(Autonomous) Dundigal, Hyderabad - 500043

ELECTRICAL AND ELECTRONICS ENGINEERING

Course Name	:	Complex Analysis and Probability Distribution
Course Code	:	AHS004
Class	:	II B. Tech II Semester
Branch	:	EEE
Academic Year	:	2018 - 2019
CourseCoordinator	:	Ms. C Rachana, Assistant Professor
	:	Mr. Ch Soma shekhar, Assistant Professor
Course Faculty		Mr. J Suresh Goud, Assistant Professor
		Ms. P Rajani, Assistant Professor

TUTORIAL QUESTION BANK

COURSE OBJECTIVES (COs):

The course should enable the students to:

Ι	Understand the basic theory of complex functions to express the power series.	
II	Evaluate the contour integration using Cauchy residue theorem.	
III	Enrich the knowledge of probability on single random variables and probability distributions.	

COURSE LEARNING OUTCOMES (CLOs):

Students, who complete the course, will have demonstrated the ability to do the following:

CAHS004.01	Define continuity, differentiability, analyticity of a function using limits.
CAHS004.02	Understand the conditions for a complex variable to be analytic and/or entire function.
CAHS004.03	Understand the concepts of Cauchy-Riemann relations and harmonic functions.
CAHS004.04	Understand the concept of complex differentiation to the real-world problems of signals modulated by electromagnetic waves.
CAHS004.05	Evaluate the area under a curve using the concepts of indefinite integration
CAHS004.06	Understand the concepts of the Cauchy's integral formula and the generalized Cauchy's integral formula.
CAHS004.07 Evaluate complex functions as power series and radius of convergence o series.	
CAHS004.08 Understand the concept of complex integration to the real-world problems with circulation around a cylinder.	
CAHS004.09	Solve the Taylor's and Laurent series expansion of complex functions
CAHS004.10	Understand the concept of different types of singularities for analytic function.

CAHS004.11	Evaluate poles, residues and solve integrals using Cauchy's residue theorem.
CAHS004.12	Evaluate bilinear transformation by cross ratio property.
CAHS004.13	Identify the conditions of fixed and critical point of Bilinear Transformation.
CAHS004.14	Understand the concept of Cauchy's residue theorem to the real-world problems of Quantum Mechanical scattering and Quantum theory of atomic collisions.
CAHS004.15	Demonstrate an understanding of the basic concepts of probability and random variables.
CAHS004.16	Classify the types of random variables and calculate mean, variance.
CAHS004.17	Finding moment about origin, central moments, moment generating function of probability distribution.
CAHS004.18	Understand the concept of random variables to the real-world problems like graph theory, machine learning and natural language processing
CAHS004.19	Recognize where the binomial distribution and poisson distribution could be appropriate model and find mean, variance of the distributions.
CAHS004.20	Apply the inferential methods relating to the means of normal distributions.
CAHS004.21	Understand binomial distribution to the phenomena of real-world problem like sick versus healthy.
CAHS004.22	Understand the mapping of normal distribution in real-world problem to analyze the stock market.
CAHS004.23	Use poission distribution in real-world problem to predict soccer scores.
CAHS004.24	Possess the knowledge and skills for employability and to succeed in national and international level competitive examinations.

TUTORIAL QUESTION BANK

	UNIT-I				
	COMPLEX FUNCTIONS AND DIFFERENTIATION	N			
	Part - A(Short Answer Questions)				
S No	QUESTIONS	Blooms Taxonomy Level	Learning Outcomes (CLOs)		
1	Define the term Analyticity of a complex variable function f (z).	Remember	CAHS004.1		
2	Define the term Continuity of a complex variable function f (z).	Remember	CAHS004.1		
3	Define the term Differentiability of a complex variable function f (z).	Remember	CAHS004.1		
4	If $w = f(z) = z^2 + z$. Find its real and imaginary parts.	Remember	CAHS004.1		
5	Examine the complex variable function $f(z) = z^3$ to analyticity for all values of z in Cartesian form.	Understand	CAHS004.2		
6	Verify whether the function $v = x^3y - xy^3 + xy + x + y$ can be imaginary part of an analytic function f (z) where $z = x + iy$.	Understand	CAHS004.2		
7	Show that the function $f(z) = z ^2$ does not satisfy Cauchy-Riemann equations in Cartesian form.	Understand	CAHS004.3		
8	Examine the complex variable function $f(z) = \frac{x-iy}{x^2+y^2}$ for analyticity in Cartesian form.	Understand	CAHS004.2		
9	Interpret whether the function $f(z) = \sin x \sin y - i \cos x \cos y$ is an analytic function or not in Cartesian form.	Understand	CAHS004.2		
10	Calculate the value of k such that $f(x, y) = x^3 + 3kxy^2$ may be harmonic function.	Understand	CAHS004.3		
11	Determine the most general analytic function f (z) whose real part of the analytic function is $u = x^2 - y^2 - x$.	Understand	CAHS004.2		
12	Obtain an analytic function f (z) whose imaginary part of the analytic function is $v = e^x(xsiny + ycosy)$.	Understand	CAHS004.2		
13	Show that the real part of an analytic function $f(z)$ where u = 2log ($x^2 + y^2$) is harmonic.	Understand	CAHS004.3		
14	Determine the conjugate harmonic function if the real part of an analytic function $f(z)$ is $u = y^2 - 3x^2y$ is harmonic function.	Understand	CAHS004.3		
15	Estimate the values of w which correspond to $z = 1+3i$ when $w = f(z) = z^2$.	Understand	CAHS004.3		
16	Show that the function $f(z) = z ^2$ is continuous at all points of z but not differentiable at any $z \neq 0$.	Understand	CAHS004.1		
17	Calculate all the values of k such that $f(z) = e^{x}(cosky + isinky)$ is an analytic function.	Understand	CAHS004.2		
18	Determine the values of a, b, c such that $f(z) = x + ay - i(ax+by)$ is differentiable function at every point.	Understand	CAHS004.1		
19	Verify whether $u = x^2 - y^2 - y$ of an analytic function can be harmonic function of an analytic function f (z) in the whole complex plane.	Understand	CAHS004.3		
20	Justify whether every differentiable function is continuous or not. Give a valid example.	Remember	CAHS004.1		
Part - B (Long Answer Questions)					
1	Show that the real part of an analytic function f (z) where	Understand	CAHS004.3		

