## INSTITUTE OF AERONAUTICAL ENGINEERING

Dundigal, Hyderabad - 500043

## CIVIL ENGINEERING

## QUESTION BANK

| Course Name | $:$ STRENGTH OF MATERIALS - II |
| :--- | :--- |
| Course Code | $:$ A40114 |
| Class | $:$ II-II - B. Tech |
| Branch | $:$ CIVIL ENGINEERING |
| Year | $: 2016-2017$ |
| Course | $:$ Gude Ramakrishna |
| Coordinator |  |
| Course Faculty | $:$ Gude Ramakrishna |

## OBJECTIVES

To impart adequate knowledge to find stresses in various structural parts used in buildings, dams, bridges, retaining walls and pressure in vessels, etc. To understand the failure phenomenon and to learn how to prevent the failure. To impart adequate knowledge to continue the design and research activity in structural analysis.

## 1. Group - A (Short Answer Questions)

| S. No | Question | Bloms <br> Taxonomy <br> Level | Program <br> Outcome |
| :---: | :--- | :---: | :---: |
| UNIT-I <br> TORSION OF CIRCULAR SHAFTS \& SPRINGS |  |  |  |
| 1 | Define a) Torque b) Torsional moment of resistance c) <br> Polar section modulus d)Proof load e) Proof stress f) Proof <br> resilience | Understanding | a |
| 2 | Define Spring constant. Differentiate and explain types of <br> springs. | Understanding | a |
| 3 | Derive the equation for power transmitted by a shaft. | Evaluate | a |
| 4 | Define spring and mention types of springs. | Understanding | b |
| 5 | State functions of springs. | Understanding | b |
| 6 | Write torsional equation and explain the terms | Understanding <br> $\&$ <br> remembering | a |
| 7 | Derive the expression for torque transmitted by a hollow shaft | Evaluate | a |


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| :---: | :---: | :---: | :---: |
| 8 | Write the Polar Modulus (i) for a solid shaft and (ii) for a hollow shaft. | Remembering | a |
| 9 | Why hollow circular shafts are preferred when compared to solid circular shafts? | Analyze | a |
| 10 | Write the equation for strain energy stored in a shaft due to torsion. | Remembering | a |
| UNIT-II <br> COLUMNS AND STRUTS \& BEAMS CURVED IN PLAN |  |  |  |
| 1 | Define column and effective length of a column. Distinguish between a column and a strut. | Understanding | c |
| 2 | Distinguish between short column and long column. | Understanding | c |
| 3 | Define slenderness ratio, crippling load. | Understanding | c |
| 4 | Explain the Limitations of Euler's Formula? | Understanding | c |
| 5 | What are the assumptions made in Euler's theory to arrive at buckling load on column. | Understanding \& remembering | c |
| 6 | Calculate the slenderness ratio of a strut made from a hollow tube of 20 mm outside diameter, 16 mm inside diameter and 1.2 m long. | Evaluate | c |
| 7 | A steel strut is 0.15 m diameter and 12 m long. It is built in rigidly at bottom but completely unrestrained at the top. Calculate the buckling load taking E=205GPa. | Evaluate | c |
| 8 | Write short notes on curved beams and explain its uses. | Understanding \& remembering | d |
| 9 | What are the types of internal forces that act on a curved beam. | Remembering | d |
| 10 | Explain the parameters influencing buckling load of a long column | Understanding \& remembering | d |
|  | UNIT-III <br> BEAM COLUMNS \& DIRECT AND BENDING | TRESSES |  |
| 1 | Define beam columns. | understanding | e |
| 2 | What is the effect of lateral load on the bucking of columns? | understanding | e |
| 3 | What is meant by equivalent length of a column? | understanding | e |
| 4 | Write the expression for maximum deflection, maximum bending moment and maximum stress of a beam-column simply supported and carrying a UDL of intensity $w$ per unit length. | understanding | e |
| 5 | Write the expression for maximum deflection, maximum bending moment and maximum stress of a beam-column simply supported at ends and carrying a concentrated load at centre. | Evaluate | e |


