INSTITUTE OF AERONAUTICAL ENGINEERING
(Autonomous)
Dundigal, Hyderabad - 500043

## ELECTRONICS AND COMMUNICATION ENGINEERING TUTORIAL QUESTION BANK

| Course Title | ELECTRIC CIRCUITS |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Course Code | R15-A30204 |  |  |  |
| Course Structure | Lectures | Tutorials | Practicals | Credits |
|  | 4 | 1 | - | 4 |
| Course Coordinator | Mr K.Sudhakar Reddy, Assistant Professor |  |  |  |
| Team of Instructors | Ms Kalyani, Assistant Professor |  |  |  |

## OBJECTIVES

This course deals with measuring instruments mainly indicating instruments and the associated torques, instrument transformers, power factor meter, frequency meter , synchro scopes, wattmeter, energy meter, potentiometer ,resistance measuring methods, ac bridges, ballistic galvanometer, flux meter, extension range of indicating instruments.

| UNIT -1 |  |  |  |
| :---: | :---: | :---: | :---: |
| QUESTION BANK ON SHORT ANSWER QUESTION |  |  |  |
| Q.NO | QUESTION TO BE ANSWERED | $\begin{gathered} \hline \text { BLOOM'S } \\ \text { TAXANOMY } \end{gathered}$ | PO'S |
| 1 | Define circuit representing its parts. | UNDERSTAND | 2,3 |
| 2 | Define the potential difference. | UNDERSTAND | 2,3 |
| 3 | Define current. | UNDERSTAND | 2,3 |
| 4 | Define resistance. | UNDERSTAND | 2,3 |
| 5 | Write the expression for voltage in terms of C and Q . | REMEMBER | 2,3 |
| 6 | What is the charge of an electron? | REMEMBER | 2,3 |
| 7 | State OHM's law. | REMEMBER | 2,3 |
| 8 | State kirchoff's laws. | REMEMBER | 2,3 |
| 9 | Write the expressions of star-delta transformation. | REMEMBER | 2,3 |
| 10 | Define the power and energy. | UNDERSTAND | 2,3 |
| 11 | What is super mesh? | ANALYZE | 2,3 |
| 12 | What is super node? | ANALYZE | 2,3 |
| 13 | Write the limitations of mesh analysis. | REMEMBER | 2,3 |
| 14 | Write the limitations of nodal analysis. | REMEMBER | 2,3 |
| 15 | Calculate the equivalent resistance of the circuit if applied voltage is 23 V and current flowing through circuit is 4 A , receving an power 92 W . | APPLY | 1,2 |
| 16 | If the charge developed between two plates is 2C and capacitance is 4.5 F , calculate the voltage across the plates. | APPLY | 1,2 |
| 17 | If three capacitors are connected in series which are $2 \mathrm{~F}, 3.2 \mathrm{~F}$ and 6F | APPLY | 1,2 |





| UNIT -2 |  |  |  |
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| QUESTION BANK ON SHORT ANSWER QUESTION |  |  |  |
| Q.NO | QUESTION TO BE ANSWERED | $\begin{gathered} \text { BLOOM'S } \\ \text { TAXANOMY } \end{gathered}$ | PO'S |
| 1 | Define the alternating quantity. | UNDERSTAND | 2,3 |
| 2 | Give the difference between periodic and non-periodic wave form. | ANALYZE | 2,3 |
| 3 | Define the peak, peak to peak, average, RMS value also peak and form factor of sine function. | UNDERSTAND | 2,3 |
| 4 | Represent the alternating current and voltage in terms of sine function. | REMEMBER | 2,3 |
| 5 | What is reactance? Explain in detail. | UNDERSTAND | 2,3 |
| 6 | What is impedance? Explain in detail. | UNDERSTAND | 2,3 |
| 7 | What is admittance? Explain in detail. | UNDERSTAND | 2,3 |
| 8 | If two impedances of $(2+3 \mathrm{j})$ ohms the total impedance, source current voltage applied is 50 V Ac . <br> and $(4+5 \mathrm{j})$ ohms are in series find and power absorbed by 3 ohms if | APPLY | 1,2 |
| 9 | Draw the impedance triangle and explain in detail. | UNDERSTAND | 2,3 |
| 10 | Draw the power triangle and explain in detail. | UNDERSTAND | 2,3 |
| 11 | An AC circuit consists of 20 ohms resistance and an inductor in series, find the value of inductance if total impedance is $(20+25 \mathrm{j})$ ohms. | APPLY | 1,2 |
| 12 | Write the expressions for voltage wave forms if wave form B lags wave | APPLY | 1,2 |