		1	1	
	$u = e^{-2xy} \sin(x^2 - y^2)$ is a harmonic function. Hence find its harmonic conjugate.			
2	Prove that the real part of analytic function f (z) where $u = \log z ^2$ is harmonic function. If so find the analytic function by Milne Thompson method.	Understand	CAHS004.3	
3	Determine the imaginary part of an analytic function f (z) whose real part of an analytic function is $e^{x}(xcosy - ysiny)$.	Understand	CAHS004.2	
4	Obtain the regular function f (z) whose imaginary part of an analytic function is $\frac{x-y}{x^2+y^2}$.	Understand	CAHS004.2	
5	function is $\frac{\bar{x}-y}{x^2+y^2}$. If $f(z) = u + iv$ is an analytic function of z, then calculate $f(z)$ if $2u + v = e^{2x} [(2x+y) \cos 2y + (x-2y) \sin 2y].$	Understand	CAHS004.2	
6	Prove that $\left(\frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2}\right) Realf(z) ^2 = 2 f'(z) ^2$ where w = f (z) is an analytic function.	Understand	CAHS004.2	
7	Find an analytic function f (z) whose real part of an analytic function is $u = \frac{sin2x}{cosh2y - cos2x}$ by Milne-Thompson method.	Understand	CAHS004.3	
8	If f (z) is a regular function of z, then prove that $\left(\frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2}\right) f(z) ^2 = 4 f'(z) ^2$.	Understand	CAHS004.2	
9	Show that the function defined by $f(z) = \begin{cases} \frac{xy^2 (x+iy)}{x^2+y^4}, z \neq 0\\ 0, z = 0 \end{cases}$ is not analytic function even though Cauchy Riemann equations are satisfied at origin.	Understand	CAHS004.3	
10	Show that real part $u = x^3 - 3xy^2$ of an analytic function f (z) is harmonic. Hence find the conjugate harmonic function and the analytic function.	Understand	CAHS004.3	
11	Find an analytic function $f(z) = u + iv$ if the real part of an analytic function is $u = a (1+\cos\theta)$ using Cauchy-Riemann equations in polar form.	Understand	CAHS004.3	
12	Derive Cauchy-Riemann equations in polar form of an analytic function f (z).	Remember	CAHS004.3	
13	Prove that the real and imaginary parts of an analytic function f (z) are harmonic.	Remember	CAHS004.3	
14	Find the analytic function f (z) whose imaginary part of an analytic function is $r^2 cos 2\theta + r sin\theta$ by Cauchy Riemann equations in polar form.	Understand	CAHS004.3	
15	Prove that the function $f(z) = z $ is continuous everywhere but nowhere differentiable.	Remember	CAHS004.1	
16	Show that the real part of an analytic function f (z) where $u = e^{-x}(xsiny - ycosy)$ is a harmonic function.	Understand	CAHS004.3	
17	Prove that an analytic function f (z) with constant real part is always constant.	Remember	CAHS004.2	
18	Prove that an analytic function f (z) with constant modulus is always constant.	Remember	CAHS004.2	
19	Verify Cauchy –Riemann equation to the function $f(z) = z e^{-z}$ in Cartesian form.	Understand	CAHS004.3	
20	If u and v are conjugate harmonic functions then show that uv is also a harmonic function.	Remember	CAHS004.3	
Part - C (Problem Solving and Critical Thinking Questions)				
1	If f (z) is an analytic function of z such that $u + v = \frac{sin2x}{cosh2y - cos2x}$ then determine the analytic function f(z) in terms of z.	Understand	CAHS004.1	
2	If u is a harmonic, show that $w = u^2$ is not a harmonic function unless u is a	Remember	CAHS004.3	

	constant.		
	Prove that if $u = x^2 - y^2$, $v = -\frac{y}{x^2 + y^2}$ both u and v satisfy Laplace's		
3	equation, but $u + iv$ is not a regular (analytic) function of z.	Understand	CAHS004.3
4	If f(z) is an analytic function and $u - v = \frac{\cos x + \sin x - e^{-y}}{2\cos x - e^{y} - e^{-y}}$ then determine the	TT 1 1	CAUG004 0
4	analytic function f(z) subjected to the condition f $(\frac{\pi}{2}) = 0$.	Understand	CAHS004.2
5	Find an analytic function $f(z)$ whose real part of it is	Understand	CAHS004.2
	$u = e^{x} [(x^{2} - y^{2}) cosy - 2xy siny)].$	Onderstand	C/ 115004.2
6	u = $e^x[(x^2 - y^2)cosy - 2xy siny)]$. Prove that $\left(\frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2}\right) log f'(z) = 0$ where w = f (z) is an analytic function.	Understand	CAHS004.2
7	Find the analytic function $f(z) = u(r, \theta) + i v(r, \theta)$ such that $v(r, \theta) = (1 + i) v(r, \theta)$	Understand	CAHS004.3
	$\left(r-\frac{1}{r}\right)sin\theta$, $r\neq 0$ using Cauchy-Riemann equations in polar form.		
8	Find an analytic function f (z) such that $\operatorname{Re}[f'(z)] = 3x^2 - 4y - 3y^2$ and	Understand	CAHS004.2
	f(1+i) = 0.		
9	Show that the function $f(z) = \sqrt{ xy }$ is not analytic at the origin although Cauchy –Riemann equations are satisfied at origin.	Remember	CAHS004.3
10	If $w = \phi + i\phi$ represents the complex potential for an electric field where $\varphi = x^2 - y^2 + \frac{x}{x^2 + y^2}$ then determine the function ϕ .	Understand	CAHS004.3
	UNIT-II		
	COMPLEX INTEGRATION Part - A (Short Answer Questions)		
1	Write the Cauchy's integral formula.	Remember	CAHS004.6
2	Write the Cauchy's General integral formula.	Remember	CAHS004.6
3	Define the term Radius of convergence.	Remember	CAHS004.7
4	Define the term Power series expansions of complex functions.	Remember	CAHS004.7
5	Define the term Line Integral of complex variable function $w = f(z)$.	Remember	CAHS004.5
6	Define the term Contour Integration of a given curve in complex function.	Remember	CAHS004.5
7	State Cauchy's integral theorem for multiple connected region.	Remember	CAHS004.6
8	Estimate the value of $\int_0^{1+i} z^2 dz$.	Understand	CAHS004.5
9	Estimate the value of $\int_{C} \frac{3z^2 + 7z + 1}{(z+1)} dz$ with C: $ z+i = 1$ by Cauchy integral formulae	Understand	CAHS004.6
9 10	formulae. Determine the value of line integral to $\int_0^{2+i} z^2 dz$ along the real axis to 2 and	Understand Understand	CAHS004.6 CAHS004.5
	formulae.		
10	formulae. Determine the value of line integral to $\int_0^{2+i} z^2 dz$ along the real axis to 2 and then vertically to (2+i). Determine the value of line integral to $\int_0^{3+i} z^2 dz$ along the straight line y = x/3. Examine the value of $\int_C e^{-z} dz$ with C: $ z - 1 = 1$ by Cauchy integral	Understand	CAHS004.5
10	formulae. Determine the value of line integral to $\int_{0}^{2+i} z^{2} dz$ along the real axis to 2 and then vertically to (2+i). Determine the value of line integral to $\int_{0}^{3+i} z^{2} dz$ along the straight line y = x/3. Examine the value of $\int_{C} e^{-z} dz$ with C: $ z - 1 = 1$ by Cauchy integral formulae. Determine the value of line integral to $\int_{0}^{2+i} (x - y^{2} + ix^{3}) dz$ along the real	Understand Understand	CAHS004.5 CAHS004.5
10 11 12	formulae. Determine the value of line integral to $\int_0^{2+i} z^2 dz$ along the real axis to 2 and then vertically to (2+i). Determine the value of line integral to $\int_0^{3+i} z^2 dz$ along the straight line y = x/3. Examine the value of $\int_C e^{-z} dz$ with C: $ z - 1 = 1$ by Cauchy integral formulae.	Understand Understand Understand	CAHS004.5 CAHS004.5 CAHS004.6