| 6 | Write short notes on eccentric loading | understanding | e |
| :---: | :---: | :---: | :---: |
| 7 | Define retaining wall, earth pressure and types of earth pressure. | understanding | f |
| 8 | State the importance of middle third rule in gravity dams. | Understanding \& remembering | f |
| 9 | Distinguish between active and passive earth pressures. | Understanding \& remembering | f |
| 10 | Derive an expression for resultant stress of a masonry dam. | Evaluate | f |
| UNIT-1V <br> UNSYMMETRICAL BENDING \& SHEAR CENTRE |  |  |  |
| 1 | Define centroid, moment of inertia | understanding | g |
| 2 | Write short motes on principal axes. Define product of inertia. | understanding | g |
| 3 | Explain parallel axis theorem for product of inertia. | understanding | g |
| 4 | Define ellipse of inertia and write equation of ellipse and locus of a point. | understanding | g |
| 5 | Write short notes on unsymmetrical bending. | understanding | g |
| 6 | Define Flexure or bending axis. Define combined bending and axial loads and write its expression | understanding | g |
| 7 | Define shear centre. Write the expressions for shear centre of i) symmetrical sections ii) Equal leg angle sections channel sections | understanding | g |
| 8 | Explain unsymmetrical bending | Evaluate | g |
| 9 | Explain flexure or bending axis | Evaluate | g |
| 10 | Determine the shear centre of symmetrical section shown below. | Evaluate | g |
|  | UNIT-V <br> THIN CYLINDERS \& THICK CYLIND | RS |  |
| 1 | Distinguish between thin cylinder and thick cylinder? | Understanding | h |
| 2 | Define hoop and longitudinal stress. | Understanding | h |
| 3 | Write the maximum value of shear stress in thin cylinder. | Remembering \& Understanding | h |
| 4 | What are assumptions made in the analysis of thin cylinders? | Remembering \& Understanding | h |
| 5 | Define shrinkage allowance. | Understanding | h |
| 6 | Write short notes on compound cylinders and their boundary conditions. | Understanding | h |
| 7 | Write equations for radial stress and hoops stress as per Lame's theory | Remembering | h |
| 8 | Write short notes on lames theory for thick cylinders with assumptions. | Understanding | h |
| 9 | What are the different methods of reducing hoop stresses? | Remembering \& Understanding | h |
| 10 | Derive expression for volumetric strain of cylindrical shells. | Evaluate | h |

## 2. Group - II (Long Answer Questions)

| S. No | Question | Blooms Taxonomy Level | Program Outcome |
| :---: | :---: | :---: | :---: |
| UNIT-ITORSION OF CIRCULAR SHAFTS \& SPRINGS |  |  |  |
| 1 | Differentiate and explain types of springs. | Remembering \& Understanding | a |
| 2 | a) Explain the theory of pure torsion with assumptions. <br> b) Define solid length, spring rate, pitch | analyze | a |
| 3 | a)Define spring index (C). (1m) <br> b) Derive the stiffness of springs with sketches when arranged in series \& parallel. | creating | a |
| 4 | Derive the expression for torque transmitted by a hollow shaft | Apply | b |
| 5 | a) Distinguish between close and open helical coil springs <br> b) What is the value (i) maximum shear forces (ii) central deflection in a leaf spring subjected to an axial force? <br> c) Write the equation for the deflection of an open coiled helical spring subjected to an axial load W. | Analyze | b |
| 6 | Derive the relation between Twisting moment, Shear stress and angle of twist | Apply | a |
| 7 | Derive expression equations for strength and stiffness of a circular shaft when an external torque T is acting on it. | Creating | a |
| 8 | Derive expressions for polar modulus for a hollow circular shaft | Analyze | a |
| 9 | Derive expression for strain energy for a solid circular shaft | Apply | a |
| 10 | Derive expression for strain energy for a hollow circular shaft | Apply | a |
| UNIT-II <br> COLUMNS AND STRUTS \& BEAMS CURVED IN PLAN |  |  |  |
| 1 | Derive the equivalent length of a column whose both ends are hinged using Euler's theory. | apply | c |
| 2 | Derive the equivalent length of a column for which one end is fixed and other end hinged using Euler's theory. | evaluate | c |
| 3 | Derive the equivalent length of a column for which both ends are fixed using Euler's theory. | creating | c |
| 4 | Derive the equivalent length of a column for which one end is fixed and other end is free using Euler's theory. | apply | c |
| 5 | Derive Rankine's formula | analyze | c |
| 6 | Explain the limitations of Euler's theory | apply | c |
| 7 | Derive the maximum and minimum stresses developed in eccentrically loaded long columns | analyze | c |


