

INSTITUTE OF AERONAUTICAL ENGINEERING

(Autonomous)

Dundigal- 500 043, Hyderabad.

AERONAUTICAL ENGINEERING

TUTORIAL QUESTION BANK

Course Name	:	AEROSPACE VEHICLE STRUCTURES-I
Course Code	:	A42103
Class	:	II B. Tech II Semester
Branch	:	Aeronautical Engineering
Year	:	2016 - 2017
Course Coordinator	:	Mr. G S D Madhav, Assistant Professor
Course Faculty	:	Mr. G S D Madhav, Assistant Professor

OBJECTIVES

To meet the challenge of ensuring excellence in engineering education, the issue of quality needs to be addressed, debated and taken forward in a systematic manner. Accreditation is the principal means of quality assurance in higher education. The major emphasis of accreditation process is to measure the outcomes of the program that is being accredited.

In line with this, Faculty of Institute of Aeronautical Engineering, Hyderabad has taken a lead in incorporating philosophy of outcome based education in the process of problem solving and career development. So, all students of the institute should understand the depth and approach of course to be taught through this question bank, which will enhance learner's learning process.

Q. No	Questions	Blooms Taxonomy	Course Outcom
		Level	e
	UNIT – I		
DADT	INTRODUCTION TO THEORY OF ELASTICITY		
PART	- A (Short Answer Questions)		
1	Write equations of equilibrium for elastic body under three dimensional force systems. Also draw neat sketch representing forces.	Understand	1
2	Write the equations for direct strains in terms of displacement functions for a three mutually perpendicular line elements	Understand	1
3	Derive the compatibility equation for two-dimensional problem.	Evaluate	1
4	Write condition equations for plane stress and plane strain for 2D elastic body.	Knowledge	8
5	Define Airy's stress function for two dimensional problems in elasticity.	Knowledge	8
6	Give stress strain relationship for 2D elastic body.	Evaluate	1
7	Derive equations of static equilibrium for a two dimensional elastic body.	Understand	1
8	Derive the equations for stresses acting on inclined planes and deduce stress equations for principal planes for one directional stress.	Understand	1
9	Determine graphically state of stress on inclined plane for a deformable body.	Understand	1
10	Draw the Mohr's Circle to determine stresses on inclined plane.	Understand	1
PART ·	- B (Long Answer Questions)		

1	Derive equations of static equilibrium for a three dimensional elastic body.	Understand	1
2	Derive the equations for stresses acting on inclined planes and deduce stress equations for principal planes with biaxial stress.	Understand	1
3	Determine graphically state of stress on inclined plane for a deformable body for pure shear condition.	Understand	1
4	Derive the strain equations for three mutually perpendicular line elements in terms of displacement functions and deduce compatibility equations.	Understand	1
5	Derive equations for stains on inclined planes and deduce strain for principal planes.	Understand	1
6	Draw the Mohr's Circle to determine stains on inclined plane.	Understand	1
7	Derive the strain equations for three mutually perpendicular line elements in terms of displacement functions and deduce compatibility equations.	Understand	1
8	Derive equations for stains on inclined planes and deduce strain for principal planes.	Understand	1
PART	- C (Problem Solving and Critical Thinking)	<u> </u>	
1	A structural member supports loads which produce, at a particular point, a direct tensile stress of 80N/mm ² and a shear stress of 45N/mm ² on the same plane. Calculate the values and directions Of the principal stresses at the point and also the maximum stress, stating on which planes this will act.	Apply	1
2	A solid shaft of circular cross-section supports a torque of 50KNm and a bending moment of 25KNm. If the diameter of the shaft is 150mm calculate the values of the principal stresses and their directions at a point on the surface of the shaft?	Apply	1
3	A shear stress τ_{xy} acts in a two-dimensional field in which the maximum allowable shear stress is denoted by τ_{max} and the major principal stress by σ_1 . Derive using the geometry of Mohr's circle of stress, expressions for the maximum values of direct stress which may be applied to the x and y planes in terms of three parameters given above.	Apply	1
4	A cantilever of length L and depth 2h is in a state of plane stress. The cantilever is of unit thickness, is rigidly supported at the end x=L and is located as shown in figure. Show that stress function $\phi = Ax^2+Bx^2y+Cy^3+D(5x^2y^3-y^5)$ is valid for the beam and evaluate the constants A,B,C and D.	Analyze	1
	UNIT – II		
PART	REDUNDANT STRUCTURES – A (Short Answer Questions)		
1	Explain area moment method with neat sketches.	Understand	2
2	Distinguish statically determinate and redundant structures.	Knowledge	2
3	Determine degree of redundancy for articulated structures.	Understand	2
4	Define order of redundancy indeterminate structures.	Understand	3
5	Classify different types of supports and write the reactions components.	Knowledge	2
6	Define singularity function and explain properties of function.	Knowledge	3
7	Explain Claypron's method for statically determinate structures.	Understand	2
8	Explain Determinate structures and indeterminate structures	Understand	2