16	Estimate the radius of convergence of an infinite series $f(z) = \frac{1}{1-z}$.	Understand	CAHS004.7
17	Estimate the radius of convergence of an infinite series $1+2^2z+3^2z^2+4^2z^3+$	Understand	CAHS004.7
18	Evaluate $\int_{0}^{1+i} (x^2 - iy) dz$ along the path $y = x$.	Remember	CAHS004.5
19	Estimate the value of $\int_{C} \frac{1}{z-2} dz$ around the circle $ z-1 = 5$ by Cauchy integral formulae.	Understand	CAHS004.6
20	Prove that by using line integral, $\int_{C} \frac{1}{(z-a)} dz = 2\pi i$ where c is the curve $ z-a = r$.	Remember	CAHS004.5
	Part - B (Long Answer Questions)		
1	Estimate the value of line integral to $\int_{c} \frac{z^3 - \sin 3z}{(z - \pi/2)^3} dz$ where c is the circle $ z =2$ using Cauchy's integral formula.	Understand	CAHS004.6
2	Verify Cauchy's theorem for the integral of z^3 taken over the boundary of the rectangle formed with the vertices -1 ,1,1+i ,-1+i.	Understand	CAHS004.6
3	Determine the value of line integral to $\int_{c} \frac{e^{2z}}{(z-1)(z-2)} dz$ where c is the circle $ z =3$ using Cauchy's integral formula.	Understand	CAHS004.6
4	Determine the value of line integral to $\int_{c} \frac{z^3 e^{-z}}{(z-1)^3} dz$ where c is $ z-1 = \frac{1}{2}$	Understand	CAHS004.6
5	using Cauchy's integral formula. Determine the value of line integral to $\int_{c} \frac{5z^2 - 3z + 2}{(z-1)^3} dz$ where c is any simple closed curve enclosing $ z =1$ using Cauchy's integral formula.	Understand	CAHS004.6
6	Estimate the value of line integral to $\int_{z=0}^{z=1+i} [x^2 + 2xy + i(y^2 - z)] dz$ along the curve $y = x^2$.	Understand	CAHS004.5
7	Evaluate $\int_{c} (3z^2 + 2z - 4)dz$ around the square with vertices at (0,0), (1,0), (1,1) and (0,1).	Remember	CAHS004.5
8	Verify Cauchy's theorem for the function $f(z) = 5 \sin 2z$ if c is the square with vertices at $1 \pm i$ and $-1 \pm i$.	Understand	CAHS004.6
9	Determine the value of line integral to $\int_{C} \frac{(\sin z)^6}{\left(z - \frac{\pi}{6}\right)^3} dz$ around the unit circle using Cauchy's integral formula.	Understand	CAHS004.6
10	Determine the value of to $\int_{c} \frac{e^{2z}}{(z+1)^4} dz$ where c is $ z-1 = 3$ using Cauchy's	Understand	CAHS004.6
	general integral formulae.		

11	Evaluate using cauchy's integral formula $\int_{c} \frac{z+1}{z^2+2z+4} dz$ Where $c: z+1+i = 2$.	Understand	CAHS004.6
	Determine the value of line integral to		
12	$\int_{C} (y^{2} + z^{2}) dx + (z^{2} + x^{2}) dy + (x^{2} + y^{2}) dz \text{ from } (0,0,0) \text{ to } (1,1,1) \text{ where C is}$	Understand	CAHS004.5
	the curve $x = t$, $y = t^2$, $z = t^3$ in the parametric form.		
13	Estimate the value of $\int_{c} \frac{e^{z}}{z^{2}(z+1)^{3}} dz$ with C: $ z = 2$ by Cauchy general integral formulae.	Understand	CAHS004.6
14	Prove that if $f(z)$ is analytic function then $\int_{A}^{B} f(z) dz$ is independent of path followed.	Remember	CAHS004.5
15	Determine the value of line integral to $\int_0^{3+i} z^2 dz$ along the parabola x=3y ² .	Understand	CAHS004.5
16	Estimate the value of $\int_{C} \frac{1}{e^{z}(z-1)^{3}} dz$ with C: $ z = 2$ by Cauchy general integral formulae.	Understand	CAHS004.6
17	Determine the value of $\int_{C} \frac{e^{z} \sin 2z - 1}{z^{2} (z + 2)^{2}} dz$ where c is $ z = \frac{1}{2}$ using Cauchy integral formulae.	Understan d	CAHS004.6
18	Evaluate $\int_{c} \left[\frac{e^{z}}{z^{3}} + \frac{z^{4}}{(z-i)^{2}} \right] dz$, $c: z = 2$ using Cauchy's integral formulae.	Remember	CAHS004.6
19	Determine the value of line integral to $\int_{C} (z^2 + 3z) dz$ along the straight line from (2,0) to (2,2) and then from (2,2) to (0,2).	Understand	CAHS004.5
20	Let C denote the boundary of a square whose sides lie along the lines $x = \pm 2$ and $y = \pm 2$ where C is described in positive sense. Then determine the value of line integral to $\int_{C} \frac{\cos hz}{z^4} dz$.	Understand	CAHS004.5
	Part - C (Problem Solving and Critical Thinking Question	ons)	
1	Determine the value of line integral to $\int_{c} \frac{z}{(z-1)(z-2)^2} dz$ where c is the circle $ z-2 =1/2$ using Cauchy's integral formula.	Understand	CAHS004.6
2	Estimate the value of line integral to $\int_{c} \frac{z^4}{(z+1)(z-i)^2} dz$ where c is the ellipse	Understand	CAHS004.6
	$9x^2+4y^2=36$ using Cauchy's integral formula.		
3	Estimate the value of line integral to $\int_{c} \frac{z^4 - 3z^2 + 6}{(z+1)^3} dz$ where c is the circle	Understand	CAHS004.6
4	z = 2 using Cauchy's integral formula. Estimate the value of line integral to $\int_{c} \frac{z^2 - 2z - 2}{(z^2 + 1)^2} dz$ where c is the circle	Understand	CAHS004.6