| S. No | Question | Blooms Taxonomy Level | Program <br> Outcome |
| :---: | :---: | :---: | :---: |
| 8 | Derive the equation for maximum deflection and stresses for a uniformly loaded lateral strut. | analyze | d |
| 9 | Derive the maximum bending moment, maximum shear force for a circular beam loaded uniformly and supported on symmetrically placed columns | evaluate | d |
| 10 | Derive the maximum bending moment for a semi-circular beam simply supported on three supports spaced equally. | apply | c |
| UNIT-IIIBEAM COLUMNS \& DIRECT AND BENDING STRESSES |  |  |  |
| 1 | Derive the equation for maximum bending moment of a strut subjected to compressive axial load and a transverse point load at centre and whose both ends are pinned. | Creating \&analyze | e |
| 2 | Derive the equation for maximum deflection of a strut subjected to compressive axial load and a transverse point load at centre and whose both ends are pinned. | Evaluate | e |
| 3 | Derive the equation for maximum stress of a strut subjected to compressive axial load and a transverse point load at centre and whose both ends are pinned. | Evaluate | e |
| 4 | Derive the equation for maximum bending moment of a strut subjected to compressive axial load and a transverse point load at centre and whose both ends are fixed. | Analyze | e |
| 5 | Derive the equation for maximum deflection of a strut subjected to compressive axial load and a transverse point load at centre and whose both ends are fixed. | Evaluate | e |
| 6 | Derive the equation for maximum stress of a strut subjected to compressive axial load and a transverse point load at centre and whose both ends are fixed. | Evaluate | e |
| 7 | Derive the resultant stress when a column of rectangular cross-section is subjected to an eccentric load. | Evaluate | f |
| 8 | Derive the resultant stress when a column of rectangular cross-section is subjected to a load which is eccentric to both axes. | Remembering \& Evaluate | f |
| 9 | Explain middle - third rule for rectangular sections | Understanding | f |
| 10 | Draw neat sketches of Kernel for the following cross-sections: <br> (a) Rectangular $200 \mathrm{~mm} \times 300 \mathrm{~mm}$ <br> (b) Square with $400 \mathrm{~cm}^{2}$ area <br> (c) Hollow circular cylinder with external diameter 300 mm and | Understanding | f |


| S. No | Question | Blooms Taxonomy Level | Program Outcome |
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|  | thickness as 50 mm |  |  |
| UNIT-IVUNSYMMETRICAL BENDING \& SHEAR CENTRE |  |  |  |
| 1 | Derive the equation for shear centre of channel section. | Understanding | g |
| 2 | Explain the stresses developed due to unsymmetrical bending. | Evaluate | g |
| 3 | Derive the deflections of straight beam subjected to unsymmetrical bending. | Evaluate | g |
| 4 | Explain briefly about shear centre for symmetrical sections. | Apply | g |
| 5 | Derive the resultant shear force, $\mathrm{F}_{\mathrm{R}}$ for equal leg angle section. | Evaluate | g |
| 6 | Derive the shear centre for channel section | Apply | g |
| 7 | Derive shear centre for unequal I-section | Understanding | g |
| 8 | Explain Mohr's circle of inertia with a neat sketch | Evaluate | g |
| 9 | Explain (a) Principal axes and (b) ellipse of inertia with neat sketches | Evaluate | g |
| 10 | Derive transformation laws for moment and product of inertia. | Analyze | g |
|  | UNIT-V THIN CYLINDERS $\&$ THICK CYLINDERS |  |  |
| 1 | Derive the stresses developed in thin cylindrical vessel subjected to internal pressure. | Apply | h |
| 2 | Derive expression for longitudinal stress and maximum shear stress developed in thin cylindrical vessel due to internal pressure. | Evaluate | h |
| 3 | Derive circumferential strain and longitudinal strain for a thin cylindrical shell subjected to internal pressure | Evaluate | h |
| 4 | Derive volumetric strain for a thin cylindrical shell subjected to internal pressure | Evaluate | h |
| 5 | Show that when a thin walled spherical vessel of dia 'd' and thickness 't' is subjected to internal fluid pressure ' p ', the increase in volume equal to $\frac{\pi}{8} x \frac{p d^{4}}{t E}\left(1-\frac{1}{\mu}\right)$ | Apply | h |
| 6 | Derive the stresses developed in thick cylindrical vessel subjected to internal fluid pressure. | Analyze | h |
| 7 | Derive the hoop stress developed in thick cylindrical vessel subjected to internal fluid pressure alone. | Apply | h |
| 8 | What do you mean by thick compound cylinders? How will you determine the hoop stresses in a thick compound cylinder? | Apply | h |