9	Explain the types of boundary conditions for structural systems	Understand	2
10	Define Concept of stability for structural systems	Understand	2
PART ·	- B (Long Answer Questions)		
1	Derive Slope and defection in area moment method	Understand	2
2	Explain about concept of Internal redundancy with examples	Understand	3
3	Explain Claypron's method to determine the deflection in Continuous beams	Understand	2
4	Write singularity function for point load and moment about a point explain about it	Knowledge	3
5	Explain about the concept of external redundancy with examples	Knowledge	3
6	Write about total redundant in redundant structures and give two examples	Knowledge	3
7	Write singularity function for Udl and Uvl loading for beam explain about it	Understand	2
8	Find the degree of redundancy for following beam in general loading	Apply	2
9	Find the degree of redundancy for following beam in general loading	Apply	2
10	Find the degree of redundancy for following beam in general loading	Apply	2
PART ·	- C (Problem Solving and Critical Thinking)		
1	A simply supported beam span 'l' is subjected to uniformly distributed load 'W' kN/m throughout the beam. Find out maximum slope and deflection.	Analyze	2
2	Derive deflection for cantilever beam subjected to concentrated load W at the centre.	Analyze	2
3	Find the expressions for maximum deflection and bending moment of beam under concentrated load.	Analyze	3
4	Discuss about area moment method with example.	Knowledge	2
5	Find the deflection of the cantilever beam at the point of application of 1000 N load. Assume elastic deflections with $EI = 106 \text{ N} \text{-m}^2$	Analyze	2
6	Discuss about claypron's method with example.	Knowledge	2
7	Derive deflection for simply supported beam subjected to concentrated load W at the centre using Macaulay's method.	Analyze	3

UNIT – III BEAMS WITH ELASTIC SUPPORTS AND INITIAL CURVATURE			
PART ·	- A (Short Answer Questions)		
1	What is Winkler Constant?	Remember	4
2	Write the four functions for infinite beam.	Remember	4
3	Explain the concept of elastic foundation	Remember	4
4	Write Four Functions in Semi Infinite beam	Remember	4
5	Write the values of β the four functions of infinite beam are maximum and also write maximum values.	Remember	4
6	Differentiate Winkler's constant and Modulus of Foundation.	Knowledge	4
7	Differentiate the concept of beams on elastic foundation with rigid foundation	Knowledge	4
8	What is curved beam?	Remember	4
9	Differentiate curved and straight beam.	Remember	4
10	Differentiate discrete beam and straight beam.	Remember	4
11	Write the deflection equation for curved beam	Knowledge	4
12	Explain the concept of curved beam	Remember	4
13	What is bulkhead write about load on bulkhead	Remember	4
14	What kind of load will act on bulkheads	Remember	4
15	Explain stresses developed in curved beams	Remember	4
16	Draw the deflected shape of any curved beam	Remember	4
17	What is importance of analysis of curved beam?	Knowledge	4
18	Draw the diagram of typical curved beam	Remember	4
19	What is maximum stress developed in curved beam?	Remember	4
20	What is maximum deflection for curved beam?	Knowledge	4
21	Write the general boundary conditions for curved beam.	Remember	4
22	What is function of bulkheads?	Remember	4
23	Write few applications of curved beam	Remember	4
24	Write the stress equation for typical curved beam	Remember	4
25	Draw the stress variation diagram for bulkhead.	Remember	4
26	Draw the deformed diagram of bulkhead	Knowledge	4
PART ·	- B (Long Answer Questions)		
1	Derive the differential equation for the elastic line of a beam resting on elastic foundation.	Understand	4
2	Discuss the concept of elastic foundation	Understand	4
3	Derive maximum stress equations for curved beams.	Understand	4
4	Derive equation of deflection for infinite beams	Understand	4
5	Derive deflection equation for finite beam	Understand	4