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	z-i = 1/2 using Cauchy's integral formula.		
5	Estimate the value of line integral to $\int_{c} \frac{e^{z}}{(z^{2} + \pi^{2})^{2}} dz$ where c is $ z = 4$ using	Understand	CAHS004.6
	Cauchy's integral formula.		
6	Estimate the value of line integral to $\int_{c} \frac{\cos \pi z^{2}}{(z-1)(z-2)^{3}} dz$ where c is the circle	Understand	CAHS004.6
	z =3 using Cauchy's integral formula.		
	Determine the value of line integral to $\int_{0}^{1+i} (x - y + ix^{2}) dz$		
7	i) Along the straight line from $z = 0$ to $z = 1+i$. ii) Along the real axis from $z = 0$ to $z = 1$ and then along a line parallel to imaginary axis from $z = 1$ to $z = 1+i$ iii) Along the imaginary axis from $z = 0$ to $z = i$ and then along a line parallel	Understand	CAHS004.5
	to real axis $z = i$ to $z = 1 + i$.		
8	Verify Cauchy's theorem for the integral of $3z^2 + iz - 4$ taken over the boundary of the square with vertices $-1+i$, $-1-i$, $1+i$, $-1-i$.	Understand	CAHS004.6
9	Derive the Cauchy general integral formulae of an analytic function $f(z)$ within a closed contour c.	Remember	CAHS004.6
10	Estimate the value of line integral to $\int_C (y^2 + 2xy) dx + (y^2 - 2xy) dy$ where C	Understand	CAHS004.5
	is the boundary of the region $y = x^2$ and $x = y^2$. UNIT-III		
	POWER SERIES EXPANSION OF COMPLEX FUNCT	ION	
	Part - A (Short Answer Questions)		
1	State Taylor's theorem of complex power series.	Remember	CAHS004.9
2	State Laurent's theorem of complex power series.	Remember	CAHS004.9
3	Define the term pole of order m of an analytic function f(z).	Remember	CAHS004.11
4	Define the terms Essential and Removable singularity of an analytic function $f(z)$.	Remember	CAHS004.10
5	Expand $f(z) = \frac{1}{z^2}$ in powers of z+1 as a Taylor's series.	Understand	CAHS004.9
6	Expand $f(z) = e^z$ as Taylor's series about $z = 1$.	Understand	CAHS004.9
7	Estimate the Poles of $\frac{1}{z^2 - 1}$.	Understand	CAHS004.11
8	Obtain the Taylor series expansion of $f(z) = e^{z}$ about the point $z = 1$.	Understand	CAHS004.9
9	Determine the Poles of the function $f(z) = \frac{ze^{z}}{(z+2)^{4}(z-1)}$.	Understand	CAHS004.11
10	Define the Isolated singularity of an analytic function f(z).	Understand	CAHS004.10
11	State Cauchy's Residue theorem of an analytic function $f(z)$ within and on the	Remember	CAHS004.11
11	closed curve. Determine the Residue by Laurent's expansion to $f(z) = \frac{e^z}{(z-1)^2}$ about z=1.		

