

# INSTITUTE OF AERONAUTICAL ENGINEERING

DUNDIGAL – 500 043, HYDERABAD

### **COMPUTER SCIENCE AND**

# **ENGINEERING** TUTORIAL QUESTION

## BANK

Course Name	:	FORMAL LANGUAGES AND AUTOMATA THEORY
Course Code	:	A40509
Class	:	II B. Tech II Semester
Branch	:	Computer Science and Engineering
Year	:	2016 - 2017
Course Faculty	:	Dr K Rajendra Prasad , Professor Ms N Mamatha, Assistant Professor Ms M Sandhya Rani, Assistant Professor Ms T Ramya, Assistant Professor

#### **OBJECTIVES**

To meet the challenge of ensuring excellence in engineering education, the issue of quality needs to be addressed, debated and taken forward in a systematic manner. Accreditation is the principal means of quality assurance in higher education. The major emphasis of accreditation process is to measure the outcomes of the program that is being accredited.

In line with this, Faculty of Institute of Aeronautical Engineering, Hyderabad has taken a lead in incorporating philosophy of outcome based education in the process of problem solving and career development. So, all students of the institute should understand the depth and approach of course to be taught through this question bank, which will enhance learner's learning process.

### **Group - A** (Short Answer Questions)

S. No.	Questions	Blooms Taxonomy Level	Course Outcomes
	UNIT - I		
Part- A	(Short Answer Questions)		
1.	Explain transition diagram, transition table with example.	Understand	1
2.	Define transition function of DFA.	Remember	2
3.	<b>Define</b> $\varepsilon$ –transitions.	Remember	2
4.	<b>Construct</b> a DFA to accept even number of 0's.	Apply	2
5.	Define Kleene closure and positive closure.	Remember	1
6.	<b>Construct</b> a DFA to accept empty language.	Apply	2
7.	<b>Explain</b> power of an alphabet $(\sum^*)$ ?	Understand	1
8.	Write transition diagram for DFA accepting string ending with 00 defined over an alphabet $\Sigma = \{0,1\}$	Apply	2
9.	<b>Write</b> transition diagram for DFA to accept exactly one a defined over an alphabet $\Sigma = \{a, b\}$		2
10.	<b>Define</b> NFA with an example.	Remember	2
11.	Explain the different Operations on the languages.	Understand	
12.	<b>Construct</b> a finite automaton accepting all strings over {0, 1} having even number of 0's	Apply	2

13.	Define Moore Machines.	Remember	3
14.	Define Mealy Machines.	Remember	3
15.	Write DFA for odd number of 1's.	Apply	2
16.	<b>Write</b> NFA for (0+1)*101(0+1)*.	Apply	2
17.	Write DFA for (0+1)*10(0+1)*.	Apply	2
18.	<b>Define</b> $\varepsilon$ - closure.	Remember	2
<u>18.</u> 19.	<b>Write</b> NFA for (0+1)*001(0+1)*.	Apply	2
20.	Write DFA for (0+1)*00(0+1)*.	Apply	2
21	<b>Define</b> FSM and its structure with an example.	Remember	2
22	Give any two comparisions between NFA and DFA	Remember	2
	Part- B (Long Answer Questions)		
1.	<b>Construct</b> a DFA to accept set of all strings ending with 010. Define language over an alphabet $\sum = \{0,1\}$ and write for the above DFA.	Apply	2
2.	<b>Construct</b> a Moore machine to accept the following language. $L = \{w   w \mod 3 = 0\}$ on $\sum = \{0, 1, 2\}$	Apply	3
3.	Write any six differences between DFA and NFA	Apply	2
4.		Understand	2
5.	<b>Write</b> NFA with $\xi$ to NFA conversion with an example. <b>Construct</b> NFA for $(0 + 1)*(00 + 11)(0 + 1)*$ and Convert to		2
5.	DFA. Construct NFA for $(0+1)^*(00+11)(0+1)^*$ and convert to	Apply	2
6.	<ul> <li>Design DFA for the following languages shown below</li> <li>∑ = { a,b}</li> <li>a) L={w/w does not contain the substring ab}</li> <li>b) L={w/w contains neither the substring ab nor ba}</li> <li>c) L={w/w is any string that doesn't contain exactly two a}</li> <li>d) L={w/w is any string except a and b}</li> </ul>	Apply	2
	Illustrate given 2 FA's are equivalent or not with an example.	Apply	6
8.	<b>Construct</b> Mealy machine for $(0 + 1)^*(00 + 11)$ and convert to Moore machine.	Apply	3
9.	<b>Convert</b> NFA with $\boldsymbol{\xi} - \mathbf{a}^* \mathbf{b}^*$ to NFA.	Understand	2
10.	<b>Construct</b> NFA for $(0 + 1)$ *101 and Convert to DFA.	Apply	2
11.	<b>Construct</b> a mealy machine that takes binary number as input and produces 2's complement of that number as output. Assume the string is read LSB to MSB and end carry is discarded.	Understand	3
12.	Explain with the following example the Minimize the DFA .	Understand	2
13.	<b>Construct</b> a DFA, the language recognized by the Automaton being $L = \{a^n b/n \ge 0\}$ . Draw the transition table.	Apply	2
14.	Construct the Minimized DFA	Apply	2
15.	<b>b</b> <b>Construct</b> the DFA that accepts/recognizes the language $L(M) =  $ $w \in \{a, b, c\}^*$ and <i>w</i> contains the pattern <i>abac</i> }. Draw the	Apply	2

