. What is the acceleration when the displacement is 85 mm . | Understand | AMEB03:16 |

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