| S. No | Question | Blooms <br> Taxonomy <br> Level | Program <br> Outcome |
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| 9 | What are the different methods of reducing hoop stress? Explain the <br> terms: wire winding of thin cylinders and shrinking of one cylinder <br> over the another cylinder. | Analyze | h |
| 10 | Derive an expression for the radial pressure and hoop stress for thick <br> spherical shell. | Apply | h |

## 3. Group - III (Analytical Questions)

| S.No | QUESTIONS | Blooms <br> Taxonomy <br> Level | Progra <br> Outcom <br> e |
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## TORSION OF CIRCULAR SHAFTS \& SPRINGS

| 1 | Calculate the maximum stress in a propeller shaft with a 400 mm external and 200 mm internal diameter, when subjected to a twisting moment of 4650 Nm . If the modulus of rigidity, $\mathrm{C}=82 \mathrm{GN} / \mathrm{m} 2$, how much is the twist in a length 20 times the diameter? | evaluate | a |
| :---: | :---: | :---: | :---: |
| 2 | A closed coil cylindrical spring of circular cross-section has coils with a 75 mm mean diameter. When loaded with an axial load of 250 N , it is found to extend 160 mm and when subjected to a twisting couple of 3 Nm , there is an angular rotation of 60 degrees. Determine the poisons ratio for the material. | evaluate | a |
| 3 | Determine the diameter of a solid steel shaft which will transmit 112.5 kW at 200 rpm . Also determine the length of the shaft if the twist must not exceed $1.5^{0}$ over the entire length. The maximum shear stress is limited to $55 \mathrm{~N} / \mathrm{mm}^{2}$. Take $\mathrm{G}=8 \times 10^{4} \mathrm{~N} / \mathrm{mm}^{2}$ | understanding | a |
| 4 | The internal diameter of a hollow shaft is $2 / 3^{\text {rd }}$ of its external diameter. Compare its resistance to torsion with that of solid shaft of the same weight and material. | Apply | b |
| 5 | A hollow shaft of diameter ratio $3 / 5$ is required to transmit 800 kW at 110 rpm . The maximum torque being $20 \%$ greater than the mean. The shear stress is not to exceed 63 MPa and the twist in a length of 3 m is not to exceed $1.4^{0}$. Calculate the minimum external diameter satisfying theses conditions. | Creating | b |
| 6 | A propeller shaft 280 mm in diameter transmits 2.5 mW at 250 rpm . The propeller weighs 50 kN and overhangs its support by 400 mm . If the propeller thrust is of 123 kN weights. Calculate the maximum principal stress induced in the cross-section and indicates its position. $\mathrm{C}=80 \mathrm{MPa}$ | Analyze | a |
| 7 | A solid shaft of diameter d is subjected to an axial thrust P and an axial torque of T. Show that the principal stresses at a point on the surface of the shaft is given by $\frac{2 P}{\pi d^{2}}\left(1 \pm \sqrt{1+\frac{64 T^{2}}{p^{2} d^{2}}}\right)$ | Evaluate | a |
| 8 | Find the mean radius of an open - coiled spring (helix angle is $30^{\circ}$ ) to give a vertical displacement and an angular rotation of the loaded end | Analyze | a |