13Estimate the Residues of the function $f(z) = \frac{1}{(z - \sin z)}$ about $z = 0$ by Laurent's expansion.UnderstandCAHS004.914Estimate the Residues of the function $f(z) = \frac{z}{(z + 1)(z + 2)}$ as a Laurent's series about $z = -2$.UnderstandCAHS004.1115Estimate the value of $\oint_C \frac{1 - 2z}{z(z + 1)(z - 2)} dz$ by Cauchy's Residue theorem.UnderstandCAHS004.1316Determine the Bilinear transformation whose fixed points are i,-i.UnderstandCAHS004.1317Obtain the fixed points of the transformation $w = \frac{1}{z - 2i}$ UnderstandCAHS004.1218Discover the Bilinear transformation whose fixed points $(0, -i, -1)$ into the points $(1, 10)$ UnderstandCAHS004.1219Discover the points at which $w = \cosh z$ is not conformal.UnderstandCAHS004.1220Discuss the fixed points of the transformation $w = \frac{2i - 6z}{iz - 3}$ UnderstandCAHS004.91Expand $f(z) = \frac{z - 1}{z^2}$ in Taylor's series about the point $z = 1$.UnderstandCAHS004.92Expand $f(z) = \frac{z - 1}{z^2}$ in Taylor's series in powers of z -1. Also determine the region of convergence about the point $z = 1$.UnderstandCAHS004.93Obtain Laurent's series expansion of $f(z) = \frac{z^2 + 4}{z^2 + 5z + 4}$ valid in $ < z < 4$.UnderstandCAHS004.94Expand $f(z) = \frac{e^{2z}}{z(z + 1)(z - 2)}$ about $z = 1$ as Laurent's series. Also find the region of convergence about $z = 1$.UnderstandCAHS004.95Expand $f(z) = \frac{e^{2z}}{z(z + 1)(z - 2)}$ about $z = 1$ in the region $1 < z + 1 < 3$ as Laurent's series.Understand				
14Estimate the Residues of the function $f(z) = \frac{z}{(z+1)(z+2)}$ as a Laurent's $(z+1)(z+2)$ as a Laurent's $(z+1)(z+2)$ UnderstandCAHS004.915Estimate the value of $\oint_{z} \frac{1-2z}{z(z+1)(z-2)} dz$ by Cauchy's Residue theorem.UnderstandCAHS004.1116Determine the Bilinear transformation whose fixed points are ii.UnderstandCAHS004.1317Obtain the fixed points of the transformation whose fixed points $(0,-i,-1)$ into the points $(1,1,0)$ UnderstandCAHS004.1219Discover the Bilinear transformation which maps the points $(0,-i,-1)$ into the points $(1,1,0)$ UnderstandCAHS004.1220Discuss the fixed points of the transformation $w = \frac{2i-6z}{iz-3}$ UnderstandCAHS004.137Part - B (Long Answer Questions)UnderstandCAHS004.91Expand $f(z) = \frac{z-1}{z+1}$ in Taylor's series about the point $z = 1$.UnderstandCAHS004.92Expand $f(z) = \frac{z-1}{z^2}$ in Taylor's series in powers of $z - 1$. Also determine the region of convergence about the point $z = 1$.UnderstandCAHS004.93Obtain Laurent's series expansion of $f(z) = \frac{z^2-4}{z^2+5z+4}$ valid in $1 < z < 4$.UnderstandCAHS004.94Expand $f(z) = \frac{e^{2z}}{(z-1)^3}$ about $z = 1$ as Laurent's series. Also find the region of convergence about $z = 1$.UnderstandCAHS004.95Expand $f(z) = \frac{2z^3 + 1}{z(z+1)(z-2)}$ about $z=-1$ in the region $1 < z+1 < 3$ as Laurent's series .UnderstandCAHS004.96Expand $f(z) = \frac{2z^3 + 1}{z(z+1)}$ in Taylor's series about the point $z=1$.UnderstandCAHS004.9<	13		Understand	CAHS004.9
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5Expand $f(z) = \frac{7z-2}{z(z+1)(z-2)}$ about z=-1 in the regionUnderstandCAHS004.96Expand $f(z) = \frac{2z^3 + 1}{z(z+1)}$ in Taylor's series about the point $z = 1$ UnderstandCAHS004.97Find Taylor's expansion of $f(z) = \frac{z+1}{(z-3)(z-4)}$ about the pointUnderstandCAHS004.98Expand $f(z) = \cos z$ in taylor's series about $z = \pi i$.UnderstandCAHS004.99Obtain the Laurent's series expansion of $f(z) = \frac{e^z}{z(1-3z)}$ about $z = 1$.UnderstandCAHS004.910Express $f(z) = \frac{1+2z}{z^2+z^3}$ in a series of positive and negative powers of z.UnderstandCAHS004.911Estimate the value of $\int_c \frac{2z-1}{z(2z+1)(z+2)} dz$ where c is the circleUnderstandCAHS004.11		of convergence about $z = 1$.		
6Expand $f(z) = \frac{2z^3 + 1}{z(z+1)}$ in Taylor's series about the point $z = 1$ UnderstandCAHS004.97Find Taylor's expansion of $f(z) = \frac{z+1}{(z-3)(z-4)}$ about the pointUnderstandCAHS004.98Expand $f(z) = \cos z$ in taylor's series about $z = \pi i$.UnderstandCAHS004.99Obtain the Laurent's series expansion of $f(z) = \frac{e^z}{z(1-3z)}$ about $z = 1$.UnderstandCAHS004.910Express $f(z) = \frac{1+2z}{z^2+z^3}$ in a series of positive and negative powers of z.UnderstandCAHS004.911Estimate the value of $\int_c \frac{2z-1}{z(2z+1)(z+2)} dz$ where c is the circleUnderstandCAHS004.11	5	Expand $f(z) = \frac{7z-2}{z(z+1)(z-2)}$ about z=-1 in the region	Understand	CAHS004.9
7Find Taylor's expansion of $f(z) = \frac{z+1}{(z-3)(z-4)}$ about the pointUnderstandCAHS004.97z=2.Determine the region of convergence.UnderstandCAHS004.98Expand $f(z) = \cos z$ in taylor's series about $z = \pi i$.UnderstandCAHS004.99Obtain the Laurent's series expansion of $f(z) = \frac{e^z}{z(1-3z)}$ about $z = 1$.UnderstandCAHS004.910Express $f(z) = \frac{1+2z}{z^2+z^3}$ in a series of positive and negative powers of z.UnderstandCAHS004.911Estimate the value of $\int_c \frac{2z-1}{z(2z+1)(z+2)} dz$ where c is the circleUnderstandCAHS004.11		1 < z+1 < 3 as Laurent's series.		
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9Obtain the Laurent's series expansion of $f(z) = \frac{e^z}{z(1-3z)}$ about $z = 1$.UnderstandCAHS004.910Express $f(z) = \frac{1+2z}{z^2+z^3}$ in a series of positive and negative powers of z.UnderstandCAHS004.911Estimate the value of $\int_c \frac{2z-1}{z(2z+1)(z+2)} dz$ where c is the circleUnderstandCAHS004.11				
10Express $f(z) = \frac{1+2z}{z^2+z^3}$ in a series of positive and negative powers of z.UnderstandCAHS004.911Estimate the value of $\int_c \frac{2z-1}{z(2z+1)(z+2)} dz$ where c is the circleUnderstandCAHS004.11	8		Understand	CAHS004.9
11 Estimate the value of $\int_{c} \frac{2z-1}{z(2z+1)(z+2)} dz$ where c is the circle Understand CAHS004.11	9	Obtain the Laurent's series expansion of $f(z) = \frac{e^z}{z(1-3z)}$ about $z = 1$.	Understand	CAHS004.9
11 Estimate the value of $\int_{c} \frac{2z-1}{z(2z+1)(z+2)} dz$ where c is the circle Understand CAHS004.11	10	Express $f(z) = \frac{1+2z}{z^2+z^3}$ in a series of positive and negative powers of z.	Understand	CAHS004.9
z = 1.	11		Understand	CAHS004.11
		z = 1.		

12	Assess the value of $\oint_c \tan z dz$ where c is circle $ z = 2$.	Understand	CAHS004.11
13	Estimate the value of $\oint_c \frac{dz}{(z^2+4)^2}$ where c is $ z-i = 2$.	Understand	CAHS004.11
14	Calculate the value of $\oint_c \frac{\coth z}{z-i} dz$ where c is $ z = 2$.	Understand	CAHS004.11
15	Calculate the value of $\oint_{c} \frac{\coth z}{z-i} dz \text{ where } c \text{ is } z = 2.$ Calculate the value of $\int_{-\infty}^{\infty} \frac{x^2 dx}{(x^2+1)(x^2+4)}$	Understand	CAHS004.11
16	Determine the Bi-linear transformation which carries the points from $(0,1,\infty)to(-5,-1,3)$.	Understand	CAHS004.12
17	Determine the Bi-linear transformation which carries the points from $(1, i, -1)to(0, 1, \infty)$.	Understand	CAHS004.12
18	Determine the Bilinear transformation that maps the points $(1-2i, 2+i,2+3i)$ into the points $(2+i,1+3i,4)$.	Understand	CAHS004.12
19	Determine the Bilinear transformation that maps the points (1, i,-1) into the points (2,i,-2).	Understand	CAHS004.12
20	Determine the Bilinear transformation that maps the points $(\infty, i, 0)$ into the points $(0, i, \infty)$.	Remember	CAHS004.12
	Part - C (Problem Solving and Critical Thinking Question	ons)	
1	Obtain the Laurent expansion of $f(z) = \frac{1}{z^2 - 4z + 3}$ for $1 < z < 3$ (ii) $ z < 3$		CAHS004.9
	1 (iii) $ z > 3$.		
2	Expand $f(z) = \frac{(z-2)(z+2)}{(z+1)(z+4)}$ in the region where $(i) z < 1$ (ii) $1 < z < 4$.	Understand	CAHS004.9
3	Expand $\frac{1}{z^2(z-3)^2}$ as Laurent's series in the region $(i) z < 1$ (ii) z > 3.	Understand	CAHS004.9
4	Expand $f(z) = \frac{2}{(2z+1)^3}$ in Taylor's series about z=0 and z=2.	Understand	CAHS004.9
	Expand $f(z) = \frac{e^z}{z(z+1)}$ in Taylor's series about z=2.	Understand	CAHS004.9
6	Determine the value of $\oint_{c} \frac{z-3}{(z^2+2z+5)} dz$ where c is circle $ z = 1$.	Understand	CAHS004.10
7	Estimate the value of $\int_{0}^{2\pi} \frac{d\theta}{a + b\cos\theta}$	Remember	CAHS004.10
8	Discover the Bilinear transformation that maps the points $(0,1,\infty)$ into the points $(-1,-2,-i)$.	Understand	CAHS004.12
9	Obtain the fixed points of the transformation $w = \frac{3iz + 13}{z - 3i}$	Understand	CAHS004.13
10	Determine the Bilinear transformation that maps the points $(\infty, i, 0)$ in the z-plane into the points $(0, i, \infty)$ in the w-plane.	Understand	CAHS004.12