|  | form A by 30 degrees from reference axis. |  |  |
| :---: | :---: | :---: | :---: |
| 13 | For the given alternating voltage find peak, peak to peak, average, RMS values. $\mathrm{V}(\mathrm{t})=25 \text { sinwt. }$ | APPLY | A,B |
| 14 | why form factor is defined for half cycle of sine wave? | ANALYZE | 2,3 |
| 15 | In an AC circuit source applied is $100 \sin 100 t$ across series combination of 4 ohms and 13 F , calculate source current flowing through circuit. | APPLY | 1,2 |
| 16 | If the voltage applied is $(3+7 \mathrm{j}) \mathrm{V}$ and current flowing through circuit is $(4+8 \mathrm{j}) \mathrm{A}$, calculate complex power and circuit constants. | APPLY | 1,2 |
| 17 | If the voltage applied is 50 V with 45 degrees and current flowing through circuit is 15 A with 15 degrees, calculate complex power and circuit constants. | APPLY | 1,2 |
| 18 | Define the power factor of the circuit and give its importance. | UNDERSTAND | 1,2 |
| 19 | In an ac circuit two parallel impedances are in series across $A B$ terminals , where AB terminals are fed by 100 V 0 degrees. Calculate total impedance, power factor and source current. $\begin{aligned} & \mathrm{Z} 1=(0.8+\mathrm{j}) \mathrm{ohms} \\ & \mathrm{Z} 2=(1+2 \mathrm{j}) \mathrm{ohms} \\ & \mathrm{Z} 3=(2+5 \mathrm{j}) \mathrm{ohms} \end{aligned}$ | APPLY | 1,2 |
| 20 | In an ac circuit two parallel impedances are in series across $A B$ terminals , where AB terminals are fed by 100 V 0 degrees. Calculate total impedance, admittance and current flowing through <br> each element $\begin{aligned} & \mathrm{Z} 1=(0.8+\mathrm{j}) \mathrm{ohms} \\ & \mathrm{Z} 2=(1+2 \mathrm{j}) \mathrm{ohms} \end{aligned}$ $\mathrm{Z} 3=(2+5 \mathrm{j}) \text { ohms } .$ | APPLY | 1,2 |
| QUESTION BANK ON DISCRIPTIVE ANSWER QUESTION |  |  |  |
| 1 | Define the terms peak,, peak to peak, average, RMS values and peak and form factor of sine wave. | REMEMBER | 2,3 |
| 2 | Derive the expression for average and RMS values of sine wave. | UNDERSTAND | 2,3 |
| 3 | Explain the concept of reactance and impedance offered by RLC parameters. | UNDERSTAND | 2,3 |
| 4 | Explain the concept of susceptance and admittance offered by RLC parameters. | ANALYZE | 2,3 |
| 5 | Explain all types of relations between two wave forms and write the relevant expressions. | ANALYZE | 2,3 |
| 6 | Explain the concept of active, reactive and apparent power and draw the power triangle. | UNDERSTAND | 2,3 |
| 7 | Co-relate the impedance triangle with power triangle and explain In detail. | ANALYZE | 2,3 |
| 8 | Explain the steady state analysis of series RL circuit . | UNDERSTAND | 2,3 |
| 9 | Explain the steady state analysis of series RC circuit . | UNDERSTAND | 2,3 |
| 10 | Explain the steady state analysis of series RLC circuit . | UNDERSTAND | 2,3 |
| 11 | Explain the terms phase, phase difference and phasor diagram with neat example. | UNDERSTAND | 2,3 |
| 12 | Compare current in DC and AC circuits. | ANALYZE | 2,3 |
| 13 | Explain the nature of power factor in inductive and capacitive circuits. | UNDERSTAND | 2,3 |