| S.No | QUESTIONS | Blooms Taxonomy Level | Progra <br> m <br> Outcom <br> e |
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|  | 0.02 radian under an axial load 40 N . The material available is a steel rod of 6 mm diameter. $\mathrm{E}=210 \mathrm{GPa} . \mathrm{C}=80 \mathrm{GPa}$ |  |  |
| 9 | A composite spring has two close -coiled helical spring connected in series, each spring has 12 coils at a mean diameter of 3 cms . Find the diameter of the wire in one of the springs if the diameter of wire in other spring is 3 mm and the stiffness of the composite is $700 \mathrm{~N} / \mathrm{m}$. | Evaluate | a |
| 10 | In a open coil helical spring having 10 coils, the stresses due to bending and twisting are 98 MPa and 105 MPa respectively, and the spring is axially loaded. Assuming the mean diameter of the coils to be 8 times the diameter of wire, find the maximum permissible load and the diameter of wire for a maximum extension of $2 \mathrm{~cm} . \mathrm{E}=210 \mathrm{GPa}$ and $\mathrm{G}=82 \mathrm{GPa}$. | Analyze | a |
| UNIT-II <br> COLUMNS AND STRUTS \& BEAMS CURVED IN PLAN |  |  |  |
| 1 | A tabular steel strut is 8 cm external diameter and 5 cm internal diameter, 3 m long and has hinged ends. This is subjected to eccentric lad. Find the maximum eccentricity for crippling load of $60 \%$ of the Euler's load. The yield stress being 300 MPa and $\mathrm{E}=200 \mathrm{GPa}$. | remembering | c |
| 2 | A hollow circular steel strut with its ends position - fixed, has a length of 3 m , external diameter of 0.4 m and internal diameter 10 cm . Before loading, the strut is bent with a maximum deviation of 0.4 cm . Assuming the central line to be sinusoidal, determine (a) the maximum stress due to a central compressive end load of 8 kN . (B) If the load has an eccentricity of 1.5 cm , then find the maximum stress induced. Take $\mathrm{E}=200 \mathrm{GPa}$ | understanding | c |
| 3 | A steel strut of circular cross-section 1.25 m long is hinged at both ends. Find the necessary diameter in order that if a thrust of 50 kN deviates at the end by $1 / 10^{\text {th }}$ of the diameter from the axis of the strut, the greatest compressive stress shall not exceed 35 MPa . If the yield stress of steel 300 MPa , find the crippling load. $\mathrm{E}=200 \mathrm{GPa}$ | remembering | c |
| 4 | A steel column is of rectangular cross-section 4 cm X 6 cm and is having initial curvature given by $y=0.5 \times 10^{-2} \cos \frac{\pi x}{a}$. T carries a compressive load of 20 kN at the hinged ends. (a)Find the maximum resultant stress induced on either side of the column. (b) If this load is having an eccentricity of 1.5 cm , then also find the stresses. $\mathrm{E}=200 \mathrm{GPa}$ | understanding | d |
| 5 | What is the ratio of strength of a solid steel column of 150 mm diameter to that of a hollow circular steel column of the same cross-sectional area and a wall thickness of 15 mm ? The two columns have the same length and have pinned ends. | apply | c |
| 6 | Determine the safe axial load a timber column of cross-sectional area 150 mm X 150 mm and of 4 m length can carry using a factor of safety, 8 . Take $\mathrm{E}=10 \mathrm{kN} / \mathrm{mm}^{2}$ and for (a)hinged ends (b) fixed ends (c)one end free and other end fixed (d)one end hinged and other end fixed. | remembering | c |
| 7 | From the Euler's crushing load for a hollow cylindrical cast iron column, 150 mm external diameter and 20 mm thick, if it is 6 m long and hinged at | apply | c |