	transition table.		
16.	<b>Construct</b> NFA for given NFA with <i>C</i> -moves	Apply	
	Construct in the given that the moves	1199-5	
			-
	$-(A)^{\circ}(B)^{\circ}(C)$		2
	E		
17.	Differentiate between DFA and NFA with an example.	Understand	2
18.	<b>Construct</b> a finite automaton accepting all strings over {0, 1}	Apply	
	having	11.7	2
	even number of 0's and even number of 1's.		
19.	<b>Construct</b> a Moore Machine to determine the residue mod 5 for	Apply	3
20.	<ul><li>each binary string treated as integer. Sketch the transition table.</li><li>Construct the Moore Machine for the given Mealy machine</li></ul>		
20.	Construct the Proofe Machine for the given Meany machine		
	STATE/I a b output		
	<u>q0</u> q1 q2 1	Understand	3
	<u>q1</u> <u>q1</u> <u>q1</u> <u>0</u>		
	q2 q1 q0 1		
Dort	C (Problem Solving and Critical Thinking)		
	<b>Construct</b> NFA for $(0 + 1)*0(0 + 1)0(0 + 1)*$ and convert to DFA.	Apply	2
2	<b>Construct</b> NFA for $(0+1)^{\circ}010(0+1)^{\circ}$ and convert to DFA.	Apply	2
3		Apply	2
1	Construct NFA with E for 0*1*12* and Convert to NFA . Construct Mealy Machine for Residue Modulo of 5 for the ternary		2
+	number system and convert to Moore Machines.	Apply	2
5	<b>Write</b> the DFA that will accept those words from $\Sigma = \{a, b\}$ where	Apply	
	the number of a's is divisible by two and the number of b's is	11.2	2
	divisible by three. Sketch the transition table of the finite		
5	Construct DFA for the given NFA as shown in fig. below	Apply	
	$\sim 0^{\circ}$		
	· · ·		2
	(93)		
	<b>↓</b> 1		
	<b>(4)</b>		
	UNIT – II		
Part-	A (Short Answer Questions)		
1.	Define Regular Languages.	Remember	7
2.	Define Pumping Lemma for Regular Languages.	Remember	7
3.	Write the applications of pumping lemma for regular languages.	Apply	7
1.	<b>List</b> any two applications of regular expression.	Remember	7
5.	<b>Define</b> Context Free Grammars.	Remember	
			8
ó.	Define Left linear derivation.	Remember	7
7.	Write regular expression for denoting language containing empty	Apply	7
8.	string. Differentiate left linear and right linear derivations.	Understand	
			8
9.	Write the Context free grammar for palindrome.	Remember	8
10.	Define right linear grammars.	Remember	7
11.	Define Regular grammars.	Remember	7
12.	Write regular expressions for the Set of strings over {0, 1} whose	Apply	7
	last two symbols are the same.		/
13.	Define right linear derivation.	Remember	7
14.	Define left linear grammars.	Remember	7
15.	Write the regular language generated by regular expression	Apply	
	(0+1)*001(0+1)*.		7
16.	Write the Regular Expression for the set of binary strings.	Apply	7
17.	Write the derivation of the string aaaa from CFG –	Apply	8
· •			0