	UNIT-IV						
SINGLE RANDOM VARIABLES							
Part - A (Short Answer Questions)							
1	Define the discrete and continuous random variables with a suitable example.	Remember	CAHS004.15				
2	List the important Properties of probability density function.	Remember	CAHS004.15				
3	Obtain the probability distribution of getting number tails if we toss three coins.	Remember	CAHS004.15				
4	Define the term mathematical expectation of a probability distribution function.	Remember	CAHS004.16				
5	If X is discrete random variable then Prove that Variance of $(aX + b) = a^2$ Variance of (X).	Remember	CAHS004.16				
6	Define the term probability mass function of a probability distribution.	Remember	CAHS004.15				
7	If X denote random variable, prove that $E[X-K] = E[X] - K$ where 'K' is a constant.	Remember					
7	If X denote random variable, Prove that $E[X+K] = E[X] + K$ where 'K' is a constant.	Remember	CAHS004.16				
8	List the important properties of probability mass function.	Remember	CAHS004.15				
9	Explain the term Moment generating function of a probability distribution.	Remember	CHS004.17				
10	Express the relation between the probability density and cumulative density function of a random variable.	Remember	CAHS004.15				
11	Define the term Mean and Variance of a probability mass function.	Remember	CAHS004.16				
12	Define the term Mean and Variance of a probability density function.	Remember					
13	Define the term probability density function of a probability distribution.		CAHS004.15				
14	Define the moments for distribution.		CAHS004.17				
15	Obtain the first 4 moments for the set of numbers 2, 4, 6 and 8.		CAHS004.17				
16	A die is thrown at random. What is the expectation of a number on it.	Understand					
17	The probability density function of a random variable x is $f(x) = \frac{1}{2} \exp\left[-\frac{x}{2}\right], x > 0.$ Estimate the value of the probability of $1 < x < 2.$		CAHS004.16				
18	Probability density function of a random variable X is $f(x) = \begin{cases} \frac{\sin x}{2} \\ 0, elsewhere \end{cases}, 0 \le x \le \pi \text{ . Find the mean of the random variable} \\ X. \end{cases}$	Understand	CAHS004.16				
19	A continuous random variable has the probability density function $f(x) = \begin{cases} kxe^{-\lambda x}, \text{ for } x \ge 0, \lambda > 0\\ 0, \text{ otherwise} \end{cases}$ Determine the value of k.	Remember	CAHS004.16				
20	Obtain the value of $P(0 < x < 2)$ to the Probability density function of a random variable X where $f(x) = \begin{cases} \frac{sinx}{2} \\ 0, elsewhere \end{cases}, 0 \le x \le \pi.$	Understand	CAHS004.16				
	Part - B (Long Answer Questions)						
1	A random variable x has the following probability function: X 0 1 3 4 5 6 7 P(x 0 k 2k 2k 3k k^2 $7k^2+k$	Understand	CAHS004.16				

	Find (i) k (ii) $P(x<6)$ (iii) $p(x>6)$				
	Let X denotes the minimum of the two numbers that appear when a pair of				
2	fair dice is thrown once. Find		CAHS004.16		
	(i)Discrete probability distribution (ii) Expectation (iii) Variance				
	A random variable X has the following probability function				
	X -2 -1 0 1 2 3				
3	P(x 0.1 K 0.2 2K 0.3 K	Understand	CAHS004.16		
	Calculate (i) k (ii) mean (iii) variance (iv) $P(0 < x < 3)$				
	A continuous random variable has the probability density function				
	$f(x) = \begin{cases} kxe^{-\lambda x}, \text{ for } x \ge 0, \lambda > 0\\ 0, \text{ otherwise} \end{cases}$				
4	$f(x) = \begin{cases} 0 & \text{if } x = 0 \\ 0 & \text{if } x = 0 \end{cases}$	Understand	CAHS004.16		
	Determine(i) k (ii) Mean (iii) Variance				
	If the Probability density function of random variable is				
5	$f(x) = k(1-x^2), 0 < x < 1$ then Calculate	Understand	CAHS004.16		
	(i) k (ii) $p(0.1 < x < 0.2)$ (iii) $P(x > 0.5)$				
6	Two coins are simultaneously ,Let X denotes the number of heads then find	I In denote a d	CAHS004.15		
6	expectation of X and variance of X.	Understand	CAHS004.15		
	If the Probability density function of a random variable is				
7	$f(x) = k(1+x^2), 0 < x < 2$ then Calculate	Understand	CAHS004.16		
	(i) k (ii) $P(0.2 < x < 0.3)$ (iii) $P(x > 0.7)$				
	If a random variable X has the moment generating function is given by $M(t) =$				
8		Understand	CAHS004.17		
	$\frac{2}{2-t}$, find the variance of X.				
9	Let X be the random variable of the following values $x=1,2,3$ if $f(x) = x/6$.	Understand	CAHS004.16		
	Then find mean and variance.				
	Obtain the moment generating function of a random variable X having the (x, y, y, z, z)				
10	$\begin{pmatrix} x, 0 \leq x < 1 \\ 2 & x \leq 2 \end{pmatrix}$	Understand	CAHS004.17		
	probability density function $f(x) = \begin{cases} x, 0 \le x < 1 \\ 2 - x, 1 \le x < 2 \\ 0, elsewhere \end{cases}$				
11	List the relation between moment about mean and moment about origin.	Understand	CAHS004.17		
11		Understand	CAII5004.17		
	$\left(\begin{array}{cc} 0, x < 2 \end{array} \right)$				
	Is the function defined by $f(x) = \begin{cases} 0, & x < 2 \\ \frac{1}{18}(2x+3), & 2 \le x \le 4 \\ 0, & x > 4 \end{cases}$ a probability				
12	$18^{(200+0)}, 2^{(200+0)}, 18^{(200+0)}, 1$	Remember	CAHS004.16		
12	(0, x > 4)	Remember	C/110004.10		
	density function? Find the probability that a variate having $f(x)$ as density				
	function will fall in the interval $2 \le x \le 3$.				
13	If $E(X) = 10$, $v(x)=1$ then find $E[2x (x+20)]$.	Remember	CAHS004.15		
	Find the probability distribution for sum of scores on dice if we throw two				
14	dice simultaneously.	Understand	CAHS004.15		
	A discrete random variable X has the following probability distribution				
1.7	X 1 2 3 4 5 6 7 8	TT 1	GAUGOO (1 -		
15	P(X=x 2k 4k 6k 8k 10k 12k 14k 4k	Understand	CAHS004.16		
	Find (i) k (ii) $p(X < 3)$ (iii) $p(X \ge 5)$				
1	Let X be a random variable which can take on the values 1, 2 and 3with				
16	probabilities $1/3$, $1/6$ and $1/2$. Calculate the third moment about mean.	Understand	CAHS004.17		
17		Understand	CAHS004.17		
1/	A random variable has the probability density function $f(x) = x^2, 1 \le x \le 2$	Chaerstand	C/ 110007.17		