| S.No | QUESTIONS | Blooms Taxonomy Level | $\begin{array}{\|c\|} \hline \text { Progra } \\ \mathbf{m} \\ \text { Outcom } \\ \mathbf{e} \\ \hline \end{array}$ |
| :---: | :---: | :---: | :---: |
|  | both ends. Compare this load with that obtained by the Rankines formula using constants $550 \mathrm{~N} / \mathrm{mm}^{2}$ and $1 / 1600$. For what length of the column would these two formulae give the same crushing loads? E for the material $=80 \mathrm{kN} / \mathrm{mm}^{2}$ |  |  |
| 8 | A steel column consists of two channels ISMC $300 \mathrm{X} 35.8 \mathrm{~kg} / \mathrm{m}$ placed back to back at a clear distance of 15 cm and two plates of 350 mm X 20 mm are connected to the flanges. Find the crippling load for the column if the distance between the hinged ends is 8 m . Take $\mathrm{E}=$ $210 \mathrm{kN} / \mathrm{mm}^{2}$. <br> Properties of channel sections: <br> Area of cross-section of each channel $=45.64 \mathrm{~cm}^{2}$ $\begin{aligned} & \mathrm{I}_{\mathrm{xx}}=6362.6 \mathrm{~cm}^{4} \\ & \mathrm{I}_{\mathrm{yy}}=310.8 \mathrm{~cm}^{4} \\ & \mathrm{C}_{\mathrm{yy}}=2.36 \mathrm{~cm} \end{aligned}$ <br> Thickness of web $=7.6 \mathrm{~mm}$ <br> Thickness of flange $=13.6 \mathrm{~mm}$ | remembering | d |
| 9 | A steel strut of circular section is 2 m long and hinged at both ends. Find the necessary diameter such that under a thrust of 100 kN at an eccentricity of 0.1 of the diameter from the axis of the strut, the maximum compressive stress does not exceed $90 \mathrm{kN} / \mathrm{mm}^{2}$. If the yield tress in compression for steel is $400 \mathrm{~N} / \mathrm{mm}^{2}$, find the crippling load of the strut. | apply | d |
| 10 | A cast iron column with a 10 cm external diameter and 8 cm internal diameter is 3 m long. Calculate the safe load using Rankine's formula if a) both ends hinged (b) both ends fixed (c) one end free and other end fixed (d) one end hinged and other end fixed. $\sigma_{c}=600 \mathrm{~N} / \mathrm{mm}^{2}, \alpha=1 / 1600$. Adopt factor of safety of 3 . | apply | d |
|  | UNIT-III <br> BEAM COLUMNS \& DIRECT AND BENDING STRE | O |  |
| 1 | A propeller shaft of 20 cm external diameter and 15 cm internal diameter has to transmit 1103.25 kW at 100 rpm . It is additionally subjected to a bending moment of 10 kNm and an end thrust of 200 kN . Find i) principal stresses and their planes and ii) maximum shear stress and it plane. | Evaluate | e |
| 2 | A brick chimney weighs 1600 kN and has internal and external diameters at the base are 2 m and 3 m respectively. The chimney leans by $5^{\circ}$ with the vertical. Calculate the maximum stresses in the base. Assume that there is no wind pressure and C.G of chimney is 15 m above the base. | Remembering \& evaluate | e |
| 3 | Determine the maximum stress induced in a cylindrical steel strut of length 1.2 m and diameter 30 mm . The strut is hinged at both ends and subjected to an axial thrust of 20 kN at its ends and a transverse point load of 1.8 kN at the centre. $\mathrm{E}=208 \mathrm{GPa}$. | Evaluate | e |
| 4 | Determine the maximum stress induced in a horizontal strut of length 2.5 m and of rectangular cross section 40 mm wide and 80 mm deep when it carries an axial thrust of 100 kN and a vertical load of $6 \mathrm{kN} / \mathrm{m}$ length. | Remembering \& evaluate | e |