	$S \rightarrow a S/A  A \rightarrow a$			
18.	Write the derivation of the string 110 from CFG – S $\rightarrow$ A0/B A $\rightarrow$ 0/12/B B $\rightarrow$ A/11	Apply	8	
9.	Write the Regular Expression to generate atleast one b over $\Sigma = \{a, b\}$	Apply	8	
0.	Write the Context free grammar for equal number of a's and b's.	Apply	8	
art- F	3 (Long Answer Questions)			
	<b>Convert</b> Regular Expression 01* + 1 to Finite Automata.	Understand	7	
	<b>Convert</b> given Finite Automata to Regular Expression using Arden's	Understand		
	theorem with an example.		7	
	<b>Construct</b> Right linear , Left linear Regular Grammars for 01*+1.	Apply	7	
	<b>Explain</b> Identity rules . Simplify the Regular Expression - $C + 1*(011)*(1*(011)*)*$	Understand	7	
	<b>Construct</b> Regular grammar for the given Finite Automata. (a+b)*ab*.	Apply	7	
	Construct Leftmost Derivation. , Rightmost Derivation, Derivation Tree for the following grammar $S \rightarrow aB   bA$ $A \rightarrow a   aS   bAA$ $B \rightarrow b   bS   aBB$	Apply	8	
	For the string aaabbabbba . Explain the properties, applications of Context Free Languages	Understand	8	
	<b>Construct</b> right linear and left linear grammars for given Regular Expression.	Apply	7	
	<b>Construct</b> a Transition System M accepting L(G) for a given Regular Grammar G.	Apply	7	
).	<b>Discuss</b> the properties of Context free Language. Explain the pumping lemma with an example.	Understand	7	
1.	Write regular expressions for the given Finite Automata	Apply	7	
	2 a			
2.	$2$ <b>Construct</b> a NFA with $\mathcal{E}$ equivalent to the regular expression $10 + (0 + 11)0*1$	Apply	7	
2.	+ 11)0*1 <b>Construct</b> Leftmost Derivation, , Rightmost Derivation, Derivation Tree for the following grammar $G = (V, T, P, S)$ with $N = \{E\}, S = E, T = \{id, +, $ *(,)} $E \rightarrow E + E$ $E \rightarrow E^*$ $E \in E \rightarrow$ (E) $E \rightarrow id$	Apply Apply	7	
3.	+ 11)0*1 <b>Construct</b> Leftmost Derivation, , Rightmost Derivation, Derivation Tree for the following grammar $G = (V, T, P, S)$ with $N = \{E\}, S = E, T = \{id, +, $ *(,)} $E \rightarrow E + E$ $E \rightarrow E^*$ $E E \rightarrow (E)$ (E)			
	+ 11)0*1 <b>Construct</b> Leftmost Derivation., Rightmost Derivation, Derivation Tree for the following grammar $G = (V, T, P, S)$ with $N = \{E\}, S = E, T = \{id, +, $ *(,)} $E \rightarrow E + E$ $E \rightarrow E^*$ $E E \rightarrow$ (E) $E \rightarrow$ id Obtain id+id*id in right most derivation, left most derivation	Apply	7	