	Find its momen	t generating	g functio	on.						
18	The density function of a random variable X is $f(x) = \begin{cases} e^{-x} , x \ge 0 \\ 0 , otherwise \end{cases}$ Find E(X), E(X ²), V(X).								Understand	CAHS004.16
	Compute the first four moments about the mean for the following distributio									
19	Marks 0- 10 No. of 8 students	-	20- 30 20	30- 40 30	40- 50 15	50- 60 10	60- 70 5		Understand	CAHS004.17
	Also find the val	lues of $\beta_1 a$	nd β_2 .]		
20	Determine the v $f(x) = Ax^2 \text{ in } 0$	alue of A to $< x < 1$	the pro							CAHS004.16
	Find the Mean							king Questio	ns)	
1	Find the Mean aX81Y $1/8$ 1/	2 16	20 2	4	ing disc	rete dist	ndutio	11	Understand	CAHS004.16
2	Y $1/8$ $1/6$ $3/8$ $1/4$ $1/2$ A random variable X has the following probability function. \overline{X} 4 5 6 8 P(X 0.1 0.3 0.4 0.2))Determine (i) Expectation (ii) variance (iii)Standard deviation.							Understand	CAHS004.16	
3	Out of 24 mang obtain probabili drawn.								Remember	CAHS004.15
4	If X is a Continuous random variable whose density function is $f(x) = \begin{cases} x & if \ 0 < x < 1 \\ 2 - x & if \ 1 \le x < 2 \\ 0 & elsewhere \end{cases}$								Understand	CAHS004.16
5	Find $E(25X^2 + 30X - 5)$. The probability density function of a random variable X is $f(x) = \frac{K}{x^2+1}$, $-\infty < x < \infty$. Find K and the distribution function F(x).								Understand	CAHS004.16
6	If the probability density of a random variable X is given by $f(x) = \begin{cases} k(1-x^2), 0 < x < 1 \\ 0, otherwise \end{cases}$ Find (i) k (ii) The cumulative distribution function of X.							Understand	CAHS004.16	
7	The first three moments of a distribution about the value 2 of the variable are1, 16, and -40. Show that the mean = 3, the variance = 15 and μ_3 = - 86.								Understand	CAHS004.17
8	Explain moments at origin of a probability distribution function.								Remember	CAHS004.17
9 10	Explain the mon Explain the rela bout arbitrary or	tion betwee	-		-				Remember	CAHS004.17 CAHS004.17
	UNIT-V									
						DISTRI				
1	Define the terms	maan vor				nswer (uestio	ons)	Remember	CAHS004.19
2	Draft the recurre								Remember	CAHS004.19 CAHS004.19