| S.No | QUESTIONS | Blooms Taxonomy Level | Progra <br> m <br> Outcom <br> e |
| :---: | :---: | :---: | :---: |
|  | The strut is having pin joints at its ends. E=208GPa. |  |  |
| 5 | The line of thrust, in a compression testing specimen 15 mm diameter, is parallel to the axis of the specimen but is displaced from it. Calculate the distance of the line of thrust from the axis when the maximum stress is $20 \%$ greater than the main stress on a normal section. | Analyse | f |
| 6 | A short column of additional diameter 40 cm and internal diameter 20 cm carries an eccentric load of 80 kN . Find the greatest eccentricity which the load can have without producing tension on the cross section. | Evaluate | f |
| 7 | A short column of rectangular cross section 80 mm X 60 mm carries a load of 40 kN at a point 20 mm from the longer side and 35 mm from the shorter side. Determine the maximum compressive and tensile stresses in the section. | Evaluate | f |
| 8 | A trapezoidal masonry dam having 4 m top width, 8 m bottom width and 12 m high, is retaining water up to a height of 10 m . The density of masonry is $2000 \mathrm{~kg} / \mathrm{m}^{3}$. The coefficient of friction between dam and soil is 0.55 . The allowable compressive stress is $343350 \mathrm{~N} / \mathrm{m}^{2}$. Check the stability of dams. | Remembering \& Evaluate | f |
| 9 | A masonry dam of rectangular section, 20 m high and 10 m wide, as water up to a height of 16 m on its one side. Find a) Pressure force due to water and 1 m length of dam b) Position of centre of pressure and the point at which the resultant cuts the base. Take weight density of masonry $=19.62 \mathrm{kN} / \mathrm{m}^{3}$ and of water $=9.81 \mathrm{kN} / \mathrm{m}^{3}$. Calculate the maximum and minimum stress intensities at base of dam. | Understanding | f |
| 10 | A masonry retaining wall of trapezoidal section is 12 m high and retains earth which is level up to the top. The width at the top is 3 m and at the bottom is 6 m and exposed face is vertical. Find the maximum and minimum intensities of normal stress at the base. Take density of earth $=1600 \mathrm{~kg} / \mathrm{m}^{3}$ and density of masonry $=2300 \mathrm{~kg} / \mathrm{m}^{3}$ and angle of repose of earth $=30^{0}$ | Evaluate | f |
|  | UNIT-IV UNSYMMETRICAL BENDING \& SHEAR CENTR |  |  |


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| S.No | QUESTIONS | Blooms Taxonomy Level | $\begin{array}{\|c\|} \hline \text { Progra } \\ \mathbf{m} \\ \text { Outcom } \\ \mathbf{e} \\ \hline \end{array}$ |
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| 6 | A cantilever beam of I-section is used to support the loads inclined to the V- axis as shown in figure. Calculate the stresses at the corners A, B, C and D. Also locate the neutral axis. | remembering | g |
| 7 | A cantilever beam has a channel section as shown in the figure. A concentrated load 15 kN lies in the plane of the laods making an angle of $60^{\circ}$ with the X -axis. Load, P lies in the plane of the cross section of the free end of the beam and passes through shear centre,C. Locate points of maximum tensile and compressive stresses in the beam and determine their magnitudes. <br> (a) <br> All dimensions in mm <br> (b) | remembering | g |
| 8 | A channel section is loaded as shown in the figure. Determine (a) the product of inertia with respect to x and y axes; (b) Shear centre. | remembering | g |


| S.No | QUESTIONS | Blooms Taxonomy Level | $\begin{array}{\|c\|} \hline \text { Progra } \\ \mathbf{m} \\ \text { Outcom } \\ \mathbf{e} \\ \hline \end{array}$ |
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| 9 | A steel bar of rectangular section $6 \mathrm{~cm} \times 4 \mathrm{~cm}$ is arranged as a cantilever projecting horizontally 50 cm beyond the support. The broad face of the bar makes $30^{\circ}$ with the horizontal. A load of 200 N is hung from the free end. Find the neutral axis, the horizontal and vertical deflections of free end, and the maximum tensile stress. | remembering | g |
| 10 | Locate the shear centre of the unsymmetrical section as shown in the figure. | apply | g |