| 14 | Derive the expression for true power in ac circuits. | UNDERSTAND | 2,3 |
| :---: | :---: | :---: | :---: |
| 15 | Derive the expressions for reactance and admittance of inductor and capacitor. | UNDERSTAND | 2,3 |
| QUESTION BANK ON ANALYTICAL ANSWER QUESTION |  |  |  |
| 1 | In an AC circuit source applied is 500sin100t across series combination of 10 ohms and 10 F , calculate source current flowing through circuit, form impedance and power triangle. | Apply | 1,2 |
| 2 | In an ac circuit two parallel impedances are in series across AB terminals where AB terminals are fed by 150 V 0 degrees. Calculate total impedance, power factor source current and voltage drop across Z2 $\begin{aligned} & \mathrm{Z} 1=(1+\mathrm{j}) \text { ohms } \\ & \mathrm{Z} 2=(3+5 \mathrm{j}) \text { ohms } \\ & \mathrm{Z} 3=(2+5 \mathrm{j}) \text { ohms } \end{aligned}$ | Apply | 1,2 |
| 3 | In an ac circuit two parallel impedances are in series across AB terminals , where AB terminals are fed by 200 V 0 degrees. Calculate total impedance, admittance and current flowing through each element $\begin{aligned} & \mathrm{Z} 1=(8+\mathrm{j}) \mathrm{ohms} \\ & \mathrm{Z} 2=(1+6 \mathrm{j}) \mathrm{ohms} \\ & \mathrm{Z} 3=(3+5 \mathrm{j}) \text { ohms. } \end{aligned}$ | Apply | 1,2 |
| 4 | If the voltage applied is $(10+8 \mathrm{j}) \mathrm{V}$ and current flowing through circuit is $(3+5) \mathrm{A}$, calculate complex power and circuit constants. | Apply | 1,2 |
| 5 | In an ac circuit two parallel impedances are in series across AB terminals , where AB terminals are fed by 200 V 50 degrees. Calculate total impedance, admittance , power, power factor and current flowing through each element $\begin{aligned} & \mathrm{Z} 1=(2+\mathrm{j}) \text { ohms } \\ & \mathrm{Z} 2=(3+5 \mathrm{j}) \text { ohms } \\ & \mathrm{Z} 3=(3+5 \mathrm{j}) \text { ohms.And load impedance of } \mathrm{Z} 4=(6+7 \mathrm{j}) . \end{aligned}$ | Apply | 1,2 |
| 6 | In an AC circuit source applied is 500sin100t across series combination of 10 ohms and 10 F , calculate total impedance, phase angle between voltage and current in circuit and power factor of the circuit. | Apply | 1,2 |
| 7 | In an ac circuit two parallel impedances are connected in series with Z1 across $A B$ terminals, where $A B$ terminals are fed by 150 V 0 degrees. Calculate total impedance, power factor, source current and voltage drop across Z2 $\begin{aligned} & \mathrm{Z} 1=(2+\mathrm{j}) \text { ohms } \\ & \mathrm{Z} 2=(4+5 \mathrm{j}) \text { ohms } \\ & \mathrm{Z} 3=(1+5 \mathrm{j}) \text { ohms } \end{aligned}$ | Apply | 1,2 |
| 8 | In an ac circuit two parallel impedances are connected in series with Z1 across $A B$ terminals, where $A B$ terminals are fed by 200 V 0 degrees. Calculate total impedance, power factor, source current and voltage drop across Z3 $\begin{aligned} & \mathrm{Z} 1=(8+\mathrm{j}) \mathrm{ohms} \\ & \mathrm{Z} 2=(1+6 \mathrm{j}) \mathrm{ohms} \\ & \mathrm{Z} 3=(3+5 \mathrm{j}) \mathrm{ohms} . \end{aligned}$ | Apply | 1,2 |
| 9 | If the voltage applied is $(10-8 \mathrm{j}) \mathrm{V}$ and current flowing through circuit is $(3-5 \mathrm{j}) \mathrm{A}$, calculate complex power and circuit constants. | Apply | 1,2 |
| 10 | In an ac circuit two parallel impedances are connected in series with Z 1 across AB terminals, where AB terminals are fed by 200 V 50 degrees. Calculate total impedance, admittance , power, power factor and current flowing through each element $\mathrm{Z} 1=(1+\mathrm{j}) \mathrm{ohms}$ | Apply | 1,2 |