3	Define the term mode of a Binomial distribution.	Remember	CAHS004.19
4	Determine the value of n if the mean and variance of a Binomial distribution are 3 and 9/4.	Understand	CAHS004.19
5	Determine the Binomial distribution for which the mean is 4 and variance 3	Understand	CAHS004.19
6	The mean and variance of a binomial variable X with parameters n and p are 16 and 24.Determine the value of $P(X=1)$.	Remember	CAHS004.19
7	If a bank received on the average 6 bad cheques per day, Find the probability that it will receive 4 bad cheques on any given day.	Understand	CAHS004.19
8	Define the terms Mean, Variance of Poisson distribution	Remember	CAHS004.19
9	If X is a Poisson variate with $P(x=2) = 2/3P(x = 1)$ Compute the value of $P(x=0)$.	Understand	CAHS004.19
10	Draft the recurrence relation for the Poisson distribution.	Remember	CAHS004.19
11	The mean and variance of binomial distribution are 4 and 4/3 respectively. Find $p(X \ge 1)$.	Remember	CAHS004.19
12	If a bank received on the average 6 bad apples per day then estimate the probability that it will receive 4 bad cheques on any given day.	Understand	CAHS004.19
13	If 2% of light bulbs are defective in a sample of 100.Find at least one is defective.	Remember	CAHS004.19
14	If a random variable has Poisson distribution such that $p(1) = p(2)$. Determine the value of $p(1 < x < 4)$.	Understand	CAHS004.19
15	Define Poisson distribution.	Remember	CAHS004.19
16	Define the term Normal Distribution.	Remember	CAHS004.20
17	Define Binomial distribution.	Remember	CAHS004.20
18	Define Normal curve.	Remember	CAHS004.20
19	Draft the applications of Normal distribution.	Remember	CAHS004.20
20	If X is Normally distributed with mean 2 and variance 0.1, then Estimate the value of $P(x-2 \ge 0.01)$	Understand	CAHS004.20
Part -	B (Long Answer Questions)		
Part - 1	B (Long Answer Questions) Derive the Variance of a Binomial Distribution.	Remember	CAHS004.19
	Derive the Variance of a Binomial Distribution. Estimate the probability that at most 5 defective components will be found in a lot of 200. Experience shows that 2% of such components are defective. Also find the probability of more than 5 defective components.		CAHS004.19 CAHS004.19
1	Derive the Variance of a Binomial Distribution. Estimate the probability that at most 5 defective components will be found in a lot of 200. Experience shows that 2% of such components are defective.	Understand	
1 2	Derive the Variance of a Binomial Distribution. Estimate the probability that at most 5 defective components will be found in a lot of 200. Experience shows that 2% of such components are defective. Also find the probability of more than 5 defective components. The probability that a man hitting a target is 1/3. If he fires 5 times , Determine the probability that he fires	Understand	CAHS004.19
1 2 3	Derive the Variance of a Binomial Distribution. Estimate the probability that at most 5 defective components will be found in a lot of 200. Experience shows that 2% of such components are defective. Also find the probability of more than 5 defective components. The probability that a man hitting a target is 1/3. If he fires 5 times , Determine the probability that he fires (i) At most 5 times (ii) At least 2 times	Understand Understand	CAHS004.19 CAHS004.19
1 2 3 4	Derive the Variance of a Binomial Distribution. Estimate the probability that at most 5 defective components will be found in a lot of 200. Experience shows that 2% of such components are defective. Also find the probability of more than 5 defective components. The probability that a man hitting a target is 1/3. If he fires 5 times , Determine the probability that he fires (i) At most 5 times (ii) At least 2 times Find the variance of a Poisson Distribution. Poisson variate has a double mode at x=2 and x=3, Determine the maximum	Understand Understand Remember Understand	CAHS004.19 CAHS004.19 CAHS004.19 CAHS004.19
1 2 3 4 5	Derive the Variance of a Binomial Distribution. Estimate the probability that at most 5 defective components will be found in a lot of 200. Experience shows that 2% of such components are defective. Also find the probability of more than 5 defective components. The probability that a man hitting a target is 1/3. If he fires 5 times , Determine the probability that he fires (i) At most 5 times (ii) At least 2 times Find the variance of a Poisson Distribution. Poisson variate has a double mode at x=2 and x=3, Determine the maximum probability and also find $p(x \ge 2)$ Average number of accidents on any day on a national highway is 1.8. Determine the probability that the number of accidents is (i) at least one (ii) at	Understand Understand Remember Understand	CAHS004.19 CAHS004.19 CAHS004.19 CAHS004.19
1 2 3 4 5 6	Derive the Variance of a Binomial Distribution. Estimate the probability that at most 5 defective components will be found in a lot of 200. Experience shows that 2% of such components are defective. Also find the probability of more than 5 defective components. The probability that a man hitting a target is 1/3. If he fires 5 times , Determine the probability that he fires (i) At most 5 times (ii) At least 2 times Find the variance of a Poisson Distribution. Poisson variate has a double mode at x=2 and x=3, Determine the maximum probability and also find $p(x \ge 2)$ Average number of accidents on any day on a national highway is 1.8. Determine the probability that the number of accidents is (i) at least one (ii) at most one A car hire firm has two cars which it hires out day by day. The number of demands for a car on each day is distributed to Poisson distribution with mean 1.5. Find the proportion of days (i)on which there is no demand	Understand Understand Remember Understand Understand	CAHS004.19 CAHS004.19 CAHS004.19 CAHS004.19 CAHS004.19

10	Explain the variance of a Normal Distribution.	Remember	CAHS004.20
11	Explain the working of Normal distribution.	Remember	CAHS004.20
12	Prove that mean deviation from the mean for Normal distribution is $\frac{4\sigma}{5}$ approximately.	Remember	CAHS004.20
13	Prove that poisson distribution is limiting case of binomial distribution .	Remember	CAHS004.20
14	If the masses of 300 students are normally distributed with mean 68 kg and standard deviation3 kg how many number of students have masses: greater than 72 kg (ii) less than or equal to 64 kg (iii) between 65 and 71 kg inclusive		CAHS004.20
15	In a Normal distribution, 7% of the item are under 35 and 89% are under 63. Compute the mean and standard deviation of the distribution	Understand	CAHS004.20
16	It has been found that 2% of the tools produced by a certain machine are defective. Estimate the probability that in a shipment of 400 such tools, i) 3% or more ii) 2% are less will prove defective.	Understand	CAHS004.20
17	In a Normal distribution, 31% of the items are under 45 and 8% are over 64. Estimate the mean and variance of the distribution.	Understand	CAHS004.20
18	If X is a Normal variate then determine the area A. i) to the left of $z = -1.78$ ii) to the right of $z = -1.45$ iii) corresponding to $-0.8 \le z \le 1.53$ iv) to the left of $z = -2.52$ and the right of 1.83. Show the above by graphs.	Understand	CAHS004.20
19	1000 students have written an examination with the mean of test is 35 and standard deviation is 5. Assuming the distribution to be normal find i) How many students marks like between 25 and 40? ii) How many students get more than 40? iii) How many students get below 20? iv) How many students get more than 50.	Understand	CAHS004.20
20	The mean height of students in a college is 155cm and standard deviation is 15. Estimate the probability that mean height of 36 students is less than 157cm.	Understand	CAHS004.20
	Part - C (Problem Solving and Critical Thinking Questio	ns)	
1	x 0 1 2 3 4 5 6 7 f 305 365 210 80 28 9 2 1	Remember	CAHS004.19
2	It has been claimed that in 60% of all solar heat installations that utility bill is reduced by atleast one –third .Accordingly, What are the probabilities that the utility bill will be reduced by at least one –third in (i) four or five instalations (ii) at least four of five instalations.	Understand	CAHS004.19
3	Fit a Binomial Distribution to the following data x 012345f2142034228	Understand	CAHS004.19
4	Show that the mean, mode and median are equal in poisson distribution.	Remember	CAHS004.19
5	Derive mean of the Normal distribution.	Understand	CAHS004.19
6	Show that the recurrence relation for the Poisson distribution is $P(x) = \frac{\lambda}{x} \cdot P(x-1)$		CAHS004.19
7	The marks obtained in statistics in a certain examination found to be normally distributed. If 15% of the students greater than or equal to 60 marks ,40% less than 30 marks. Find the mean and standard detion.	Understand	CAHS004.19
8	The life of electronic tubes of a certain types may be assumed to be normal distributed with mean 155 hours and standard deviation 19 hours. Determine the probability that the life of a randomly chosen tube (i) is between 136 hours and 174 hours.	Understand	CAHS004.19

	(ii) less than 117 hours		
	(iii) will be more than 395 hours		
9	Derive the mean of the Binomial Distribution.	Remember	CAHS004.20
	The marks obtained in mathematics by 1000 students are Normally		
	distributed with mean 78% and standard deviation 11%. Determine		
10	(i)How many students got marks above 90% marks	Understand	CAHS004.20
	(ii)What was the highest mark obtained by the lowest 10% of the students		
	(iii)Within what limits did the middle of 90% of the student lie.		

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HOD, FRESHMAN ENGINEERING