	with at least two consecutive 0's		
17.	<b>Construct</b> context free grammar which generates palindrome	Apply	8
	strings	11.2	
1.0	$\sum_{a,b} = \{a,b\}$		
18.	<b>Construct</b> equivalent NFA with $\epsilon$ for the given regular expression $0^*(1(0+1))^*$ .	Apply	7
19.	<b>Construct</b> the right linear grammar for the following	Apply	7
	( )		
	1 $1$ $1$ $C$		
	B		
	A TO O		
20.	Write 12 identity rules for regular expressions	Apply	7
Part- (	C (Problem Solving and Critical Thinking)		
1	<b>Convert</b> Regular Expression $(11 + 0)*(00 + 1)*$ to NFA with <b>E</b> .	Understand	7
2	<b>Convert</b> Regular Expression $(a + b)^*(aa + bb)(a + b)^*$ to DFA.	Understand	7
3	<b>Construct</b> Regular Grammars for Finite Automata $0^*(1(0+1))^*$ .	Apply	7
1	Construct Finite	Apply	7
	Automata for		
	$A0 \rightarrow a A1$		
	$\begin{array}{c} A1 \\ \rightarrow \end{array}$		
5	Construct left linear grammar for the following	Apply	7
,		rippij	1
	0		
	$\cap$		
	$1 \qquad 1 \qquad c$		
	Nº JB		
	JAFO 10		
	UNIT – III		
Part	- A (Short Answer Questions)		
	<b>Define</b> Greibach normal form.	Remember	9
2.	Define nullable Variable.	Remember	8
		Remember	9
3.	Write the minimized CFG for the following grammar S→ABCa   bD	Kemember	9
	$A \rightarrow BC   b$		
	$B \rightarrow b   \epsilon C \rightarrow D$		
	$ \varepsilon D \rightarrow d$		
ł.	<b>Convert</b> the grammar to CNF - S $\rightarrow$ bA/aB A $\rightarrow$ aS/a B $\rightarrow$ bS/b.	Understand	8
5.	Explain the elimination of UNIT production.	Understand	8
5.	Explain the elimination of useless symbols in productions.	Understand	8
7.	Define CNF.	Remember	9
8.	Write the minimization of CFG – S $\rightarrow$ a S/A A $\rightarrow$ a B $\rightarrow$ aa	Understand	8
).	<b>Define</b> the ambiguity in CFG.	Remember	8
0.	What is the use of CNF and GNF.		8
1.	<b>Write</b> the minimization of CFG - $S \rightarrow aS1b S1 \rightarrow aS1b/\epsilon$ .	Understand	8
2.	<b>Write</b> the minimization of CFG - S $\rightarrow$ A $\rightarrow$ aA/ $\epsilon$ .	Understand	8
3.	Write the minimization of CFG - $S \rightarrow AB/a \qquad A \rightarrow a$ .	Understand	8
4.	Write the minimization of CFG - $S \rightarrow aS/A/C$ A $\rightarrow a B \rightarrow aa C$ $\rightarrow aCb$	Understand	8
5		Understand	8
.4.	$\Rightarrow aCb.$ Write the minimization of CFG - S $\Rightarrow$ AbA $A \Rightarrow$ Aa/ $\epsilon$ .	Understand	8