|  | Z2 $=(3+2 \mathrm{j}) \mathrm{ohms}$ <br> $\mathrm{Z} 3=(3+2 \mathrm{j})$ ohms.And load impedance of $\mathrm{Z4}=(6+6 \mathrm{j})$. |  |  |
| :---: | :---: | :---: | :---: |
| 11 | In an AC circuit source applied is $50 \sin 200 t$ across series combination of 10 ohms and 10 F , calculate source current flowing through circuit, form impedance and power triangle. | Apply | 1,2 |
| 12 | In an ac circuit two parallel impedances are connected in series with Z1 across $A B$ terminals, where $A B$ terminals are fed by 150 V 0 degrees. Calculate total impedance, power factor source current and voltage drop across Z3 $\begin{aligned} & \mathrm{Z} 1=(1+\mathrm{j}) \text { ohms } \\ & \mathrm{Z} 2=(3+5 \mathrm{j}) \text { ohms } \\ & \mathrm{Z} 3=(2+5 \mathrm{j}) \text { ohms } \end{aligned}$ | Apply | 1,2 |
| 13 | In an ac circuit two parallel impedances are connected in series with Z1 across AB terminals, where AB terminals are fed by 200 V 0 degrees. Calculate total impedance, admittance and current flowing through each element Z2 $\begin{aligned} & \mathrm{Z} 1=(8+\mathrm{j}) \mathrm{ohms} \\ & \mathrm{Z} 2=(6+6 \mathrm{j}) \mathrm{ohms} \\ & \mathrm{Z} 3=(3+5 \mathrm{j}) \mathrm{ohms} \end{aligned}$ | Apply | 1,2 |
| 14 | If the voltage applied is $(5+5 \mathrm{j}) \mathrm{V}$ and current flowing through circuit is $(3-5 \mathrm{j}) \mathrm{A}$, calculate complex power and circuit constants. | Apply | 1,2 |
| 15 | In an ac circuit two parallel impedances are connected in series with Z1 across $A B$ terminals, where $A B$ terminals are fed by 200 V 50 degrees. Calculate total impedance, admittance, power, power factor and current flowing through Z4 $\begin{aligned} & \mathrm{Z1}=(2+\mathrm{j}) \text { ohms } \\ & \mathrm{Z} 2=(3+5 \mathrm{j}) \text { ohms } \\ & \mathrm{Z} 3=(3+5 \mathrm{j}) \text { ohms.And load impedance of } \mathrm{Z} 4=(6+7 \mathrm{j}) . \end{aligned}$ | Apply | 1,2 |
| UNIT -3 |  |  |  |
| QUESTION BANK ON SHORT ANSWER QUESTION |  |  |  |
| Q.NO | Q QUESTION TO BE ANSWERED | BLOOM'S TAXANOMY | PO'S |
| 1 | What is locus diagram and give its importance? | UNDERSTAND | 2,3 |
| 2 | Define electrical resonance. | UNDERSTAND | 2,3 |
| 3 | Give the condition for circuit to be under resonance. | ANALYZE | 2,3 |
| 4 | Define series and parallel resonance. | UNDERSTAND | 2,3 |
| 5 | What is the importance of cut-off frequency. | ANALYZE | 2,3 |
| 6 | Write the expression for bandwidth in terms of resonant frequency and quality factor. | REMEMBER | 2,3 |
| 7 | Define quality factor and write Q-factor of inductor and capacitor. | UNDERSTAND | 2,3 |
| 8 | Write the expression for resonant frequency of series and parallel RLC circuit. | REMEMBER | 2,3 |
| 9 | In an series RLC circuit $R=1 \mathrm{~K}$ ohms, $\mathrm{L}=10 \mathrm{mH}$ and $\mathrm{C}=0.01 \mu \mathrm{~F}$, calculate resonant frequency, cut -off frequencies, bandwidth and quality factor. | APPLY | 1,2 |
| 10 | Plot the locus diagram of series RL circuit with R as variable once and then XL as variable. | ANALYZE | 2,3 |
| 11 | In an series RLC circuit , $\mathrm{R}=10 \mathrm{ohms}, \mathrm{XL}=25$ ohms, calculate the C value if circuit is under resonance at 40 Hz and then determine impedance of the circuit at 50 Hz . | APPLY | 1,2 |
| 12 | What are the properties of coil? | UNDERSTAND | 2,3 |


| 13 | State faraday's law of electro-magnetic induction. | REMEMBER | 2,3 |
| :---: | :---: | :---: | :---: |
| 14 | Write the expression for co-efficient of coupling and Define perfect coupling. | REMEMBER | 2,3 |
| 15 | Define reluctance and write the expression their suggest Core to be chosen for magnetic circuit. | UNDERSTAND | 2,3 |
| 16 | Explain the dot convention for coil to write voltag Equation. | ANALYZE | 2,3 |
| 17 | Two coils of are connected in series, when they are aiding with each other total inductance is 25 H and when they are opposing each other is 15 H , calculate the mutual inductance and write all combinations of L1 and L2. | APPLY | 1,2 |
| 18 | Two coils of are connected in parallel, when they are aiding with each other if self inductance of each coil is 10 H and mutual inductance is 1 H , calculate equivalent inductance. | APPLY | 1,2 |
| 19 | Write flux density in terms of field intensiy. | REMEMBER | 2,3 |
| 20 | Calculate equivalent inductance if three coils are coupled with coil 1 has 8 H self inductance with current entering the dot, coil 2 has self inductance of 5 H with current entering the dot and self inductance of coil3 is 8 H with current leaving the dot, <br> Mutual inductances are, between $1 \& 2=2 \mathrm{H}, 2 \& 3=3 \mathrm{H}$ and $3 \&$ $1=4 \mathrm{H}$. | APPLY | 1,2 |
| QUESTION BANK ON DISCRIPTIVE ANSWER QUESTION |  |  |  |
| 1 | Draw and explain the locus diagram of series RL circit with R as variable. | UNDERSTAND | 2,3 |
| 2 | Draw and explain the locus diagram of series RL circit with XL as variable. | UNDERSTAND | 2,3 |
| 3 | Draw and explain the locus diagram of series RLC circit with R as variable. | UNDERSTAND | 2,3 |
| 4 | Define series resonance.Explain the voltage plots in series RLC circuit with resonance phenomenon. | ANALYZE | 2,3 |
| 5 | Define cut-off frequencies and bandwidth .Derive the expressions for cutoff frequencies and bandwidth of series RLC circuit. | REMEMBER | 2,3 |
| 6 | Define Q-factor. Derive the expressions for Q-factor of inductor and capacitor element in series RLC circuit. | REMEMBER | 2,3 |
| 7 | Explain the concept of DOT convention and state right hand thumb rule for coupled coils. | ANALYZE | 2,3 |
| 8 | Derive the expression for co-efficient of coupling. | REMEMBER | 2,3 |
| 9 | Explain the concept of composite magnetic circuit. | UNDERSTAND | 2,3 |
| 10 | Explain the concept of more than two coils coupled. | UNDERSTAND | 2,3 |
| 11 | Derive the expression total inductance for two coils coupled with each other and connected in parallel with dot convention both the currents entering the dot. | UNDERSTAND | 2,3 |
| 12 | Drive the expression for quality factor in series and parallel RLC circuits. | UNDERSTAND | 2,3 |
| 13 | Drive the expression for bandwidth in series RLC circuits. | UNDERSTAND | 2,3 |