6	How do you apply the concept of curved beam on bulkhead?	Knowledge	4
7	Draw the different cross-sectional shapes of bulkhead segments	Knowledge	4
8	What are the assumptions made in analysis of curved beam?	Knowledge	4
9	Write the equation of equilibrium for curved beam	Knowledge	4
10	Draw the stress distribution diagram for curved beam	Knowledge	4
PART	- C (Problem Solving and Critical Thinking)		
1	An infinite beam rest on equally spaced linear coil springs, located every 1.1m along the beam. A concentrated load of 18kN is applied to the beam, over one of the springs. EI of the beam is $441x109 \text{ Nmm}^2$, K = 275 N/mm for each spring. Compute the largest spring force and largest bending moment in the beam. P = 18kN	Apply	4
2	A semi-infinite steel bar (E = 200GPa) has a square cross section (b = h = 80 mm) and rests on a Winkler foundation of modulus ko = 0.25 N/mm2/mm. A downward force of 50kN is applied to the end. Find the maximum and minimum deflections and their locations. Also find max. Flexural stress and its location.	Apply	4
3	Derive governing equations for Uniform Straight beam on elastic foundation	Apply	4
	UNIT – IV STADU ITV		
PART	- A (Short Answer Questions)		
1	Discuss two types of instability in columns	Knowledge	5
2	Discuss limitations of Euler's column theory.	Understand	6
3	Classify types of columns with neat sketches.	Knowledge	6
4	What are Eigen value functions and Eigen value Problems?	Knowledge	5
5	Define Bifurcation Point for a column with neat sketches.	Knowledge	5
6	Write a note on effective length of column. Write effective lengths for different end conditions of columns.	Understand	
7	Derive the Rankine's semi empirical formula for columns	Analyze	6
8	Explain failure of columns with neat sketches. Also give sign convention for bending of columns.	Understand	5
9	Write the assumptions made in Euler's Column Theory	Understand	5
10	Derive Johnson's Parabolic Formula for Short Columns	Evaluate	5
PART	- B (Long Answer Questions)		
1	Derive the expression for crippling load of a column with both ends hinged	Knowledge	5
2	Obtain solution for column having initial curvature. Deduce maximum stress and maximum deflection.	Knowledge	5
3	Evaluate secant formula for column subjected to eccentric load.	Analyze	6
4	Derive expression for crippling load of column when both ends are fixed	Understand	6
5	Derive the expression for buckling load when one end of column is fixed and other is free	Knowledge	5
6	A strut length l, moment of inertia of cross section I uniform throughout and modulus of material E, is fixed at its lower end, and its upper end is elastically	Develop	5

	supported laterally by a spring of stiffness k. show from the first principles that		
7	the crippling load P is given by $(\tan \alpha 1)/(\alpha l) = [1 - (P/kL)]$, where $\alpha^2 = (P/EI)$	V	5
/	compressive axial load with both ends pinned	Knowledge	5
8	Derive the expression for crippling load of a column with both ends are fixed	Knowledge	5
9	Derive the expression for crippling load of a column with initial curvature	Knowledge	5
10	Derive the Rakines and Jonsons formula for columns	Knowledge	5
PART	– C (Problem Solving and Critical Thinking)	<u> </u>	
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1	The pin-jointed column shown in Figure carries a compressive load P applied eccentrically at a distance e from the axis of the column. Determine the maximum bending moment in the column	Evaluate	5
	<i>y</i> +		
	1 v		
2	A column of length 1m has the cross-section shown in Figure. If the ends of the	Evaluate	5
	column are pinned and free to warp, calculate its buckling load; E =70 000 N/mr^2		
	N/mm, G=30 000 N/mm.		
	2 mm		
	2 mm		
	100 mm		
	$S(x_g,0) = \begin{bmatrix} C & x \\ x \end{bmatrix}$		
	2 mm		
3	100 mm $100 mm$ $100 mm$ $15 cm/20 cm$ is $6 m$ long. If E-17.5KN/mm ²	Apply	5
5	Determine crippling load and safe load for the column if both ends are fixed and	Арргу	5
	factor of safety is 3.		
4	A solid round bar 3m long and 5cm in diameter is used as a strut. Determine the	Apply	5
	crippling load if		
	Both ends of strut are ninged One end of strut is fixed and other end is free		
	Both ends of strut are fixed		
	One end is fixed and other is hinged		
5	Calculate the Euler's critical load for a strut of T-section, the flange width being	Apply	6
	10cm, overall depth 8cm and both flange and stem 1cm thick. The strut is 3m long and is built in at both ends. Take $E = 2 \times 10^5 \text{ N/mm}^2$		
	1000000000000000000000000000000000000		
	ENERGY PRINCIPLES AND METHODS		
PART	- A (Short Answer Questions)		
1	Discuss principle of virtual work for a particle	Understand	7
2	State and explain Maxwell's reciprocal Theorem	Understand	8
3	Explain Principle of Superposition with neat sketches.	Knowledge	7
4	Derive Bredt-Batho Formula with neat sketches.	Evaluate	8
5	State Castigliano's Second theorem	Understand	8