| S.No | QUESTIONS | Blooms Taxonomy Level | Progra <br> m <br> Outcom <br> e |
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| UNIT-VTHIN CYLINDERS \& THICK CYLINDERS |  |  |  |
| 1 | A steel water pipe 0.6 m in diameter has to resist the pressure due to a head of 120 m of water. To what thickness should it e made if the working intensity of pressure in the metal is to be $32 \mathrm{~N} / \mathrm{mm}^{2}$. After the pipe has lost 2.5 mm of its thickness due to corrosion. Take the specific weight of water to be $10 \mathrm{kN} / \mathrm{m}^{3}$ | creating | h |
| 2 | Find the circumferential stress at the inner and outer radius respectively in the case of a pipe with a 100 mm internal diameter and which is 40 mm thick when subjected to an internal pressure of $7.2 \mathrm{~N} / \mathrm{mm}^{2}$ | remembering | h |
| 3 | A thick cylinder of steel having an internal diameter of 100 mm and an external diameter of 200 mm is subjected to an internal pressure of $56 \mathrm{~N} / \mathrm{mm}^{2}$ and an external pressure of $7 \mathrm{~N} / \mathrm{mm}^{2}$. Find the maximum hoop stress. | remembering | h |
| 4 | A thick cylindrical pipe of outside diameter 300 mm and thickness of metal 60 mm is subjected to an internal fluid pressure of $40 \mathrm{~N} / \mathrm{mm}^{2}$ and an external pressure of $4 \mathrm{~N} / \mathrm{mm}^{2}$. Calculate the maximum and minimum intensities of circumferential and radial stresses in the pipe section. | remembering | h |
| 5 | A compressed air cylinder for laboratory use ordinarily carries approximately $15 \mathrm{~N} / \mathrm{mm}^{2}$ pressure at the time of delivery. The outside diameter of such a cylinder is 250 mm . If the steel has a yield point of $225 \mathrm{~N} / \mathrm{mm}^{2}$ and a safety factor of 25 . Calculate the required wall thickness. | apply | h |
| 6 | A cast iron pipe having an internal diameter of 30 cm has wall 6 mm thick and is closely wound with a single layer of steel wire 3 mm diameter under a stress of $8 \mathrm{MN} / \mathrm{m}^{2}$. Calculate the stresses in pipe and the wire when the internal pressure in the pipe is 1 MPa . | remembering | h |
| 7 | A cylindrical steel vessel with hemispherical ends is 60 cm long over all, the outside diameter is 10 cm and the thickness 5 mm throughout. Calculate the change in internal volume of the vessel when it is subjected to an internal pressure of $15 \mathrm{MPa} . \mathrm{E}=200 \mathrm{GPa}$ and $v=0.28$ | Apply | h |
| 8 | A copper tube of inside diameter 6 cm and outside diameter 6.5 cm is closely wound with steel wire of diameter 1 mm . Find the tension at which the wire must be wound on the tube if a pressure of 1.5 MPa is required before the copper is subjected to tensile stresses, the tube being free to expand or contract axially. For copper, $\mathrm{E}_{\mathrm{c}}=10 \mathrm{GPa}, \mathrm{v}=0.3$, and for steel, $\mathrm{E}_{\mathrm{s}}=200 \mathrm{GPa}$ | evaluate | h |
| 9 | A cylindrical pressure vessel with closed ends is 25 cm external diameter and 5 mm thick. It is wound closely with a single layer of circular section steel wire of 1.2 mm diameter under tension of $96 \mathrm{MN} / \mathrm{m}^{2}$. If the cylinder is treated as thin, calculate the (a) initial stress in cylinder, (b) initial pressure which will produce a stress of $48 \mathrm{MN} / \mathrm{m}^{2}$, and (c) stress in the wire under these conditions. Poisson's ratio $=0.30$ | Understand | h |
| 10 | A cast iron pipe having an internal diameter of 30 cm has wall 6 mm thick and is closely wound with a single layer of steel wire 3 mm diameter | apply | h |


| S．No | QUESTIONS | Blooms <br> Taxonomy <br> Level | Progra <br> Outcom <br> e |
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|  | under a stress of $8 \mathrm{MN} / \mathrm{m}^{2}$. Calculate the stresses in the pipe and the wire <br> when the internal pressure in the pipe is $1 \mathrm{MPa} . \mathrm{E}_{\mathrm{s}}=200 \mathrm{GPa}$ and $\mathrm{E}_{\mathrm{CI}}=$ <br> 100 GPa |  |  |