| 14 | Drive the expression for bandwidth in parallel RLC circuits. | UNDERSTAND | 2,3 |
| :---: | :---: | :---: | :---: |
| 15 | Explain the impedance and admittance curves in series and parallel RLC circuits respectively. | UNDERSTAND | 2,3 |
| QUESTION BANK ON ANALYTICAL ANSWER QUESTION |  |  |  |
| 1 | Draw the locus diagram of series R-L circuits with R variable. | APPLY | 1,2 |
| 2 | Draw the locus diagram of series $\mathrm{R}-\mathrm{C}$, with R variable circuits. | APPLY | 1,2 |
| 3 | Draw the locus diagram of series R-L with L variable circuits. | APPLY | 1,2 |
| 4 | A constant voltage at a frequency of 1 MHz is applied to an inductor in series with a variable capacitor when the capacitor is set to 500 PF , the current has the max value while it is reduced to one half when capacitor is of 600PF. Find resistance, inductance and Q factor of inductor. | APPLY | 1,2 |
| 5 | A series RLC circuit is connected across a variable frequency supply and has $\mathrm{R}=12$ ohms, $\mathrm{L}=1 \mathrm{mH}$ and $\mathrm{C}=1000 \mathrm{PF}$. Calculate resonant frequency, Q factor and cut of frequencies. | APPLY | 1,2 |
| 6 | A voltage $\mathrm{V}=10 \sin$ wt Is applied to series RLC circuit. Under resonance condition the max voltage across capacitor is found to be 500 V , bandwidth is $400 \mathrm{rad} / \mathrm{sec}$ and the impedance at resonance is 100 ohms. Find the resonant frequency and circuit constants. | APPLY | 1,2 |
| 7 | An iron ring 10 cm dia and 15 cm 2 in cross section is wound with 250 turns of wire for a flux density of $1.5 \mathrm{wb} / \mathrm{cm} 2$ and permeability 500 . Find the exciting current the inductance and stored energy. Find corresponding quantities when there is a 2 mm air gap. | APPLY | 1,2 |
| 8 | Draw the locus diagram of series R-C, with C variable circuits. | APPLY | 1,2 |
| 9 | A series RLC circuit is connected across a variable frequency supply and has $\mathrm{R}=1000$ ohms, $\mathrm{L}=1 \mathrm{mH}$ and $\mathrm{C}=0.01 \mathrm{microF}$. Calculate resonantfrequency, Q factor, bandwidth and cut of frequencies. | APPLY | 1,2 |
| 10 | A series RLC circuit is connected across a supply of and has $\mathrm{R}=2$ ohms, $\mathrm{L}=1 \mathrm{mH}$ and $\mathrm{C}=0.4$ microF. Calculate resonant frequency, Q factor, bandwidth and cut of frequencies, current at resonant frequency and cut-off frequencies. | APPLY | 1,2 |
| 11 | Series RLC circuit has $\mathrm{L}=50 \mu \mathrm{H}, \mathrm{C}=2000 \mathrm{pF}$ and $\mathrm{R}=50 \Omega$ <br> a. Calculate Q factor of the circuit <br> b. Find the new value of C required for resonance at the same frequency if the inductance is doubled. <br> c. Find the new value of Q factor | APPLY | 1,2 |
| 12 | A constant voltage at frequency of 1 MHz is applied to a coil in series with a variable capacitor . <br> a. when the capacitor is set at 500 pF , the current in the circuit is maximum. <br> b. When the capacitor is set at 600 pF , the current is half the maxi. value. <br> Find Resistance, Inductance, and Q factor of the coil | APPLY | 1,2 |
| 13 | series resonance network consisting of a resistor of $30 \Omega$, a capacitor of 2 uF and an inductor of 20 mH is connected across a sinusoidal supply voltage which has a constant output of 9 volts at all frequencies. <br> Calculate: <br> a. The resonant frequency, <br> b. The current at resonance, | APPLY | 1,2 |