17.	Write the minimization of CFG - $S \rightarrow aSa  S \rightarrow bSb  S \rightarrow a/b/\epsilon$ .	Understand	8
	Write the minimization of CFG - S $\rightarrow$ A0/B A $\rightarrow$ 0/12/B B $\rightarrow$ A/11.	Understand	8
18.	<b>Convert</b> the grammar to CNF $- S \rightarrow aSa/aa S \rightarrow bSb/bb S \rightarrow a/b$ .	Understand	8
19.	<b>Convert</b> the grammar to CNF - $S \rightarrow aAbB  A \rightarrow aA/a  B \rightarrow bB/a$ .	Understand	8
20.	Define PDA.	Remember	10
21.	Define NPDA.	Remember	10
22.	<b>Differentiate</b> between deterministic and nondeterministic PDA.	Understand	10
23.	<b>Define</b> the language of DPDA.	Remember	10
24.	List the steps to convert CFG to PDA.	Remember	11
25.	<b>Explain</b> – acceptance of PDF by final state.	Understand	10
26.	<b>Explain</b> – acceptance of PDF by empty stack.	Understand	10
27.	<b>Convert</b> the following PDA to CFG $\delta(q0,b,z0) = \{q0,zz0\}$	Apply	11
28.	<b>Convert</b> the following PDA to CFG $\delta(q0, b, z)=(q0, zz)$	Apply	11
29.	<b>Convert</b> the following PDA to CFG $\delta(q0, \epsilon, z0) = (q0, \epsilon)$	Apply	11
30.	<b>Convert</b> the following PDA to CFG $\delta(q0,a,z) = (q1,z)$	Apply	11
31.	<b>Convert</b> the following PDA to CFG $\delta(q1,b,z)=(q1,\epsilon)$	Apply	11
32.	<b>Convert</b> the following PDA to CFG $\delta(q1,a,z0)=(q0,z0)$	Apply	11
33.	<b>Convert</b> the following PDA to CFG $\delta(q0,0,z0) = \{q0,xz0\}$	Apply	11
34.	<b>Convert</b> the following PDA to CFG $\delta(q0,0,x)=(q0,xx)$	Apply	11
35.	<b>Convert</b> the following PDA to CFG $\delta(q0,1,x)=(q1,\epsilon)$	Apply	11
36.	<b>Convert</b> the following PDA to CFG $\delta(q1,1,x) = (q1,\epsilon)$	Apply	11
37.	<b>Convert</b> the following PDA to CFG $\delta(q1,\epsilon,x)=(q1,\epsilon)$	Apply	11
38.	<b>Convert</b> the following PDA to CFG $\delta(q1,\epsilon,z0)=(q1,\epsilon)$	Apply	11
39.	<b>Convert</b> the following PDA to CFG $\delta(q1,\epsilon,z)=(q0,\epsilon)$	Apply	11
40.	<b>Convert</b> the following CFG to PDA $S \square ABC   BbB$	Apply	11
41.	<b>Convert</b> the following CFG to PDA $A \square aA   BaC aaa$	Apply	11
42.	<b>Convert</b> the following CFG to PDA B $\Box$ bBb  a D	Apply	11
43.	<b>Convert</b> the following CFG to PDA $C \Box CA   AC$	Apply	11
44.	<b>Convert</b> the following CFG to PDA $S \Box a S/A$	Apply	11
	B (Long Answer Questions)		
1.	<b>Write</b> a short notes on Chomsky Normal Form and Griebach Normal Form.	Apply	9
2.	Show that the following grammar is ambiguous with respect to the string aaabbabbba. $S \rightarrow aB \mid bA$ $A \rightarrow aS \mid bAA \mid a$	Understand	8
3.	$B \rightarrow bS \mid aBB \mid b$ Use the following grammar :	Apply	9
	$S \rightarrow ABC \mid BbB$ $A \rightarrow aA \mid BaC \mid aaa$ $B \rightarrow bBb \mid a \mid D$ $C \rightarrow CA \mid AC$ $D \rightarrow \varepsilon$ Eliminate $\varepsilon$ -productions. Eliminate any unit productions in the resulting grammar.		
	Eliminate any useless symbols in the resulting grammar. Convert the resulting grammar into Chomsky Normal Form		