6	Define the following terms	Knowledge	9
	a. Buckling Load b. Slenderness ratio c. Effective length d. Radius of Gyration		
7	State Castigliano's first theorem and explain about it	Understand	7
8	Discuss principle of virtual displacement for a particle	Understand	7
9	Discuss about unit load method in Energy principles concept	Understand	7
10	Write about shear flow in wing boxes and explain it with neat sketches	Understand	7
PART -	- B (Long Answer Questions)		
1	State and Prove Castigliano's first theorem.	Knowledge	7
2	Discuss principle of virtual work for a particle	Knowledge	8
3	Differentiate between a single cell and a multiple cell structure.	Knowledge	9
4	Explain any two important characteristics of Rayleigh-Ritz method.	Knowledge	7
5	Derive the stress-strain and Displacements relationships for a open and single cell closed section thin-walled beams.	Knowledge	8
6	Discuss about monocoque and semi-monocoque structures.	Knowledge	9
7	Determine the shearing stress in each wall of a rectangular cross-section of closed tube subjected to torque of 2700 N-m. Consider outer dimension of rectangular tube as width 100mm. height 60mm and thickness, 4 mm	Analyze	10
8	Calculate Center deflection and slope at both ends of simply supported beam carrying Uniformly distributed load W per unit length over a span by Castingliano's therom	Analyze	10
9	A frame ABCD consist of two equilateral triangles hinged at A supported on roller at D as show in Fig. Determine the Vertical deflection of C and horizontal moment of D due to load applied vertically at C all the members of lent L and area as 2a	Analyze	10
10	Explain the concept of unit load method with steps involved to slove problems with unit load method	Knowledge	9
PART -	- C (Problem Solving and Critical Thinking)		
1	Using Castigliano's first theorem, determine the deflection and rotation of the overhanging at end A of the beam loaded as shown in fig.	Evaluate	7
2	Calculate the vertical deflection of the joint B and the horizontal movement of the support D in the truss shown in Figure. The cross-sectional area of each member is 1800mm^2 and Young's modulus, <i>E</i> , for the material of the members is $200\ 000\ \text{N/mm}^2$.	Analyze	7

3	Use the principle of virtual work to calculate the vertical displacements at the	Evaluate	7
	quarter- and mid-span points in the beam shown in figure. w		
	<i>ــــــــــــــــــــــــــــــــــــ</i>		
4	Calculate the vertical deflection of the point B and the horizontal movement of	Evaluate	8
	D in the pin-jointed framework shown in Figure All members of the framework		
	are linearly elastic and have cross-sectional areas of 1800mm ² . E for the material of the members is 200,000 N/mm ²		
	F		
	E C		
	4 A		
	4 000 mm 4 000 mm 4 000 mm		
5	Calculate the nodal displacement of the spring system shown in fig. below by	Evaluate	9
	Rayleigh-Ritz Method?		
	4 K3 3 K4		
	F.		
6	Calculate the vertical displacements of the quarter and mid-span points B and C	Evaluate	8
	of the simply supported beam of length L and flexural rigidity EI loaded, as		
	shown in figure		
	PB,f PC,f W/unit length		
	farmentermenter		
	$4 \xrightarrow{4} \frac{L}{2}$		
7	Determine the variation of shear flow throughout the type of a restor cyler areas	Analyza	0
/	section whose outer width and height are 100 mm and 200 mm respectively. The	Analyze	フ
	uniform thickness (t) of the tube is 4 mm. the tube is subjected to shear force of		
	20 kN.		10
8	A structural Aluminium tubing of 60 x 100 mm rectangle cross-section was fabricated by extrusion. Determine the shearing stress in the each of the four	Analyze	10
	walls of such tubing when it is subjected to a torque of 2700 N-m? Take uniform		
	thickness't' of the wall as 4mm.		

Prepared by: Mr. G S D Madhav, Assistant Professor

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