|  | c. The voltage across the inductor <br> d. capacitor at resonance, <br> e. The quality factor <br> f. The bandwidth of the circuit. |  |  |
| :---: | :---: | :---: | :---: |
| 14 | A series circuit consists of a resistance of $4 \Omega$, an inductance of 500 mH and a variable capacitance connected across a $100 \mathrm{~V}, 50 \mathrm{~Hz}$ <br> supply. <br> Calculate: <br> a. The capacitance require to give series resonance <br> b. The voltages generated across both the inductor and the capacitor | APPLY | 1,2 |
| UNIT -4 |  |  |  |
| QUESTION BANK ON SHORT ANSWER QUESTION |  |  |  |
| Q.NO | QUESTION TO BE ANSWERED | BLOOM'S <br> TAXANOMY | PO'S |
| 1 | What is network topology and write their applications? | ANALYZE | 2,3 |
| 2 | Define tree and co-tree. | REMEMBER | 2,3 |
| 3 | Write the expression for number of links. | REMEMBER | 2,3 |
| 4 | Write the importance and properties of incidence matrix. | ANALYZE | 2,3 |
| 5 | For 8 element 5 node graph, determine number of links. | APPLY | 1,2 |
| 6 | Explain the steps to form tie-set matrix. | ANALYZE | 2,3 |
| 7 | Explain the steps to form cut-set matrix. | ANALYZE | 2,3 |
| 8 | Draw the graph of wheat stone bridge and find incidence matrix. | UNDERSTAND | 2,3 |
| 9 | Draw the graph of wheat stone bridge and find tie-set matrix. | UNDERSTAND | 2,3 |
| 10 | Draw the graph of wheat stone bridge and find cut-set matrix. | UNDERSTAND | 2,3 |
| 11 | Define the duality and the dual elements. | UNDERSTAND | 2,3 |
| 12 | what is the importance of tie-set matrix with electrical networks. | ANALYZE | 2,3 |
| 13 | what is the importance of cut-set matrix with electrical networks. | ANALYZE | 2,3 |
| 14 | How many fundamental cutest and tie-set are possible for a graph. | APPLY | 2,3 |
| 15 | Take any original network and draw the dual network for that original network. | ANALYZE | 2,3 |
| QUESTION BANK ON DISCRIPTIVE ANSWER QUESTION |  |  |  |
| 1 | What is network topology and its importance with electrical networks? | UNDERSTAND | 2,3 |
| 2 | Give the rules, properties of incidence matrix an explain with an example. | UNDERSTAND | 2,3 |
| 3 | Give the rules, properties of tie-set matrix an explain with an example. | UNDERSTAND | 2,3 |
| 4 | Give the rules, properties of cut-set matrix an explain with an example. | UNDERSTAND | 2,3 |
| 5 | Drive the relation between link currents and branch currents and write mesh equations. | REMEMBER | 2,3 |
| 6 | Drive the relation between twig voltages and branch voltages and write current equations. | REMEMBER | 2,3 |
| 7 | Define duality and explain how to form dual network for original network. | UNDERSTAND | 2,3 |
| 8 | Take any graph and draw all possible trees and explain condition to form tree. | APPLY | 2,3 |
| 9 | Define terms graph, oriented and non-oriented graph, planar and nonplanar graph, tree and co-tree, branches and links, nodes and degree of the node. | REMEMBER | 2,3 |