-	Show that the following OEC such	A1	0
5.	<b>Show</b> that the following CFG ambiguous.	Apply	8
	$S \rightarrow iCtS \mid iCtSeS \mid a$ $C \rightarrow b$		
	<b>Discuss</b> the Pumping lemma for Context Free Languages concept with	Understand	9
•	example $\{a^n b^n c^n \text{ where } n \ge 0\}$	Understand	7
	Write the simplified CFG productions in $S \rightarrow a S1b$	Apply	8
•	$S1 \rightarrow a S1b/C$	II J	
•	<b>Convert</b> the following CFG into GNF.	Understand	8
	$S \rightarrow AA/a  A \rightarrow SS/b$		
	Explain unit production? Explain the procedure to eliminate unit	Understand	8
0.	production. <b>Explain</b> the procedure to eliminate $\epsilon$ -productions in grammar.	Understand	8
1.	<b>Convert</b> the following grammar into GNF $C_{1}$ ((A1A2A2) (a b) $P_{2}$ (b)	Understand	8
	$G=({A1,A2,A3},{a,b},P,A)$ A1->A2A3		
	A2->A3A1/b		
	A3->A1A2/a		
2.	Write simplified CFG productions from the following grammar	Apply	8
	A->aBb/bBa		
	B->aB/bB/e		
3.	<b>Convert</b> the following grammar into GNF	Understand	8
	S->ABA/AB/BA/AA/B A->aA/a B->bB/b		
art. (	C (Problem Solving and Critical Thinking)	<u>                                      </u>	
art-C	<b>Construct</b> PDA for equal number of x's and y's	Apply	10
	consecution for equal number of x 5 and y 5	, pp.y	10
	Convert the following grammar	Understand	9
	into GNF		
	$A1 \rightarrow A2 A3$		
	$A2 \rightarrow A3 A1 /b$		
	A3→ A1 A2 /a <b>Construct</b> DPDA for L = { W#W <sup>R</sup> /W $\epsilon$ (X + Y)*}	Apply	10
	Construct DPDA for $L = \{ w \# w / w \in (X + I)^{*} \}$	Apply	10
	Convert the following PDA to CFG	Understand	11
	$\delta(q0,0,z0) = \{q0,xz0\}$	and	
	$\delta(q0,0,x)=(q0,xx)$		
	$\delta(\mathbf{q}0,1,\mathbf{x}) = (\mathbf{q}1,\boldsymbol{\epsilon})$		
	$\delta(q1,1,x) = (q1,\epsilon)$		
	$\delta(q1,\epsilon,x) = (q1,\epsilon)$ $\delta(q1,\epsilon,z0) = (q1,\epsilon)$		
	Write the PDA that accepts the language{a^m b^n/n>m}	Apply	10
	while the i bit that accepts the tangaage(a in b init) inj	rippiy	10
	Design a PDA for the following grammar	Create	10
	S->0A		
	A->0AB/1		
	B->1	I In denote a d	11
,	Convert the following PDA to CFG M=({q0,q1},{a,b},{z0,za},μ,q0,z0,Φ)	Understand and	11
	δ is given by, $δ(q0,a,z0)=(q0,zz)$	and	
	$\delta(q0,a,z) = (q0,zz0)$		
	$\delta(\mathbf{q}0,\mathbf{b},\mathbf{z}) = (\mathbf{q}1,\epsilon)$		
	$\delta(q1,b,z) = (q1,\epsilon)$		
	$\delta(q1,\epsilon,z0)=(q1,\epsilon)$		
	UNIT - IV		
	A (Short Answer Questions)	1	
	Define Turing Machine	Apply	12
	Explain the moves in Turing Machine.	Understand	12
	<b>Define</b> an Instantaneous Description of a Turing Machine.	Remember	12
	<b>Define</b> the Language of Turing Machine.	Remember	12
	List types of TM.	Remember	12
•			
	<b>Define</b> Computable Functions by Turing Machines.	Remember	12
	Write the difference between Pushdown Automata and Turing	Apply	12

	Machine.		
8.	Explain Church's Hypothesis.	Understand	12
9.	<b>Define</b> Context sensitive language.	Remember	12
10.	Define multi head Turing Machine.	Remember	12
11.	<b>Define</b> multi dimensional Turing Machine.	Remember	12
12.	<b>Define</b> multiple tapes Turing Machine.	Remember	12
13.	Define Recursive languages.	Remember	12
13.	Define Recursively enumerable languages.	Remember	12
14.	Define Two way infinite Turing Machine.	Remember	12
16.	Define Non deterministic Turing Machine.	Remember	12
17.	Define Counter machine.	Remember	12
18.	Explain the model of Turing machine.	Remember	12
19.	<b>Construct</b> Turing Machine for 1's complement for binary numbers.	Remember	12
20.	Differentiate Recursive languages and Recursively enumberable languages.	Remember	12
Part-			
1.	<b>Define</b> a Turing Machine. With a neat diagram explain the working of a Turing Machine.	Remember	12
2.	Differentiate Turing Machine with other automata.	Apply	12
3.	<b>Construct</b> a Transition diagram for Turing Machine to accept the following language. $L = \{ 0^n 1^n 0^n   n \ge 1 \}$	Apply	12
4.	<b>Construct</b> Transition diagram for Turing Machine that accepts the language $L = \{0^n 1^n   n \ge 1\}$ . Give the transition diagram for the Turing Machine obtained and also show the moves made by the Turing machine for the string 000111.	Apply	12
5.	<b>Construct</b> a Transition diagram for Turing Machine to accept the language L= { $w#w^R   w \in (a + b)^*$ }	Apply	12
6.	Write short notes on Recursive and Recursively Enumerable languages.	Apply	12
7.	Write the properties of recursive and recursively enumerable languages.	Apply	12
8.	<b>Construct</b> a Turing Machine to accept strings formed with 0 and 1 and having substring 000.	Apply	12
9.	<b>Construct</b> a Turing Machine that accepts the language $L = \{1^n 2^n 3^n   n \ge 1\}$ . Give the transition diagram for the Turing Machine obtained and also show the moves made by the Turing machine for the string 111222333.	Apply	12
10.	Define Linear bounded automata and explain its model?	Apply	12
11.	Explain the power and limitations of Turing machine.	Create	12
12.	Construct Transition diagram for Turing Machine - $L=\{a^nb^nc^n/n>=1\}$	Apply	12
13.	Construct a Transition diagram for Turing Machine to implement addition of two unary numbers(X+Y).	Apply	12
14.	Construct a Linear Bounded automata for a language where $L=\{a^nb^n/n>=1\}$	Apply	12
15.	Explain the types of Turing machines.	Apply	12
16.	Write briefly about the following a)Church's Hypothesis b)Counter machine	Apply	12
17.	Construct a Transition table for Turing Machine to accept the following language. $L = \{ 0^n 1^n 0^n   n \ge 1 \}$	Apply	12
18.	Construct a Transition diagram for Turing Machine to accept the language $L = \{ ww^R   w \in (a + b) \}$	Apply	12
19.	Construct Transition table for TM - L={ $a^nb^nc^n/n>=1$ }	Apply	12
20.	Construct a Linear Bounded automata for a language where	Apply	12
	$L=\{a^nb^nc^n/n>=1\}$	, , , , , , , , , , , , , , , , , , ,	12
	C (Problem Solving and Critical Thinking)		
1	Construct a Turing Machine that accepts the language $L = \{a^{2n}b^n   n \ge 0\}$ . Give the transition diagram for the Turing Machine obtained.	Apply	12
	•		

2			g Machine that gives two's compliment for the	Apply	12
3	given bina	a Turing	Machine to accept the following	Apply	12
,	language.	$L = \{ w^n \}$	$x^n y^n z^n \mid n \ge 1$	rippiy	12
			UNIT - V		
Part-	A (Short A	Inswer Q	uestions)		
	Define Ch	omsky hi	erarchy of languages.	Knowledge	4
2.	Define Un	iversal T	uring Machine	Knowledge	12
3.	Define Co	ntext sen	sitive language.	Knowledge	5
ŀ.	Define de	cidability		Knowledge	13
i.	Define P p	problems.		Knowledge	13
i.	Define Un	iversal T	uring Machines	Knowledge	13
	Give exan	nples for	Undecidable Problems	Understand	13
	Define Tu	ring Mac	Knowledge	13	
	Define Tu	ring Redu	acibility	Knowledge	13
0.	Define Po	st's Corre	espondence Problem.	Knowledge	13
1.	Define Ty		-	Knowledge	4
2.	Define Ty	pe 1 gran	nmars .	Knowledge	4
3.	Define Ty	pe 2 gran	nmars .	Knowledge	4
4.	Define Ty	pe 3 gran	nmars .	Knowledge	4
5.	Define NF			Knowledge	13
6.		-	e problems	Knowledge	13
7.	Define NF	-	-	Knowledge	13
8.		-	ity problem.	Knowledge	13
9.	Define tur		• •	Knowledge	13
0.	List the ty	-	-	Knowledge	13
	B (Long A			inio wieage	10
			bt of decidable and undecidability problems	Understand	12
	about Tur	ing Mach	ines.	Chaerstand	12
•			t Chomsky hierarchy of languages	Apply	13
	Explain i	ndividual	ly classes P and NP	Understand	13
			on post's correspondence problem	Apply	13
	and check		wing is PCP or not.		
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			11		
				TTo 1 mode of 1	12
•	_		g problem and Turing Reducibility.	Understand	13
			s on universal Turing machine.	Apply	12
			s on Chomsky hierarchy.	Apply	4
•	Write a sa automata.		s on Context sensitive language and linear bounded	Apply	4
			on NP complete	Apply	13
0.			on NP hard problems.	Apply	13
1.			on post's correspondence problem	Apply	13
			wing is PCP or not.	rr J	-
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2.			on post's correspondence problem	Apply	13
			wing is PCP or not.		
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	UNIT - V						
1	1 <b>Explain</b> PCP and MPCP with examples.					13	
2	2 <b>Explain</b> Turing theorem ,Halting problems, Turing Reducibility.					13	
3	3 <b>Explain</b> Type 3 and Type 2 grammars with example.				Apply	4	
4	Expla	<b>in</b> Type 1 a	nd Type 0 g	rammars with example.	Apply	4	