| 10 | Element <br> 1 <br> 2 <br> 3 <br> 4 <br> 5 <br> 6 <br> 7 <br> In an graph br <br> Form inciden | From node <br> a <br> a <br> b <br> b <br> c <br> a <br> c <br> connected <br> tie-set m | To node <br> 0 <br> b <br> c <br> 0 <br> 0 <br> c <br> 0 | APPLY | 1,2 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 11 | Element <br> 1 <br> 2 <br> 3 <br> 4 <br> 5 <br> 6 <br> 7 <br> In an graph bra Form tie-set | From node a a b b c a c connected matrix. | To node <br> 0 <br> b <br> c <br> 0 <br> 0 <br> c <br> 0 | APPLY | 1,2 |
| 12 | Element <br> 1 <br> 2 <br> 3 <br> 4 <br> 5 <br> 6 <br> 7 <br> 8 <br> Draw the grap twigs, number | From node <br> a <br> b <br> c <br> d <br> a <br> b <br> c <br> d <br> trees, degr | To node <br> b <br> c <br> d <br> a <br> b <br> c <br> d <br> a | APPLY | 1,2 |
| 13 | Element <br> 1 <br> 2 <br> 3 <br> 4 <br> 5 <br> 6 <br> 7 <br> 8 <br> Draw the graph, f | From node <br> a <br> b <br> c <br> d <br> a <br> b <br> c <br> d <br> and tir-set m <br> and tir-set m | To node <br> b <br> c <br> d <br> a <br> b <br> c <br> d <br> a | APPLY | 1,2 |
| 14 | Element <br> 1 <br> 2 <br> 3 <br> 4 <br> 5 <br> 6 <br> 7 <br> 8 <br> Draw the graph, | From node <br> a <br> b <br> c <br> d <br> a <br> b <br> c <br> d | To node <br> b <br> c <br> d <br> a <br> b <br> c <br> d <br> a | APPLY | 1,2 |


| UNIT -5 |  |  |  |
| :---: | :---: | :---: | :---: |
| QUESTION BANK ON SHORT ANSWER QUESTION |  |  |  |
| Q.NO | QUESTION TO BE ANSWERED | BLOOM'S TAXANOMY | PO'S |
| 1 | State theveninn's theorem | REMEMBER | 2,3 |
| 2 | State nortan's theorem | REMEMBER | 2,3 |
| 3 | State super-position theorem | REMEMBER | 2,3 |
| 4 | State reciprocity theorem | REMEMBER | 2,3 |
| 5 | State compensation theorem | REMEMBER | 2,3 |
| 6 | State milliman's theorem | REMEMBER | 2,3 |
| 7 | What is the importance of thevenin's theorem? | UNDERSTAND | 2,3 |
| 8 | What is the importance of nortan's theorem? | UNDERSTAND | 2,3 |
| 9 | What is the importance of super-position theorem? | UNDERSTAND | 2,3 |
| 10 | What is the importance of milliman's theorem? | UNDERSTAND | 2,3 |
| 11 | What is the importance of compensation theorem? | UNDERSTAND | 2,3 |
| 12 | Give the application of reciprocity theorem. | ANALYZE | 2,3 |
| 13 | If the thevenin's equivalent consists of 25 v with 10 ohms drawthe nortan's equivalent. | APPLY | 1,2 |
| 14 | If $25 \mathrm{v}, 15 \mathrm{v}$ and 10 v are connected across ab terminals, what is voltage measured across ab terminals? | APPLY | 1,2 |
| 15 | Can be super-position theorem used to find power in an element? Justify your answer. | ANALYZE | 1,2 |
| 16 | The nortan's equivalent circuit consists of 10A in parallel with 8 ohms , find the load resistance for which maximum power transfer takes place. | APPLY |  |
| 17 | If two branches are in parallel with 15 V in series with 5 ohms and 5 V in series with 1 ohm across $A B$ terminals, find the current and power absorbed by 5 ohms resistor if it is connected across AB terminals. | APPLY | $\begin{aligned} & 1,2 \\ & 1,2 \\ & \hline \end{aligned}$ |
| QUESTION BANK ON DISCRIPTIVE ANSWER QUESTION |  |  |  |
| 1 | State and prove tellegen's theorem with an example for DC excitation. | $\begin{gathered} \text { REMEMBER } \\ \text { AND } \\ \text { UNDERSTAND } \end{gathered}$ | 2,3 |
| 2 | State and prove thevenin's theorem with an example for DC excitation. | $\begin{gathered} \text { REMEMBER } \\ \text { AND } \\ \text { UNDERSTAND } \end{gathered}$ | 2,3 |
| 3 | State and prove nortan's theorem with an example for DC excitation. | $\begin{gathered} \text { REMEMBER } \\ \text { AND } \\ \text { UNDERSTAND } \end{gathered}$ | 2,3 |
| 4 | State and prove super-position theorem with an example for DC excitation. | $\begin{gathered} \text { REMEMBER } \\ \text { AND } \\ \text { UNDERSTAND } \end{gathered}$ | 2,3 |
| 5 | State and prove reciprocity theorem with an example for DC excitation. | $\begin{aligned} & \text { REMEMBER } \\ & \text { AND } \\ & \hline \end{aligned}$ | 2,3 |


|  |  | UNDERSTAND |  |
| :---: | :---: | :---: | :---: |
| 6 | State and prove compensation theorem with an example for DC excitation. | $\begin{aligned} & \text { REMEMBER } \\ & \text { AND } \\ & \text { UNDERSTAND } \end{aligned}$ | 2,3 |
| 7 | State and prove milliman's thoerem theorem with an example for DC excitation. | REMEMBER AND UNDERSTAND | 2,3 |
| 8 | State and prove thevenin's theorem with an example for AC excitation. | $\begin{gathered} \text { REMEMBER } \\ \text { AND } \\ \text { UNDERSTAND } \end{gathered}$ | 2,3 |
| 9 | State and prove super-position theorem with an example for ACexcitation. | REMEMBER AND UNDERSTAND | 2,3 |
| 10 | State and prove nortan's theorem with an example for AC excitation. | REMEMBER AND <br> UNDERSTAND | 2,3 |
| 11 | Prove the condition for maximum power transfer with DC excitation and explain | UNDERSTAND | 2,3 |
| 12 | Prove the condition for maximum power transfer with AC excitation and explain | UNDERSTAND | 2,3 |
| 13 | State and explain the milliman's theorem .(DC) | UNDERSTAND | 2,3 |
| 14 | State and explain the milliman's theorem.(AC) | UNDERSTAND | 2,3 |
| 15 | Explain the thevenin's equivalent and norton's equivalent circuit with their importance. |  |  |
| QUESTION BANK ON ANALYTICAL ANSWER QUESTION |  |  |  |
| 1 | Two parallel branches are connected across AB terminals, they 10 V in series with 2 ohms and 20 V in series with 5 ohms , use the necessary theorem and find the power absorbed by load resistor with maximum power across AB | APPLY | 1,2 |
| 2 | In an series circuit the source impedance is $(3+8 j)$ ohms with 100 V supply calculate load impedance to absorb maximum power and form the nortan's equivalent circuit. | APPLY | 1,2 |
| 3 | In an network consisting of AB terminals, firstly a branch across AB is defined as 20 V in series with 5 ohms , second branch 7 ohms and third branch 10 V in series with 4 ohms. Apply super-position theorem to find voltage drop across 7 ohms resistor. | APPLY | 1,2 |
| 4 | In an network consisting of AB terminals, firstly a branch across AB is defined as 100 V in series with $(3+4 \mathrm{j})$ ohms , second branch 7 ohms and third branch 50 V in series with $(2+3 \mathrm{j})$ ohms. Apply thevenin's theorem to find current flowing through 7 ohms | APPLY | 1,2 |
| 5 | In an circuit brach $\mathrm{AB}=10 \mathrm{OHMS}, \mathrm{BC}=20 \mathrm{OHMS}, \mathrm{CD}=15 \mathrm{OHMS}$, $\mathrm{BD}=8$ ohms and $\mathrm{DA}=5 \mathrm{OHMS}$ and an source of 100 V in series with 5 OHMS connected across A and C. verify the tellegen's theorem. | APPLY | 1,2 |
| 6 | In an series circuit $\mathrm{Z} 1=(10+10 \mathrm{j})$ ohms, $\mathrm{Z} 2=(5+3 \mathrm{j})$ ohms with 100 V 45 degrees supply. Apply compensation theorem and find the response in Z2. | APPLY | 1,2 |
| 7 | In an series circuits source resistance is 45 ohms and load resistor is $\mathrm{R}_{\mathrm{L}}$ with 20 V DC supply. If $\mathrm{R}_{\mathrm{L}}$ is variable of resistances $10,20,30,40,45$, $50,60,70$ ohms respectively. <br> Find the for what resistance of load maximum power is transfer, maximum power value, current and voltage drops in each case. | APPLY | 1,2 |



| 14 | Find the current flowing through ( $2+2 \mathrm{j}$ )ohms impedance using superposition theorem. <br> If the circuit is as below. |  |  | APPLY | 1,2 |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | element | From node | To node |  |  |
|  | 20 V with 0 degrees phase source | a | 0 |  |  |
|  | $(1+3 \mathrm{j})$ ) ohms | a | b |  |  |
|  | (2+2j) ohms | b | 0 |  |  |
|  | (3+2j))ohms | b | c |  |  |
|  | 10 V with 0 degrees phase | c | 0 |  |  |
|  | State milliman's theorem and Find the current flowing through ( $2+2 \mathrm{j}$ )ohms impedance using s. <br> If the circuit is as below. |  |  |  | 1,2 |
|  | element | From node | To node |  |  |
|  | 20 V with 0 degrees phase source | a | 0 |  |  |
|  | ( $1+3 \mathrm{j}$ ) ) ohms | a | b |  |  |
|  | ( $2+2 \mathrm{j}$ ) ohms | b | 0 |  |  |
|  | ( $3+2 \mathrm{j}$ ) $)$ ohms | b | c |  |  |
| 15 | 10 V with 0 degrees phase | c | 0 |  |  |

